

# The Carbon Footprint of Multinational Production

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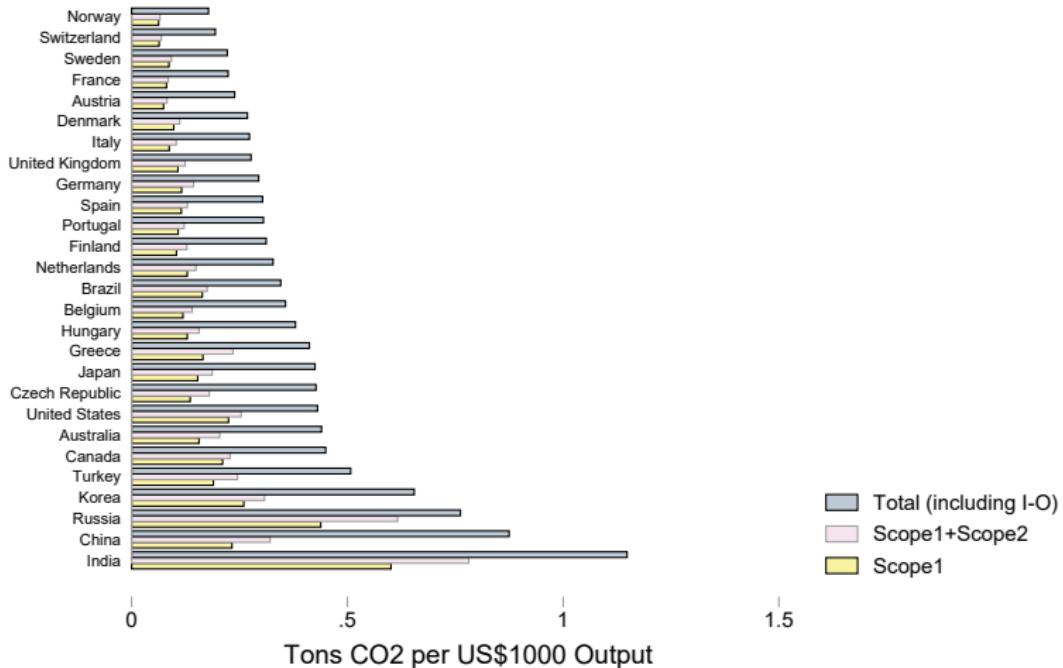
UC Berkeley & NBER

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# Emissions per Dollar Are Very Different Across Countries

$$\frac{\mathcal{E}_{I,s}}{Y_{I,s}} = \gamma_I + \delta_s + \varepsilon_{I,s}$$



## Basic Research Questions

1. How does the activity of MNEs affect global emissions?
2. How do the effects of carbon taxes differ in the presence of MNEs?

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## Related more basic questions

- How does trade affect carbon emissions globally and in each country?
- How does trade affect the impact of carbon taxes on global emissions?

# Our Approach

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  - Multiple sectors including fossil fuels, IO links (Caliendo & Parro, 14)
  - Trade & MP (Arkolakis et al., 18): closed-form & aggregation, GE
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  - Emissions based on consumption, production, extraction, and ownership
  - Is a world without MP cleaner? Without trade?

# What is New?

- **Trade & environment** Abatement approach: Grossman & Krueger 1995; Antweiler, Copeland, & Taylor 2001; Copeland & Taylor 2004; Nordhaus 2015; Shapiro & Walker 2018; Farrokhi & Lashkaripour 2022. Fossil-fuel approach: Egger & Nigai 2015; Larch & Wanner 2017; Kortum & Weisbach 2021; Caron & Fally 2022
  - GE quantitative approach for trade and multinational production
- **Multinational production** Helpman 1984; Markusen & Venables 2000; Helpman, Melitz, & Yeaple 2004; Ramondo & Rodriguez-Clare 2013; Arkolakis, Ramondo, Rodríguez-Clare, & Yeaple (ARRY) 2018; Sun 2020
  - Add energy-emissions link
- **Carbon accounting** Davis & Caldeira 2010; Peters et al. 2011; Zhang et al. 2020
  - Integrated approach grounded in theory
  - Add emissions accounting by ownership
- **Second-best climate policy** Goulder et al. 2012; Martin et al. 2014; Fowlie et al. 2016; Bohringer et al. 2016; Shapiro 2021
  - Policy for multinational production

# Project Outline

- **Start with a multi-sector model of trade and fossil fuels (TODAY)**
  - Model-based carbon accounting with trade
  - Counterfactual to trade-autarky, trade liberalization, carbon taxes
- **Enrich the model with multinational production (MP) ... and more**
  - Model-based carbon accounting with MP
  - Counterfactual to MP-autarky, MP liberalization, carbon taxes

# Model of Trade and Fossil Fuels

- $k$  and  $s$  are sectors
  - 3 fossil-fuel sectors  $s \in \mathcal{K}^M$  (coal, natural gas, crude oil)
  - 6 energy sectors (fossil fuels, electricity, refined oil, distributed gas)
- $j, l$  are locations of production;  $n$  is destination of sales

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- $j, l$  are locations of production;  $n$  is destination of sales
- Caliendo-Parro (2014): many sectors; intermediates; IO loop
  - Armington version with preferences
    - Cobb-Douglas across sectors,  $\mu_{n,s} \in (0, 1)$ ,  $\sum_s \mu_{n,s} = 1$
    - CES within each sector,  $\sigma_s > 1$
  - Perfect competition in all sectors
  - Trade costs are  $\tau_{jl,s} \geq 1$  with  $\tau_{jj,s} = 1$

# Production In Non-Mining Sectors

- Production is constant-returns-to-scale Cobb-Douglas in  $s \notin \mathcal{K}^M$ 
  - Labor share in  $(I, s)$ :  $\alpha_{I,\ell s}$
  - Intermediate input share  $k$  in  $(I, s)$ :  $\alpha_{I,ks}$
- Price of good  $s$  in  $I$  is

$$p_{I,s} = A_{I,s}^{-1} w_I^{\alpha_{I,\ell s}} \prod_k P_{I,k}^{\alpha_{I,ks}}$$

- Price index of sector  $s$  in  $n$  is

$$P_{n,s}^{1-\sigma_s} = \sum_I (\tau_{In,s} p_{I,s})^{1-\sigma_s}$$

## Production In Mining Sectors Uses Fixed Factor

- Fixed factor: sector-specific mines  $M_{j,s}$  for  $s \in \mathcal{K}^M$

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- Mining goods (i.e. fossil fuels) are produced with labor and intermediates

$$q = \ell^{\alpha_{j,\ell s}} \prod_{k \in \mathcal{K}} q_k^{\alpha_{j,k s}}$$

where

$$\nu_s = 1 - \alpha_{l,\ell s} + \sum_{k \in \mathcal{K}} \alpha_{l,k s} \in (0, 1)$$

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- Upward-slopping supply curve for good  $s$

$$Y_{j,s} \equiv p_{j,s} Q_{j,s} = M_{j,s} \left( p_{j,s} w_j^{-\alpha_{j,\ell s}} \prod_k P_{j,k}^{-\alpha_{j,k s}} \right)^{\frac{1}{\nu_s}}$$

# Market Equilibrium for Good $k$ Produced in $j$ ●

$$Y_{j,k} = \sum_n X_{jn,k}^C + \sum_l \lambda_{jl,k} \sum_s \alpha_{l,ks} Y_{l,s}$$

$$\implies Y_{j,k} = \sum_{l,n,s} \chi_{jl,ks} X_{ln,s}^C$$

where

$$\chi_{jl,ks} \equiv (I - \{\alpha_{jl,ks}\})^{-1} \quad \text{and} \quad \alpha_{jl,ks} \equiv \lambda_{jl,k} \alpha_{l,ks} \quad \text{and} \quad \lambda_{jl,k} \equiv \frac{X_{jl,k}}{X_{l,k}}$$

## Emissions and Fossil Fuels

- Emissions are generated by using fossil fuels for production and consumption

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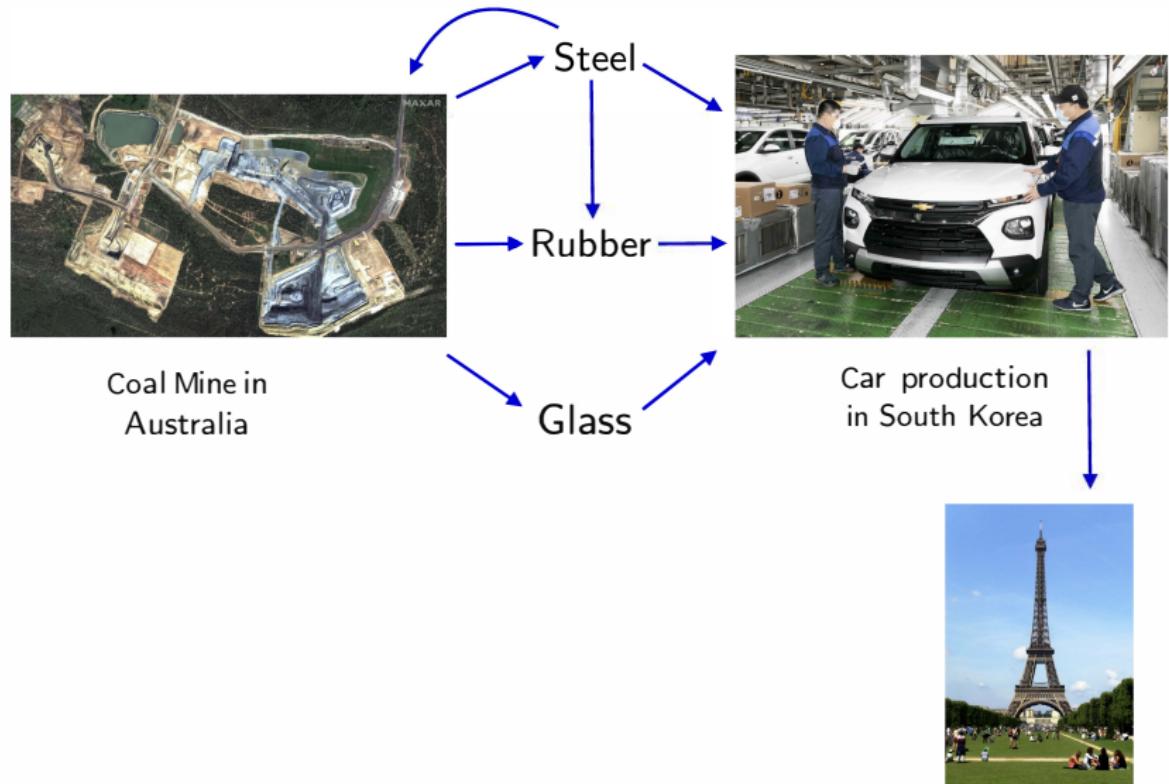
- Emissions are generated by using fossil fuels for production and consumption
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# Emissions and Fossil Fuels

