

Keaton Spiller

CS 445

Winter 2022

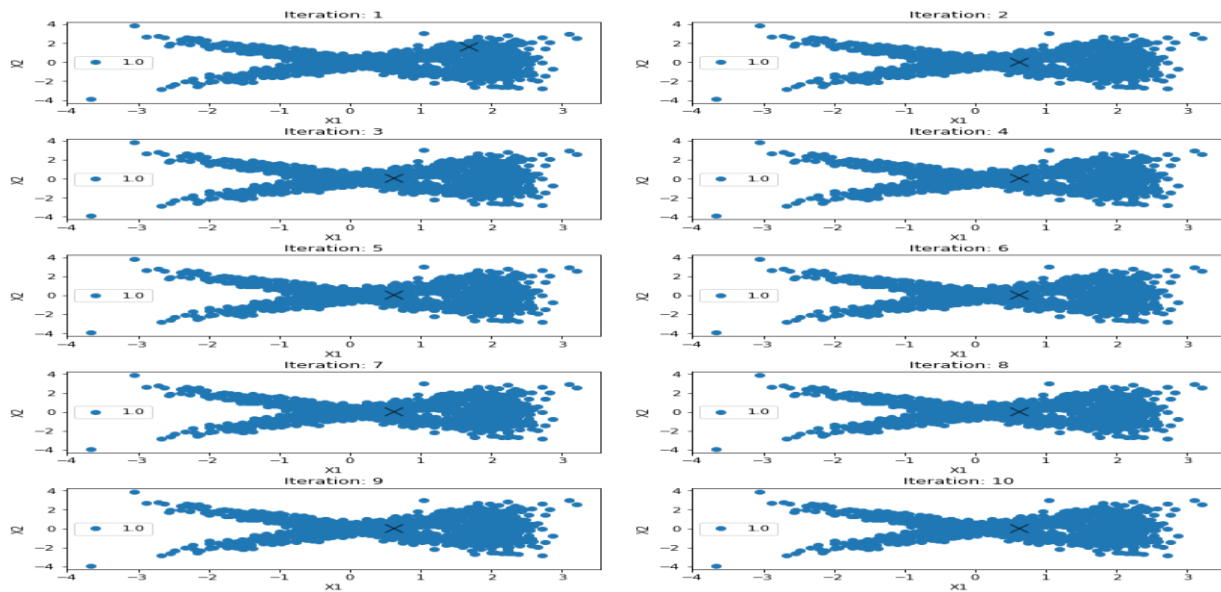
### Assignment 3

Incorporating the algorithm on hard K-means was significantly easier than fuzzy c means, and without the use of sci-kit tools was a significant challenge. For the first and second half I needed to figure how to split up the centroid operations between the  $x_1$  and the  $x_2$  coordinates in order to L2 normalize the data without losing it's point wise multiplication. For the fuzzy c\_means I needed to preserve the vector on the top of the  $c_k$ , and avoid storing the cluster values in index's . The fuzzy c\_means was able to cluster and find patterns beyond what the hard K means clustering could, leading to some really interesting mixtures of clusters, beyond what I could piece together by hand.

