

# Review of Radiation Physics

RTT4220 – Lecture #1

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# Review of Electricity and Magnetism

The old stuff

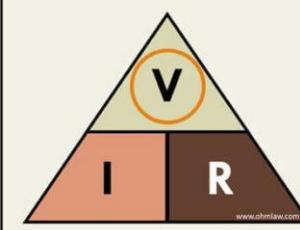
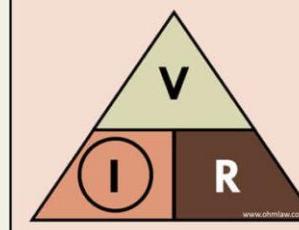
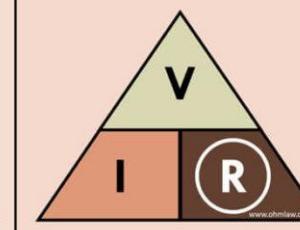
# Electricity and Magnetism

- Energy (Many Symbols) [J or eV]
- Charge ( $q$ ) [C or A×s]
- Current ( $I$ ) [A]
- Electric Potential (Voltage) ( $\varepsilon$ ) [V or J/C]
- Power ( $P$ ) [W or J/s]
- Resistance ( $R$ ) [ $\Omega$ ]

$$P = I \times V$$

$$KE = q \times \varepsilon = \frac{mv^2}{2}$$

$$V = I \times R$$

To Find Voltage	To find current	To find voltage
		
$V = IR$	$I = \frac{V}{R}$	$R = \frac{V}{I}$

# Moving Electrons

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When electrons accelerate → photons are generated

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Acceleration can occur two ways; SPEED or DIRECTION

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High speed accelerating electrons are awesome and dangerous: X-rays

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We often want fast electrons, easiest way to get them is VOLTAGE

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VOLTAGE gives electrons energy, makes them accelerate (charged particles)

# Electron Energy and Speed Practice

An electron travels a 300 V electric potential ( $\varepsilon = 300 \text{ V}$ ) has a typical mass ( $m = 9.1 \times 10^{-31} \text{ kg}$ ) and a typical charge ( $q = 1.6 \times 10^{-19} \text{ C}$ ); find the kinetic energy assuming it started at rest.

$$\text{KE} = q \times \varepsilon$$

$$\text{KE} = (1.6 \times 10^{-19}) \times (300) = 4.87 \times 10^{-17} \text{ J}$$

$$(2.73 \times 10^{-28} \text{ J}) \times \left( \frac{1 \text{ eV}}{1.6 \times 10^{-19}} \right) = 300 \text{ eV}$$

Now find the velocity it had as it left the potential (ignore relativity).

$$\text{KE} = \frac{mv^2}{2} \rightarrow v = \sqrt{\frac{2\text{KE}}{m}} \rightarrow v = \sqrt{\frac{2 \times (4.87 \times 10^{-17})}{9.1 \times 10^{-31}}} = 10.3 \frac{\text{m}}{\text{s}}$$

# Atomic Mass Units

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An atomic mass unit (amu) is  $1/12^{\text{th}}$  of the mass of a carbon-12 **nucleus**.

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Carbon-12 has 6 protons and 6 neutrons and weighs 12 amu (by definition).

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Protons and neutrons weigh ~ the same, each is about 1 amu

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$$1 \text{ amu} = 1.66\text{E-}27 \text{ kg}$$

# Radiation Physics

The good stuff

# What is Radiation?

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When energy **radiates** away from something (energy or mass)

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Lots of misconceptions!

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Many types of radiation and the uses/danger are just as variable

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Light, Microwave, infrared, alpha, beta, gamma, the list goes on

# Types of Radiation

## ELECTROMAGNETIC

- Photons (that's it!)
- The name depends on energy and/or source (i.e. **Gamma/X-ray/Light**)