- Emissions are generated by using fossil fuels for production and consumption
- Emissions from using a unit of good  $s$  are  $e_s$ , with  $e_s > 0$  only for  $s \in \mathcal{K}^M$
- Emissions from fossil fuel  $s$  extracted in  $j$  to produce goods in  $l$  consumed in  $n$  are

$$\mathcal{E}_{j,ln,s} = e_s Q_{j,ln,s} = \frac{e_s}{p_{j,s}} \sum_k \chi_{jl,sk} X_{ln,k}^C$$

# Carbon Accounting: Illustration



# Carbon Accounting: Consumption, Production, Extraction

$$\mathcal{E}_{j,ln,s} = \frac{e_s}{p_{j,s}} \sum_k \chi_{jl,sk} X_{ln,k}^C$$

Consumption:

$$\mathcal{E}_n^C = \sum_{j,l,s} \mathcal{E}_{j,ln,s}$$

Production (S3):

$$\mathcal{E}_l^{P3} = \sum_{j,n,s} \mathcal{E}_{j,ln,s}$$

Extraction:

$$\mathcal{E}_j^M = \sum_{l,n,s} \mathcal{E}_{j,ln,s}$$

Production (S1):

$$\mathcal{E}_l^{P1} = \sum_{s,k,j} \frac{e_s}{p_{j,s}} \lambda_{jl,s} \alpha_{l,sk} Y_{l,k} + \sum_{s,j} \frac{e_s}{p_{j,s}} X_{jl,s}^C$$

# Carbon Accounting: Data

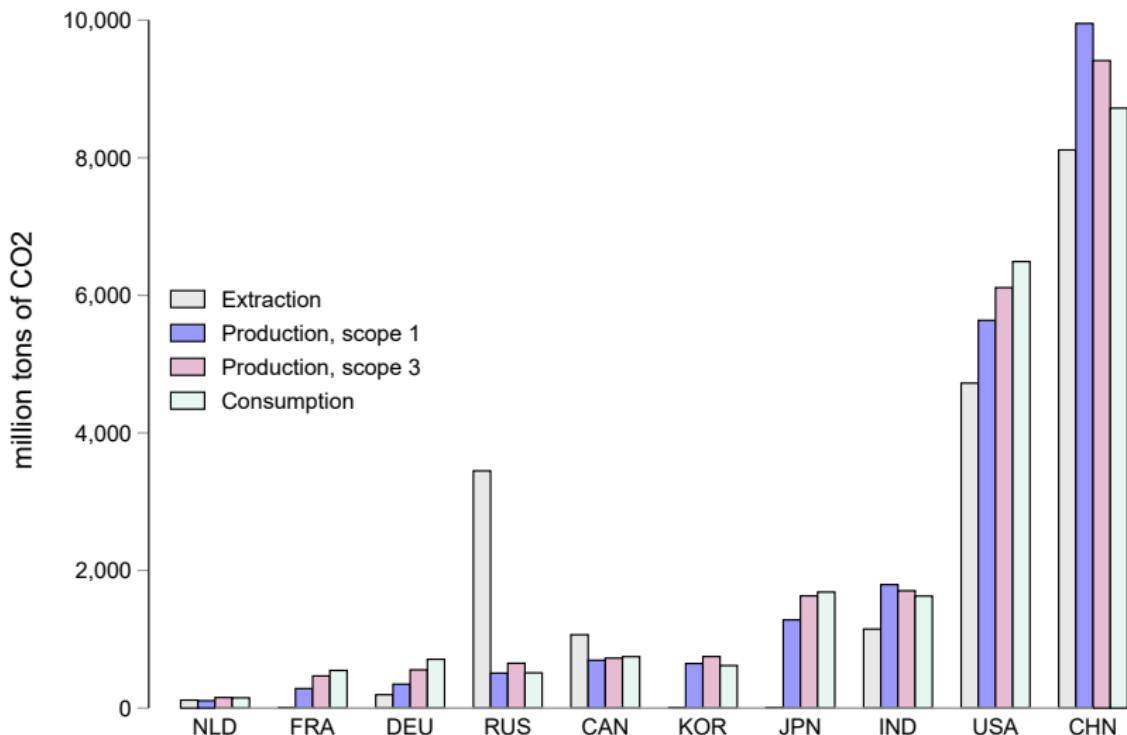
$$\mathcal{E}_{j,ln,s} = \frac{e_s}{p_{j,s}} \sum_k \chi_{jl,sk} X_{ln,k}^C \quad \text{with} \quad \chi_{jl,sk} \equiv (I - \{\alpha_{jl,sk}\})^{-1}$$

- World I-O Dataset (WIOD), Exiobase/Eora, International Energy Agency (IEA)

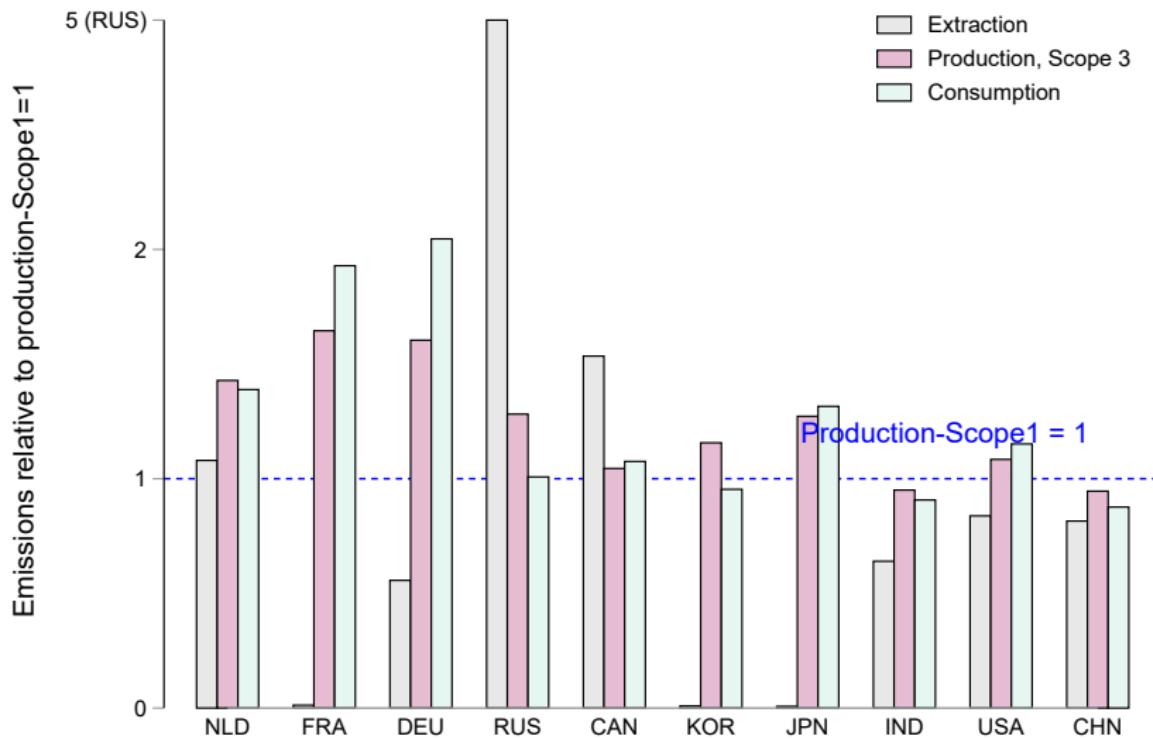
- Year: 2014
- 28 sectors: 3 fossil fuels (coal, crude oil, natural gas)
- 27 countries + ROW
- IO coefficients  $\alpha_{jl,sk}^{WIOD}$ , and final use,  $X_{ln,k}^{C,WIOD}$
- Emissions per dollar of extraction (tons CO<sub>2</sub> per \$)

$$\frac{e_s}{p_{j,s}} = e_s^{IEA} \frac{Q_{j,s}^{IEA}}{Y_{j,s}^{WIOD}}$$

# Carbon Accounting, Selected Countries



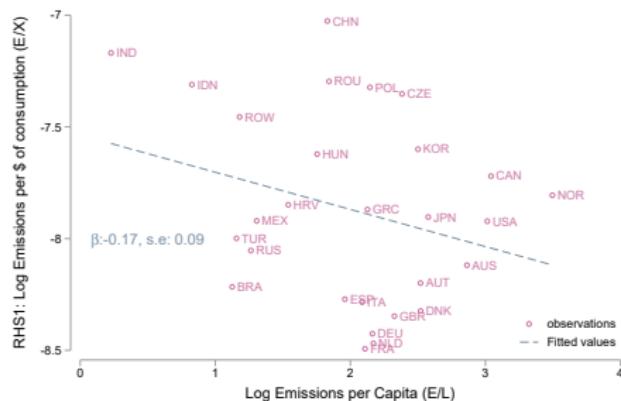
# Carbon Accounting: Comparisons, Selected Countries



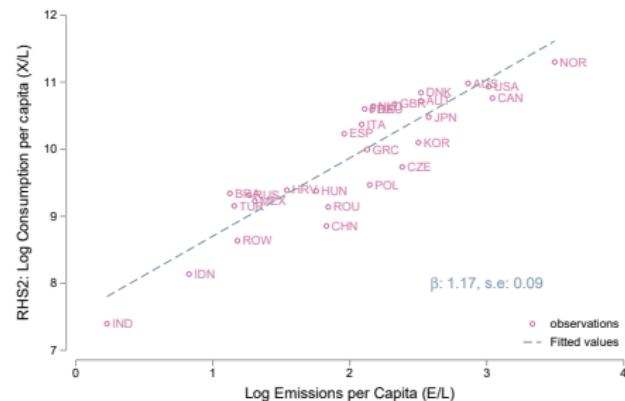
# Carbon Accounting, Variance Decomposition

$$\underbrace{\ln \frac{E_n^C}{L_n}}_{\text{emissions per capita}} = \underbrace{\ln \frac{E_n^C}{X_n^C}}_{\text{emissions per \$ of consumption}} + \underbrace{\ln \frac{X_n^C}{L_n}}_{\text{consumption per capita}}$$

