

# CENG5030 Lab 03: Sparse Conv

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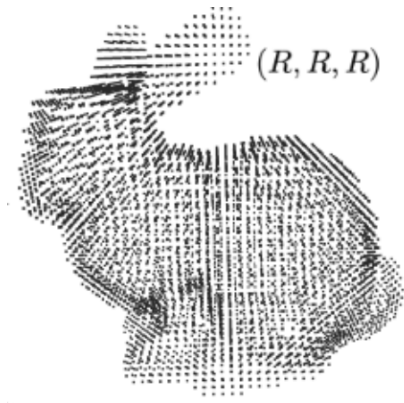
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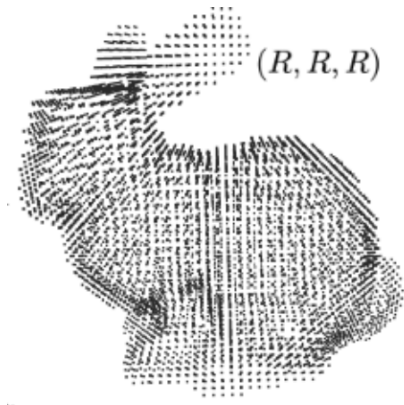
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In real world, we have to handle voxel data sometimes. For example, in point cloud analysis, 3D voxel data is widely used. A simple example is shown here and it can be viewed as  $V \in (1, R, R, R)$ .



Here is a rabbit with shape  $V \in (1, 64, 64, 64)$ . If using traditional convolution to extract its feature, the GPU will out of memory very soon because the input  $V \in (1, 64, 64, 64)$  can be viewed as an image  $I \in (1, 2048, 2048)$ .

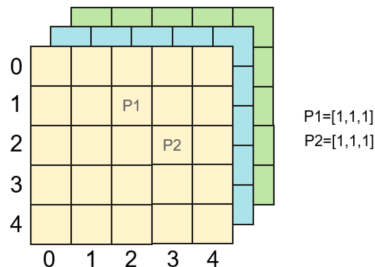


To overcome this issue, we use 3D sparse convolution for voxel data analysis. Sparse convolution only calculate the data points where voxel data exists.



# Submanifold Sparse Convolution

In this Lab, we are going to build a sparse convolution from scratch. Here we use the example input:



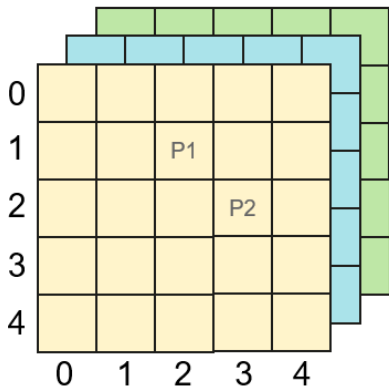
where P1 and P2 has pixel value of 1 in 3 channels.

Firstly, we build a hash table to store the input data. Considering the following case:

```
conv2D(kernel_size=3, out_channels=2, stride=1, padding=0)
```

# Submanifold Sparse Convolution

We can build an input table  $H_{in}$  like this:



$P1=[1,1,1]$

$P2=[1,1,1]$

$H_{in}$

0	(2,1)
1	(3,2)

# Submanifold Sparse Convolution

Then we build an output hash table. Firstly, we generate a  $P_{out}$  table as follow:

		P1		

P1		

(0,0)



# Submanifold Sparse Convolution

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		P1		

P1	P1	

(0,0)
(1,0)

# Submanifold Sparse Convolution

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		P1		

P1	P1	P1

(0,0)
(1,0)
(2,0)

# Submanifold Sparse Convolution

Then we build an output hash table. Firstly, we generate a  $P_{out}$  table as follow:

		P1		

P1	P1	P1
P1		

(0,0)
(1,0)
(2,0)
(0,1)

# Submanifold Sparse Convolution

Then we build an output hash table. Firstly, we generate a  $P_{out}$  table as follow:

		P1		

P1	P1	P1
P1	P1	

(0,0)
(1,0)
(2,0)
(0,1)
(1,1)

# Submanifold Sparse Convolution

Then we build an output hash table. Firstly, we generate a  $P_{out}$  table as follow:

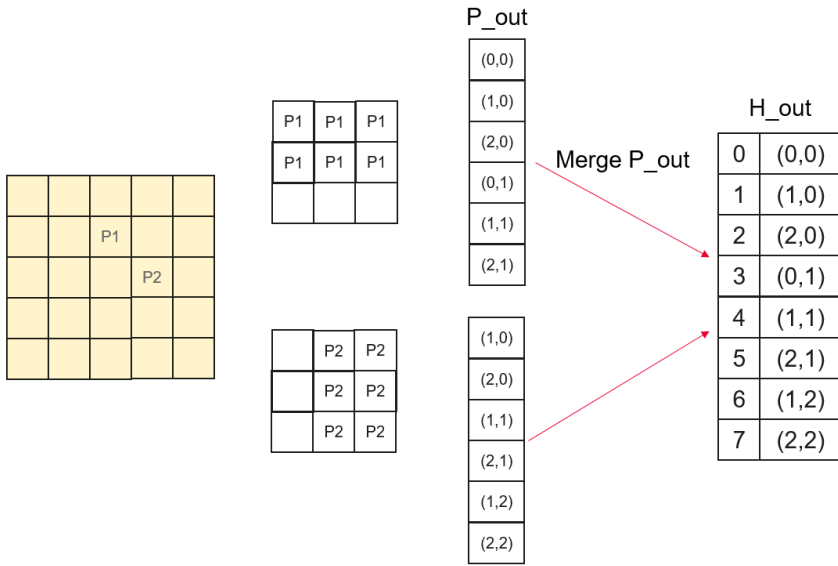
		P1		

P1	P1	P1
P1	P1	P1

(0,0)
(1,0)
(2,0)
(0,1)
(1,1)
(2,1)

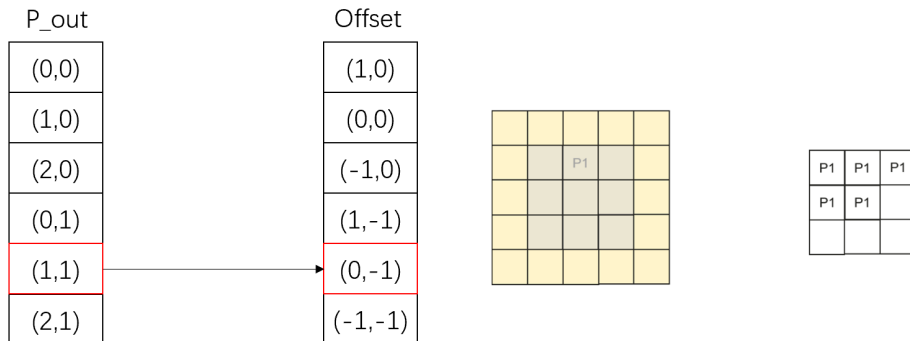
# Submanifold Sparse Convolution

After applying the same process to  $P_2$ , we get an output hash table  $H_{out}$  via  $P_{out}$  merging:



# Submanifold Sparse Convolution

- Next we build up a Rulebook to realize  $H_{in}$  to  $H_{out}$ .
- To build the rule book, we have to build an offset map like this:



Quick question, please write the offset map of  $P_2$  by yourself.

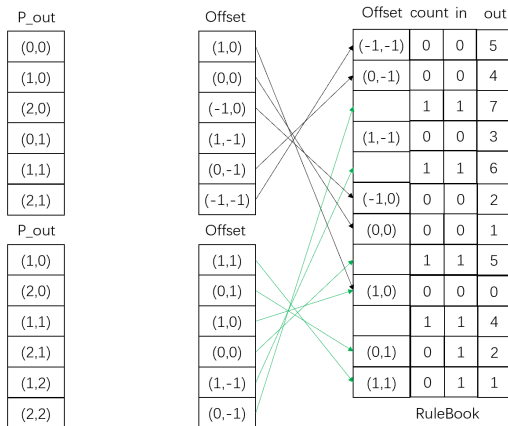


The offset map of  $P_2$  is:

P_out	Offset
(1,0)	(1,1)
(2,0)	(0,1)
(1,1)	(1,0)
(2,1)	(0,0)
(1,2)	(1,-1)
(2,2)	(0,-1)

