



COMP2511

Object-Oriented Design and Programming

Problem-Solving Algorithms

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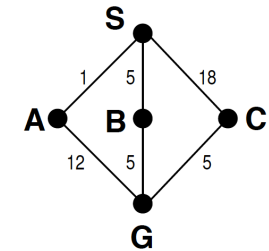


Uniform-Cost Search

■ Breadth First Search + Costs

- ◆ Cost function $g(n)$ of nodes: **path cost**
- ◆ Use `PriorityQueue<Node>` ordered by $g(n)$

◆ Why we can't stop
until the goal state is
taken off the queue



Today's Lecture

- Uniform-Cost Search
- Greedy Best-First Search
- A* Search
- Heuristics
 - ◆ Admissibility, Dominance, Consistency
- Assignment 2

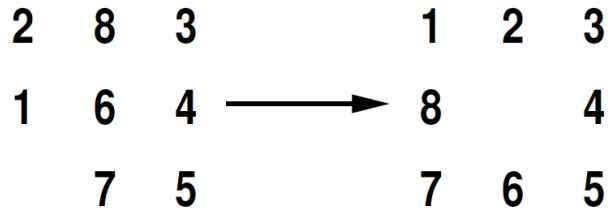


Greedy Best-First Search

- Hill climbing towards nearest goal state
 - ◆ Heuristic function $h(n)$: estimate to goal
 - ◆ $h(n) = 0$ if n is a goal state
- `PriorityQueue<Node>` ordered by $h(n)$
- Won't find optimal solution
- Tends to follow a single path
- Problems with ridges and plateaus



Heuristics



1. Number of tiles out of place
2. Manhattan distance of tiles out of place



A* Search

■ Uniform-Cost + Greedy Best-First

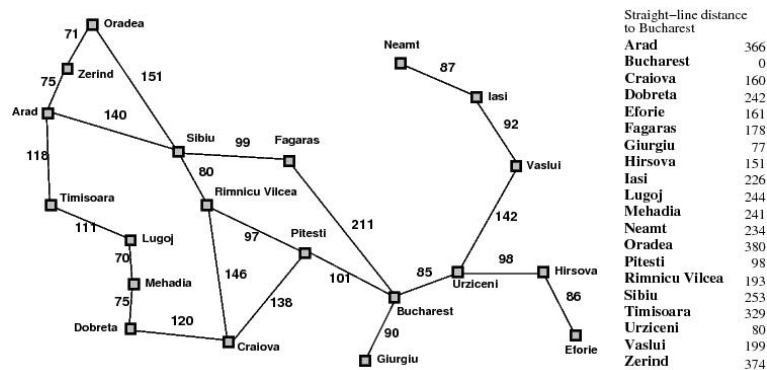
- ◆ $f(n) = g(n) + h(n)$
- ◆ Use PriorityQueue<Node> ordered by $f(n)$
- ◆ $f(n)$ estimates cost of shortest path from initial state to a goal state that includes n

■ Will find optimal solution

■ Behaves like breadth-first



Romania Map



■ Does not find optimal path



A* Search

OPEN – nodes on frontier; CLOSED – expanded nodes;

while OPEN is not empty

remove $\langle n, p \rangle$ from head of queue (minimal $f(n)$)

add $\langle n, p \rangle$ to CLOSED

if n is a goal state return success path p

for each edge e from n to n' (with cost c , so $g(n') = g(n) + c$)

if $\langle n', p' \rangle$ is on CLOSED then if $f(n', p+e) < f(n', p')$

remove $\langle n', p' \rangle$ from closed and add $\langle n', p+e \rangle$ to OPEN

else if $\langle n', p' \rangle$ is on OPEN then if $f(n', p+e) < f(n', p')$

replace $\langle n', p' \rangle$ by $\langle n', p+e \rangle$ on OPEN

else if n' is not on OPEN add $\langle n', p+e \rangle$ to OPEN

return failure



Admissibility

- Heuristic function $h(n)$ is *admissible*
 - ◆ $h(n) \leq h^*(n)$ for every n , where $h^*(n)$ is the actual cost from n to a goal state, i.e.
 - ◆ h never overestimates distance to a goal
- Guarantees A* finds an optimal solution
- Make sure heuristics are admissible!
- Zero is admissible but not very good



Consistency

- Heuristic function h is *consistent*
 - ◆ $f(n)$ is always non-decreasing along a path
 - ◆ Triangle inequality: $h(n) \leq h(n') + \text{cost}(n, n')$
- First found path to n is always optimal path to any node with the same state
- No need to test (or use?) CLOSED
- ... but can be hard to find heuristics



Dominance

- Heuristic function h_2 *dominates* h_1
 - ◆ $h_2(n) \geq h_1(n)$ for every n
- A* expands no more nodes with h_2 vs h_1
- Higher valued heuristics are better
- Provided they are admissible!
- Can combine h_1, h_2 taking $\max(h_1, h_2)$



Generating Heuristics

- Use exact solution to relaxed problem
 - ◆ Move tile anywhere \approx tiles out of place
 - ◆ Move tile one space anywhere \approx Manhattan
 - ◆ Ignore roads \approx “crow flies” distance
- Still need to ensure admissible!



Assignment 2

- Design before coding – follow the object-oriented design process
- Make sure you read from a file args[0], write to System.out
- Make sure main() is in ShipmentPlanner.java
- Don't use a package – use only **the** default package
- Make sure the submitted files include java files and a pdf file
- Do implement A*, not a "heuristic" approximation algorithm
- Don't use the same problem space as for the Romania map
- States are partial schedules, edges add to a schedule
- Make sure your heuristic is admissible!
- Time limit of 10 secs to assess efficiency and heuristic
- Don't sacrifice understandability of code for efficiency



Next Week

- Software Project Management
 - ◆ Agile Methods & Scrum
- Toyota Production System