Emissions per \$ of consumption: -0.17



Consumption per capita: 1.17

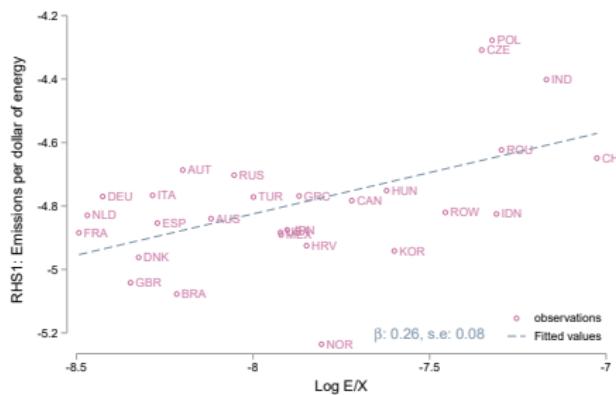


# Carbon Accounting, Variance Decomposition

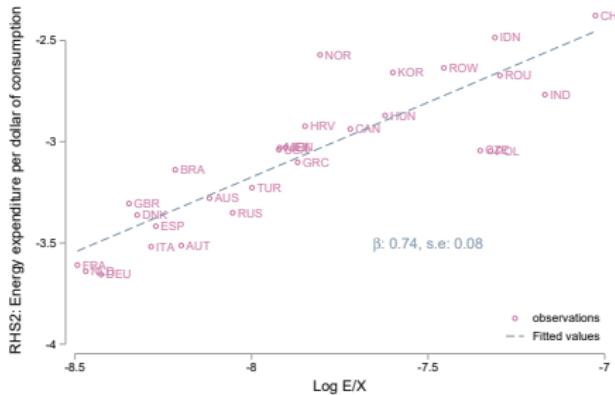
$$\ln \frac{\mathcal{E}_n^C}{X_n^C} = \ln \underbrace{\sum_s \frac{\sum_{j,l,k} \frac{e_s}{p_{j,s}} \chi_{jl,sk} X_{ln,k}^C}{\sum_{s \in \mathcal{K}^M} \sum_{j,l,k} \chi_{jl,sk} X_{ln,k}^C}}_{\text{emissions per \$ of energy}} + \ln \underbrace{\frac{\sum_{s \in \mathcal{K}^M} \sum_{j,l,k} \chi_{jl,sk} X_{ln,k}^C}{X_n^C}}_{\text{energy expenditure per \$ of consumption}}$$

emissions per \$ of consumption

Emissions per \$ of energy: 0.26



Energy expenditure per \$ of consumption: 0.74



# Problematic Fossil-Fuel Prices

- Implicit prices of fossil fuels

$$p_{j,s} = \frac{Y_{j,s}^{WIOD}}{Q_{j,s}^{IEA}} \quad s \in \mathcal{K}^M$$

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- Advantages: match country-level extraction-based emissions and global emissions

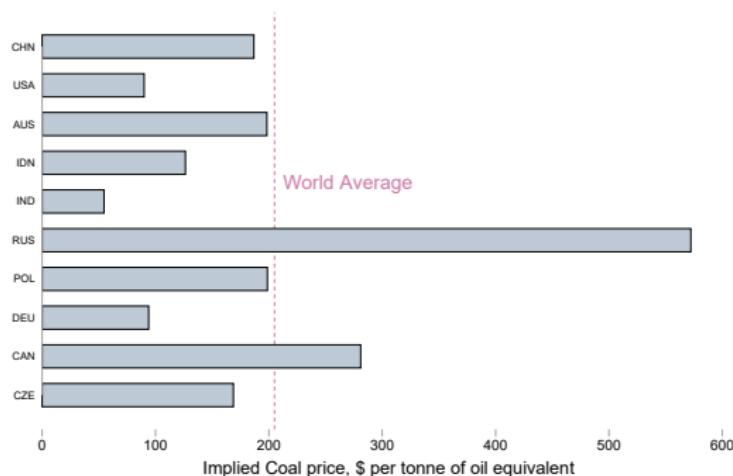
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- Advantages: match country-level extraction-based emissions and global emissions
- Disadvantages: extreme values of  $p_{j,s}$  might have large effects on counterfactuals

Coal prices for top producers



# Removing Heterogeneity in Fossil-Fuel Prices

- Frictionless trade in *homogeneous* fossil fuels:  $p_{j,s} = p_s$  for  $s \in \mathcal{K}^M$

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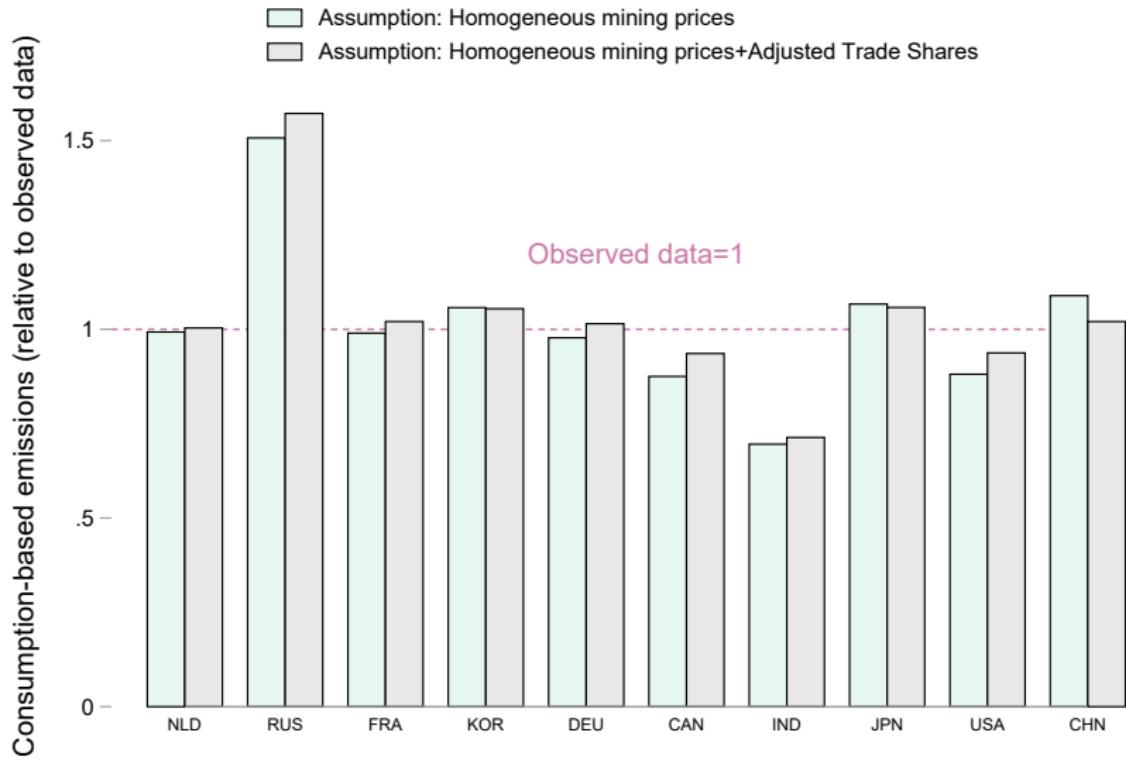
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- Adjustment of trade shares in mining:  $\lambda_{jl,s} = \frac{Y_{j,s}}{\sum_j Y_{j,s}}$  for  $s \in \mathcal{K}^M$ 
  - Extraction-based emissions by country unchanged by  $\lambda$ 's adjustment
  - Production(S1)- based emissions by country unchanged by  $\lambda$ 's adjustment

# Consumption-Based Emissions With Adjustments



## Autarky Counterfactual: Changes in Emissions

$$\mathcal{E}_{n,s}^A - \mathcal{E}_{n,s}^C = \frac{e_s}{p_{n,s}^A} \sum_k \chi_{n,sk} X_{n,k}^{C,A} - \frac{e_s}{p_s} \sum_{j,l,k} \chi_{jl,sk} \lambda_{ln,k} X_{n,k}^C$$

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## Calibration

- WIOD data for expenditure, trade, and IO coefficients (with Cobb-Douglas  $\chi_{n,sk}^A = \chi_{n,sk}$ )
- IEA and WIOD data for  $e_s/p_s = e_s^{IEA} Q_s^{IEA} / Y_s^{WIOD}$  (tons CO<sub>2</sub> per \$)
  - coal: 0.019; natural gas: 0.007; crude oil: 0.005
- Solve for autarky equilibrium: Need parameter  $\nu$  (elasticity of supply for fossil fuels)

## Fossil-Fuel Supply Curve Elasticity $\nu$ : Estimation

- Decreasing returns  $\nu_s$  in terms of inverse supply elasticity

$$\nu_s = \frac{\partial \ln p_s / \partial \ln Q_s}{\partial \ln p_s / \partial \ln Q_s + 1}$$

