

CMPE110 Lecture 06

Instruction Set Architecture III

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<https://canvas.ucsc.edu/courses/12652>



Announcements



Review





RISC-V Constants

Often want to specify a constant operand in the instruction

Constant == immediate == literal == offset

Use the `addi` instruction

`addi dst, src1, immediate`

The immediate is a 12 bit signed value between -2^{11} and $2^{11}-1$

Example:

C: `a++;`

RISC-V: `addi x1, x1, 1 # a = a + 1`





Data Transfer Instructions: Loads

Data transfer instructions have three parts

Operator name (defines the transfer size as well)

Destination register

Base register address and constant offset

```
ld dst, offset(base)
```

Offset value is a 12-bit unsigned constant (immediate)





Instruction Set Architecture III

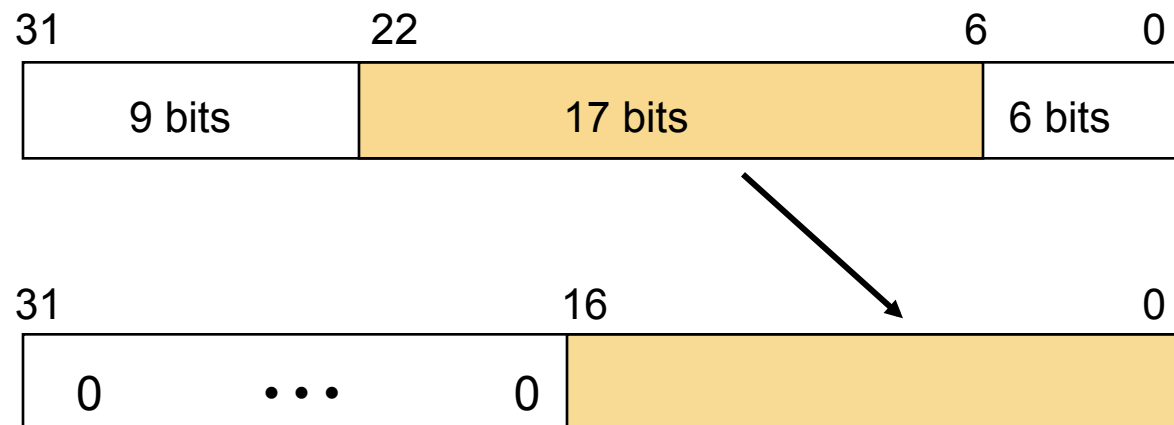
- Extra tricks
- Changing flow control
- Procedure calls





Extra tricks: Logical Operators

Bitwise operators often useful for bit manipulation



```
sll xt0, xt3, 9 # shift xt3 left by 9, store in xt0  
srl xt0, xt0, 15 # shift xt0 right by 15
```

Tip: always operate unsigned except for arithmetic shifts





Extra Tricks: Loading a 32 bit Constant

RISC-V only has 12 bits of immediate value

Could load from memory

But still have to generate memory address

Use `lui` and `ori` to load `0xdeadbeef` into `xa0`

```
lui xa0, 0xdeadb          # xa0 = 0xdeadb000
ori xa0, xa0, 0xeef        # xa0 = 0xdeadbeef
```





Changing Flow Control





Changing Control Flow

Programs have complex flow control

- If-then-else and case statements

- Loops (if, while, ...)

- Function/method/procedure calls

Control flow operations: two types

- Conditional branch instructions are known as branches

- Unconditional changes in the control flow are called jumps

The target of the branch/jump is a label

- Label identifies a location in a program





RISC-V Conditional Branch

The simplest conditional test is the `beq` instruction for equality

```
beq reg1, reg2, label
```

Consider the code

```
    if (a == b) goto L1;
    a = a + c;
L1:  // Continue
```

Use the `beq` instruction

```
    beq x1, x2, label (label is an immediate added to PC)
    add x1, x1, x2
    ...
L1:  # Continue
```





RISC-V Unconditional Jump

The `j` instruction jumps to a label

`j label`

This is essentially a goto statement

PC relative addressing (what is a label?)

