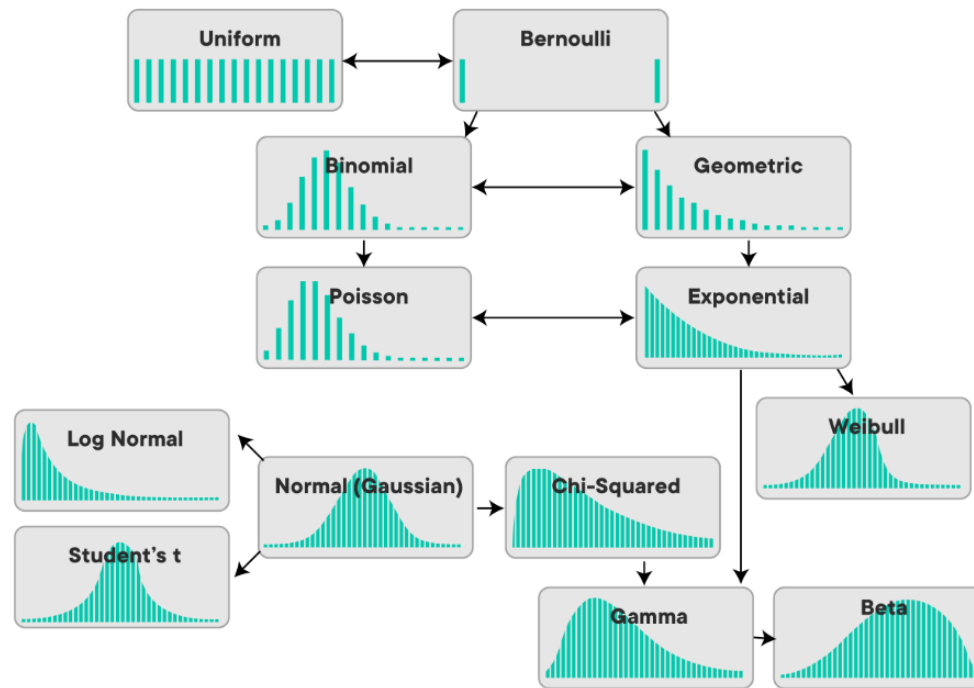


STATISTICAL DISTRIBUTION -2

~ABHISHEK KUMAR



THE UNIFORM DISTRIBUTION

- Both discrete (Binomial) and continuous (Normal) distributions
- Describes an event where every possible outcome is equally likely
- Examples?

THE POISSON DISTRIBUTION

- Probability of a given event happening by examining the mean number of events that happen in a given time period
- Eg: Electricity bill daily

An average of 20 customers walk into a store in a given hour. What is the probability that 25 customers walk into a store in the next hour?

THE POISSON DISTRIBUTION

- Can we relate it to Binomial distribution?
- If we know that 6 customers walk into a store per hour, we also know enough to calculate the probability that a customer walks in during a given minute.
(by just dividing the mean number of customers by the length of our interval!)
- λ parameter.

