

21-02-24  
Wednesday

Compiler

Design

Day-1

Analytical

Page

Date

① a) Find the number of tokens in the following C Statement :-

```
int main()
{
    /* Find max of a and b */
    int a = 10, b = 30;
    if (a < b)
        return (b);
    else
        return (a);
}
```

② Find the number of tokens in the following C Statement :-

```
main()
{
    a = b++ + ++c;
    printf ("%d %d", a, b);
}
```

① - int - a - 30 - b - ; - ;  
 - main - = - ; - ) - else - }  
 - ( - 10 - if - return + return  
 - ) - ) - ( - ( - ( -  
 - { - b - a - b - a  
 - int - = - < - - - )

② - main - = - ( - b  
 - ( - b - "%d %d" - )  
 - ) - = - ) - ;  
 - { - = ; - a - }  
 - a - printf - ,



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2) a) Find the number of tokens in the following C Statement is:

```
main()  
{  
    int a=10;  
    char b="abc";  
    int c=30;  
    char d="xyz";  
    /*comment*/ m=40.5;  
}
```

b) Identify the lexical errors in the following C Statement is:

```
void main()  
{  
    int x=10, y=20;  
    char *a;  
    a = &x;  
    x = lxab;  
}
```

a) main() → 3

{ → 1

int a=10; → 5

char b="abc"; → 9

int t c = 30; → 6

char d = "xyz"; → 9

/\*comment\*/ m=40.5 → 11

} → 1

b) void main() → 4

{ → 1

int x=10, y=20; → 9

char \*a; → 4

a = &x; → 5

x = lxab; → 7

} → 1



③ How would you trace the program segment "4 \* += c b a" for all phases of compiler?

"4 \* += c b a"

→ Lexical analysis : Identify tokens

"4 \* += c b a" → 4

Construct ~~parse~~ parse tree, Typechecking, Error handling.

→ Syntax analyzer

Identifiers

Operator

c

\*

b

+

a

=

4

→ Semantic analyzer

a [ += ] 4 \* (c \* b);