- Labels have to be 0s and 1s as well 😊
- Assembler translates labels into immediate
- Immediate is added to PC
- Enables jump within (+/-) 2^{18} of current PC

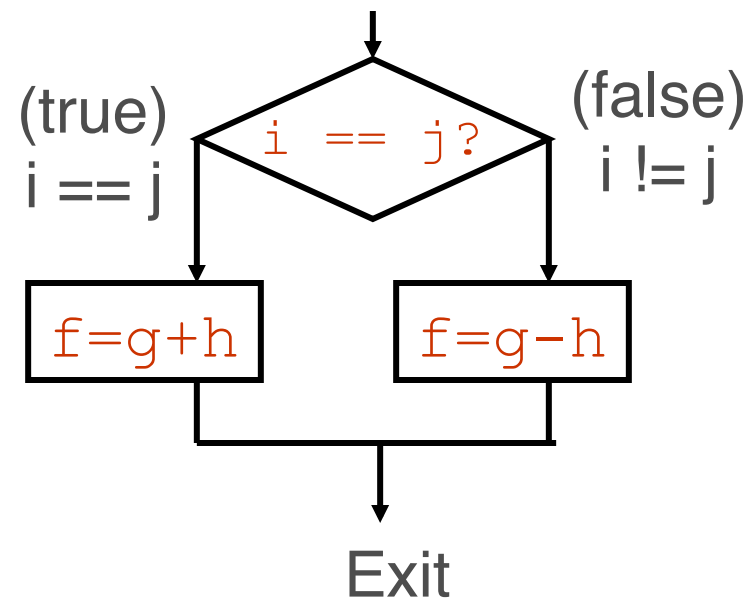




If-then-else Example

Consider the code

```
if (i == j) f = g + h;  
else f = g - h;
```

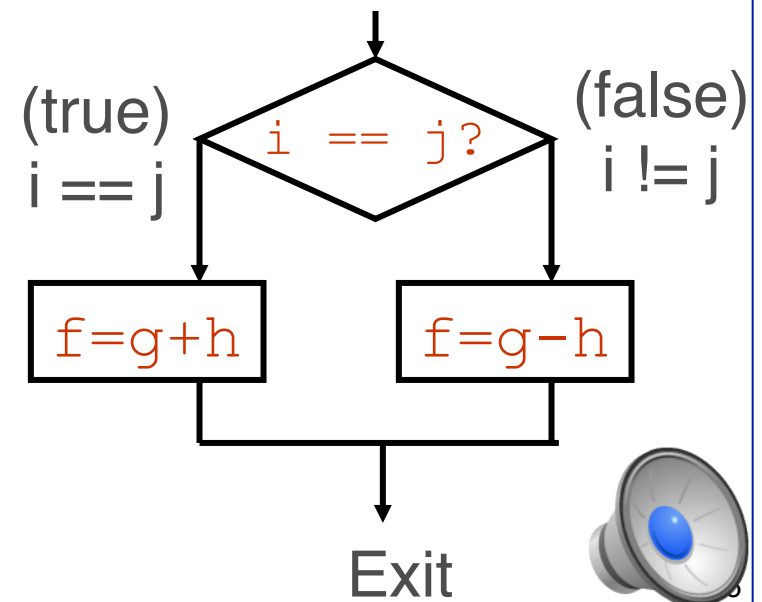




If-then-else Example

Create labels and use equality instruction

```
        beq x3, x4, True      # Branch if i == j
False:   subu x0, x1, x2      # f = g - h
        j Exit               # Go to Exit
True:    add x0, x1, x2       # f = g + h
Exit:
```