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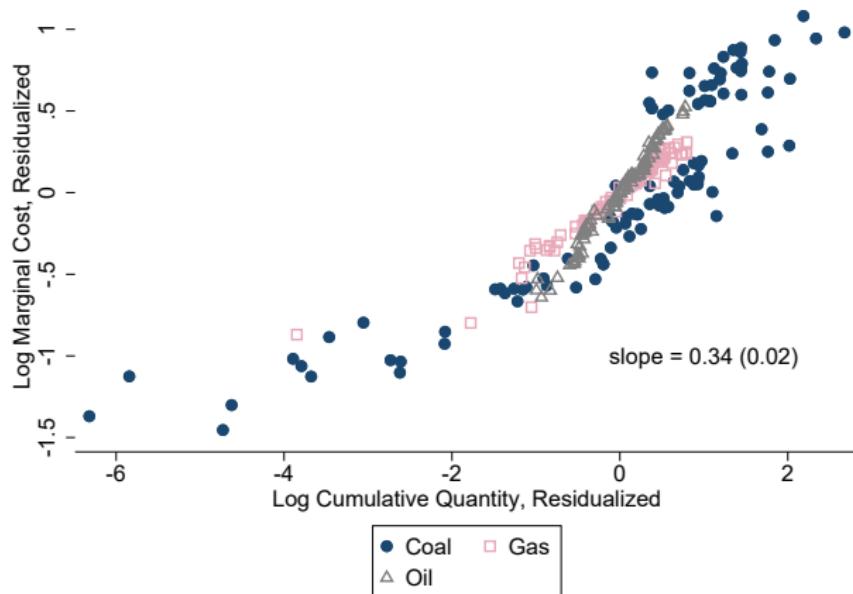
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- Data for energy cost schedules for each fossil fuel and region (Welsby et al., 2021) data
- Regression version, pooled: Vertex  $v$ , energy type  $s$ , region  $j$

$$\ln p_{vj,s} = \beta \ln Q_{vj,s} + \mu_{j,s} + \zeta_{vj,s}$$

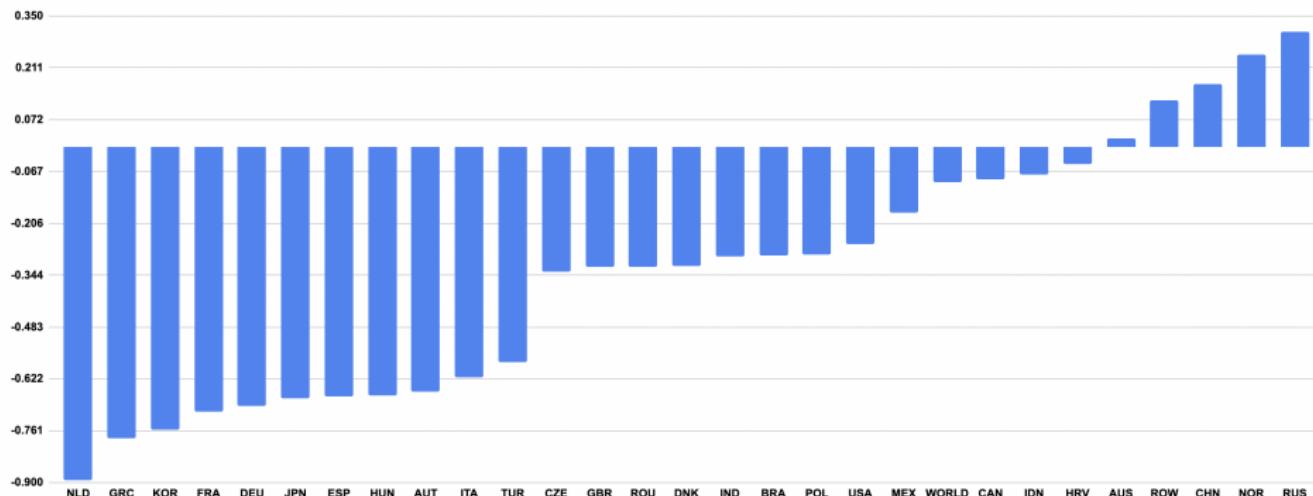
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$$\ln p_{vj,s} = \beta \ln Q_{vj,s} + \mu_{j,s} + \zeta_{vj,s}$$



$$\text{Inverse elasticity } \beta = 0.342 \implies \nu = \beta / (1 + \beta) = 0.25$$

# Moving To Autarky Decreases Global Emissions By 9.5%



Autarky emissions, relative to observed consumption-based emissions,  $\frac{\varepsilon_n^A - \varepsilon_n^C}{\varepsilon_n^C}$ .

## Counterfactual Change in Emissions, Decomposition

$$\mathcal{E}_{n,s}^A - \mathcal{E}_{n,s}^C = \frac{e_s}{p_{n,s}^A} \sum_k \chi_{n,sk} X_{n,k}^{C,A} - \frac{e_s}{p_s} \sum_{j,l,k} \chi_{jl,sk} \lambda_{ln,k} X_{n,k}^C$$

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$$\mathcal{E}_n^A - \mathcal{E}_n^C = \sum_{s \in \mathcal{K}^M} \mathcal{E}_{n,s}^A - \mathcal{E}_{n,s}^C$$

$$= \underbrace{\sum_{s \in \mathcal{K}^M} e_s \sum_k \chi_{n,sk} \left( \frac{X_{n,k}^{C,A}}{p_{n,s}^A} - \frac{X_{n,k}^C}{p_s} \right)}_{\Delta_n^1 \equiv \text{Price channel}}$$

$$+ \underbrace{\sum_{s \in \mathcal{K}^M} \frac{e_s}{p_s} \sum_k \left( \chi_{n,sk} - \sum_{j,l} \chi_{jl,sk} \lambda_{ln,k} \right) X_{n,k}^C}_{\Delta_n^2 \equiv \text{Demand channel}}$$

## Counterfactual Change in Emissions, Decomposition

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- Price channel  $\Delta_s^1 < 0$  (i.e. trade increases emissions)?

- With flat supply curves for mining goods,  $\Delta_s^1 = 0$  for all  $s$
- With no intermediates and  $\mu_{n,s} = \mu_s$ ,  $\Delta_s^1 < 0$  for all  $s$

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- Demand channel  $\Delta_s^2$ : All about technology reflected in differences in IO matrices
  - If  $\alpha_{n,sk} = \alpha_{sk} \implies \sum_j \chi_{jn,sk} = \chi_{sk} \implies \Delta_s^2 = 0$  for all  $s$
  - If  $\alpha_{j,sk} = 0$  for  $k \in \mathcal{K}^M$  and  $\alpha_{j,sk} = 0$  for  $s \notin \mathcal{K}^M \implies \Delta_s^2 < 0$  if countries that use fossil fuels intensively in the production of non-mining goods have positive net export of those goods Data

# Moving To Autarky Decreases Global Emissions By 9.5%

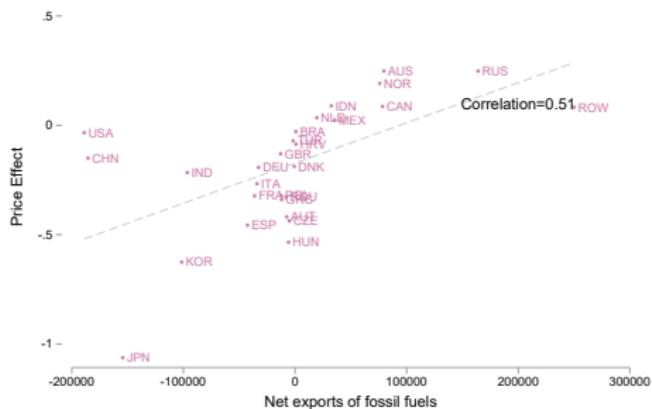
$$\mathcal{E}_n^A - \mathcal{E}_n^C = \underbrace{\sum_{s \in \mathcal{K}^M} e_s \sum_k \chi_{n,sk} \left( \frac{\chi_{n,k}^{C,A}}{p_{n,s}^A} - \frac{\chi_{n,k}^C}{p_s} \right)}_{\Delta_n^1 \equiv \text{Price channel}} + \underbrace{\sum_{s \in \mathcal{K}^M} \frac{e_s}{p_s} \sum_k \left( \chi_{n,sk} - \sum_{j,l} \chi_{jl,sk} \lambda_{ln,k} \right) X_{n,k}^C}_{\Delta_n^2 \equiv \text{Demand channel}} + \Delta_n^{TB}$$



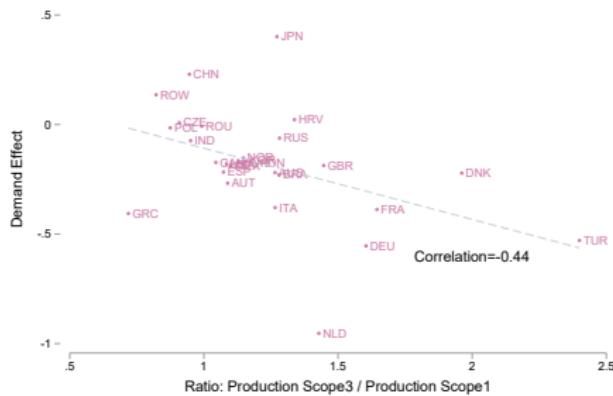
Relative to observed consumption-based emissions,  $\mathcal{E}_n^C$ . (Net exports of fossil fuels/Net exports of all goods).