↓

before this

operator must available

is present

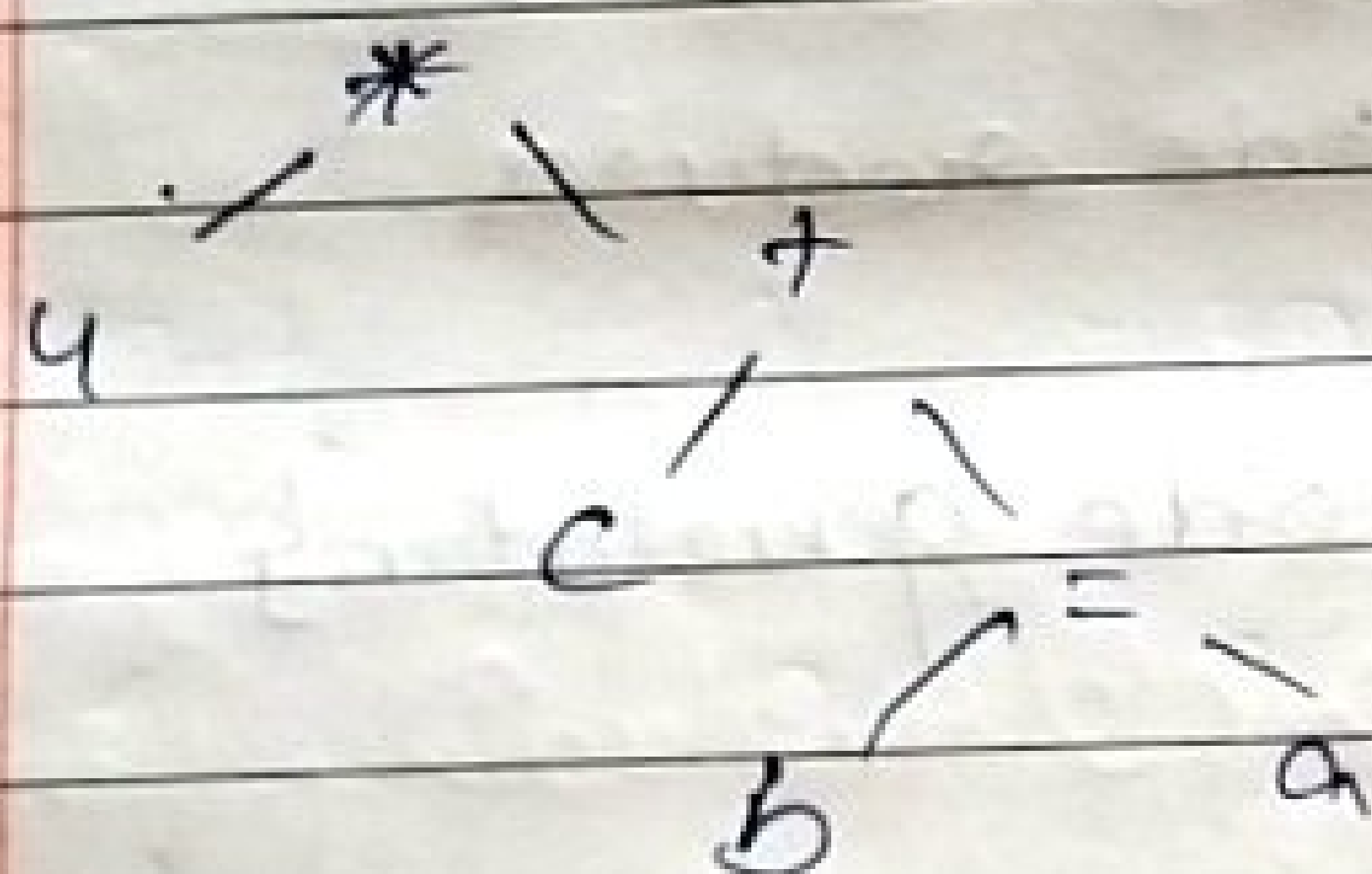
→ Intermediate code generator

→ code optimizer

→ code generator

4 \* += c b a

a += \* (c \* b) (semantic op)



$t_0 = (c * b)$   
 $t_1 = * + t_0$   
 $a += t_0 t_1$

Intermediate code generator

[ a += t\_0 t\_1 ] × { Code optimizer }

→ mov ax, [c] { code generator }

mov bx, [b]

mul bx, ax

mov cx, 4

mul cx, bx

mov dx, [a]

add dx, cx

mov [a], dx



④ write down the output of each phase for the expression  $a := b + c * 50$ .

