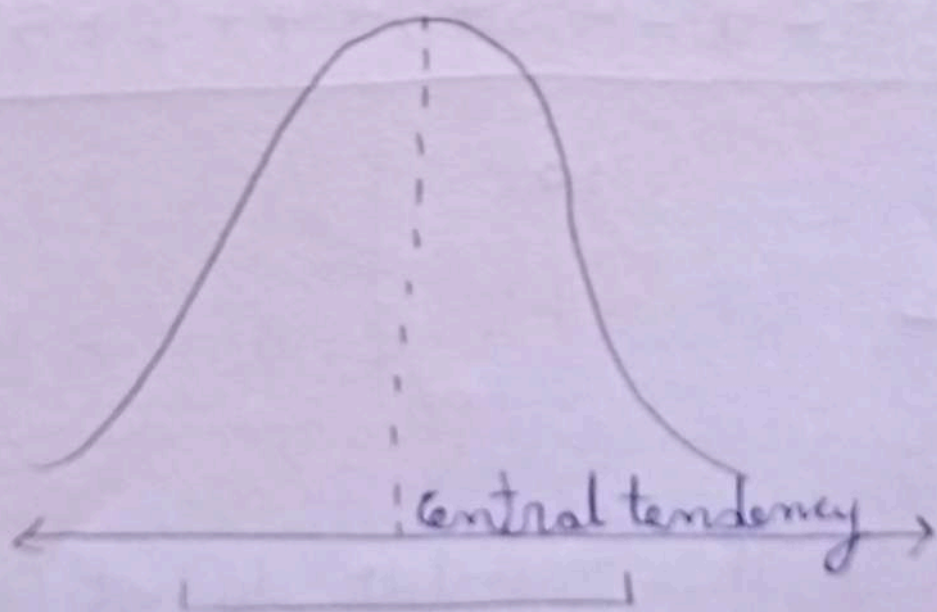


Measures of Central tendency:

- ① Mean
- ② Median
- ③ Mode

[used in EDA &
Feature Engineering]

Purpose: Let's say our data is distributed in this manner



maximum amount of data

① Mean

Population (N)

Sample (n)

$$X = \{1, 1, 2, 2, 3, 3, 4, 5, 5, 6\}$$

$$\text{Population mean } (\mu) = \frac{\sum_{i=1}^N X_i}{N}$$

$$\text{Sample mean } (\bar{x}) = \frac{\sum_{i=1}^n X_i}{n}$$

$$\mu = \frac{1+1+2+2+3+3+4+5+5+6}{10} = 3.2$$

Let's assume X is Sample data.

$$n = N = 10$$

$$\bar{x} = \frac{1+1+2+2+3+3+4+5+5+6}{10} = 3.2$$

Outlier \rightarrow This number do not belong to distribution. It is very unique number which odd one out of data.

Whenever we have an outlier, median is more relevant

② Median

$$4, 5, 2, 3, 2, 1$$

Step 1 \rightarrow Sort

$$1, 2, 2, 3, 4, 5$$

Step 2 \rightarrow no. of elements

even

$$1, 2, \boxed{2, 3}, 4, 5$$

$$\frac{2+3}{2} = 2.5$$

odd

$$1, 2, 2, \boxed{3}, 4, 5, 7$$

$$3$$

Why median?

Example 1 \rightarrow

$$\text{Sample data} = \{1, 2, 3, 4, 5\}$$

$$\bar{x} = \frac{1+2+3+4+5}{5}$$

$$= 3$$

$$\text{Median} = 3$$

Example 2 \rightarrow If there is an outlier

$$\text{Sample data} = \{1, 2, 3, 4, 5, 100\}$$

$$\bar{x} = \frac{1+2+3+4+5+100}{6}$$

$$= 19.16$$

$$\text{Median} = \frac{3+4}{2}$$

$$= 3.5$$

③ Mode

Element which has maximum frequency in data.

$\{2, \underline{1, 1, 1}, 4, 5, 7, 8, 9, 10\}$

Mode = 1

Example ↴

Flower & Age

Flower	Age
Lily	10
Rose	3
_____	5
Sunflower	_____
Rose	8

Mode is used to fill missing values in a categorical column