# Understanding the Price and Demand Channels

Price channel and net exports of fossil fuels

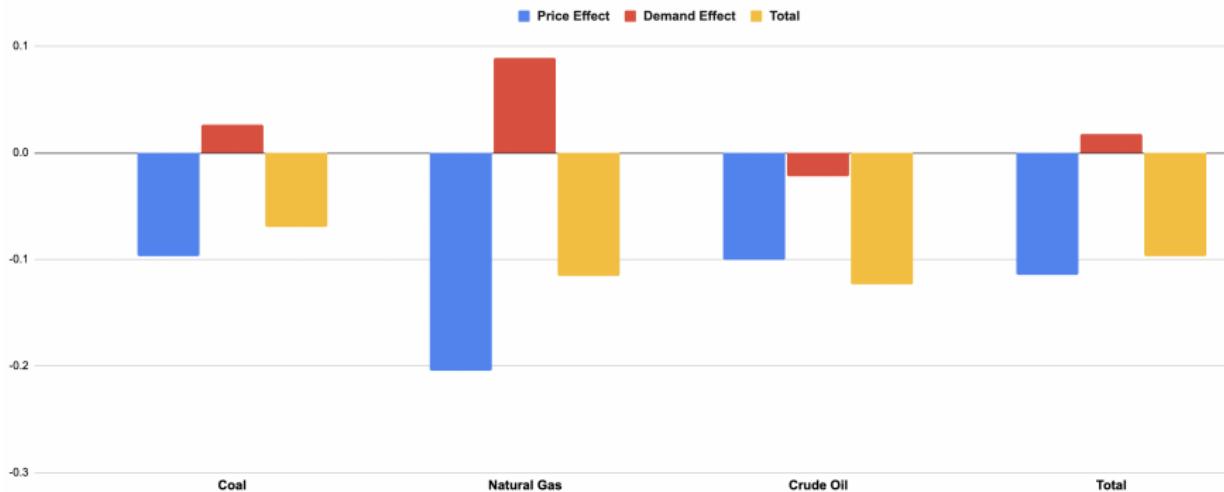


Demand channel and the value chain



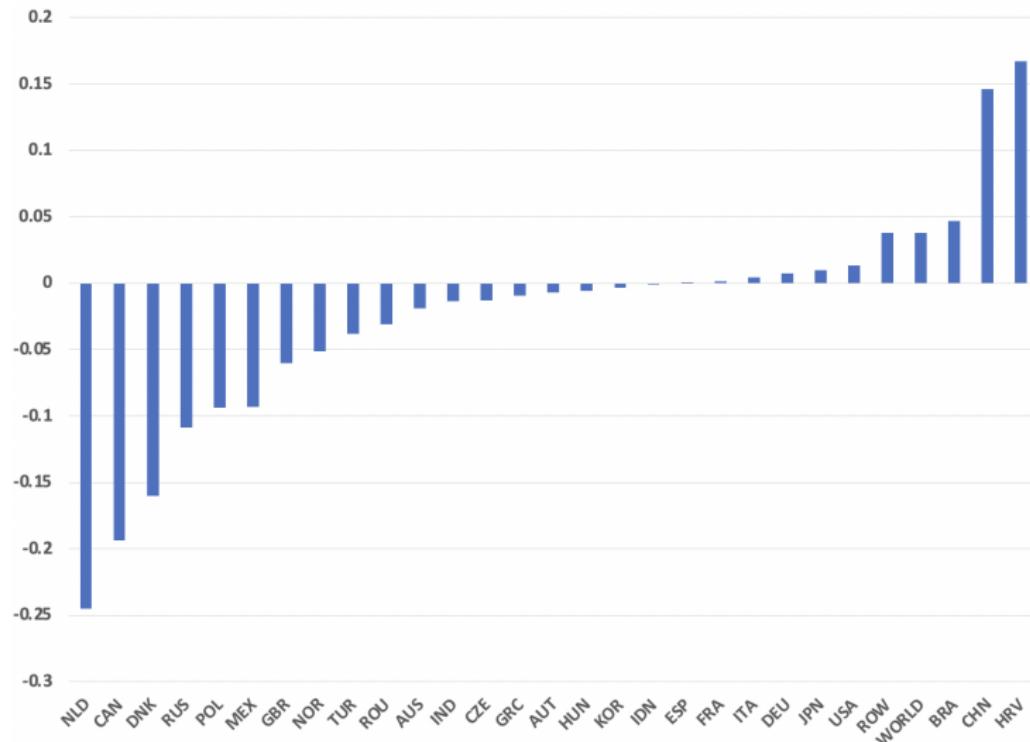
# Moving To Autarky Decreases Global Emissions By 9.5%

$$\mathcal{E}_s^A - \mathcal{E}_s^C = \underbrace{e_s \sum_{k,n} \chi_{n,sk} \left( \frac{X_{n,k}^{C,A}}{p_{n,s}^A} - \frac{X_{n,k}^C}{p_s} \right)}_{\Delta_s^1 \equiv \text{Price channel}} + \underbrace{\frac{e_s}{p_s} \sum_{k,n} \left( \chi_{n,sk} - \sum_{j,l} \chi_{jl,sk} \lambda_{ln,k} \right) X_{n,k}^C}_{\Delta_s^2 \equiv \text{Demand channel}}$$



Relative to observed emissions,  $\mathcal{E}_s^C$

# Trade liberalization of 20% Increases Emissions By 3.8%



Trade-liberalization emissions, relative to observed consumption-based emissions,  $\frac{\varepsilon'_n - \varepsilon_n^C}{\varepsilon_n^C}$ .

## Key Extensions

### 2. Adding carbon taxes to the trade model

- Quantifying the effects of production vs consumption taxes, leakage

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## 3. Multinational production (MP)

- $i$  home country of firms,  $l$  location of production,  $n$  destination of sales

## 4. Ex-ante choice of energy intensity that affects firm emissions worldwide

- Algorithm to uncover trilateral flows  $X_{i,ln,s}$  and cost-revenue shares  $\alpha_{i,l,ks}$

# MNEs and the Steel Industry in Vietnam

Tenova (Italy): mini mill  
(electric arc furnace)



↓  
MP Italy->Vietnam



Kunming Iron & Steel (China): integrated mill (blast furnace)



↓  
MP China->Vietnam



Vietnam steel corporation (Vietnam)



# Data Sources

- **Aggregate data**

- World Input Output Dataset (WIOD) and Exiobase/Eora

- Emissions and energy consumption by industry-country-energy type

- Activity of Multinational Enterprises (AMNE)

- Revenues by industry-origin country-host country

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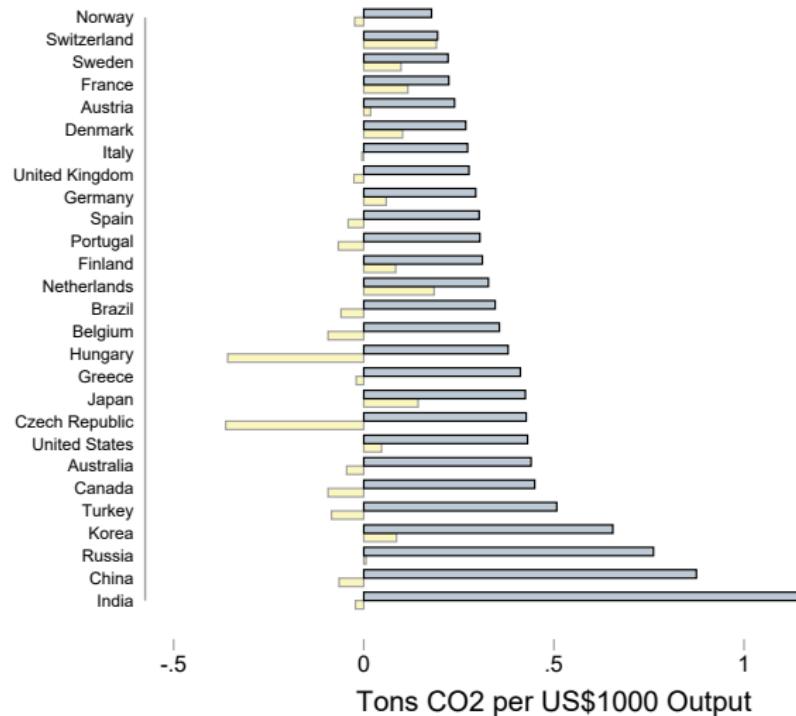
- **Firm and affiliate data**

- Carbon Disclosure Project (CDP) and ORBIS

Emissions per dollar for each parent and country of production

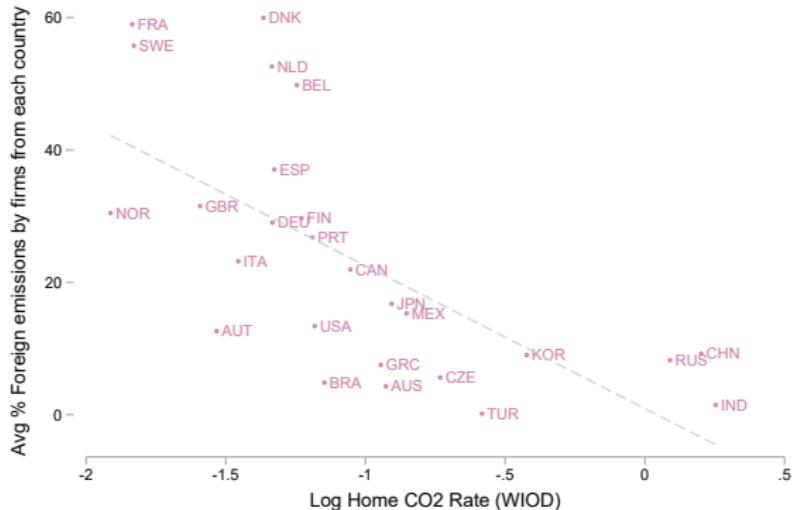
- US Census of Manufactures and Manufacturing Energy Consumption Survey

# MNEs Are Headquartered in Cleaner Countries



Yellow bar: net multinational production (affiliate sales abroad - foreign affiliate sales) as share of gross output.

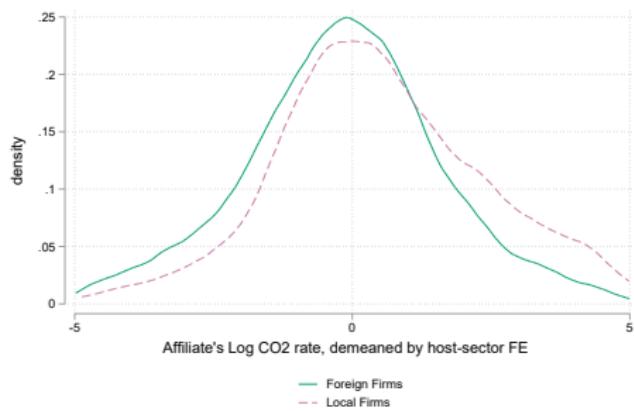
# MNE Affiliates Are Dirtier Abroad (“Leakage”)



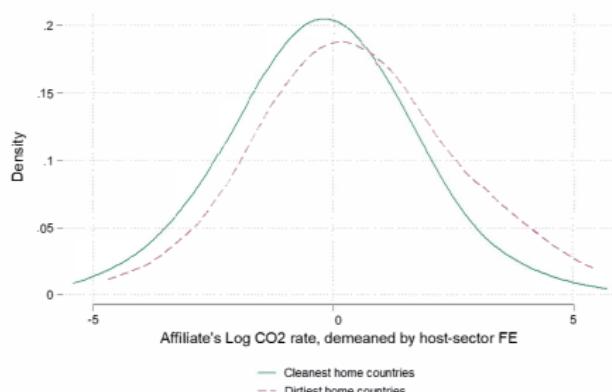
Foreign emissions of Home firms as share of total emissions at Home and Abroad. Average across firms in each home country.