$a := b + c * 50$

→ lexical analysis

tokens:  $a, :=, b, +, c, *, 50$

→ Syntax analysis

Identifier

tokens

$a$

$b$

$c$

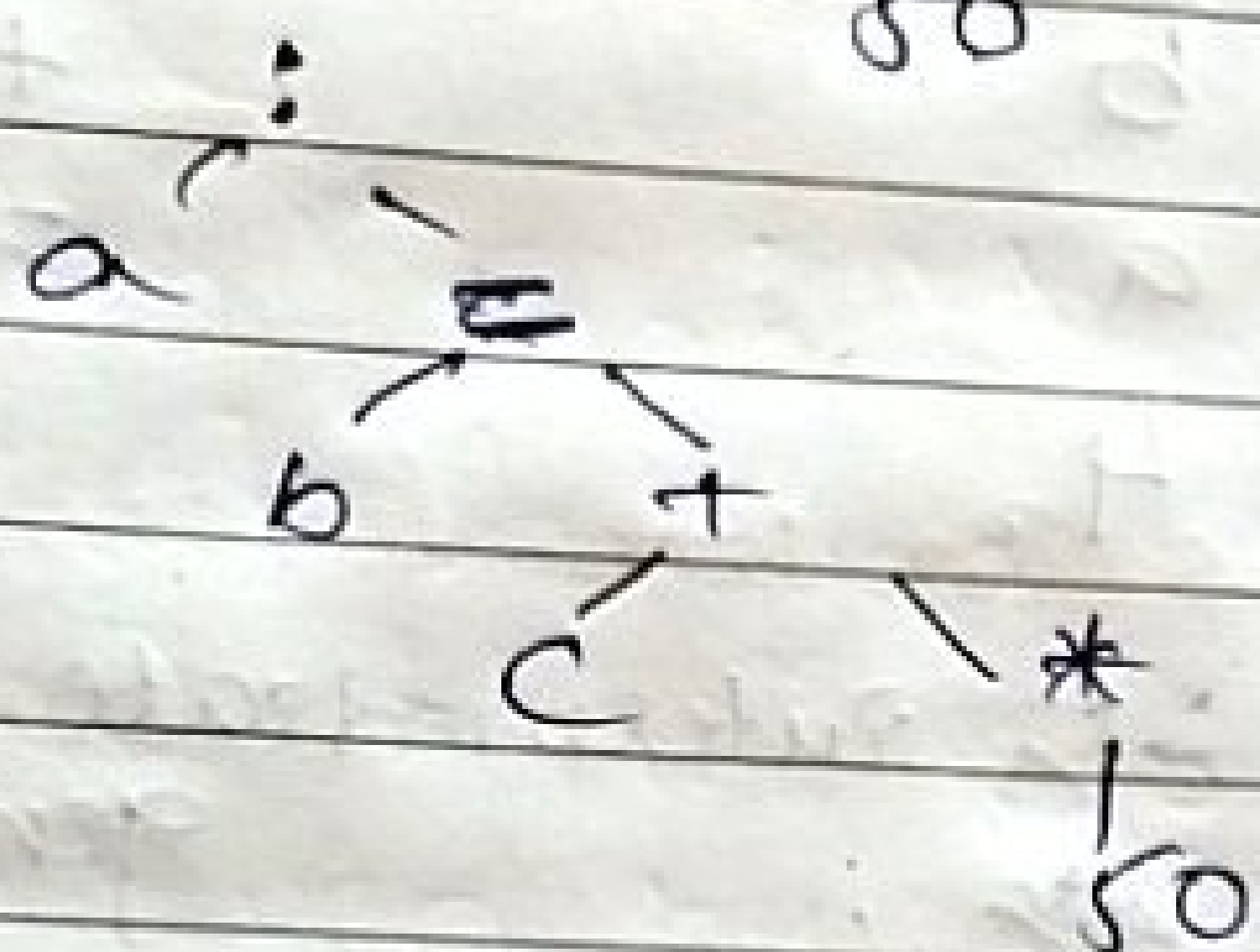
$50$

$:=$

$=$

$+$

$*$



→ Semantic analysis

Type checking, error handling

$a = b + c * 50$

→ Intermediate code generator

$t_0 = c * 50$

$t_1 = b + t_0$

$a = t_0 + t_1$

→  $a = t_0 + t_1$  x code reducer

→ LDA  $b, R_1$  {code generator}

LDA  $c, R_2$

MUL  $R_2, 50, R_2$

ADD  $R_1, R_2, R_3$

STA  $R_3, a$

HLT

⑤ Illustrate the output of each phase of compilation of the input " $p = (a * b) + (b * c) * 2$ ".

$p = (a * b) + (b * c) * 2$



## lexical analysis

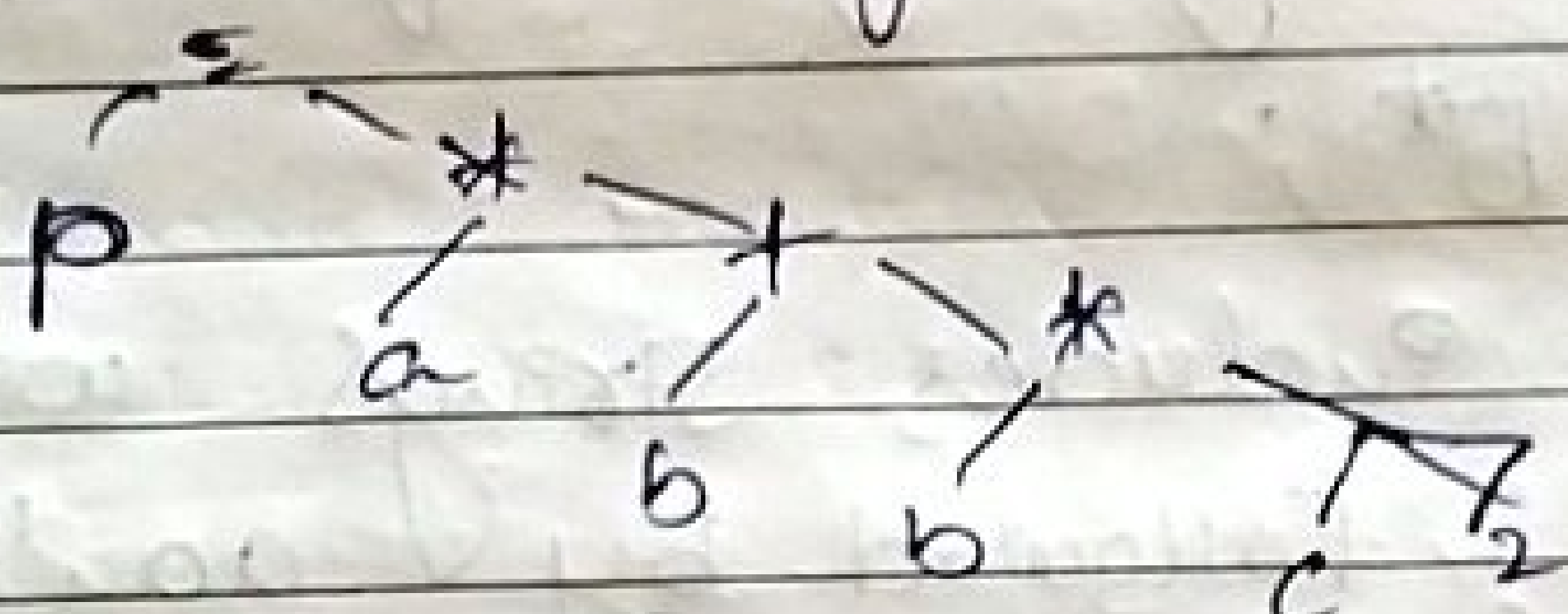
(i) tokens  $\Rightarrow p = (a * b) + (b * c) * 2$