λ = Expected number of successes over the time interval

THE POISSON DISTRIBUTION

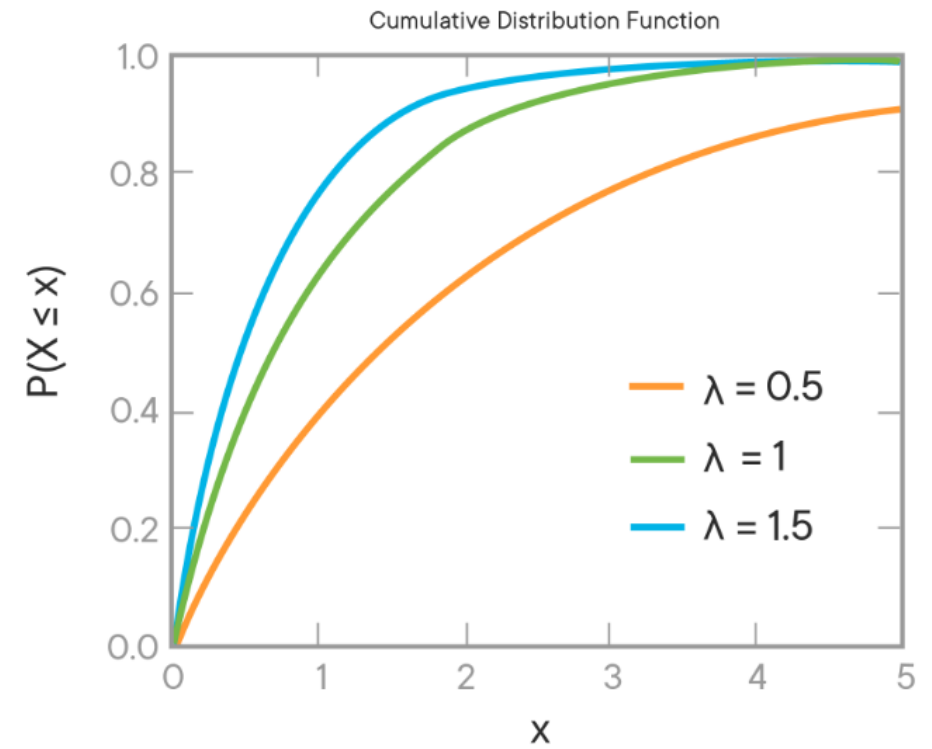
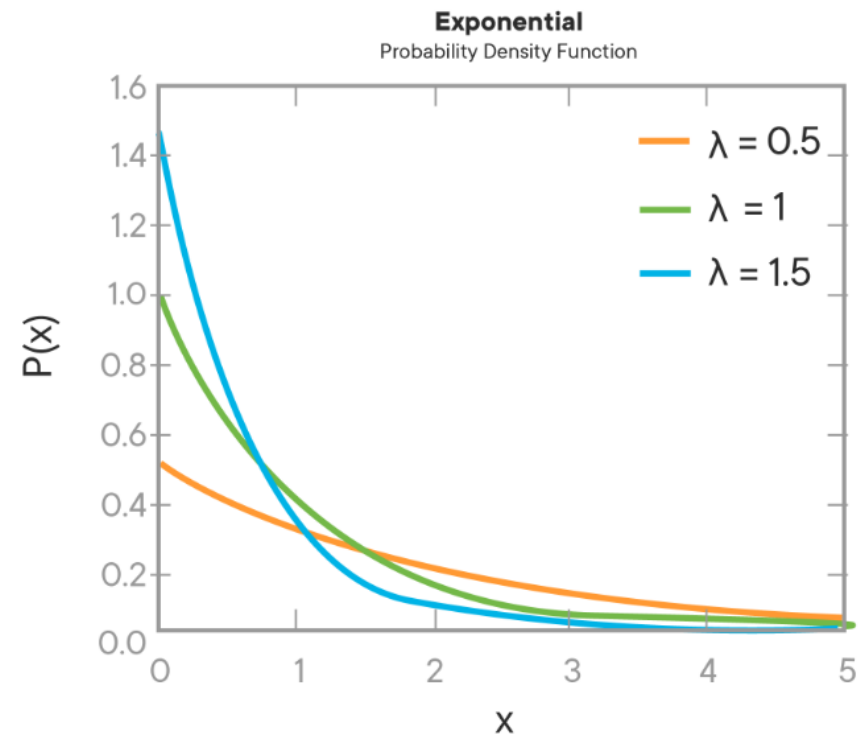
$$p(x) = \frac{\lambda^x e^{-\lambda}}{x!}$$

- μ : The average number of successes over a given time period.
- x : Our random variable - the number of successes we want to find the probability mass of given our knowledge of μ

EXPONENTIAL DISTRIBUTIONS

- Describes the probability distribution of the amount of time it takes before an event occurs.
- Poisson Distribution lets you ask how likely **any given number of events are over a set interval of time**.
The Exponential Distribution lets you ask how likely **the length of an interval of time is before an event occurs exactly once**
- Eg: How long will the next customer interaction take?
How long before a sensor in this factory breaks down?
How long until the next earthquake happens?

- Decay parameter $\lambda = \frac{1}{\mu}$
- "What is the probability that it takes exactly 4 minutes to ring up this customer?" $PDF(x) = \lambda e^{-\lambda x}$
- Std = mean $\sigma = \mu$



CENTRAL LIMIT THEOREM

- Example: Asthma rates

DISCUSSION



THANK YOU!!