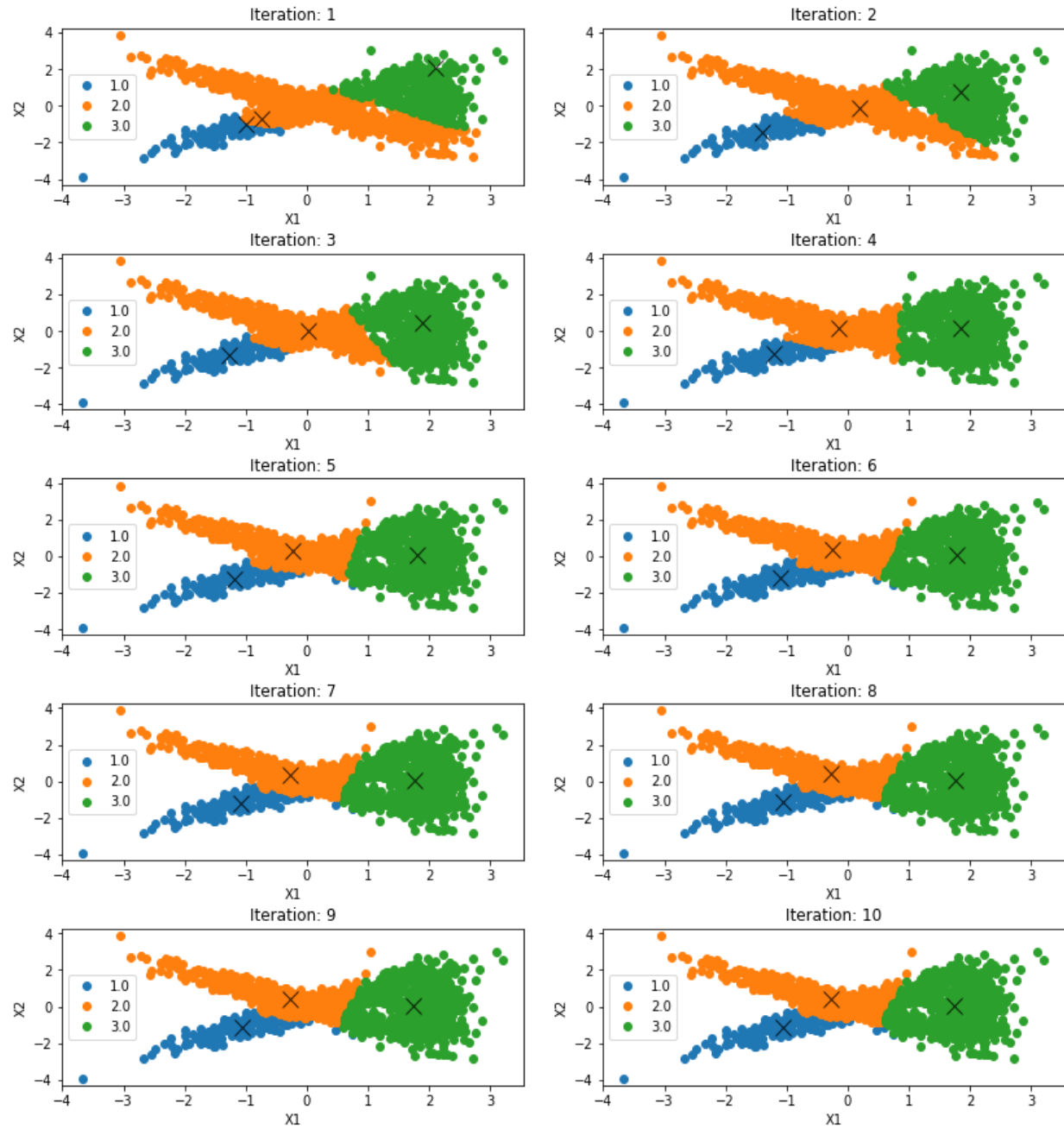
(Cluster\_x1\_k = m\_step\_topx1[:,k, iteration]/bottom )