RISC-V Jumps & Branches



Instruction	Example	Meaning
jump	j L	goto L
jump register	jr x1	goto value in x1
jump and link	jal L	goto L and set xra
jump and link register	jalr x1	goto x1 and set xra

xra = return address register

branch equal	beq x1, x2, L	if (x1 == x2) goto L
branch not eq	bne x1, x2, L	if (x1 != x2) goto L
branch l.t. 0	bltz x1, L	if (x1 < 0) goto L
branch l.t./eq 0	blez x1, L	if (x1 <= 0) goto L
branch g.t. 0	bgtz x1, L	if (x1 > 0) goto L
branch g.t./eq 0	bgez x1, L	if (x1 >= 0) goto L





Branch on Other Comparisons

How do we branch on other comparisons?

$<$, $>$, \leq , \geq

Two instruction solution

A comparison instruction with binary outputs (e.g., `slt` = set less than)

An equality/inequality branch on the comparison output

Consider the following C code

```
if (f < g) goto Less;
```

Solution

```
slt xt0, xs0, xs1  
bne xt0, xzero, Less
```

```
# xt0 = 1 if xs0 < xs1  
# Goto Less if xt0 != 0
```



RISC-V Comparisons



Instruction	Example	Meaning	Comments
set less than	<code>slt x1, x2, x3</code>	$x1 = (x2 < x3)$	comp less than signed
set less than imm	<code>slti x1, x2, 100</code>	$x1 = (x2 < 100)$	comp w/const signed
set less than uns	<code>sltu x1, x2, x3</code>	$x1 = (x2 < x3)$	comp < unsigned
set l.t. imm. uns	<code>sltiu x1, x2, 100</code>	$x1 = (x2 < 100)$	comp < const unsigned

C

$$A < B = B > A$$
$$!(A < B) = A \geq B$$

if (a < 8)

Assembly

```
slti xv0,xa0,8           # xv0 = a < 8
beq  xv0,xzero, Exceed    # goto Exceed if xv0 == 0
```





While loop in C

Consider a `while` loop

```
while (A[i] == k)
    i = i + j;
```

Any idea?

assume `i` in `x0`, `j` in `x1`, `k` in `x2`, `&A[0]` in `x3`

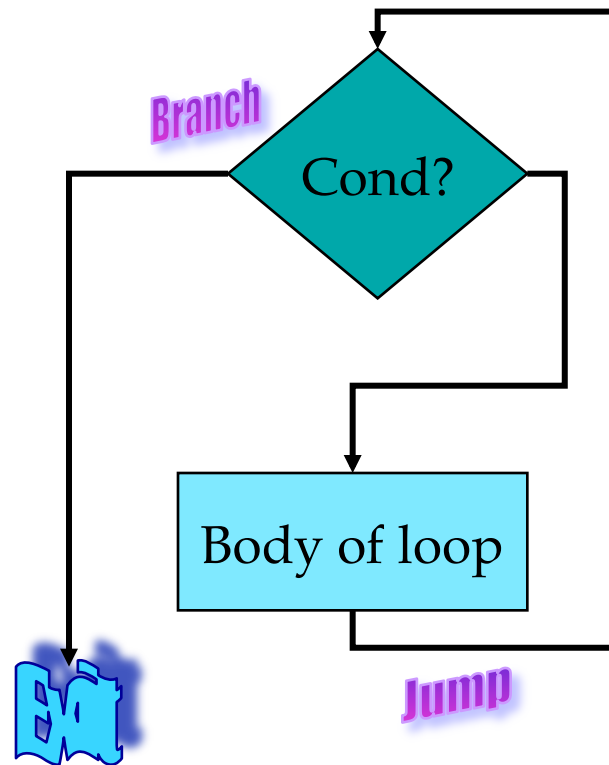
Loop:	<code>sll xt0, x0, 2</code>	<code># xt0 = 4 * i</code>
	<code>addu xt1, xt0, x3</code>	<code># xt1 = &(A[i])</code>
	<code>lw xt2, 0(xt1)</code>	<code># xt2 = A[i]</code>
	<code>bne xt2, x2, Exit</code>	<code># goto Exit if !=</code>
	<code>addu x0, x0, x1</code>	<code># i = i + j</code>
	<code>j Loop</code>	<code># goto Loop</code>
Exit:		