# Submanifold Sparse Convolution

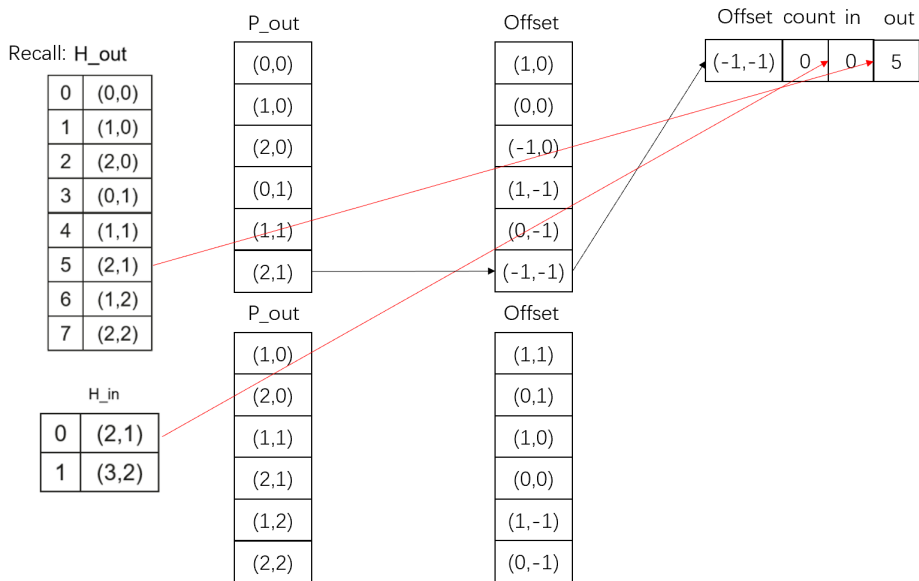
After obtaining the offset map, we can finally build up the rule book as follow:



The rulebook has 4 cloumn. The first column is offset and the second is the count. The third and fourth columns are the index of  $H_{in}$  and  $H_{out}$ .

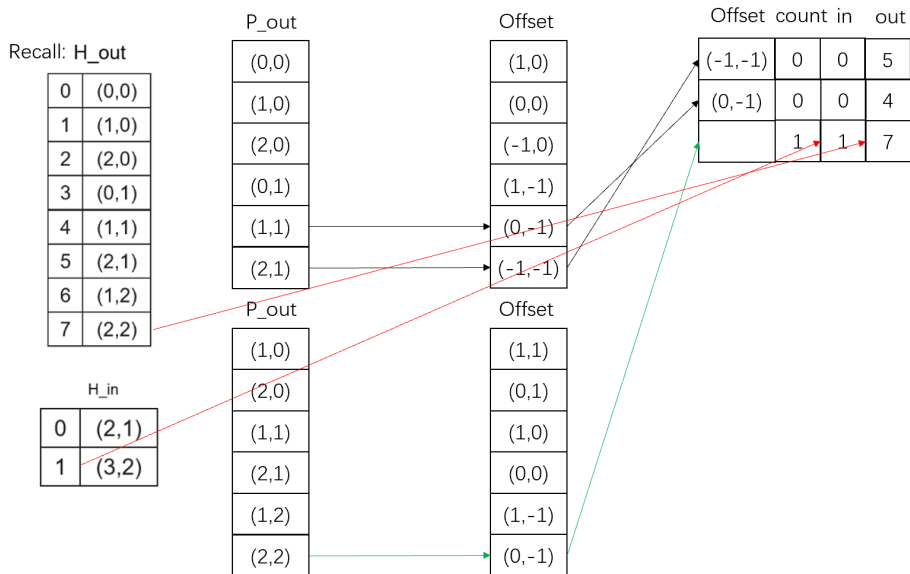
# Submanifold Sparse Convolution

Recalling the  $H_{in}$  and  $H_{out}$ , the rulebook is generated as follow:



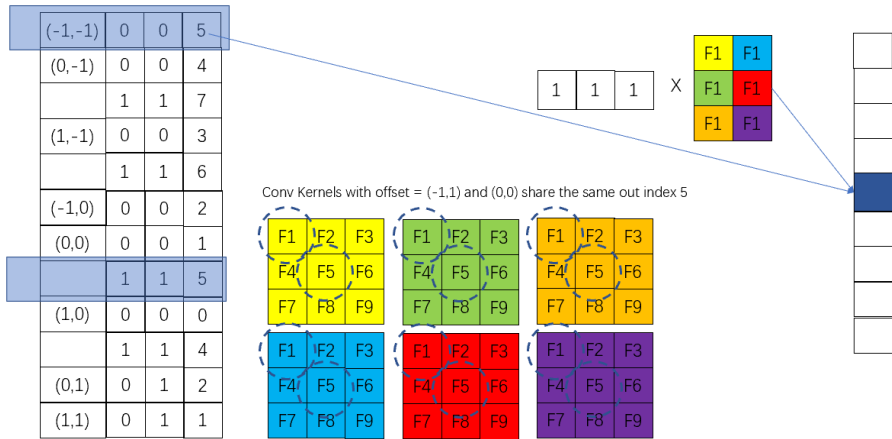
# Submanifold Sparse Convolution

If the offset already exists, we simply add 1 in count:



# Submanifold Sparse Convolution

After getting rulebook, we can apply sparse convolution:



For  $P_1$ , the results are shown above, which are the blue points in the 5th row. Please practice  $P_2$  by yourself.

**THANK YOU!**