# ... But MNE Affiliates Are Cleaner Everywhere

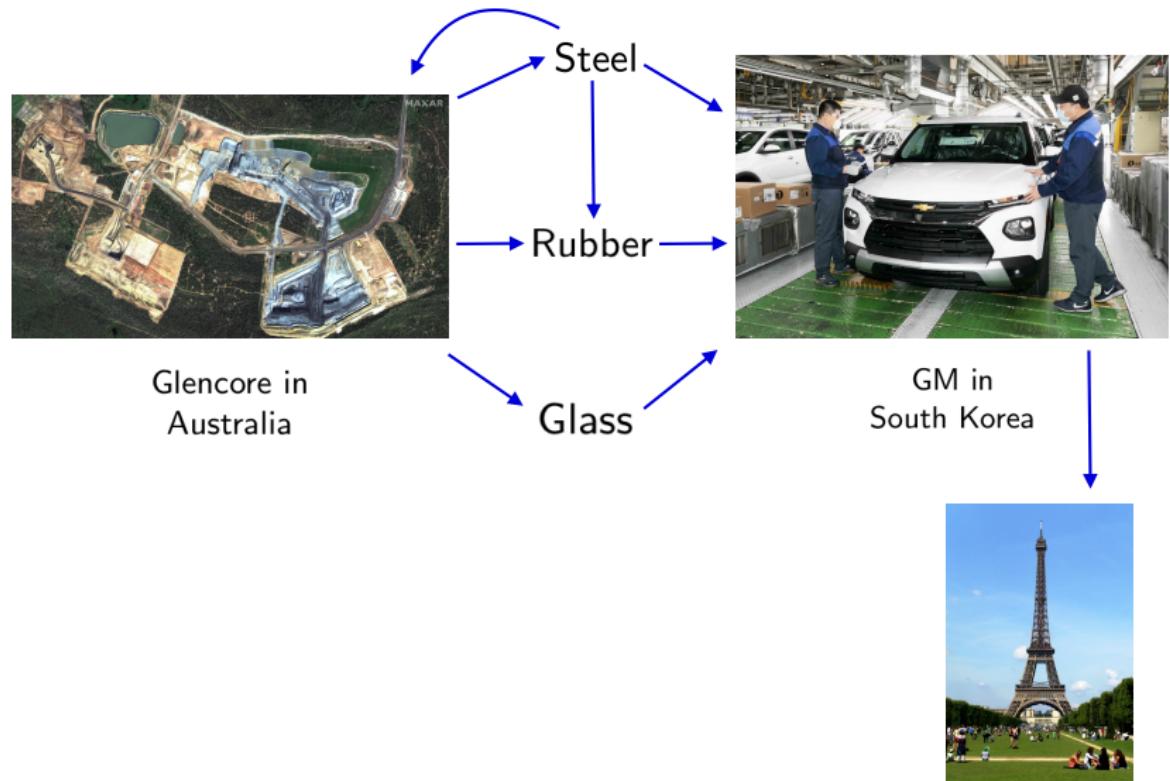
MNE affiliates are the cleanest firms in their Host country



MNE affiliates with clean Homes are cleaner everywhere



# Trade and MP Model: Overview



## Final Remarks

- **Multinational production (MP) and the environment**
  - Important, distinct issues from trade

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  - New estimates on key demand & supply energy elasticities

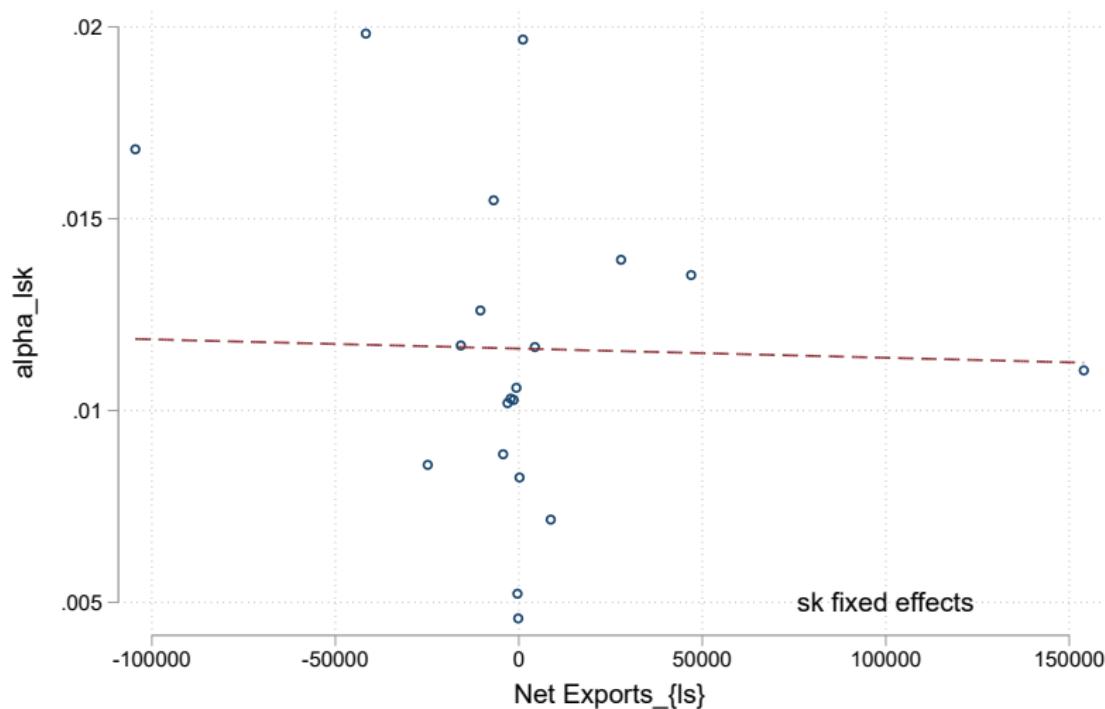
# Final Remarks

- **Multinational production (MP) and the environment**
  - Important, distinct issues from trade
- **What we will offer**
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  - New estimates on key demand & supply energy elasticities
- **What's next**
  - Optimal carbon taxes with trade and MP
  - Leakage
  - Responsible sourcing and supply-chain externalities

# Appendix

# Correlation: Net exports v. Fossil-fuel Expenditure

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# Equilibrium

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- Final expenditure

$$X_I^C = w_I L_I + \nu \sum_{s \in \mathcal{K}^M} Y_{I,s} + \Delta_I$$

- Gross output

$$Y_{I,s} = \sum_n \lambda_{In,s} X_{n,s}$$

- Total expenditure

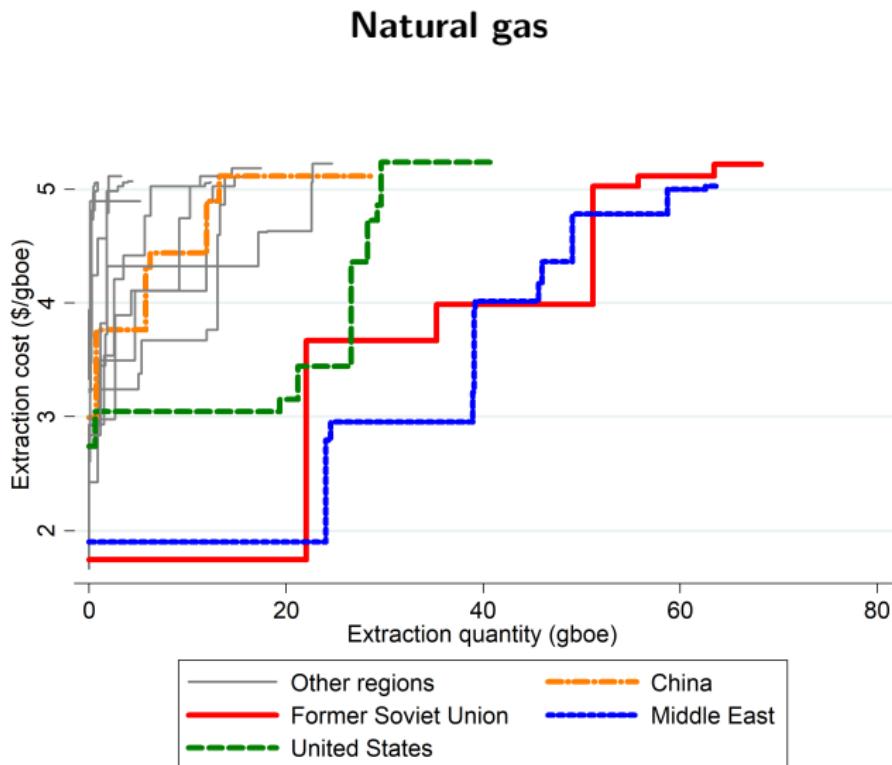
$$X_{I,s} = \mu_{I,s} X_I^C + \sum_k \alpha_{I,sk} Y_{I,k}$$

- Labor market clearing condition

$$w_I L_I = \sum_s \alpha_{I,\ell s} Y_{I,s}$$

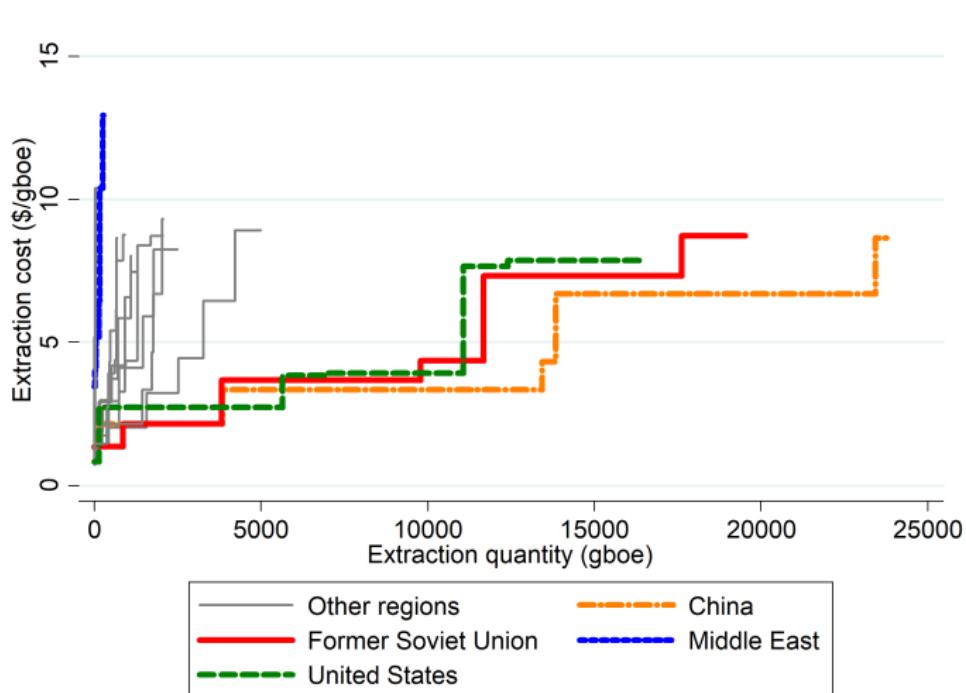
# Fossil-Fuel Supply Curve Elasticity: Raw Data