## PARTICULATE

- Helium (**Alpha**)
- Electrons (**Beta**)
- Protons

# What is a Photon?

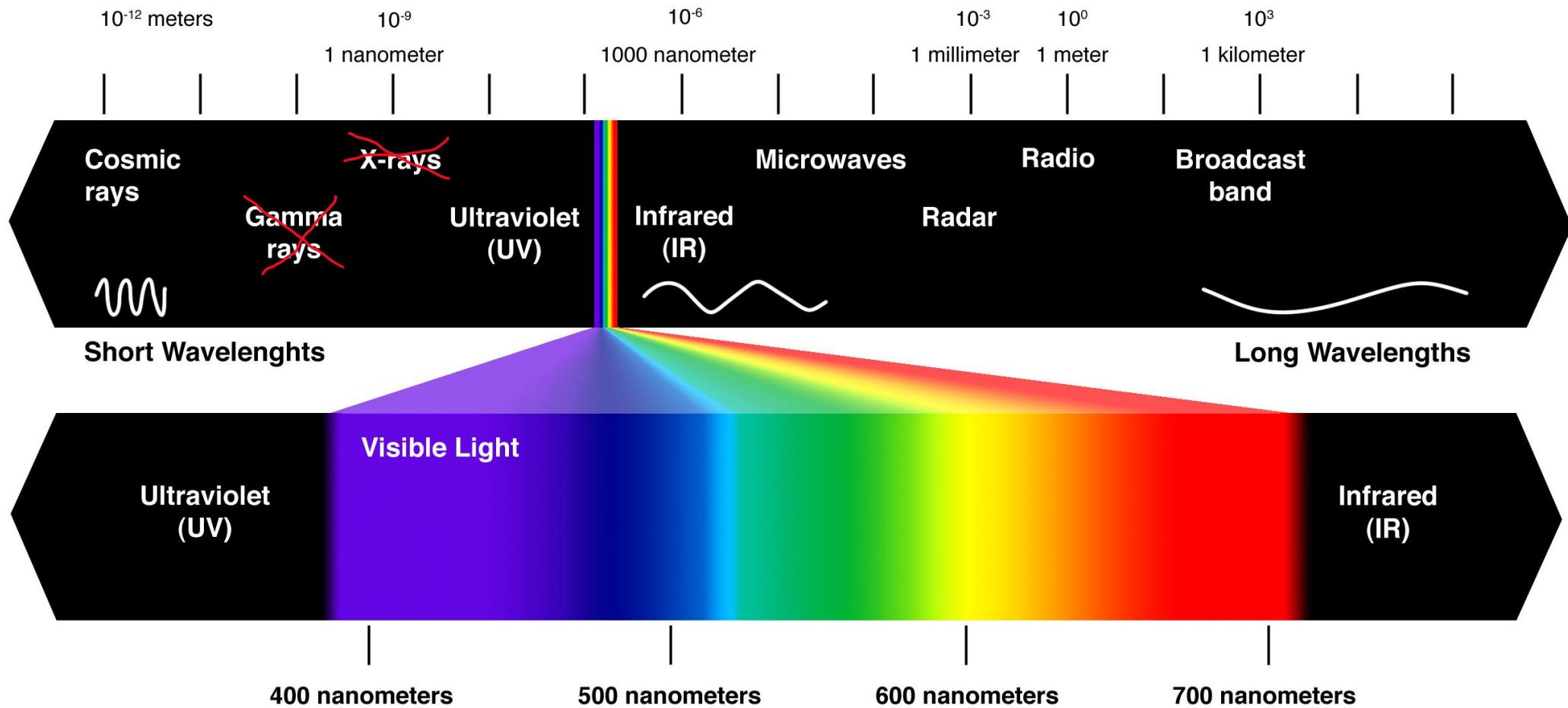
- All EM radiation is comprised of photons ( $\gamma$ )
- Because of dumb history photons were “discovered” many times before we unified them thus some names stuck
- This yields the ELECTROMAGNETIC SPECTRUM

**If it came from an atom\*:**  
ITS GAMMA RADIATION\*

**If it came from anything else\*:**  
WE DON’T HAVE A WORD\*

But no matter what, it’s on the spectrum!

# Electromagnetic Spectrum



# Wave-Particle Duality

- EM Radiation behaves in ways that determine it MUST BE particles, and it MUST BE waves at the same time.
- ?????
- Its both due to quantum mechanics.

## Wave-like Behavior:

- Particles CANNOT diffract
- We see EM rad. diffract!

Therefore, its wave-like!