(ii) syntax analysis

Identifier      tokens

p	=
a	*
b	+
b	*
c	
2	

(iii) semantic analysis (no errors)



(iv) intermediate code generator      (v) code reducer

$$t_1 = a * b$$

$$t_2 = b * c$$

$$t_3 = t_2 * 2$$

$$p = t_1 + t_3$$

$$p = t_1 + t_3 \quad \times$$

(vi) code generator

LDA a, R1

LDA b, R2

MUL R1, R2, R3

LDA b, R4

LDA c, R5

MUL R4, R5, R6

MUL R6, R1, R7

ADD R3, R7, R8

STA R8, P

HLT



⑥ Describe the languages denoted by the following regular expressions:

- (a)  $(a+ab)^*$     (b)  $(1^*0^*)$     (c)  $(b^*(aaa)^*b^*)$   
 (d)  $100(1+0)^*101$     (e)  $a^*b^*c$

(a)  $(a+ab)^*$

Strings accepting any combination of  $a$  &  $ab$  & it allows repetitions of  $a$  (or)  $ab$  including  $\epsilon$ .

(b)  $1^*0^*$ ;

Strings accepting any no. of 1's & 0's.

(c)  $b^*(aaa)^*b^*$ ;

This language includes strings with zero's (or) more  $b$ 's followed by  $aaa$ 's & again followed by zero's (or) more  $b$ 's.

Ex:  $baaaabbb$      $bbbaaab$

(d)  $100(1+0)^*101$

Starts with 100 followed by combination of any no. of 1's (or) 0's but ending with 101.

(e)  $a^*b^*c$

language consists of strings with any combination of  $a$ 's &  $b$ 's &  $c$ 's including empty set ( $\epsilon$ ).

⑦ Illustrate the compiler internal representation of the changes in the source program, as translation progresses by considering the translation of the statement  $(x = a * b - c)$  [ $x, a, b, c$  - real].

$(x = a * b - c * 2)$  [ $x, a, b, c$  - real]

(f) lexical analysis (tokenization)