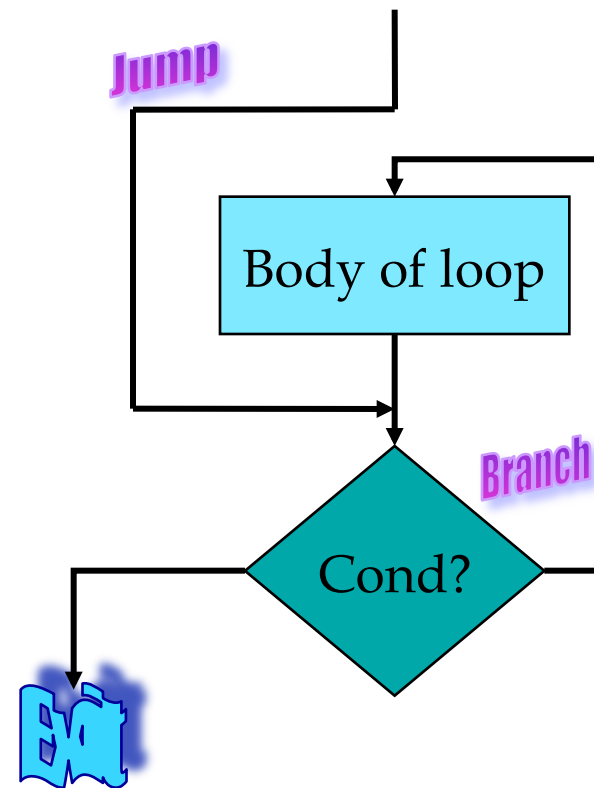


Improve Loop Efficiency

Two branches/iteration:



Better structure:



Improved Loop Solution



Remove extra jump from loop body

```
        j Cond                # goto Cond
Loop:   addu xs0, xs0, xs1     # i = i + j
Cond:   sll xt0, xs0, 2        # xt0 = 4 * i
        addu xt1, xt0, xs3     # xt1 = &(A[i])
        lw xt2, 0(xt1)         # xt2 = A[i]
        beq xt2, xs2, Loop     # goto Loop if ==
Exit:
```

Reduced loop from 6 to 5 instructions

Even small improvements important if loop executes many times





For Loops?

- How do you implement a for loop?





While Loop

```
while (Test)  
    Body
```



```
    goto test;  
loop:  
    Body  
test:  
    if (Test)  
        goto loop;
```





For Loop

```
for (Init; Test; Update )  
    Body
```



```
Init;  
    goto test;  
loop:  
    Body  
    Update ;  
test:  
    if (Test)  
        goto loop;
```





For Loop Example

```
/* Sum an array of numbers a of length n */  
int sum_array(int *a, int n) {  
    int result = 0;  
    int i ;  
    for (i=0; i<n; i++) {  
        result += a[i];  
    }  
    return result;  
}
```





For Loop Example

```
/* Sum an array of numbers a
of length n */
int sum_array(int *a, int n)
{
    int result = 0;
    int i ;
    for (i=0; i<n; i++) {
        result += a[i];
    }
    return result;
}
```

```
/* Sum an array of numbers */
int sum_array(int *a, int n) {
    int result = 0;
    int i ;
    i=0 ;
    goto test ;
loop:
    result += a[i] ;
    i++ ;
test:
    if(i<n) goto loop ;

    return result;
}
```





