

**PROJECT REPORT
FOR
“MUSIC NOTE RECOGNITION”**

**Submitted to
INSTITUTE TECHNICAL SUMMER PROJECT
IIT BOMBAY**

**A Project on Audio Processing and analysis
with Fourier Transformation**

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ABSTRACT

The main target of the project is to get the real time estimation of the frequency of audio signal. Real time estimation will help in maintaining the data related to changes in the frequency. So we designed two different ways of estimating it. Each one has its own applications and is accurate to different types of audio. The sampling frequency is set to 44100 so that it would be compatible with all the devices. The basic approach calculates the period from the superimposition and deviation analysis of the signal.

The other method is more intelligent with respect to the processing part as it uses note detection. Note detection allows us to recognise the portions of the audio sample where we can apply Fast Fourier Transformation algorithms. So this allows us to scale down the region of analysis for efficient run time. Thus we process the data obtained from the Power Spectrum and calculate the fundamental frequency. The frequency obtained from above estimations is used to evaluate the music note names

Keywords: Sampling frequency, Note Detection, Fast Fourier Transform, Power Spectrum.

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Chapter 1

Introduction

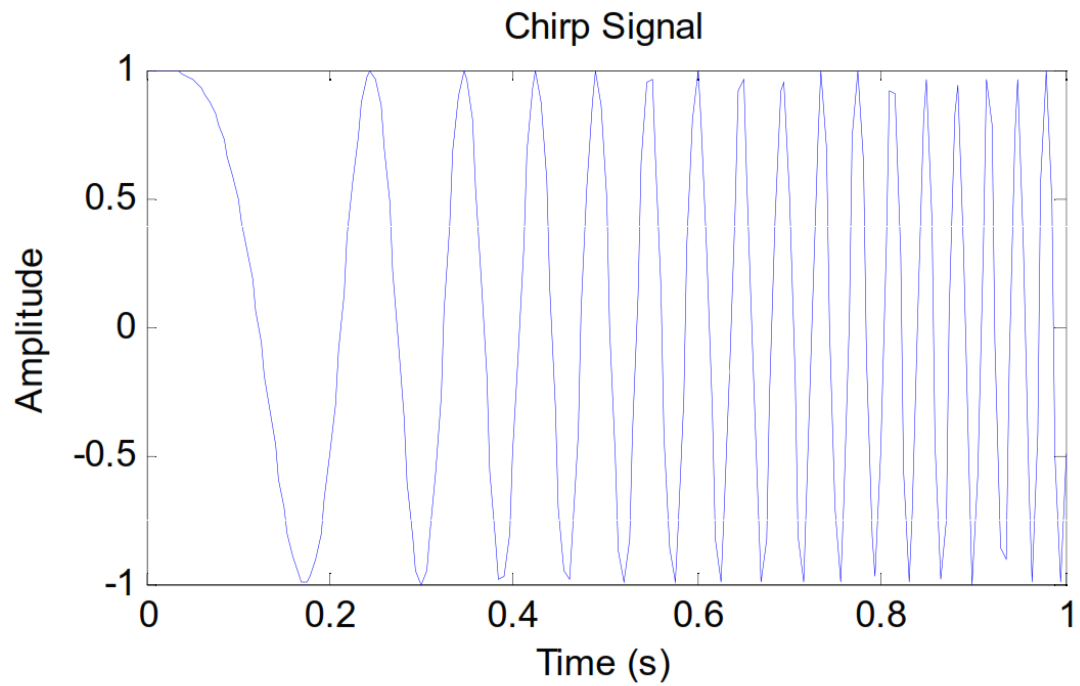
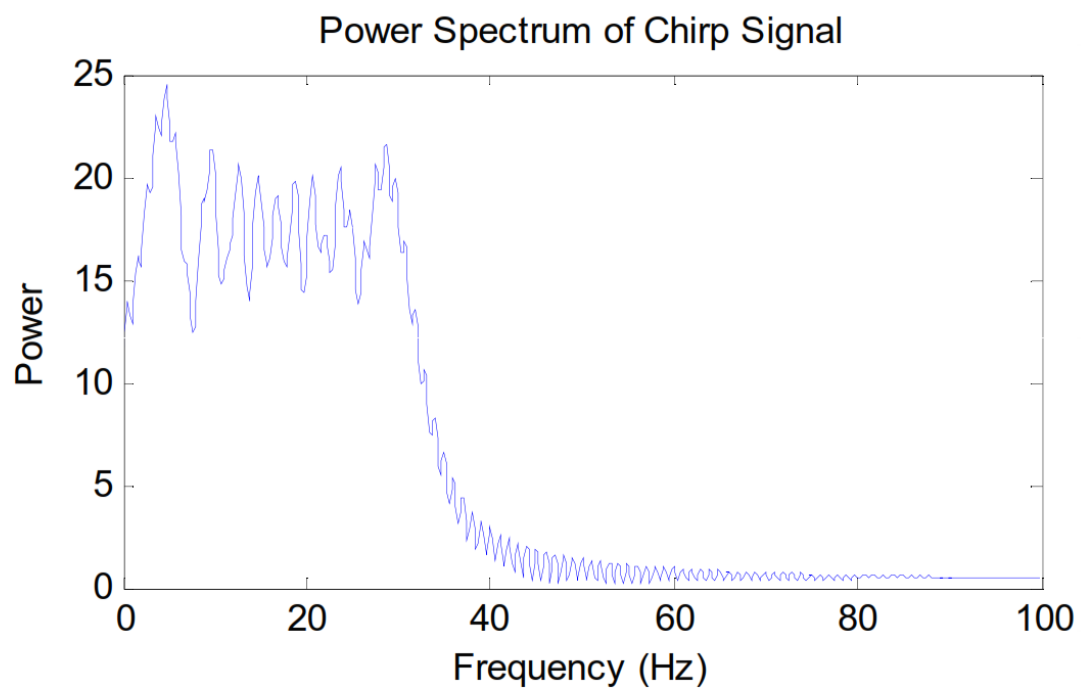
1.1 AUDIO PROCESSING