$x = a * b - c * 2$      $x \ a \ b \ c \ \rightarrow \text{real}$



(ii) Syntax analyzer

Identifiers

tokens

x

=

a

\*

b

-

c

\*

2

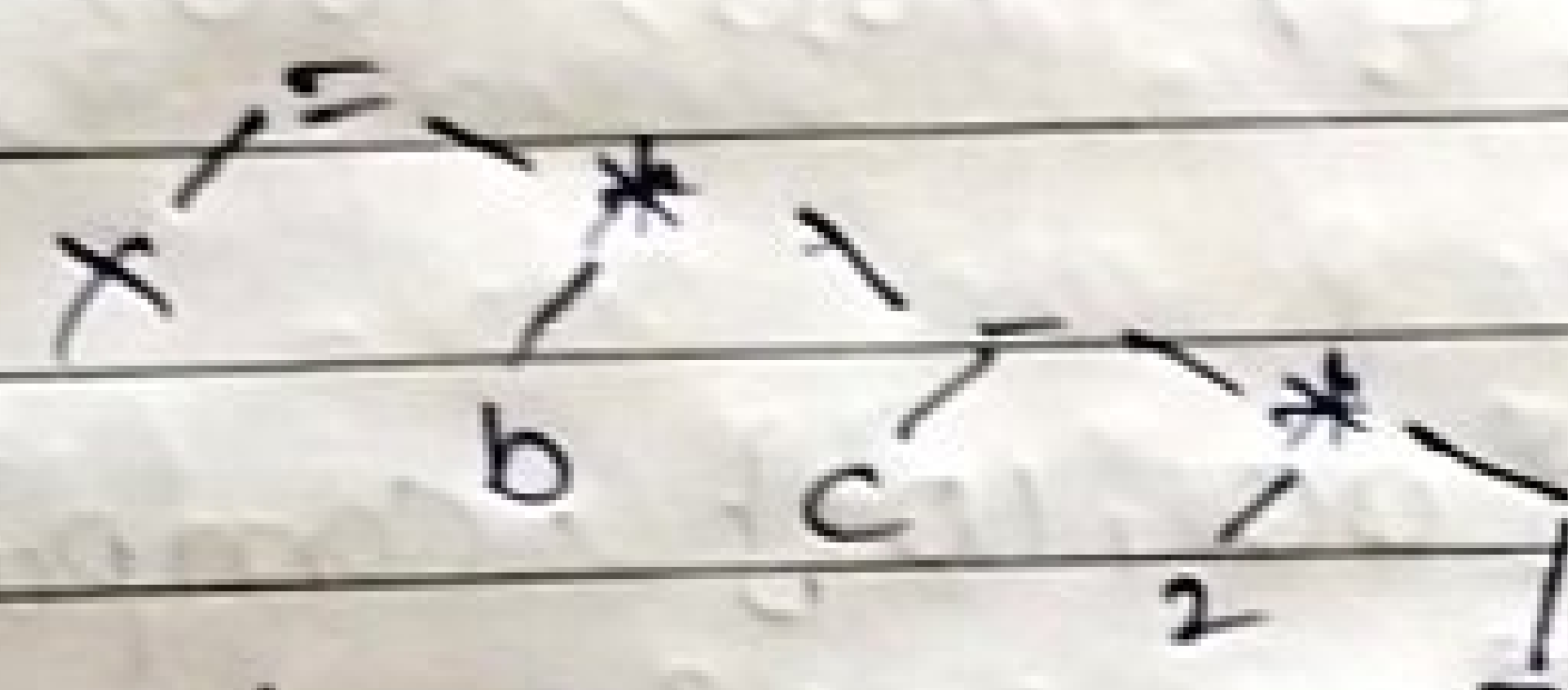
-

x

a

b

c



(iii) Semantic analyzer

$x = (a * b - c * 2) [x, a, b, c - \text{real}]$

no errors / no type checking.

(iv) Intermediate code generator

(v) code reducer

$x = t_1 - t_2$

$t_1 = a * b$

$t_2 = c * 2$

$x = t_1 - t_2$

(vi) code generator

LDA a, R<sub>1</sub>

LDA b, R<sub>2</sub>

MUL R<sub>1</sub>, R<sub>2</sub>, R<sub>3</sub>

LDA c, R<sub>4</sub>

MUL R<sub>4</sub>, 2, R<sub>5</sub>

SUB R<sub>3</sub>, R<sub>5</sub>, R<sub>6</sub>

STA R<sub>6</sub>, X

HLT

(8) let  $L_1 = \{11, 00\}$ ,  $L_2 = \{1100, 101\}$ , compute  $L_1 L_2$  &  $L_1^*$ .



$$L_1 = \{11, 00\}, L_2 = \{11, 00, 101\}$$

Compute  $L_1 L_2$  &  $L_1^*$

concatenation

closure

$$L_1 L_2 = \{1100, 101, 0011, 0000\}$$

$$L_1^* = \{\epsilon, 11, 00, 1100, 101, 1111, \dots\}$$

9) let  $L_1 = \{00, 101\}$ . compute  $L_1^*$

$$L_1 = \{00, 101\}$$

$$\Rightarrow \{00, 101, 100, 010, \dots\}$$

10) let  $L_1 = \{aab, bb\}, L_2 = \{babbb, aa\}$ .

