

Evaluating math

aka using Stacks to implement Dijkstra's "Shunting
Yard Algorithm."

All the code is on Github if you
want to follow along or try the
challenges.

<https://github.com/tylerprete/evaluate-math>

What are we trying to accomplish?

- ◆ We'd like to accept mathematical expressions, such as " $9 - (1 + 3) * 2$ " and evaluate them.
- ◆ In this case, that'd be 1.

Luckily for us, in
1961, Dr. E.W.
Dijkstra figured out
how to do this.

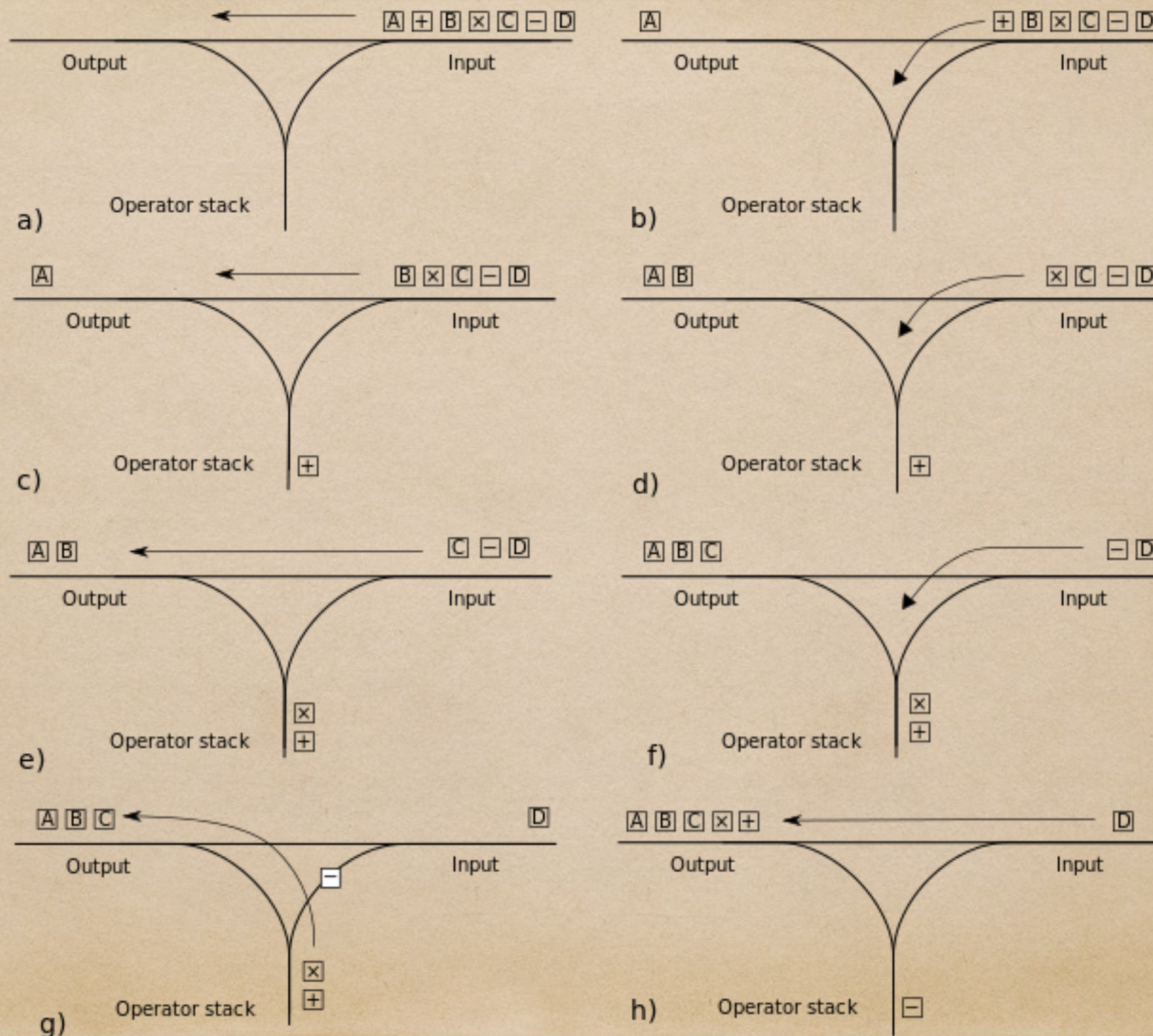
He'd called it the Shunting-
Yard Algorithm, which is a
British name for places
where trains switch rails.