### Assignment #1: K-Means

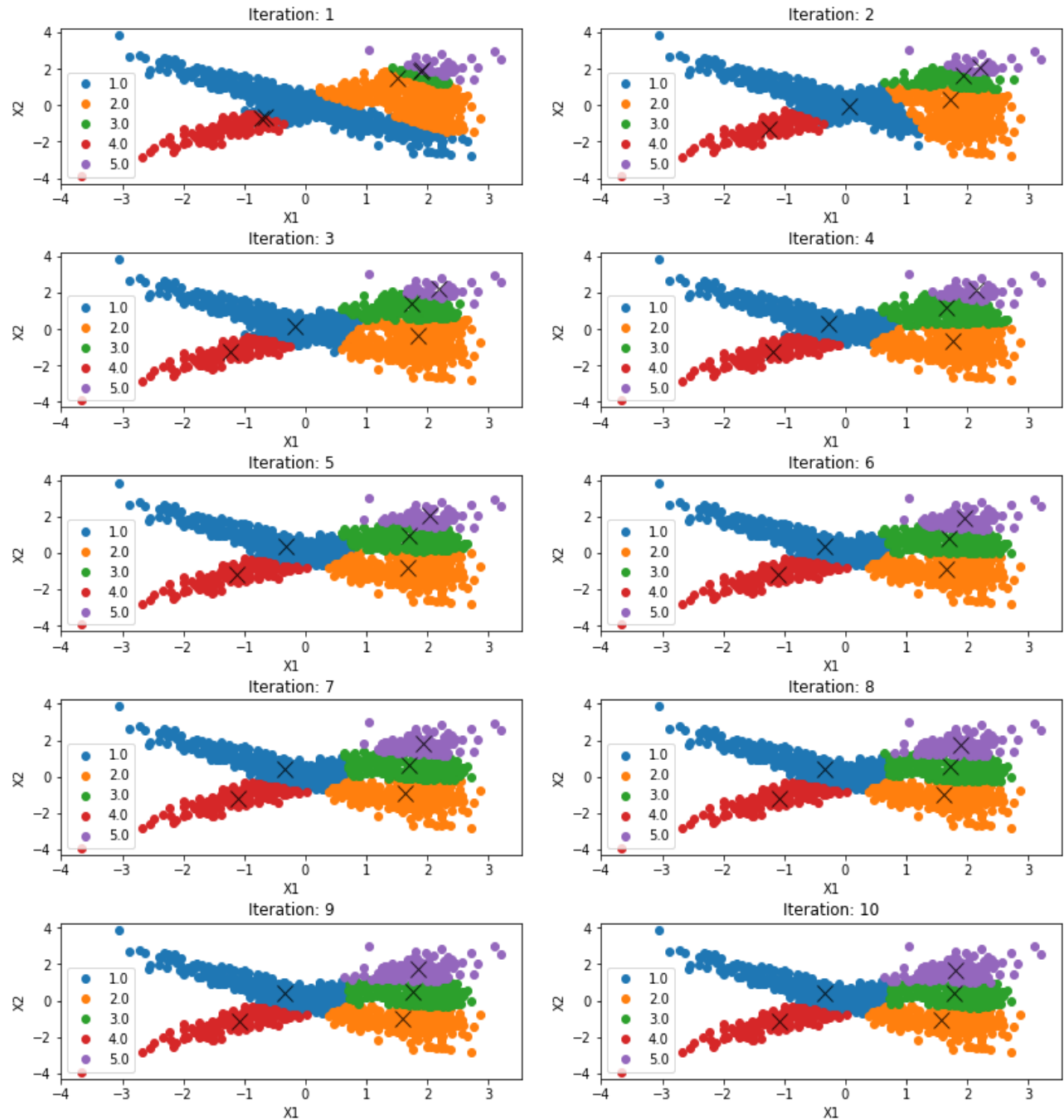
For 10 iterations  $r=10$



$K = 1$ , best iteration = 2, SSE = 2186.86898371



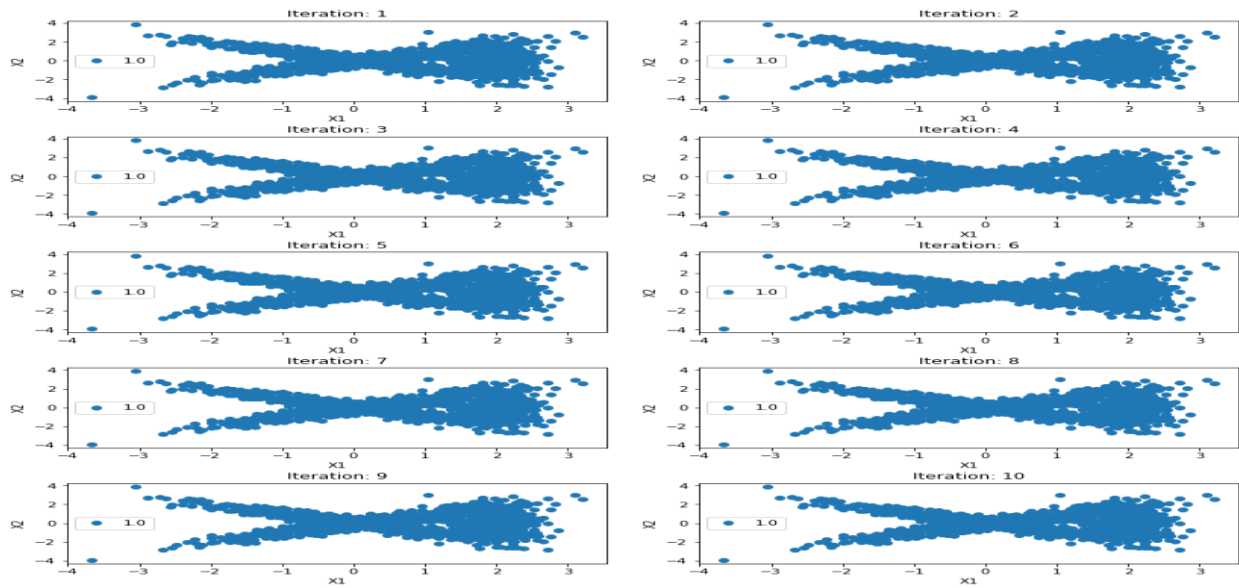
$K = 3$ , Best Iteration = 10, SSE = 8182.1250289