For Loop Example

```
# xa0=a, xa1=n, xv0=result
# xt0=i
sum_array:
    add xv0,x0,x0    # result = 0 ;
    add xt0,x0,x0    # i=0 ;
    j test ;
loop:
    sll xt1,xt0,2    # xt1=i*4
    add xt1,xa0,xt1  # &(a[i])
    lw  xt1,0(xt1)   # a[i]
    add xv0,xt1,xv0  # result += a[i]
    addi xt0,xt0,1   # i++
test:
    slt xt1,xt0,xa1  # xt1 = (i<n)
    bne xt1,x0,loop  # if(i<n) goto loop
```





Switch Statements

```
typedef enum {ADD, MULT, MINUS, DIV,  
             MOD, BAD} op_type;
```

```
char unparse_symbol(op_type op)  
{  
    switch (op) {  
        case ADD :  
            return '+';  
        case MULT:  
            return '*';  
        case MINUS:  
            return '-';  
        case DIV:  
            return '/';  
        case MOD:  
            return '%';  
        case BAD:  
            return '?';  
    }  
}
```

■ Implementation Options:

1. Series of conditional branches
 - Good if few cases; slow if many
 2. Jump table to lookup branch target
 - Use jr to unconditionally jump to address stored in a register
 - jr dest # Jump to xdest
 - Avoids conditional branches
 - Possible when cases are small integer constants and dense
- C compiler picks based on case structure





Jump Table Structure

Switch Form

```
switch(op) {  
  case val_0:  
    Block 0  
  case val_1:  
    Block 1  
    . . .  
  case val_n-1:  
    Block n-1  
}
```

Jump Table

jtab:

Targ0
Targ1
Targ2
.
.
.
Targn-1

Jump Targets

Targ0:

Code Block
0

Targ1:

Code Block
1

.

.

.

Targn-1:

Code Block
n-1

Implementation

```
target = JTab[op];  
goto *target;
```





Switch Statement Code

```
typedef enum
{ADD, MULT, MINUS, DIV, MOD, BAD}
  op_type;
char unparse_symbol(op_type op)
{
  switch (op) {
    . . .
  }
```

Enumerated Values

ADD	0
MULT	1
MINUS	2
DIV	3
MOD	4
BAD	5

```

    slt      xt0, xa0, x0          # xt0 = 1 if op < 0
    bne      xt0, x0, Exit        # if op < 0 goto Exit
    slti     xt0, xa0, 6          # xt0 = 1 if op < 6
    beq      xt0, x0, Exit        # if op >= 6 goto Exit
    slli     xt1, xa0, 2          # xt1 = 4 * op
    add      xt2, xt1, xt4        # xt2 = &(JumpTable[op])
                                     # assumes xt4=JumpTable
    lw       xt3, 0(xt2)          # xt3 = JumpTable[op]
    jr       xt3                  # jump to JumpTable[op]
```





Homework: C Example

Simple C procedure: $\text{sum_pow2}(b,c) = 2^{b+c}$

```
1: int sum_pow2(int b, int c)
2: {
3:     int pow2 [8] = {1, 2, 4, 8, 16, 32, 64, 128};
4:     int a, ret;
5:     a = b + c;
6:     if (a < 8)
7:         ret = pow2[a];
8:     else
9:         ret = 0;
10:    return(ret);
11: }
```

Homework: sum_pow2 Assembly



```
sum_pow2:                                # xa0 = b, xa1 = c
    addu  xa0,xa0,xa1                     # a = b + c, xa0 = a
    slti  xt0,xa0,8                       # xt0 = a < 8
    beq   xt0,xzero, Exceed               # goto Exceed if xt0 == 0
    addiu xt1,xsp,8                       # xt1 = pow2 address
    sll   xt0,xa0,2                       # xt0 = a*4
    addu  xt0,xt0,xt1                     # xt0 = pow2 + a*4
    lw    xt0,0(xt0)                      # xt0 = pow2[a]
    j     Return                           # goto Return
Exceed:  addu  xt0,xzero,xzero             # xt0 = 0

Return:  jr   ra                           # return sum_pow2
```



Branching Far Away

If the target is more than -2^{11} to $2^{11}-1$ words away, then the compiler inverts condition and inserts an unconditional jump

