

CA336 – Assignment 2

Graph Search [20 marks]

Answer all 3 Questions

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**PART 1. (4 marks) Draw your Graph & Nominate you're A,B,C**



Instructions: Replace this with a subset of your graph (8-10 nodes, relationships, weights etc.) and identify A, B and C in your graphs (from roughly the same area).

Figure 1: [Graph Name + 1 line description]

**American Sports Connections**

This is a subset of my graph showing the link between Cities who have won the Super bowl from the Central region and have population between 600k-700k.

A – Kansas City

B – Boston

C – Memphis

**(For all questions, A is your starting node)**

**PART 2 (7 marks)**

- (a) Why did you select that starting node?
- (b) Why is it important in your graph?
- (c) Use the Minimum Spanning Tree. What problem are you trying to solve? What is it about the minimum spanning tree that suits your problem?
- (d) Would the SSSP algorithm be better (or worse) for your approach? Explain your answer.
- (e) Using Neo4j, call `gds.alpha.spanningTree` (be sure to set: orientation: 'UNDIRECTED') and click the 'Text' tab to display your results: screen grab or copy-and-paste the results into the slot for figure 3.

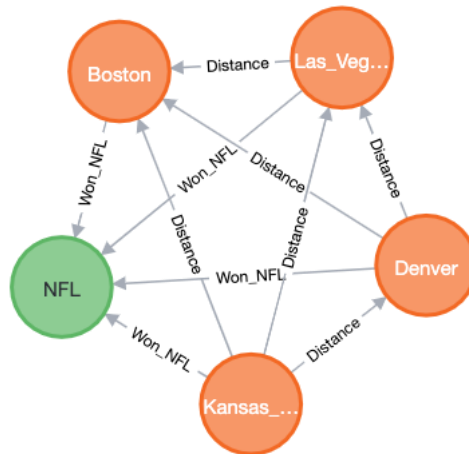
- (a) I selected Kansas City as my starting node as its somewhat isolated from other city nodes making it good for analysis and traversal.
- (b) As a specific node it wasn't necessarily important however, as a whole it allowed for analysis between the nodes as it doesn't link directly to any of the other cities.
- (c) The problem the minimum spanning tree solves is linking 2 cities within the US by either sporting success, location or population. The minimum spanning tree algorithm efficiently connects these cities based on these factors.
- (d) The SSSP algorithm would be better for my approach as it provides the most efficient route between the 2 cities I select based on the weights provided.

Figure 2. [place some caption here]

City	Destination	Cost
"Kansas_City"	"Central"	7.0
"Central"	"Nashville"	7.0
"Kansas_City"	"NFL"	3.0
"NFL"	"Denver"	3.0
"NFL"	"Washington_DC"	3.0
"Washington_DC"	"600k-700k"	4.0
"600k-700k"	"Memphis"	3.0
"NFL"	"Las_Vegas"	3.0
"NFL"	"Boston"	6.0

### PART 3 (9 marks)

- (a) Create (manually draw) a sub-graph of your graph with only the first 5 nodes (include A and *either* B or C). Insert a new (weighted) relationship where any of the nodes is unconnected. You should create a single connected graph.



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- (b) Starting from the A node, compute the shortest path from this node to all other nodes. In the process, create a table like that shown on slide 3.47. If you cannot find a symbol for infinity, use INF instead.

			1 <sup>st</sup> from A	2 <sup>nd</sup> From A to B to next	3 <sup>rd</sup> from A to C to next	4 <sup>th</sup> from A to D to next	5 <sup>th</sup> from A to E to next
Kansas_City (A)	inf	0	0	0	0	0	0
NFL (B)	inf	Inf	3	3	3	3	3
Las_Vegas (C)	inf	Inf	1350	6	6	6	6
Denver (D)	inf	Inf	605	6	6	6	6
Boston (E)	inf	inf	1432	9	9	9	9