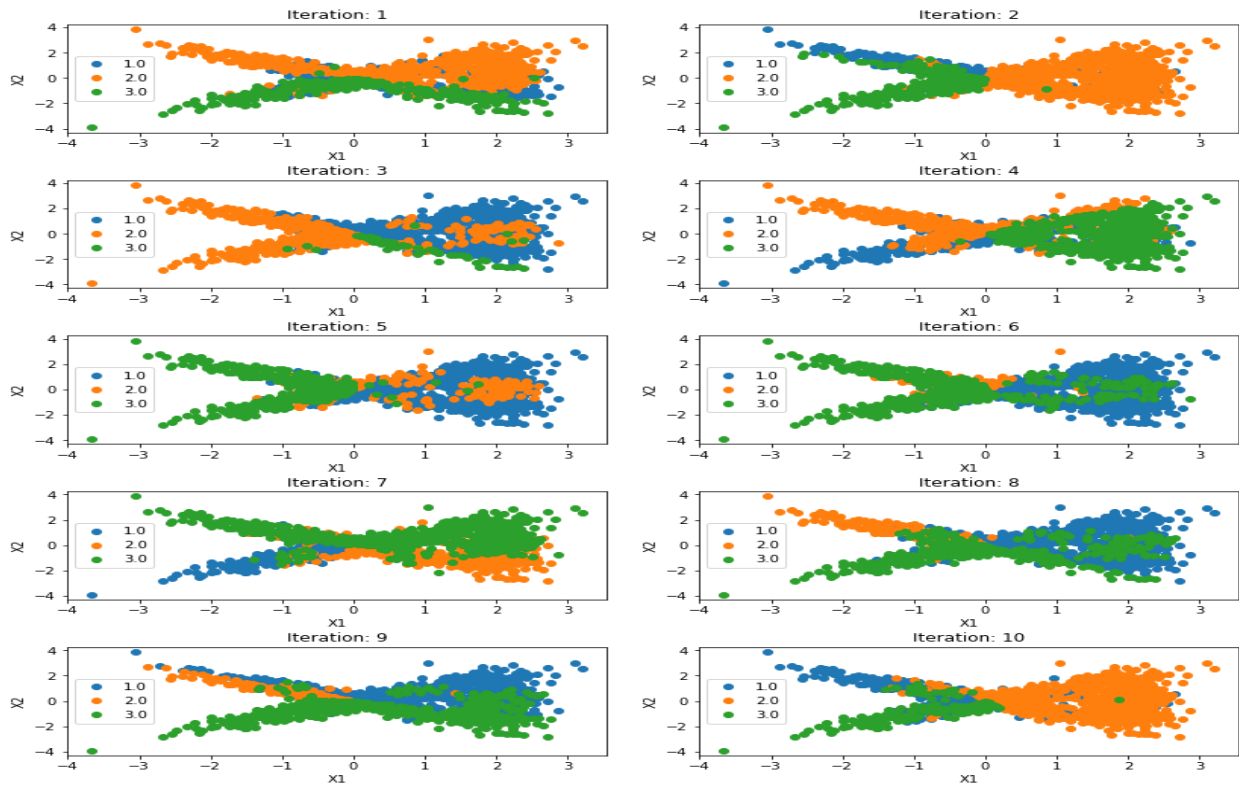
$K = 5$ , Best Iteration : 10, SSE = 15318.21418594

It's pretty amazing that within 3 iterations the k-means algorithm is able to come up with distinct separations between the clusters