Back



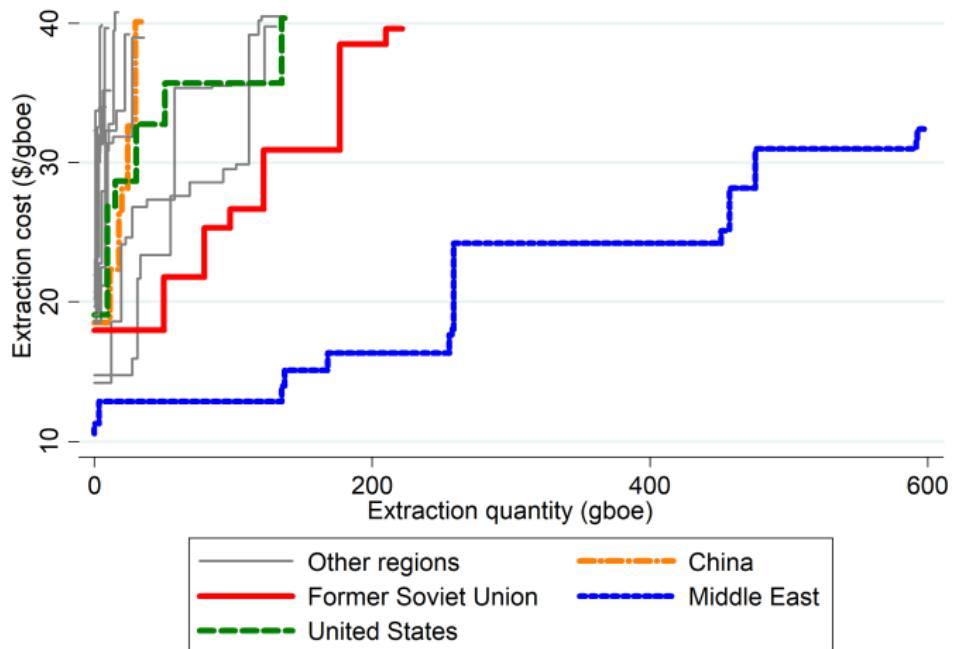
# Fossil-Fuel Supply Curve Elasticity: Raw Data

## Coal



# Fossil-Fuel Supply Curve Elasticity: Raw Data

Oil



# Model: Production Function for Non-mining Sector

A firm has productivity vector  $\mathbf{z} \equiv (z_1, z_2, \dots, z_N)$  and technology  $\mathbf{a} \equiv (a_1, a_2, \dots, a_{K^E}, a)$

$$q = \mathbf{z}_I \left( \left( \sum_{k \in \mathcal{K}^E} \delta_{I,ks}^{\frac{1}{\gamma}} (a_k q_k)^{\frac{\gamma-1}{\gamma}} \right)^{\frac{\gamma}{\gamma-1} \frac{\varepsilon-1}{\varepsilon}} + \left( \mathbf{a}^\ell \ell^{\beta_{I,\ell s}} \prod_{k \notin \mathcal{K}^E} q_k^{\beta_{I,ks}} \right)^{\frac{\varepsilon-1}{\varepsilon}} \right)^{\frac{\varepsilon}{\varepsilon-1}}$$

$$\gamma \neq 1 \quad \varepsilon \neq 1 \quad \beta_{I,\ell s} + \sum_{k \notin \mathcal{K}^E} \beta_{I,ks} = 1 \quad \text{for all } s$$

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# Model: Productivity for Non-Mining Firms

- A firm from  $i$  draws productivity  $\mathbf{z}$  from multivariate Pareto

$$\theta_s > \max\{1, 1/(\sigma_s - 1)\} \text{ and } \rho_s \in [0, 1]$$

$$\Pr(Z_1 \leq z_1, \dots, Z_N \leq z_n) = 1 - \left( \sum_{l=1}^N \left( T_{i,l,s} z_l^{-\theta_s} \right)^{\frac{1}{1-\rho_s}} \right)^{1-\rho_s}$$

⇒ Closed-form for aggregate expenditure, prices, profits

- "Head-to-head" comparison (unit costs)  $C_{i,n,s} = \min_l \tau_{i,l,n,s} \frac{c_{i,l,s}}{z_l}$
- Selection (marketing fixed costs)  $Profits(C_{i,n,s}) - P_{n,s} F_{n,s} \geq 0$

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# Model: Technology Choice for Non-Mining Firms

- A firm chooses its technology  $a$  from the set

$$\tilde{\varepsilon} \neq 1 \quad \tilde{\gamma} \neq 1 \quad \varepsilon + \tilde{\varepsilon} < 2 \quad \gamma + \tilde{\gamma} < 2$$

$$\left( \sum_{k \in \mathcal{K}^E} a_k^{1-\tilde{\gamma}} \right)^{\frac{1-\tilde{\varepsilon}}{1-\tilde{\gamma}}} + a^{1-\tilde{\varepsilon}} \leq 1$$

- A firm chooses  $a$  before knowing  $\mathbf{z}$  to maximize expected global profits

$\Rightarrow a$  is common across all  $(i, s)$  firms

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# Model: Optimal Technology Choice Across Energy Types

$$\text{Slope of technology frontier (lhs)} = \text{Slope of iso-profit curve (rhs)}$$

$$x_{i,ks}^{1-\tilde{\gamma}} \equiv \left( \frac{a_{i,ks}}{a_{i,s}} \right)^{1-\tilde{\gamma}} = \frac{\sum_l \alpha_{i,l,ks} Y_{i,l,s}}{\sum_l (Y_{i,l,s} - \sum_k \alpha_{i,l,ks} Y_{i,l,s})} \quad \forall k \in \mathcal{K}^E$$

- $Y_{i,l,s}$   $\equiv$  output of  $(i, l, s)$  firms
- $\alpha_{i,l,ks}$   $\equiv$  revenue share of  $k$  input for  $(i, l, s)$  firms

$$\alpha_{i,l,ks} = \frac{(\tilde{p}_{l,ks}/x_{i,ks})^{1-\gamma}}{\sum_{k' \in \mathcal{K}^E} (\tilde{p}_{l,k's}/x_{i,k's})^{1-\gamma}} \frac{\left( \sum_{k' \in \mathcal{K}^E} (\tilde{p}_{l,k's}/x_{i,k's})^{1-\gamma} \right)^{\frac{1-\varepsilon}{1-\gamma}}}{\left( \sum_{k' \in \mathcal{K}^E} (\tilde{p}_{l,k's}/x_{i,k's})^{1-\gamma} \right)^{\frac{1-\varepsilon}{1-\gamma}} + 1}$$

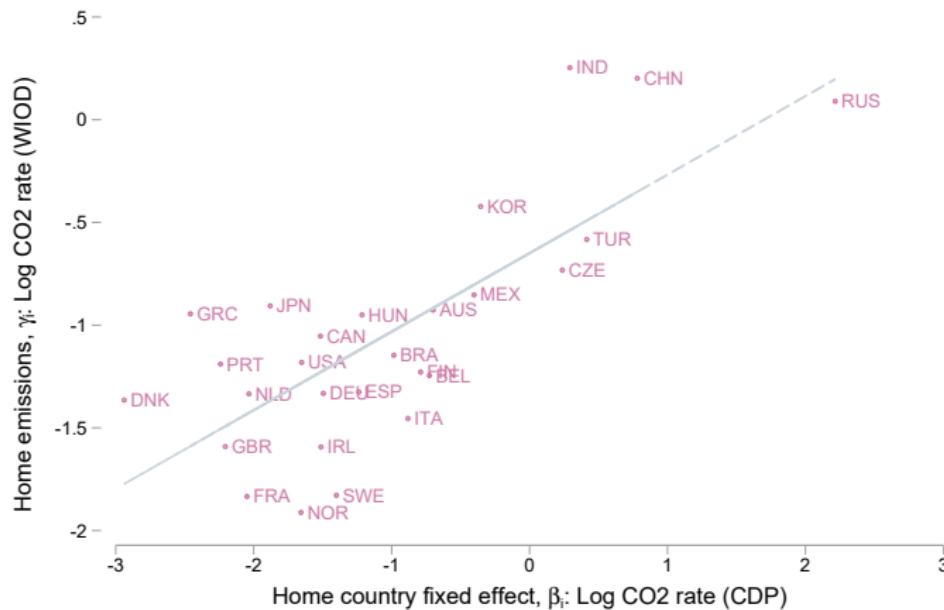
$$\text{where } \tilde{p}_{l,ks} \equiv \left( \delta_{l,ks}^{1/(1-\gamma)} w_l^{-\eta_{l,ls}} \prod_{k \in \mathcal{K}} P_{l,k}^{-\eta_{l,ks}} \right) P_{l,k}$$

# Affiliates from Cleaner Countries Are Cleaner Everywhere

Firm  $f$ , home country  $i$ , host country  $l$ , industry  $s$ .  $\mathcal{E}$  Emissions.  $Y$  Revenue

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$$\log \left( \frac{\mathcal{E}_{i,s}}{Y_{i,s}} \right)^{\text{WIOD}} = \gamma_i + \delta_s + \varepsilon_{i,s} \quad \text{vs.} \quad \log \left( \frac{\mathcal{E}_{fi,l,s}}{Y_{fi,l,s}} \right)^{\text{CDP}} = \beta_i + \delta_{l,s} + \varepsilon_{fi,l,s}$$



# Affiliates with Cleaner Homes Are Cleaner Everywhere

Firm  $f$ , home country  $i$ , host country  $I$ , industry  $s$ .  $\mathcal{E}$  Emissions.  $Y$  Revenue

$$\log \left( \frac{\mathcal{E}_{fi,I,s}}{Y_{fi,I,s}} \right)^{CDP} = \beta_1 \log \left( \frac{\mathcal{E}_i}{Y_i} \right)^{WIOD} + X'_{f,I} \gamma + \delta_{I,s} + \epsilon_{fi,I,s}$$