1.1.1 Sampling Theorem

In order to perform any form of processing by digital computers, the signals must be reduced to discrete samples of a discrete-time domain. The operation that transforms a signal from the continuous time to the discrete time is called sampling, and it is performed by picking up the values of the continuous-time signal at time instants that are multiple of a quantity T , called the sampling interval. The quantity $F_s = 1/T$ is called the sampling rate.

1.1.2 Discrete Fourier transform

In mathematics, the discrete Fourier transform (DFT) converts a finite list of equally spaced samples of a function into the list of coefficients of a finite combination of complex sinusoids, ordered by their frequencies, that has those same sample values. It can be said to convert the sampled function from its original domain (often time or position along a line) to the frequency domain. The input samples are complex numbers (in practice, usually real numbers), and the output coefficients are complex as well. The frequencies of the output sinusoids are integer multiples of a fundamental frequency, whose corresponding period is the length of the sampling interval. The combination of sinusoids obtained through the DFT is therefore periodic with that same period.

**Figure 1.1: Simple Audio signal****Figure 1.2: Power Spectrum**

Chapter 2

Software Requirements Specification

2.1 SPECIFIC REQUIREMENT

2.1.1 Overall Description

The project requires you to use MATLAB Software as the operating environment. The User Interface is easy to handle. User needs to enter the audiofile name in the input section. This section reads the audio file with the given name in the MATLAB project directory using 'audioread' function which is only available in the latest releases(after 2011). So the user should make sure that the MATLAB software he/she is running must be up to date. The project is built in MATLAB R2014a Windows version. It portrays important graphs for advanced analysis if required by the user so it is important that the version also contains the basic libraries which are provided by default by the version on which the project is built.

2.1.2 External Interface Requirement

The UI is developed using MATLAB Graphical User Interface(GUI). It takes the input audio file name and to locate and store the file for processing. The AUTO mode uses intelligent note detection system to find the points where there is a note change. The MANUAL mode allows the user to select the threshold of intensity above which the notes will be detected. The run-time for the latter is more compared to the former. After the note variations are compiled together the PLAY NOTES button creates a new audio file and writes the generated audio file to it. The UI also provides advanced features like plots of power spectrum of each note, note name according to standard sheet music notation, etc.

Chapter 3

Requirement Analysis

3.1 INPUT AUDIO FEATURES

The program uses auto note detection which operates based on the variations in the intensity of sound. In almost all the cases there is an sudden increase in the intensity i.e proportional to the square of the values in the input array. Thus for efficient note detection the input audio signal must have considerable amount of variation when a note begins. This can be assured when the sound intensity of noise in the signal is considerably less than the note sound intensity.