Consider the example where L1 is far away

```
beq xs0, xs1, L1          # goto L1 if Sx0=xs1
```

Can be rewritten as

```
bne xs0, xs1, L2          # Inverted
j  L1                     # Unconditional jump
```

L2:

Compiler must be careful not to cross 1 GB boundaries with jump instructions

More on this in a couple of slides



Procedure Call and Return

- Procedures are required for structured programming
 - Aka: functions, methods, subroutines, ...
- Implementing procedures in assembly requires several things
 - Memory space must be set aside for local variables
 - Arguments must be passed in and return values passed out
 - Execution must continue after the call
- Just a single new instruction needed
 - A variation of jump (jump and link)
 - The rest is software (using instructions we already know)



Procedure Call Steps

1. Place parameters in a place where the procedure can access them
2. Transfer control to the procedure
 - Some kind of jump
3. Allocate the memory resources needed for the procedure
4. Perform the desired task (procedure body)
5. Place the result value in a place where the calling program can access it
6. Free the memory allocated in (3)
7. Return control to the point of origin

Call and Return Implementation



- Call: jump & link instruction (`jal target`)
 - Store PC+4 in register \$31 (\$ra)
 - Jump to target
- Return: `jr $ra`
- Arguments: \$a0 - \$a3
 - By software convention
- Return values: \$v0, \$v1
 - By software convention



Complications

- What if function has >4 arguments?
 - Or an unknown number of arguments
- What if function returns >8 bytes?
- What if the function calls another function
 - $A() \rightarrow B() \rightarrow C() \rightarrow$
 - Recursion: $A() \rightarrow A() \rightarrow A() \rightarrow$