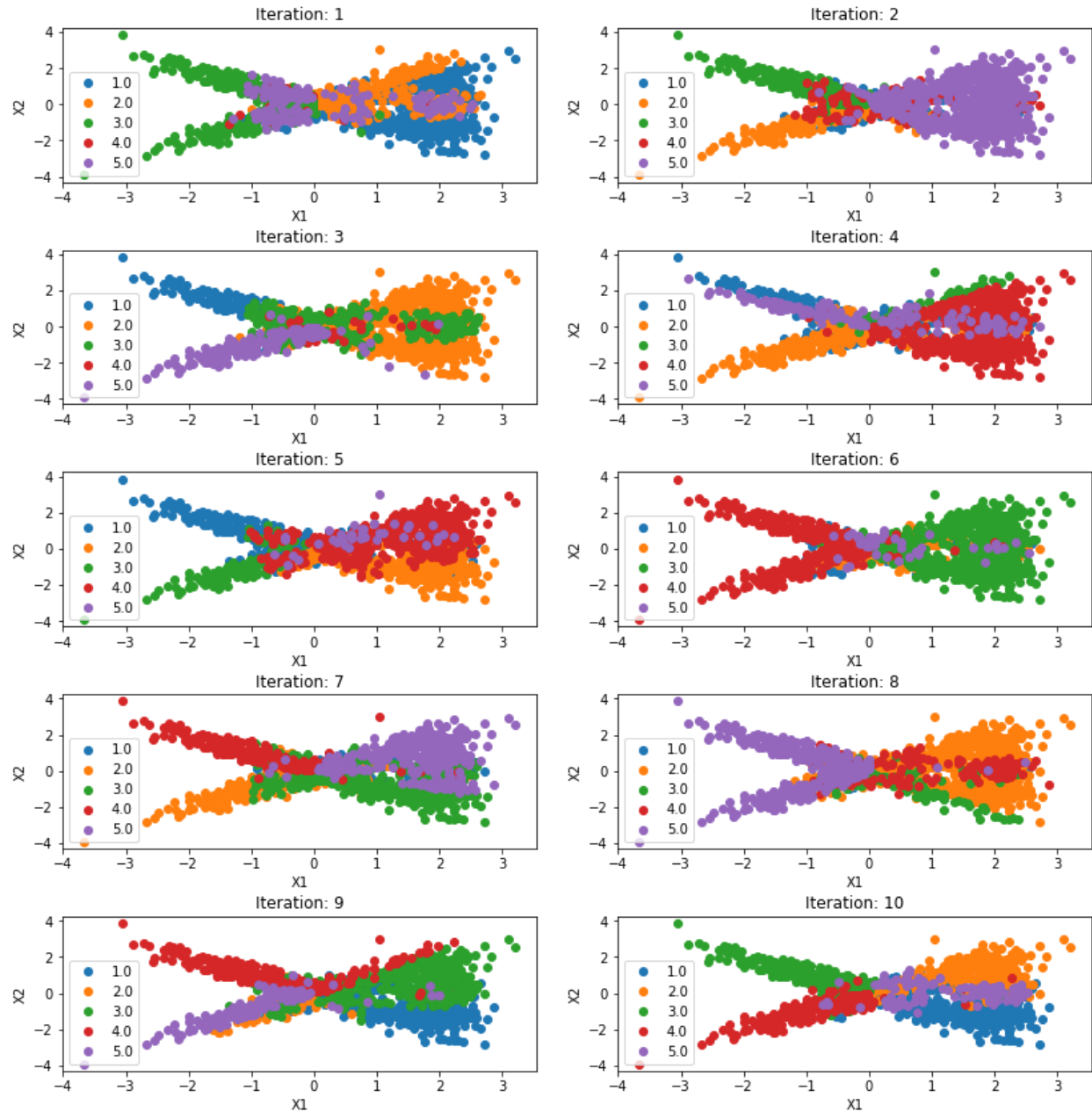
## Assignment #2: Fuzzy C-Means



For 10 iterations  $r=10$ ,  $m=2$ ,  $C = 1$  , best iteration=1,  $SSE = 49.63987632$



For 10 iterations  $r=10$ ,  $m=2$ ,  $C = 3$ , best iteration 4,  $SSE = 177.12669922$



For 10 iterations  $r=10$ ,  $m=2$ ,  $C = 5$ , best iteration 4,  $SSE = 321.49255501$

Visually iteration 10 looks the best, but because of how mixed the cluster's are this feels harder to interpret than hard K-Means.