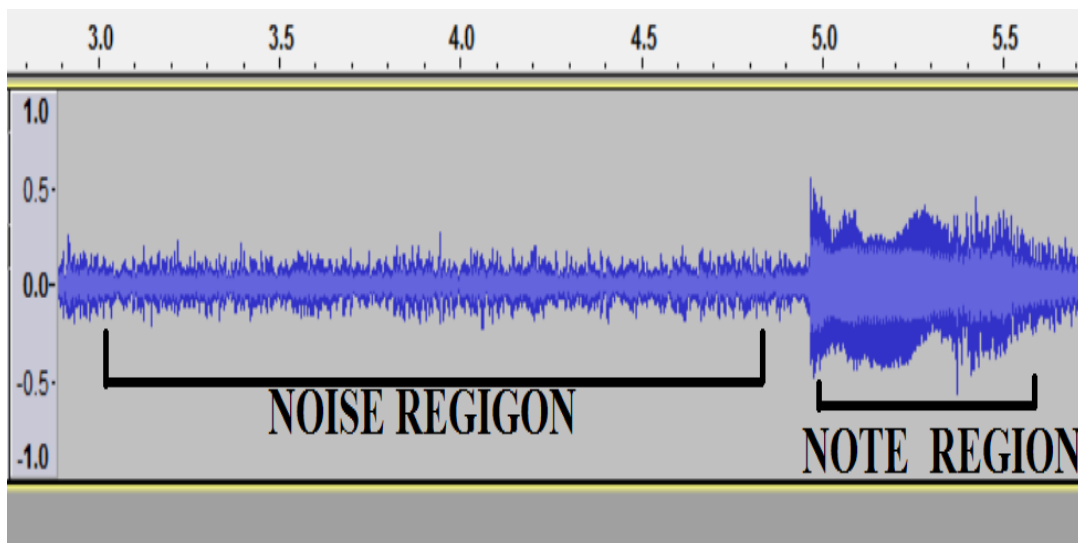


Figure 3.1: Difference in noise and note

The manual tuning requires the user to set a threshold above which the note can be detected. This feature allows him to choose only the required regions to find frequency. It checks if the intensity is greater than the given threshold and plots the graph. The points thus recognised are stored in an array for processing.

Chapter 4

System Testing

WRITE HERE.

4.1 Test Cases and Test Results

Test ID	Test Case File	Output file(NOTES)	Output Sound
T01	happy.wav	notes	out_happy.wav
T02	tum.wav	notes	out_tum.wav
T03	kalhonaho.wav	notes	out_kalho.wav
T04	manam.wav	notes	out_manam.wav

Note: Testing should be performed manually

Chapter 5

Project Planning

5.1 Frequency estimation of a periodic wave

We started by calculating the frequency estimation of a periodic wave. The technique did not require us to use Fourier transform so it made things simple. Our approach to this was the rule that frequency of a periodic signal is proportional to the number of maxima or minima in a fixed finite time interval.

5.2 Frequency estimation of a non-periodic wave

After we were successful in finding the period of a periodic wave, the next challenge was that the audio signals practically are not exactly periodic because of the minute disturbances in the medium which cause considerable fluctuations in the audio signal in the order of period. So we changed the approach and calculated the period by brute-force method i.e. varying period within certain limits and checking which value of period satisfied the required conditions the most.

5.3 Frequency estimation with Fourier Analysis

5.3.1 No Harmonics

The above method was successful but it was slow, then we finally resorted to using the fast Fourier transform provided by MATLAB, our operating environment. But even that was not enough because if T is the period then nT , where $n=2,3,4,\dots$ can also be the period. So we were not sure if we got the right frequency. So we created an artificial sine wave with the detected frequency and compared with the input. As doubted errors occurred due to above reason.

5.3.2 In presence of Harmonics

Fortunately, the solution to the above problem was the problem itself. If more than one harmonics are present then we can find the fundamental frequency by two methods i.e by finding the least frequency in them or by calculating the difference between two consecutive harmonics. In almost all the cases both give the same result. But in few cases the first method fails if the least frequency is undetected. If something like that happens the second method ensures the correctness of the frequency.

5.4 Note Detection

Once we were able to calculate the frequency of a note the next challenge was to isolate the note from the audio input. Since our code works only if the input contains a single note and no other signals. Initially we limited the domain of the input and designed a note detection method which works on the fact that a note begins with fast increase in intensity and ends with decrease in intensity below a threshold. The method worked perfectly except when a two notes were very close i.e when a note started before a note ended. So two notes were taken as a single note and thereby resulted in errors while detected frequency in that region. Since the note detection was not the main agenda of our project we learned from external sources to develop the note detection which used Gaussian filters and other advanced functions provided by MATLAB.

Chapter 6

Implementation

The project follows the following implementation. Input audio file which is in the project directory is taken as read and converted into an array with one or two streams. If it contains two streams then they are merged into one by taking average of the two. The array is further any type of processing or analysis. The array stores the audio signal with sampling frequency 44100 samples per second.

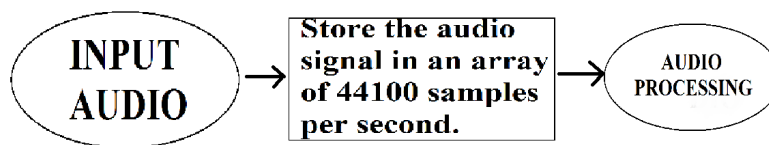


Figure 6.1: INPUT

Audio processing involves two types of note detection. Only the regions where a note is present is taken for processing. Once a note region is isolated we apply Fast Fourier Transform to the region and analyse the data by plotting the power spectrum of the signal. Then frequency is estimated by two different fast algorithms and the appropriate frequency is taken.