Compute  $L_1 L_2$  &  $L_1^*$

concatenation

closure

$$L_1 L_2 = \{aabbabb, aabaaa, bbbab, aabb\}$$

$$L_1^* = \{aab, bb, aabbb, aabab, \dots\}$$

11) let  $L_1 = \{aab, bb\}, L_2 = \{babbb, aa\}$ . compute  $L_1 L_2$  &  $L_1^*$

12) write regular expressions for the following languages of all strings in  $\{0, 1\}^*$ .

(i) strings that do not end with 01.

(ii) strings with odd number of 1's.

$$\Sigma = \{0, 1\}$$

(i) strings don't end with 01

$$(0^* + 1^* + (00 + 11)^*)^*$$



any combinations of 0's & 1's (or) pairs of 00's  
(or) 11's but not end with 01

(ii) strings with an odd number of 1's.

$$\Sigma = \{0, 1\}$$

$$0^* (1(01)^* 0 + 1)^*$$

any combination of 0's followed by an odd number of 1's including the case where 1's are separated by 0's repeated zero (or) more times

(13) write regular expressions for the following languages of all strings in  $\{0, 1\}^*$ .

(i) strings that start with 1 & do not end with 10.  
(ii) strings with length 6 (or) less.

(i) strings that start with 1 & don't end with 10  
 $\Sigma = \{0, 1\}$   
 $1(0^* + 1^*(00 + 11)^* 0^* + 1$

(ii) strings with length 6 (or) less.  
 $\Sigma = \{0, 1\}$   $(0 + 1)^{0,6}$

strings consisting of 0's & 1's with a length of 6 (or) less.

(14) Find a regular expression corresponding to each of the following subsets of  $\{0, 1\}^*$ .

(i) the language of all strings that do not contain the substring 110.

(ii) the language of all strings that contain both 101 & 010 as substring.

(iii) the language of all strings in which both the number of 0's & number of 1's are odd.



(1) language of all strings that contain the substring 110.

$$(0^*1^*)^* + (0+1)^*$$

(ii) language of all strings that contain both 101 & 010 as substring

$$(0+1)^*101(0+1)^*010(0+1)^*$$

(iii) language of all strings in which both the no. of 0's & 1's are odd.

$$(0^*10^*1)^*0^* + (1^*0^*0)^*1^*$$

(12) (i) strings containing an odd no. of 0's.

$$\Sigma = \{0, 1\}$$

$$(1^*01^*0)^*1^*$$

(ii) begin or end with 00 (or) 11

$$(00+11)(01)^* + (1+0)^*00 + (1+0)^*11$$

(15) (i) language of all strings containing at least two 0's  $\Sigma = \{0, 1\}$ .

$$(1^*0)^2, 1^*$$

(ii) language of all strings containing both 101 & 010 as substrings.

$$(0+1)^*100(0+1)^*010(0+1)^*$$

(iii) language of all strings not ending with 01.

$$(0+1)^*(00+0+11+1).$$

(16) (i) Begins with 00 & ends with 11

$$00(0+1)^*11$$

(ii) contains alternate 0 & 1.

$$(01)^*$$

(17) (i) Begin (or) end with 00 & 11

$$00(0+1)^* + (0+1)^* + 11(0+1)^* + (0+1)^*11$$



(17) language of all strings contains 1 & 0 as substrings.

$$(0+1)^* 1 (0+1)^* 0 1 0 (0+1)^*$$

(18) (i) language of all strings that begin (or) end with 11 (or) 00

$$11(0+1)^* + (0+1)^* 11 + 00(0+1)^* + (0+1)^* 00$$

(ii) begin with 1 & end with 0.

$$1(0+1)^* 0$$

(19) (i)  $(0+1)^*$

string accepting the combination of any no. of 0's (or) 1's.

(ii)  $(01)^*$

String accepting the combination of any no. of 0's & 1's.

(iii)  $(0+1)$

String accepting 0 (or) 1

(iv)  $(0+1)^+$

String accepting 0 (or) 1 without an empty set.