Dependent variable:	Log firm CO <sub>2</sub> rate					
Home log CO <sub>2</sub> rate	0.96*** (0.24)	1.07*** (0.22)	0.56* (0.30)	0.63** (0.25)	0.63** (0.23)	0.60** (0.29)
Host log CO <sub>2</sub> rate	0.89*** (0.09)	0.86*** (0.09)				
Firm log revenues						-0.48*** (0.08)
Observations	4,833	4,833	4,833	4,833	4,833	4,833
R-squared	0.05	0.24	0.28	0.48	0.63	0.70
# host countries	42	42	42	42	42	42
# home countries	32	32	32	32	32	32
Industry FE	no	yes	no	yes	-	-
Host country FE	no	no	yes	yes	-	-
Industry x host country FE	no	no	no	no	yes	yes

# Estimation Using Micro Data

Back

1. Energy-Type Substitution  $\gamma \approx 0.45$ : Energy quantities, prices, across states within firm
  - Data: US Mfg Energy Consumption Survey 2014; State Energy Database System

$$\ln \left( \frac{Q_{f,I,k}}{Q_{f,I,1}} \right) = -\gamma \ln \left( \frac{P_{I,k}}{P_{I,1}} \right) + \phi_{f,k} + \xi_{f,I,k}$$

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Back

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2. Energy/Non-Energy Substitution  $\varepsilon \approx 0.45$ : Energy exp, prices across states within firm
  - Data: US State Energy Database System; US Census of Manufactures 2012

$$\ln \left( \frac{\alpha_{f,I}}{1 - \alpha_{f,I}} \right) = (1 - \varepsilon) \ln \left( \frac{P_{I,1}}{P_I^{NE}} \left( \frac{\alpha_{f,I,1}}{\alpha_{f,I}} \right)^{-\frac{1}{1-\varepsilon}} \right) + \phi_f + \xi_{f,I}$$

## Parameters: Energy Type Substitution $\gamma$

- Extended to firms & states, model implies

$$\ln \left( \frac{Q_{f,I,k}}{Q_{f,I,1}} \right) = -\gamma \ln \left( \frac{P_{I,k}}{P_{I,1}} \right) + \phi_{f,k} + \xi_{f,I,k}$$

- Energy quantities  $Q_{f,I,k}$ : Manufacturing Energy Consumption Survey 2014
- Energy prices  $P_{I,k}$ : State Energy Database System
- Firm  $\times$  energy type fixed effects  $\phi_{f,k}$
- Electricity as reference energy type ( $k = 1$ )

- Notes

- Arbitrary autocorrelation (two-way cluster) within state and firm
- Excluded observations: administrative records, imputed values, zero electricity
- Basic observation is firm  $\times$  state (aggregate across establishments w/in state)

- Baseline estimate  $\gamma \approx 0.45$

## Parameters: Energy Type Substitution $\gamma$

$$\ln \left( \frac{Q_{f,I,k}}{Q_{f,I,1}} \right) = -\gamma \ln \left( \frac{P_{I,k}}{P_{I,1}} \right) + \phi_{f,k} + \xi_{f,I,k}$$

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
Price ratio term ( $\gamma$ )	0.409** (0.159)	0.364** (0.177)	0.400** (0.155)	0.263** (0.105)	0.401** (0.162)	0.293** (0.124)	0.415* (0.245)	0.456** (0.184)
Plant level	X							
Industry FE		X						
Asinh			X		X		X	
Exclude coal				X		X		
Weighted					X		X	
Instrument						X		X
N	4,600	7,000	4,600	9,000	4,400	6,000	4,600	4,600
First stage F							651	

## Parameters: Energy Type Substitution $\gamma$

- Model-based analysis uses  $\gamma = 0.45$
- Existing estimates?
  - Vermetten and Plantinga (1953) cross-section of US states:  $\gamma \approx 2.1$  to  $2.4$
  - Serletis et al. (2010) translog with US time series:  $\gamma = 0.25$  to  $0.60$ 
    - Cross-industry mean:  $0.40$
    - Standard value for CGE models (EPA, MIT EPPA model)
    - But time series confounding: inflation, growth, OPEC crisis, etc.

## Parameters: Energy vs Non-Energy Substitution $\varepsilon$

- Extended to firms,  $I = \text{US state}$ , our model implies

$$\ln \left( \frac{\alpha_{f,I}}{1 - \alpha_{f,I}} \right) = (1 - \varepsilon) \ln \left( \frac{P_{I,1}}{P_I^{NE}} \left( \frac{\alpha_{f,I,1}}{\alpha_{f,I}} \right)^{-\frac{1}{1-\gamma}} \right) + \phi_f + \xi_{f,I}$$

- Census of Manufactures 2012 administrative/confidential micro-data
- $\alpha_{f,I}, \alpha_{f,I,1}$  Energy-cost shares. Establishment-level spending on electricity, fuels, materials, value added
- $P_{I,1}$  Price of energy type 1 (electricity). State Energy Data System (US Energy Information Agency)
- $P_I^{NE}$  Price of non-energy. We use  $w_I$  for now
  - Microdata from 2012 Current Population Survey-ASEC
  - Mincer regression with state fixed effects
  - $w_I^L$  are state fixed effects evaluated at reference category
- $\gamma$ : from earlier estimates
- Baseline estimate  $\varepsilon \approx 0.45$

# Parameters: Energy vs Non-Energy Substitution $\varepsilon$

$$\ln \left( \frac{\alpha_{f,I}}{1 - \alpha_{f,I}} \right) = (1 - \varepsilon) \ln \left( \frac{P_{I,1}}{P_I^{NE}} \left( \frac{\alpha_{f,I,1}}{\alpha_{f,I}} \right)^{-\frac{1}{1-\gamma}} \right) + \phi_f + \xi_{f,I}$$

	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
Price ratio term	0.513*** (0.006)	0.404*** (0.007)	0.510*** (0.006)	0.791*** (0.047)	0.506*** (0.006)	0.421*** (0.007)	0.529*** (0.011)	0.526*** (0.007)
Bootstrap S.E.	(0.129)	(0.160)	(0.125)	(0.081)	(0.129)	(0.096)	(0.192)	(0.129)
Plant level	X							
Industry FE		X						
Asinh			X		X		X	
Exclude coal				X		X		
Weighted					X		X	
Instrument						X		X
N	12,500	22,500	12,500	12,500	12,500	12,500	12,500	7,100
First stage F								3121

Details

## Parameters: Energy vs Non-Energy Substitution $\varepsilon$

$$\ln \left( \frac{\alpha_{f,I}}{1 - \alpha_{f,I}} \right) = (1 - \varepsilon) \ln \left( \frac{P_{I,1}}{P_I^{NE}} \left( \frac{\alpha_{f,I,1}}{\alpha_{f,I}} \right)^{-\frac{1}{1-\gamma}} \right) + \phi_f + \xi_{f,I}$$

- $\alpha_{f,I}$  on left and right-hand side: simultaneity bias if measurement error
  - Solution: instrument  $\alpha_{f,I}$  with lag from 2011 Annual Survey of Manufacturers
- $\gamma$  is a generated regressor
  - Solution: bootstrap over 200 estimates of  $\gamma$
- Other variations:
  - Firm v. establishment
  - Zero values for energy share: inverse hyperbolic sine
  - Coal often missing, some estimates exclude

# Model: Recovering Trilateral Expenditure Flows

Data, Model

$$X_{In} = \sum_i X_{i,ln} \quad Y_{i,I} = \sum_n X_{i,ln}$$

$$X_{i,ln} = \frac{\phi_{i,I}\phi_{ln}}{\sum_{l'}\phi_{i,l'}\phi_{l'n}} \frac{\left(\sum_{l'}\phi_{i,l'}\phi_{l'n}\right)^{1-\rho}}{\sum_{i'}\left(\sum_{l'}\phi_{i',l'}\phi_{l'n}\right)^{1-\rho}} X_n$$

$$\phi_{i,I} \equiv \left(M_i T_{i,I} (\tau_{i,I} c_{i,I})^{-\theta}\right)^{1-\rho} \quad \phi_{ln} \equiv \left(\tau_{ln}^{-\theta}\right)^{\frac{1}{1-\rho}}$$

# Model: Recovering Energy Cost Shares, Illustration

- Two inputs (energy, labor), one sector,  $\varepsilon = \gamma$ ,  $\tilde{\varepsilon} = \tilde{\gamma}$ . Equilibrium:

$$x_i^{1-\tilde{\varepsilon}} = \frac{\sum_l \alpha_{i,l} Y_{i,l}}{\sum_l (1 - \alpha_{i,l}) Y_{i,l}} \quad \forall i$$

$$\alpha_{i,l} = \frac{1}{\tilde{\sigma}_s} \frac{(\tilde{p}_l/x_i)^{1-\varepsilon}}{(\tilde{p}_l/x_i)^{1-\varepsilon} + 1} \quad \forall i, l$$

$$\alpha_l = \sum_i \alpha_{i,l} \frac{Y_{i,l}}{\sum_{i'} Y_{i',l}} \quad \forall l$$

where  $x_i \equiv a_i^E / a_i^L$  and  $\tilde{p}_l \equiv \delta_l^{\frac{1}{1-\varepsilon}} (p_l/w_l)$

- System of equations to solve for  $\{x_i\}$ ,  $\{\alpha_{i,l}\}$  and  $\{\tilde{p}_l\}$  given **data**,  $\tilde{\varepsilon}$ ,  $\varepsilon$

# Carbon Accounting with Multinational Production

For  $k \in \mathcal{K}^M$

$$\mathcal{E}_{hi,jl,ks} = \frac{e_{I,k}}{p_{I,k}} \chi_{hi,jl,ks} X_{i,ln,s}^C$$

- Emission rate (tons/\$):  $\frac{e_{I,k}}{p_{I,k}} = \frac{e_k^{IEA} Q_{I,k}^{IEA}}{Y_{I,k}^{WIOD}}$
- Leontief inverse:  $\{\chi_{hi,jl,ks}\} = (I - \{\alpha_{hi,jl,ks}\})^{-1}$  where  $\alpha_{hi,jl,ks} \equiv \lambda_{h,jl,s}^{model} \alpha_{i,l,ks}^{model}$
- Final sales:  $X_{i,ln,s}^C = \lambda_{i,ln,s}^{model} X_{n,s}^{C,WIOD}$