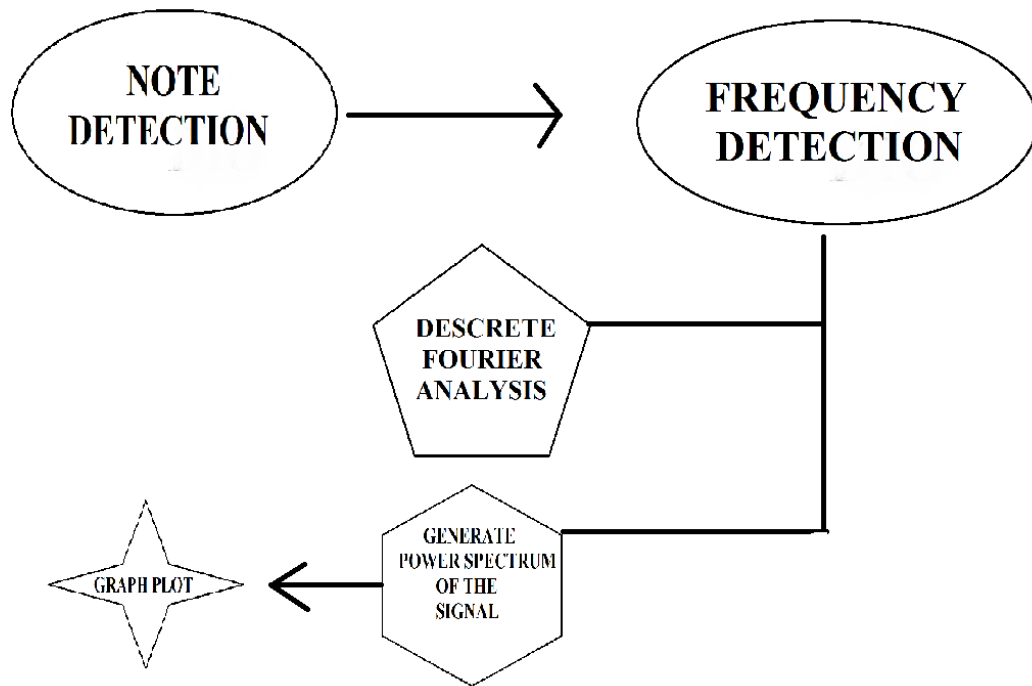


Figure 6.2: Audio Processing

```

1  input='filename.wav';
2  %takes file name
3  [z,Fs]=audioread(input);
4  %reads input audio file
5  z=z(44100*5:44100*40);
6  %z=(z(:,1)+z(:,2))/2;
7  %%activate this line if input contains two streams
8  points = timeout2(z,44100,1);
9  %detects the points where there is a note change
10 note=1;factor=1;
11 zz=z*0;
12 %empty audio array
13 while(note<length(points))
14     fprintf('note number %d \n',note);
15     x=z(points(note):points(note+1));
16     %audio segment containing the note
17
18
19     [freq,amp]=compile2(x);
20     %store the frequency and amplitude calculated from discrete Fourier
        analysis
21     sin_note=artificial(length(x),freq,amp,factor);
22 %create a exponentially decaying sine wave with detected frequency
23     zz(points(note):points(note+1))=sin_note;
24 %write the empty array with the artificially generated signal
25
26     note=note+1;
27 end
28 %Fs=2*Fs;
29 %%activate this if Fs=22050
  
```

```

30 sound(zz,Fs);
31 %play the generated sound
32 output=strcat('art_',input);
33 audiowrite(output,zz,Fs);
34 %write the artificial to a new audio file

```

The fundamental frequency is calculated directly by using maximum power point in the power spectrum and by taking the difference between consecutive harmonics. The frequency thus obtained is used to calculate the note name of according to the standard sheet music notation.