(20) `int x=5, y=10, z;`

`z = x + y * 5;`

`printf("%d", z);`

(i) lexical analyser

identifying tokens



Int, x, z, 5, y, = 10, z, z, =, x, +, y,  
\*, 5; printf, c, " , %d, ", z, );

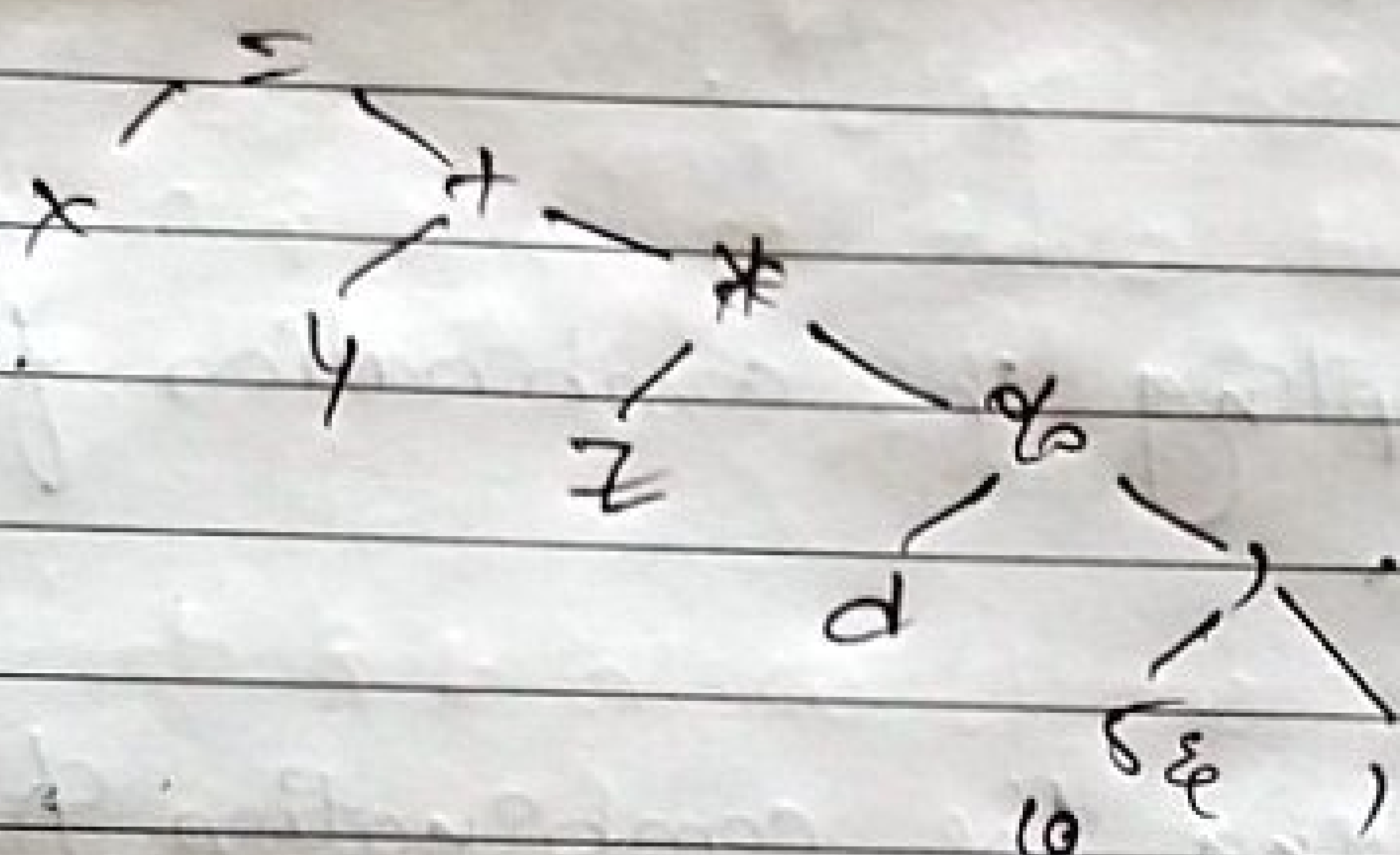
(ii) Syntax analyser.

Identifiers

x 5  
y 10  
z  
d

tokens

=  
+  
\*  
%  
;



(iii) Semantics analyser

(No errors, no typechecking)

(iv) Intermediate code generator.

t<sub>1</sub> = 5

t<sub>2</sub> = 10

x = t<sub>1</sub>

y = t<sub>2</sub>

t<sub>3</sub> = y \* 5

t<sub>4</sub> = x + t<sub>3</sub>

z = t<sub>4</sub>

(v) Code reducer

z = t<sub>4</sub> x

(vi) Code generator

x add r

y add 10

z add 0

mov ax, 5

mov [x], ax

mov ax, 10

mov [y], ax

mov ax, [y]

mul ax, 5

add ax, [x]

mov [z], ax

mov ax, [z]

format db  
"%d", 0