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```
clear all, close all, clc
% for each part, uncomment and run entire code
```

Load Data

```
load('SYS1.mat')
%load('SYS2.mat')
dt = 0.01; % sample time for data
n=3;
```

Compute Derivative

part a

```
% Beta = [10; 28; 8/3]; % Lorenz's parameters (chaotic)
% for i=1:length(x)
%     dx(i,:) = lorenz(0,x(i,:),Beta);
% end
```

```
%////////////////////////////////////
```

part b

```
% for i=1:length(x)
%     dx(i,:) = dynamic_p5(0,x(i,:));
% end
```

part c

```
% for i=1:3
%     dx(:,i) = diff(x(:,i))/dt;
% end
% dx = [dx; dx(end,:)];
```

part d

lets add noise for fun :) noise for SYS1

```
noise = normrnd(0.1,0.2, size(x,1), size(x,2));

%noise for SYS2
%noise = normrnd(0.1,0.2, size(x,1), size(x,2))/100;

x = x+noise;

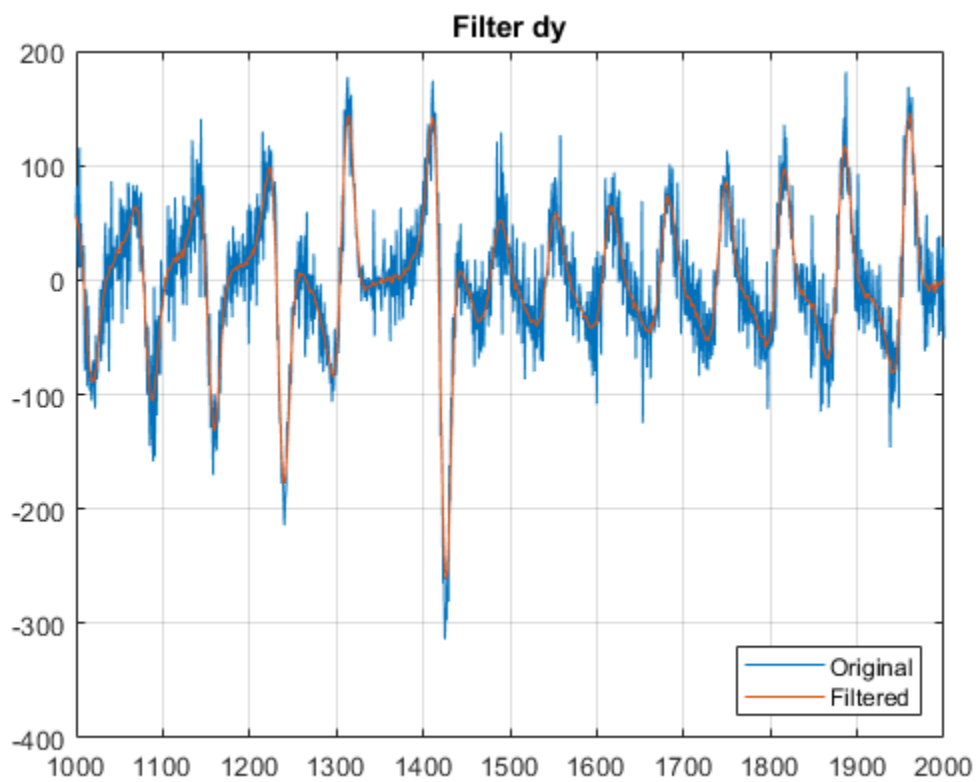
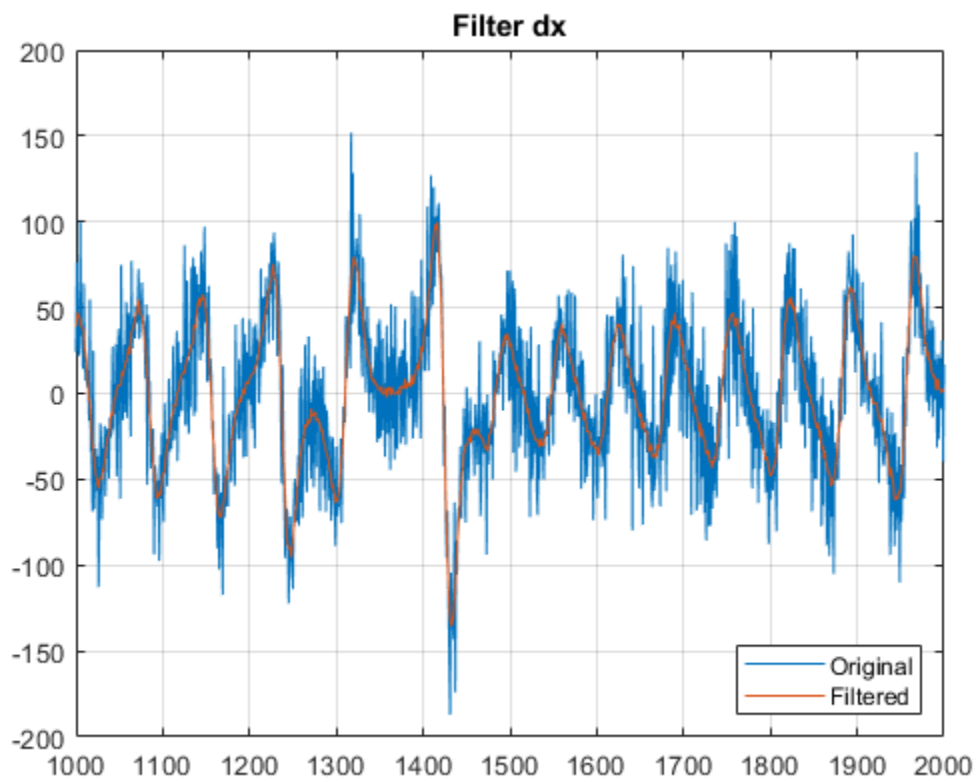
for i=1:3
    dx(:,i) = diff(x(:,i))/dt;
end
dx = [dx; dx(end,:)];

