

# Digital Signal Processing

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# Lecture 3 - Topics

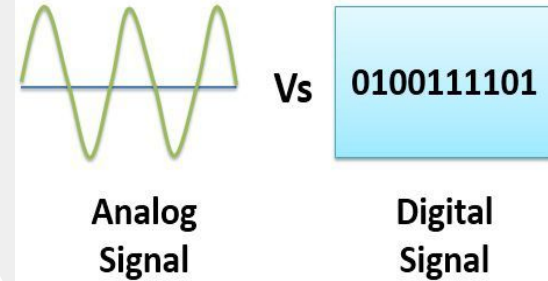
## Operation on Signals:

### a. Based on Amplitude

- Scaling
- Addition
- Multiplication
- Subtraction

### a. Based on Time

- Scaling
- Shifting
- Reversal



# Introduction



- Generally, there are two parameters of any continuous signal - Amplitude and Time.
- What is amplitude?
- How far the signal travels from zero, is the amplitude of the signal.
- What is time?
- How much time does it take to change its amplitude from current position to other, is the time of the signal.
- Ex - if a wave is :  $A \sin t$
- then  $A$  is the coefficient of amplitude and  $\sin t$  is the time.

# Amplitude Operations



**Based on Amplitude following operations can be performed:**

## **- Scaling**

$y(t) = C x(t)$  where  $C$  is the scaled amplitude of signal.

Ex: if  $x(t) = 4 \cos t$ ,  $C = 2$  then  $y(t) = 2 * 4 \cos t = 8 \cos t$ .

Thus 8 is the scaled amplitude of the signal  $4 \cos t$

# Amplitude Operations

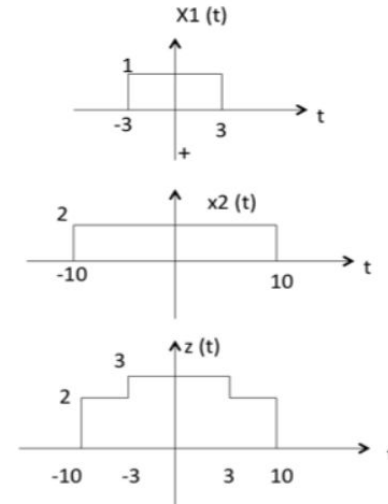


**Based on Amplitude following operations can be performed:**

## **- Addition**

Adding only amplitudes of two signals.

Like here in diagram amplitude of first signal is 1 and second is 2, so resultant signal is  $1+2 = 3$



# Amplitude Operations

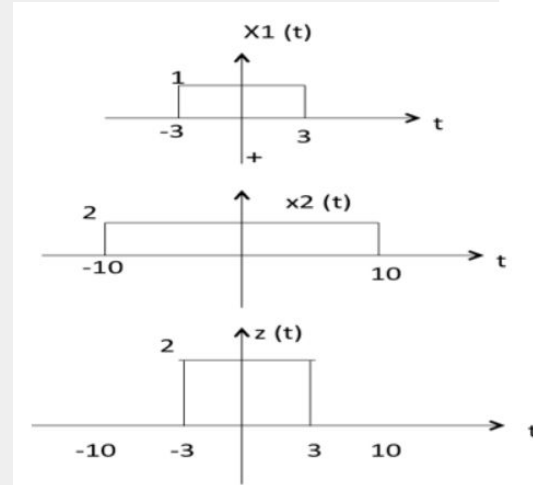


**Based on Amplitude following operations can be performed:**

## **- Multiplication**

Similar to scaling, but cannot have negative values

Multiplies the amplitudes of two signals.



# Amplitude Operations

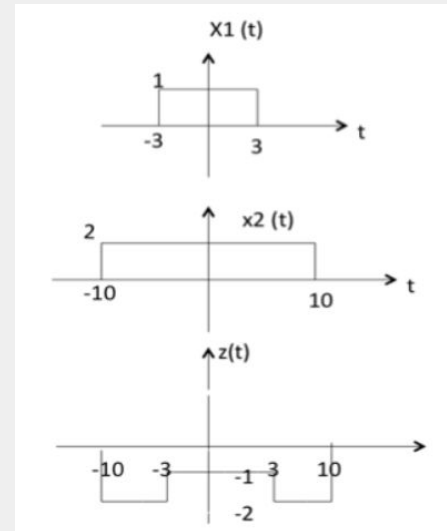


**Based on Amplitude following operations can be performed:**

## **- Subtraction**

Minusing only amplitudes of two signals.

Like here in diagram amplitude of first signal is 1 and second is 2, so resultant signal is  $1 - 2 = -1$



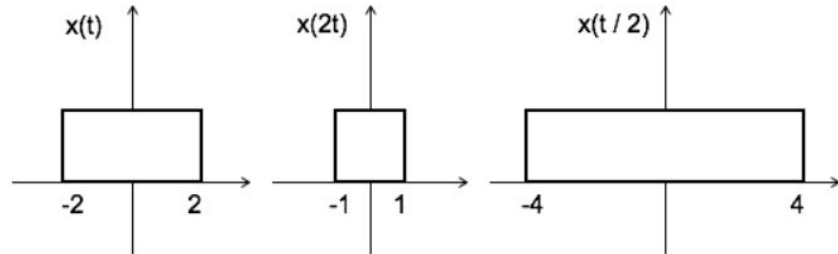
# Time Operations



**Based on Time following operations can be performed:**

## **- Scaling**

$x(At)$  is time scaled version of the signal  $x(t)$ .





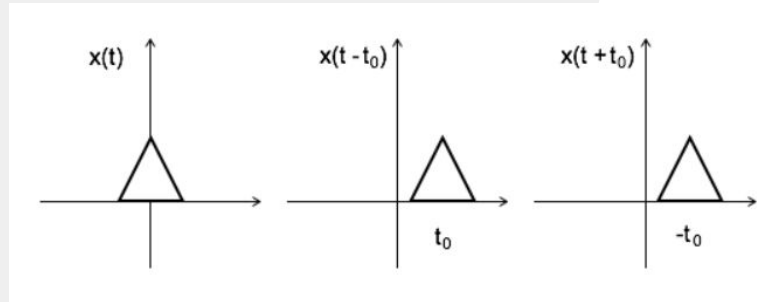
# Time Operations



**Based on Time following operations can be performed:**

## **- Shifting**

$x(t \pm t_0)$  is time shifted version of the signal  $x(t)$ .



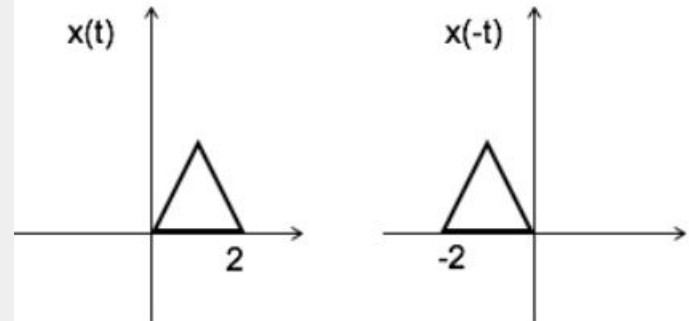
# Time Operations



**Based on Time following operations can be performed:**

**- Reversal**

$x(-t)$  is the time reversal of the signal  $x(t)$ .





**Thank you**