



The Best Angle of 3-point shoots Based on Stephen Curry

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Introduction

Introduction

Find the best shooting angle for Curry in this model.



Figure: Stephen Curry

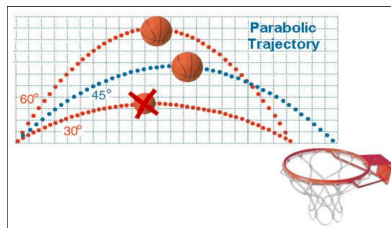


Figure: Ball trajectory

Approaches

Approaches

- 1 Resolving the initial velocity:

$$v_H = v_0 \cos(\theta_0) \quad u_V = v_0 \sin(\theta_0)$$

- 2 Find the horizontal distance and vertical distance of motion:

$$l = x(t) = v_0 \cos(\theta_0) t, \quad h = v_0 \sin(\theta_0) t + \frac{1}{2} g t^2$$

- 3 Find the initial velocity:

$$v_0 = \frac{l}{\cos(\theta_0)} \sqrt{\frac{-g}{2(l \tan(\theta_0) - h)}}$$

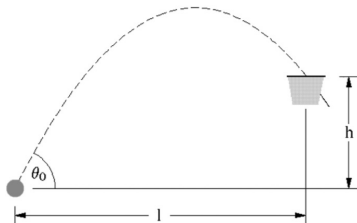


Figure: The conceptualization of shooting

Two criteria

- 1 The basketball does not touch the front of rim
- 2 The basketball hit the back of the rim

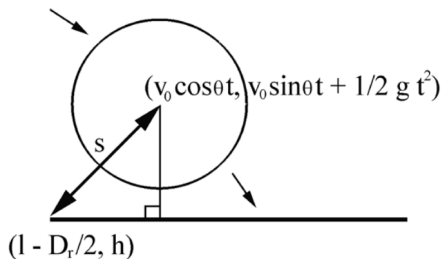


Figure: Two Criteria

Error Analysis

- 1 Discretization
- 2 Implemented Euler's Method : Track of the minimum distance
- 3 Stability: Convergent and bound by Lipschitz condition

$$|f(t, y) - f(t, z)| \leq L |y - z|$$

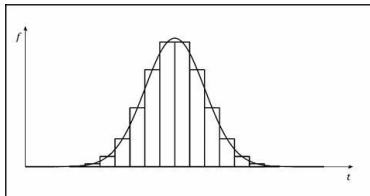


Figure: Discretization

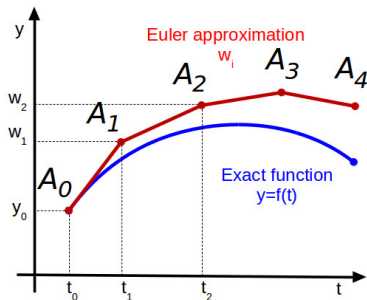


Figure: Euler's method

Solution

Solution

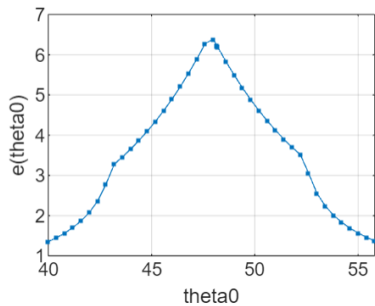


Figure: The Error About θ_0 For Which The Basketball Still Goes In (discretization)

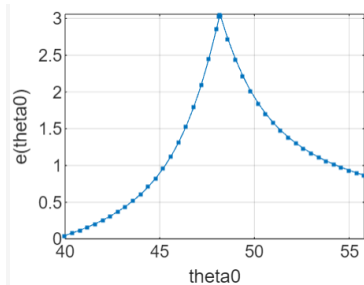


Figure: Result without discretization

Conclusion

Conclusion

- 1 Good demonstration: Hard-working, keep learning
- 2 Done by Successful: Runnable Code, correct graph
- 3 Challenges: Error Analysis(New), Messy function
- 4 Improvement: More variables, Classification, Accuracy

Thank you!