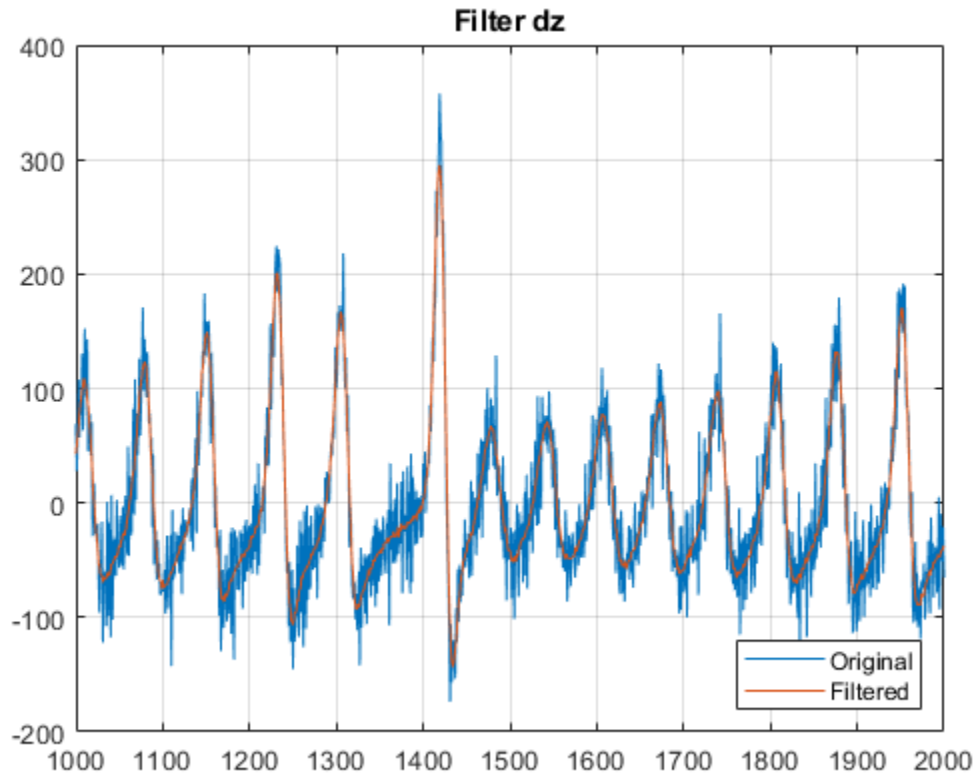
% storage for filtered data
dx_filter = zeros(size(dx,1), size(dx,2));
xyz_str = ['x','y','z'];