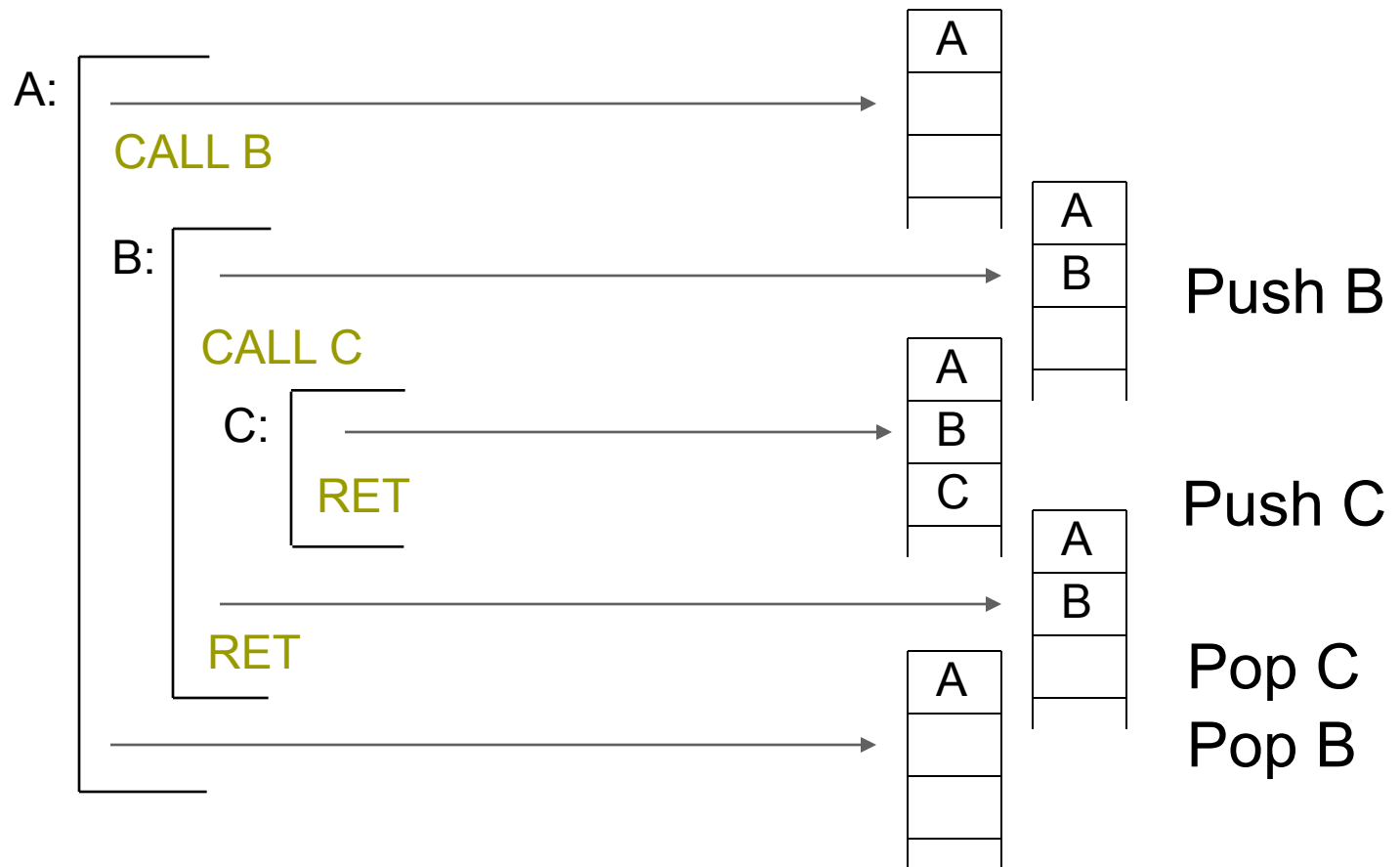
Stack-Based Languages

- Languages that support recursion (C, C++, Java, ...)
 - Code must be “reentrant”
 - Multiple simultaneous instantiations of single procedure
 - Need someplace to store state of each instantiation
 - Arguments, local variables, return pointer
- Stack discipline (last in, first out)
 - State for given procedure needed for limited time
 - From when called to when return
 - Callee returns before caller does → LIFO
 - Stack allocated in frames

Nested Stacks



- The stack grows downward and shrinks upward





Call/Return Conventions

- Need common rules and layouts
 - To allow multi-procedure programs to work robustly
 - Procedures may be compiled and distributed separately
- Common conventions for MIPS
 - Stack grows downwards
 - Entire procedure frame is pushed and popped
 - Rather than single elements
 - Conventions for register use
 - More on this soon
- No special connection to HW here
 - All implemented with regular instructions
 - Alternative conventions would probably work as well

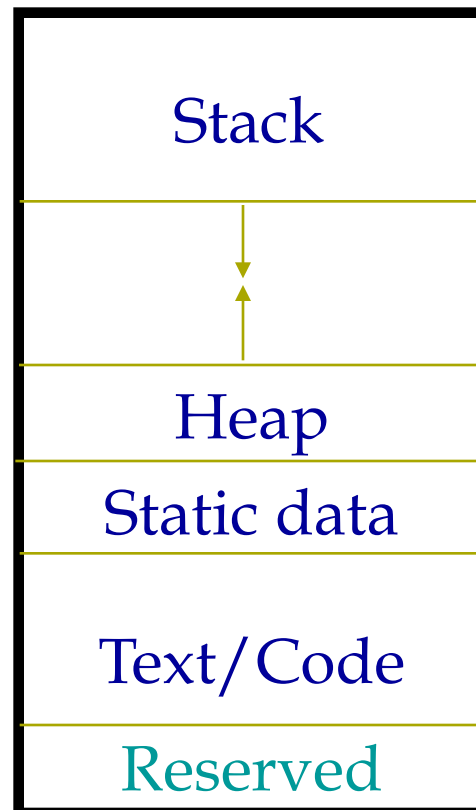


MIPS Storage Layout (Software Convention)