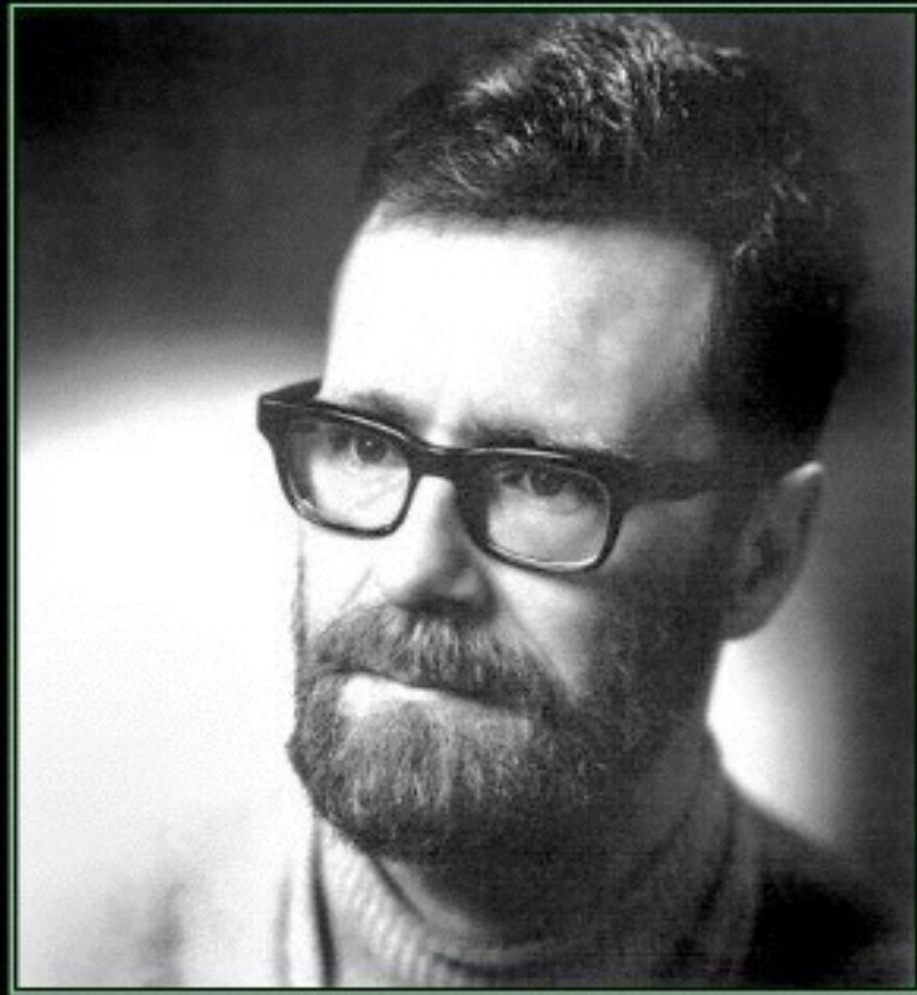
ELECTRICALLY OPERATED SHUNTING



n Hump Shunting Yard, on the Sou

Maybe you can see the resemblance?





Edsger W. Dijkstra

Object-oriented
programming is an
exceptionally bad idea
which could only have
originated in California

QUICK AND DIRTY

I Would Not Like It.

*I don't know how many of you have ever met Dijkstra,
but you probably know that arrogance in computer science
is measured in nano-Dijkstras. Alan Kay.*

But first, we'll take a detour

- ◆ Did anyone use an HP graphing calculator in school, rather than one of those TI-83s?
- ◆ They use a notation called Reverse Polish Notation (RPN), also known as Postfix.

Postfix (RPN)

- ◆ In normal (aka Infix) notation, we write " $9 - (1 + 3) * 2$ ".
- ◆ In Postfix, we'd write that " $9\ 1\ 3\ +\ 2\ *\ -$ ".

Why on earth would you do that?

- ◆ We get rid of precedence issues! Once it's written in postfix, we can evaluate rather simply.
- ◆ I'll give a demonstration on the whiteboard.

Introducing... The Stack!

Just like that stack of books, we can add items to a stack, but we can only get to the book on top.



Let's evaluate postfix!

- ◆ Demonstration time. For now we'll assume we can convert normal expressions to postfix. Let's use a stack to evaluate them!
- ◆ This'll be done live... I didn't feel like making slides for this.

Infix (the whole enchilada)

- ◆ Now that we can evaluate postfix, let's convert infix to postfix, and evaluate that.
- ◆ We solve a hard problem by first converting it to an easier one that we already know how to solve.
- ◆ This a common pattern in CS, and is something to watch out for.

Infix

- ◆ Once again, we'll be using a Stack, and we'll be writing this together. There's really just too much to go over in slides.

Challenge Problem!

- ◆ A similar problem to what we've gone over is detecting if parenthesis (and/or brackets) in an expression are balanced.
- ◆ “([])”, for example, is balanced.
- ◆ “([)]” and “(())” are not.

Challenge Problem!

- ◆ I've written some tests for you if you'd like to give it a try. The files are in the balanced folder in the Github repo for this code.
- ◆ (<https://github.com/tylerprete/evaluate-math>)