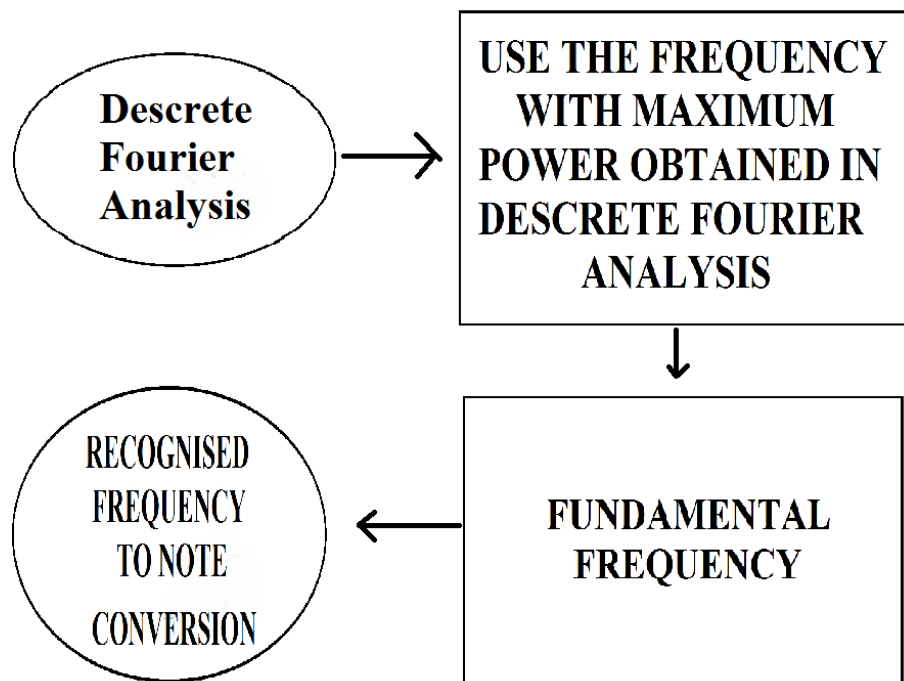


Figure 6.3: Note name from Frequency

```

1 t = 0:1/Fs:1; % Time vector of 1 second
2 nfft = 1024; % Length of FFT
3 % Take fft , padding with zeros so that length(X)
4 is equal to nfft
5 X = fft(x,nfft);
6 % FFT is symmetric , throw away second half
7 % FFT is symmetric , throw away second half
8 X = X(1:nfft/2);
9 % Take the magnitude of fft of x
10 mx = abs(X);
11 % Frequency vector