## Particle-like Behavior:

- Waves CANNOT deposit energy in “batches”
- EM rad. does so: photoelectric effect

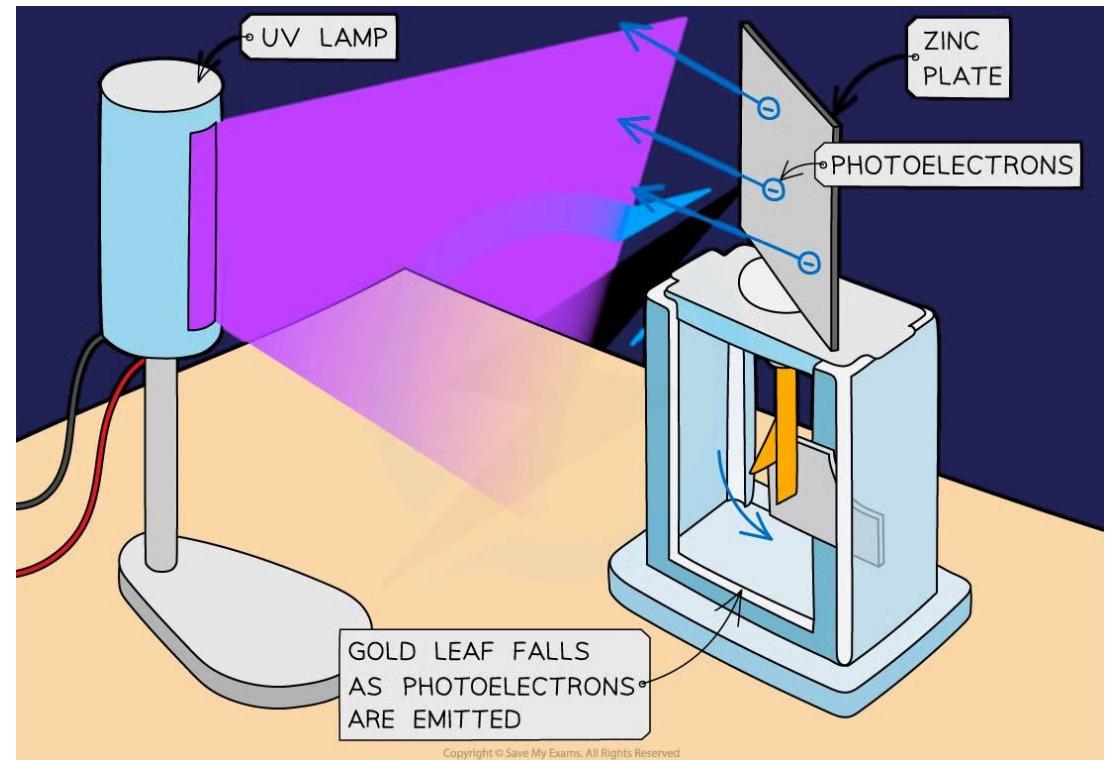
Therefore, its particle-like!

# Wave-Particle Duality

Wave-Like



Particle-Like



# Photon Physics

- Photons are the representation of the particle-like behavior
- Photons travel at the speed of *massless things*\*
- Photon energy is directly related to its wave-like behavior frequency
- EM frequency is inversely related to its wavelength
- ( $h = 6.63 \times 10^{-34}$  [Js] is Planck's constant)

$$E = h \times \nu$$

$$\nu = \frac{c}{\lambda}$$

$$E[\text{kev}] = \frac{1.24}{\lambda[\text{nm}]}$$

# Photon Energy Practice

An x-ray with a wavelength of 4.20E-9 m is ATTENUATED by a detector. How much energy would be deposited? What is the frequency of that radiation?

$$E = \frac{1.24}{4.2} = 0.295 \text{ keV OR}$$

$$E = \frac{h \times c}{\lambda} \rightarrow E = \frac{(6.63 \times 10^{-34}) \times (3 \times 10^8)}{4.20 \times 10^{-9}} \times \frac{1 \text{ eV}}{1.6 \times 10^{-19}} = 296 \text{ eV}$$

How much energy would be deposited by 1 MILLION of these x-rays?

$$296 \times 10^6 = 2.96 \times 10^8 \text{ eV or } 296 \text{ MeV}$$