% plot data
for i = 1:size(dx,2)
    % plot Original data
    figure
    plot(dx(:,i)); hold on

    % filter data using Savitzky Golay
    rd = 2; % polynomial order (use 2 for SYS2.mat)
    fl = 21; % length of data frames (USE 21 FOR SYS2.mat)
    dx_filter(:,i) = sgolayfilt(dx(:,i),rd,fl);

    % plot filtered data
    plot(dx_filter(:,i)); hold off
    title_str = sprintf('Filter d%1$s', xyz_str(i));
    title(title_str)
    grid
    xlim([1000 2000]) % Add for SYS1.MAT TO BETTER SEE NOISE
    legend({'Original', 'Filtered'}, 'Location', 'southeast')
end
```





Build library and compute sparse regression

```
polyorder = 3; % up to third order polynomials
Theta = poolData(x,n,polyorder);
lambda = 0.4; % lambda is our sparsification knob.
Xi = sparsifyDynamics(Theta,dx_filter,lambda,n)
poolDataLIST({'x','y','z'},Xi,n,polyorder);
```

$\mathbf{X}_i =$

0	-0.46644	9.937
-9.9163	27.895	0
9.7879	-1.5375	0
0	0	-2.9991
0	0	0
0	0	0.97436
0	-0.97825	0
0	0	0
0	0	0
0	0	0
0	0	0
0	0	0
0	0	0
0	0	0
0	0	0

0	0	0
0	0	0
0	0	0
0	0	0
0	0	0

newout =

21×4 cell array

{0×0 char}	{ 'xdot' }	{ 'ydot' }	{ 'zdot' }
{ '1' }	{ [0] }	{ [-0.46644] }	{ [9.937] }
{ 'x' }	{ [-9.9163] }	{ [27.895] }	{ [0] }
{ 'y' }	{ [9.7879] }	{ [-1.5375] }	{ [0] }
{ 'z' }	{ [0] }	{ [0] }	{ [-2.9991] }
{ 'xx' }	{ [0] }	{ [0] }	{ [0] }
{ 'xy' }	{ [0] }	{ [0] }	{ [0.97436] }
{ 'xz' }	{ [0] }	{ [-0.97825] }	{ [0] }
{ 'yy' }	{ [0] }	{ [0] }	{ [0] }
{ 'yz' }	{ [0] }	{ [0] }	{ [0] }
{ 'zz' }	{ [0] }	{ [0] }	{ [0] }
{ 'xxx' }	{ [0] }	{ [0] }	{ [0] }
{ 'xxy' }	{ [0] }	{ [0] }	{ [0] }
{ 'xxz' }	{ [0] }	{ [0] }	{ [0] }
{ 'xyy' }	{ [0] }	{ [0] }	{ [0] }
{ 'xyz' }	{ [0] }	{ [0] }	{ [0] }
{ 'xzz' }	{ [0] }	{ [0] }	{ [0] }
{ 'yyy' }	{ [0] }	{ [0] }	{ [0] }
{ 'yyz' }	{ [0] }	{ [0] }	{ [0] }
{ 'yzz' }	{ [0] }	{ [0] }	{ [0] }
{ 'zzz' }	{ [0] }	{ [0] }	{ [0] }

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