12 f = (0:nfft/2-1)*Fs/nfft;
13 % Generate the plot , title and labels.
14 figure(1);

```



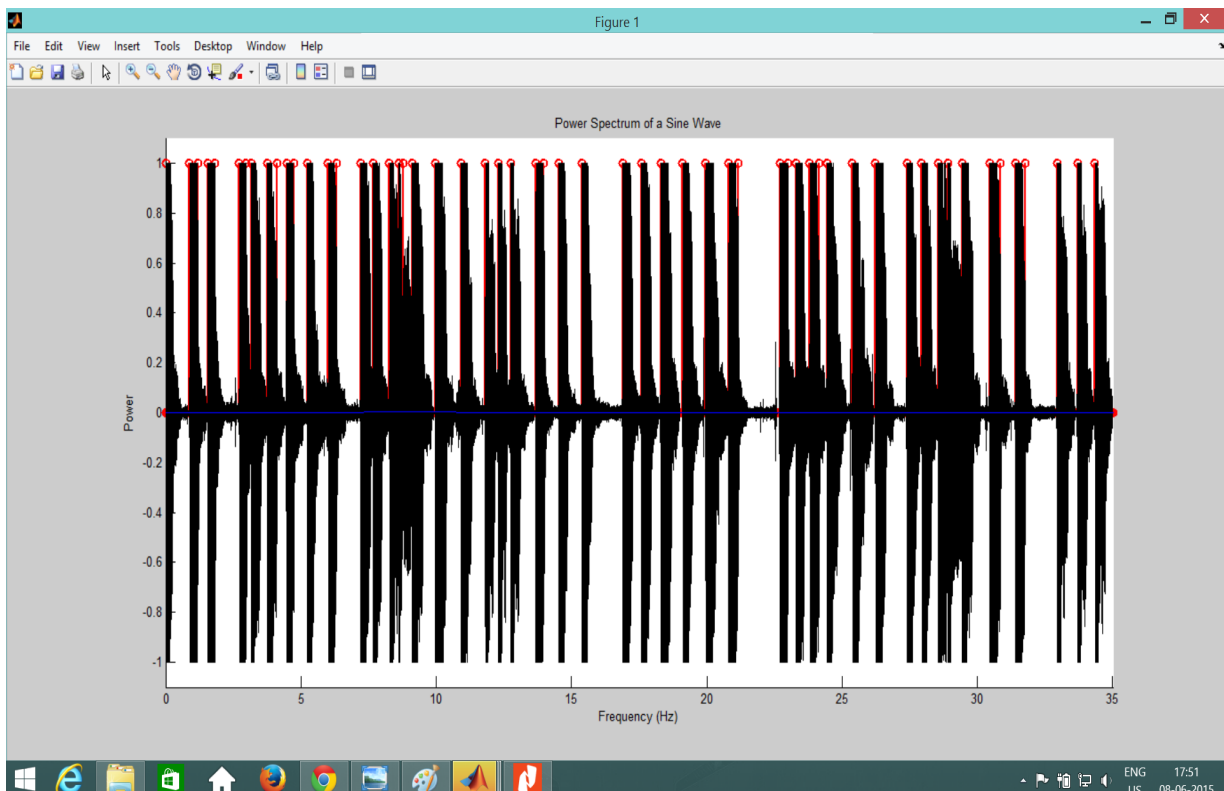
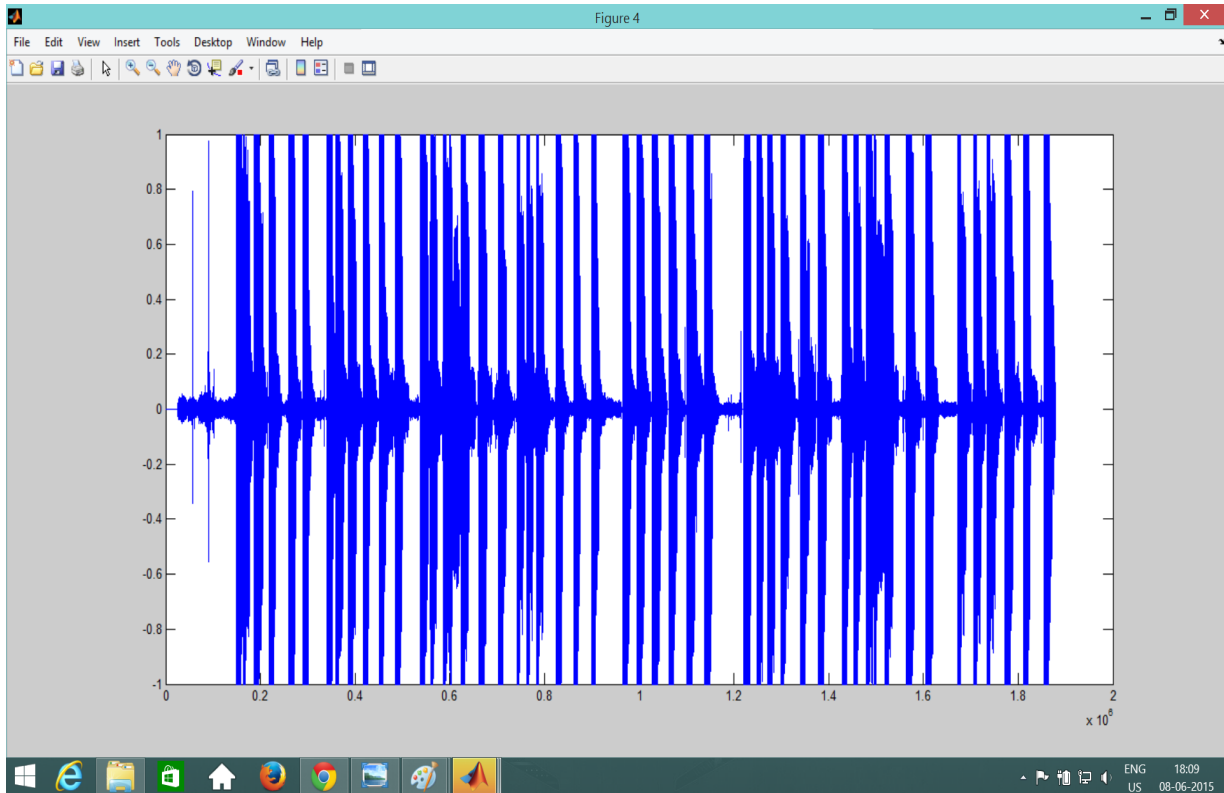
```
15 plot(t,x);
16 title('Sine Wave Signal');
17 xlabel('Time (s)');
18 lbl('A l i t d ')
19 ylabel('Amplitude');
20 figure(2);
21 plot(f,mx);
22 title('Power Spectrum of a Sine Wave');
23 xlabel('Frequency (Hz)');
24 ylabel('Power');
25 ylabel( Power );
```

