CSE 12 — Basic Data Structures and Object-Oriented Design Lecture 10

Greg Miranda, Fall 2020

Announcements

- Quiz 10 due Monday @ 9am
- Survey 3 due tonight @ 11:59pm
- PA3 due Wednesday @ 11:59pm *practice & submit rften
- Exam 1 next Friday
 - Released @ 8am on FridayCloses @ 12pm on Saturday 28 hours -> 60 min untes

 - More details to be released on Piazza soon

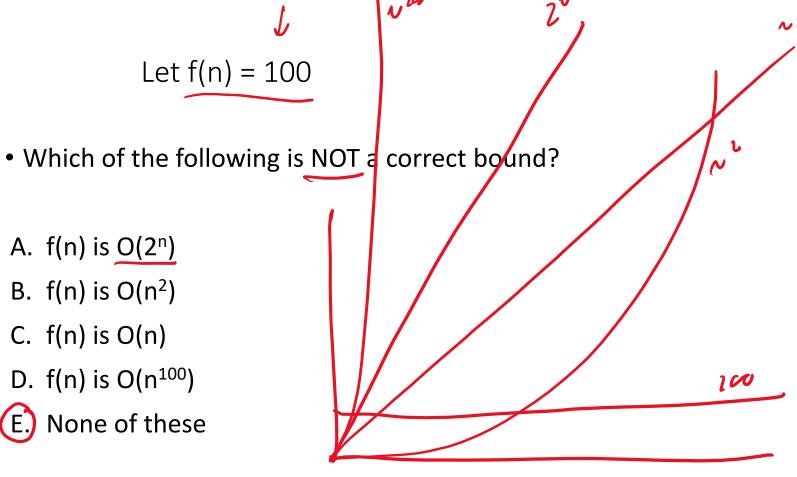
Topics

- Questions on Lecture 10?
- Big O

Questions on Lecture 10?

Let
$$f(n) = 100$$

- 2 A. f(n) is $O(2^n)$
 - B. f(n) is $O(n^2)$
 - C. f(n) is O(n)
 - D. f(n) is $O(n^{100})$
- 18 E. None of these



For each function in the list below, it is related to the function below it by O, and the reverse is **not** true. That is, $n ext{ is } O(n^2)$ but $n^2 ext{ is } \textbf{not } O(n)$.

Big O upper bowd.

(Big S2 lover bound.

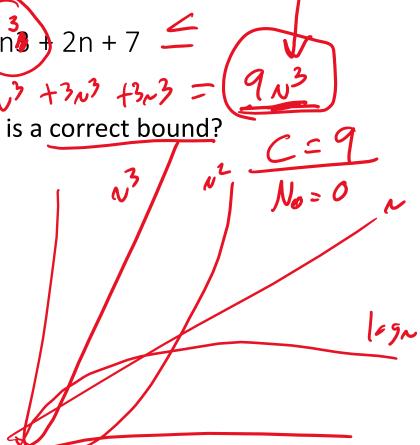
13is & tight bound.

Let
$$f(n) = 3n^3 + 2n + 7$$

$$3n^3 + 3n^3 + 3n^3 + 3n^3 = 9n^3$$
• Which of the following is a correct bound?



E. None of these



```
void printAllElementOfArray(int[] arr) {
  for (int i = 0; i < arr.legnth; i++) {
    printf("%d\n", arr[i]);
```

Which of the following is a correct bound?

void printAllPossibleOrderedPairs(int arr[]) {
 for (int i = 0; i < arr.length; i++) {
 for (int j = 0; j < arr.length; j++) {
 printf("%d = %d\n", arr[i], arr[j]);
 }
 2 + 2
$$\nu$$
 + ν + ν (2 + 3 ν)

• Which of the following is a correct bound?

(E) More than one of these

3 D. f(n) is $O(n^3)$

$$\frac{2+2\nu+3\nu^{2}}{2+4\nu+3\nu^{2}}$$

• Which of the following is a correct bound?

$$\oint (A) f(n) \text{ is } O(2^n) \\
\downarrow f(n) \text{ is } O(n^2) \\
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\downarrow f(n) \text{ is } O(n) \\
\downarrow f(n) \text{ is } O(n) \\
\downarrow f(n) \text{ is } O(n^3) \\$$
• Which of the following is a correct bound?

$$f(x) = 1 + f(x^{-1}) + f(x^{-1})^{2} \\
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