

## Probability

- 1) Total ways to choose 2 marbles from 15 =  $(15C_2) = 105$   
 • probability that none is green = choose 2 from non-green marble =  $3(\text{blue}) + 4(\text{red}) + 2(\text{yellow}) = 9$   
 $9C_2 = 36$

So, probability of at least one green  
 $= 1 - \frac{36}{105} = \frac{69}{105} = \frac{23}{35}$

- 2) Probability that both marbles are either blue or yellow  
 Total favorable cases -

- choose 2 blue =  $(3C_2) = \frac{3 \times 2}{2 \times 1} = 3$
- choose 2 yellow =  $(2C_2) = 1$
- choose 1 blue & 1 yellow =  $3 \times 2 = 6$

Total favorable =  $3 + 1 + 6 = 10$

Total possible =  $15C_2 = 105$  Probability =  $\frac{10}{105} = \frac{2}{21}$

- 3) Non-blue marbles =  $15 - 3 = 12$

favorable ways = choose 4 from 12 =  $12C_4 = 495$

Total ways =  $15C_4 = 1365$

probability =  $\frac{495}{1365} = \frac{11}{33} = \frac{1}{3}$

- 4) no no of arrangements keeping the pair together =  
 $9! \times 2! =$  Total arrangements =  $10!$

$$P_{no} = \frac{9! \times 2!}{10!} = \frac{2}{10} = \frac{1}{5}$$

- 5) Leap year has 366 days = 52 weeks + 2 extra days  
 for 53 Sundays, Sunday must be one of the extra days  $\Rightarrow$   
 favorable outcome -

$$P_{no} = \frac{2}{7}$$

only (Sat, Sun) has 53 Sunday and 52 Monday.

So only 1 favorable case =  $\frac{1}{7}$

- 6) In 20 consecutive integers

- 10 even, 10 odd.

ways to choose 1 even & 1 odd =  $10 \times 10 = 100 =$



Total ways to choose 2 no's

$$= 20/2 = 190$$

$$P = \frac{100}{190} = \frac{10}{19}$$

7. ways to choose yellow  $(^2_1) = 2$

ways to choose 2 red  $(^4_2) = 6$

total favorable =  $2 \times 6 = 12$

Total ways to choose 3 from 15 =  $15/3 = 455$

$$P = \frac{12}{455} = \frac{12}{455} \approx \frac{12}{455}$$

8. Total ways to choose 3 =  $10/3 = 120$

Probability of no graduates =  $6/3 = 20$

$$\text{Probability (at least one grad)} = 1 - \frac{20}{120} = \frac{100}{120} = \frac{5}{6}$$

9. Total ppl = 10 (5 couples)

• Total ways to choose 5 people from 10 =

$$10/5 = 252$$

• choose 2 couples = from 5  $5/2 = 10$

• from remaining 6 people  $(10-4)$ , choose 1 person  $(^6_1) = 6$

• Total ways with exactly 2 couples =  $10 \cdot 6 = 60$

choose 3 couples =  $5/3 = 10$

• Total ways with at least 2 couples =

$$60 + 10 \cdot 6 = 60 + 60 = 120$$

$$\text{Probability} = \frac{120}{252} = \frac{10}{21}$$

10. Probability of not working =  $1 - 0.2 = 0.8$

• Probability none of the 4 tickets win =  $0.8^4 = 0.4096$

So, probability

$$1 - 0.4096 = 0.5904$$

# Number Series.

1) 23, 28, 38, 53, 73, 98  
 $28 - 23 = 5$   
 $38 - 28 = 10$   
 $53 - 38 = 15$   
 $73 - 53 = 20$   
 $98 - 73 = 25$

$1598 - 798 = 800$   
 $798 - 398 = 400$   
 $398 - 198 = 200$   
 $198 - 98 = 100$   
 $\rightarrow 198 - 100 = 98$   
 $= 98 - 48 = 50$   
 $ans = 98$

2. 17, 45, 148, 607, ?, 1833!  
 $17 \rightarrow 45$   
 $17 \times 2 + 11 = 45$   
 $45 \rightarrow$   
 $45 \times 3 + 13 = 148$   
 $148 \rightarrow 607$   
 $148 \times 4 + 15 = 607$   
 $607 \times 5 + 17 = 3035 + 17 = 3052$

3. 5, 366, 655, ?, 1049, 1170  
 $366 - 5 = 361$   
 $655 - 366 = 289$   
 $? - 655 = ?$   
 $1049 - ? = ?$   
 $1170 - 1049 = 121$   
 $\therefore 361 = 19^2$   
 $289 = 17^2$   
 $Next = 15^2 = 225$   
 $\rightarrow 655 + 225 = 880$   
 $Then 1049 - 880 = 169 = 13^2$   
 $ans = 880$

4. 1598, 798, 398, 198, ?, 48