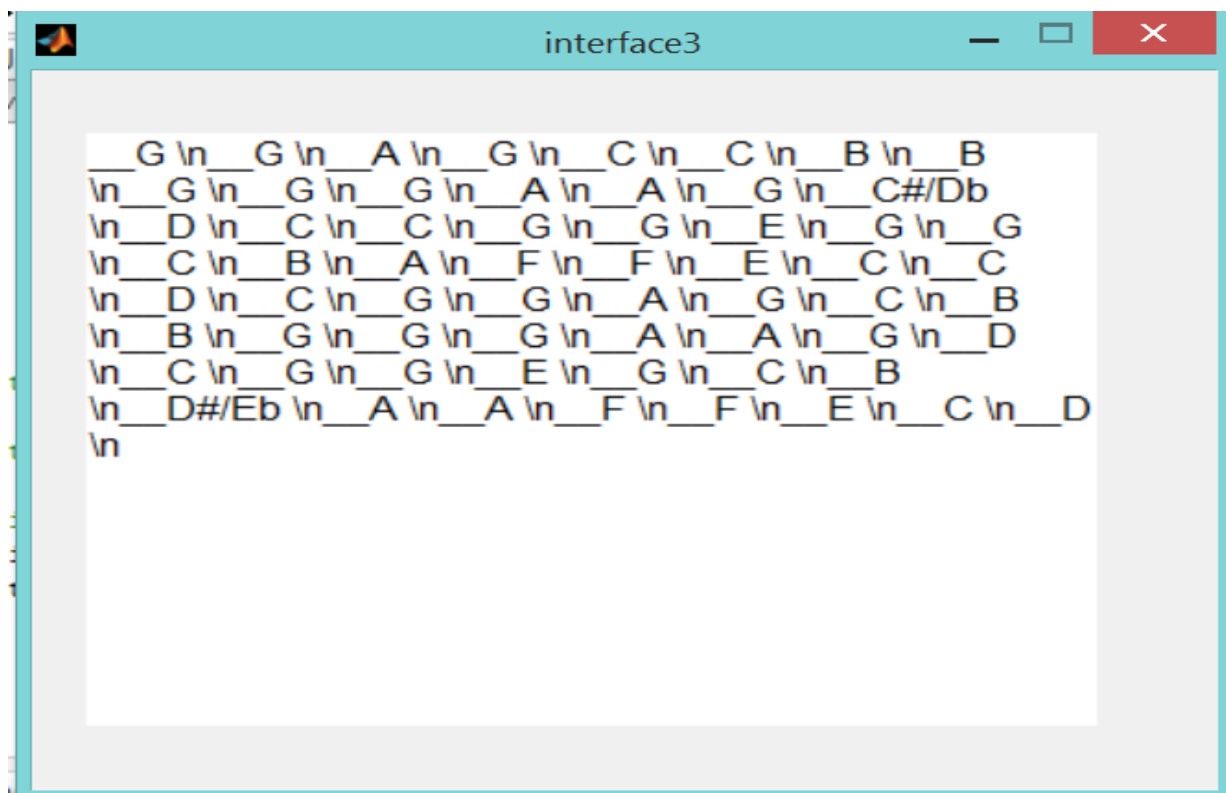
Chapter 7

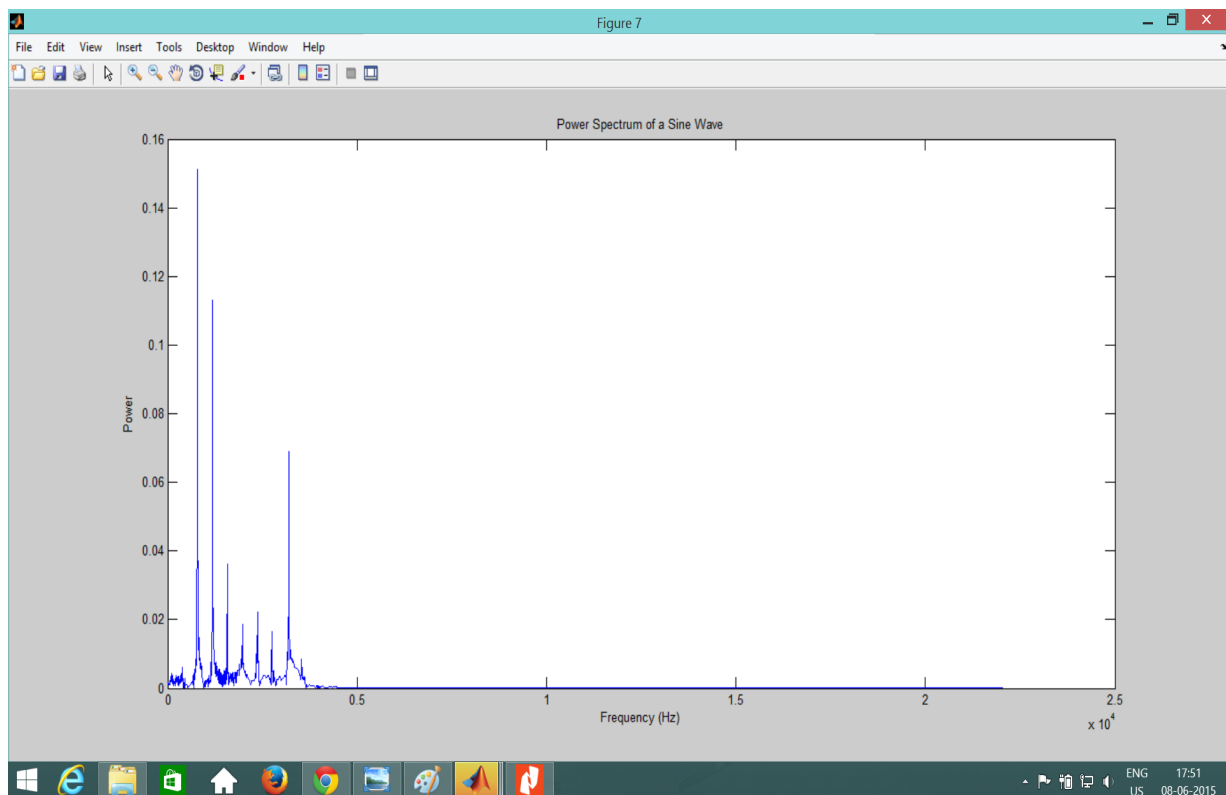
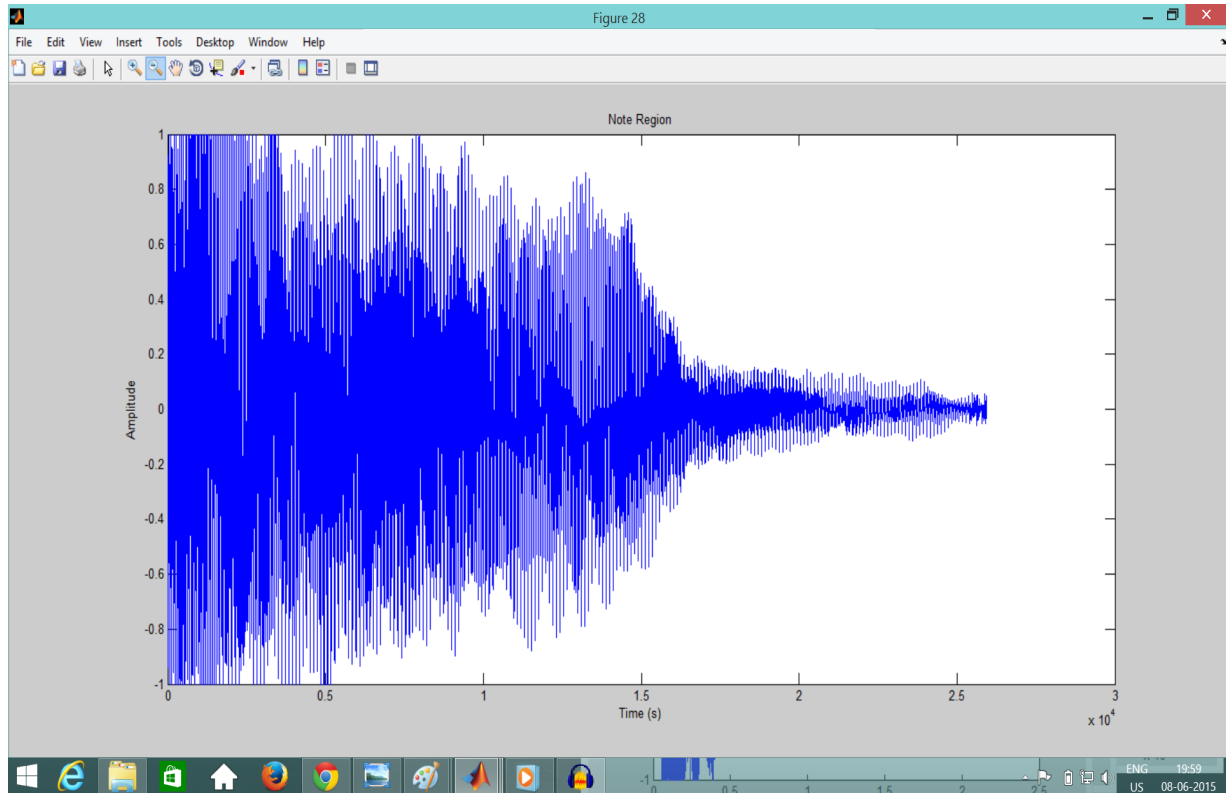
Screenshots of Project

7.1 AUDIO INPUT









Chapter 8

Conclusion and Future Scope

8.1 Conclusion

In our project, we designed and implemented an effective and user-friendly frequency estimation system with Fourier Analysis. The target users of the system are not only the people practicing music, but also professional musicians who cannot waste their time figuring out the notes of an audio sample.

8.2 Future Scope

There is still much room for future development that would enhance the system and increase its usage value. The following items are some suggestions:

- Advanced Note Detection:

There are a lot of ways we can improve and customise note detection. Most of them use variations in intensity, which is not the right way because strictly speaking a note is said to change when the frequency of the signal changes. It is not easy to keep track of change in frequency because the change is gradual and hence it is an existing challenge. Moreover, the frequency estimation for calculating note detection requires note detection in a crude sense which paves way for development in this area.

- Non Periodic Signal analysis:

The process is relatively simple if the signal were sinusoidal or periodic. But the real life musical notes or vocals are approximately periodic and the frequency itself changes with time because a sample may contain more than one

note and that is how music is played. While Fourier Analysis is a nice solution to this problem, it is not sufficient. Theoretically it may be sufficient but its high level implementation is not as there is resolution and run time limit. There is scope to overcome latter by designing algorithms especially for the purpose of frequency estimation and not focusing on phase detection.

- Multiple Notes at a time:

Our project assumes that only a single note is played at a time. But that is not it. We can develop it further by using Fourier Analysis again. There are existing algorithms which can isolate multiple notes. After splitting the audio sample into individual notes we can apply our own techniques to find the frequency.

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