$\$sp = 7\text{ffffff}_{16}$

$\$gp = 10008000_{16}$
 10000000_{16}

400000_{16}

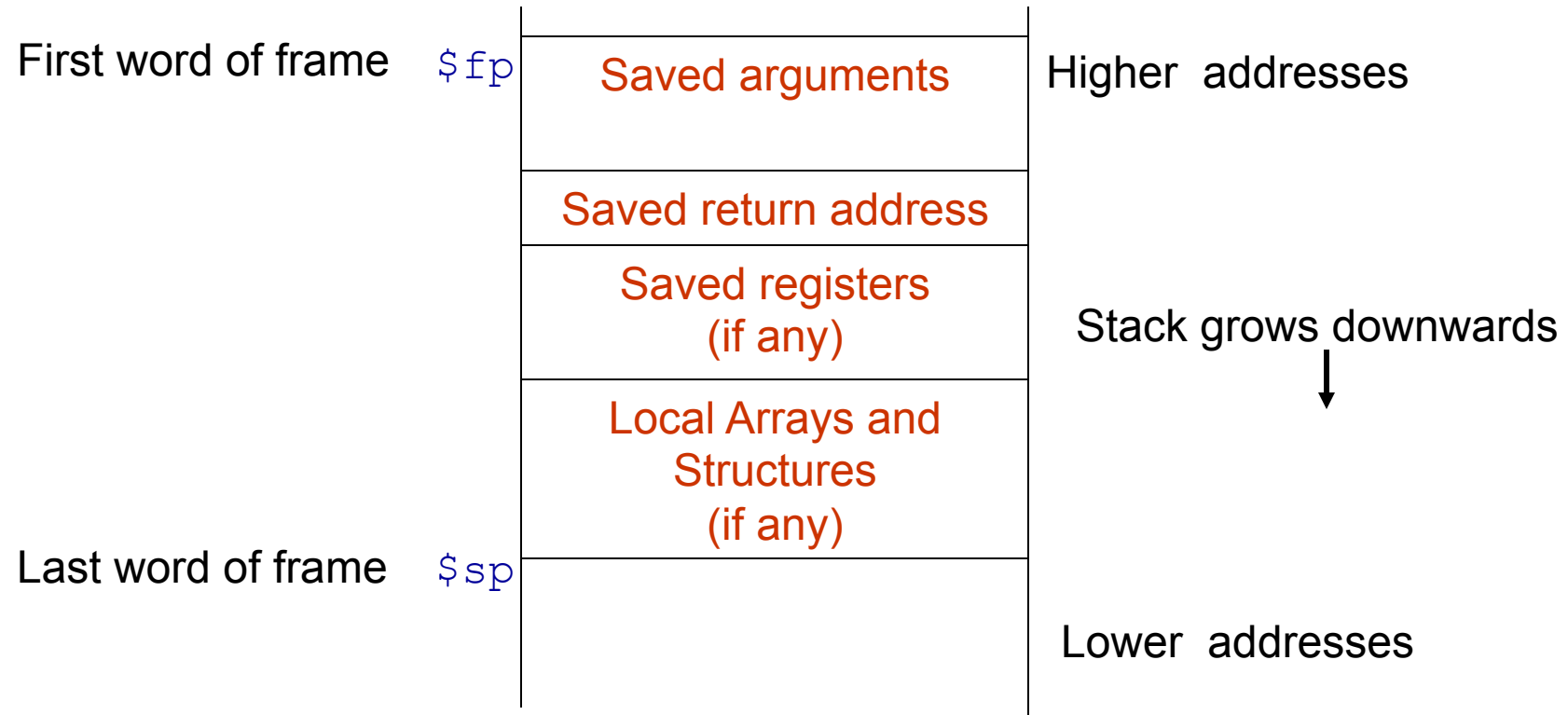


Stack and heap grow
towards one another
to maximize storage
use before collision



Procedure Activation Record or Frame

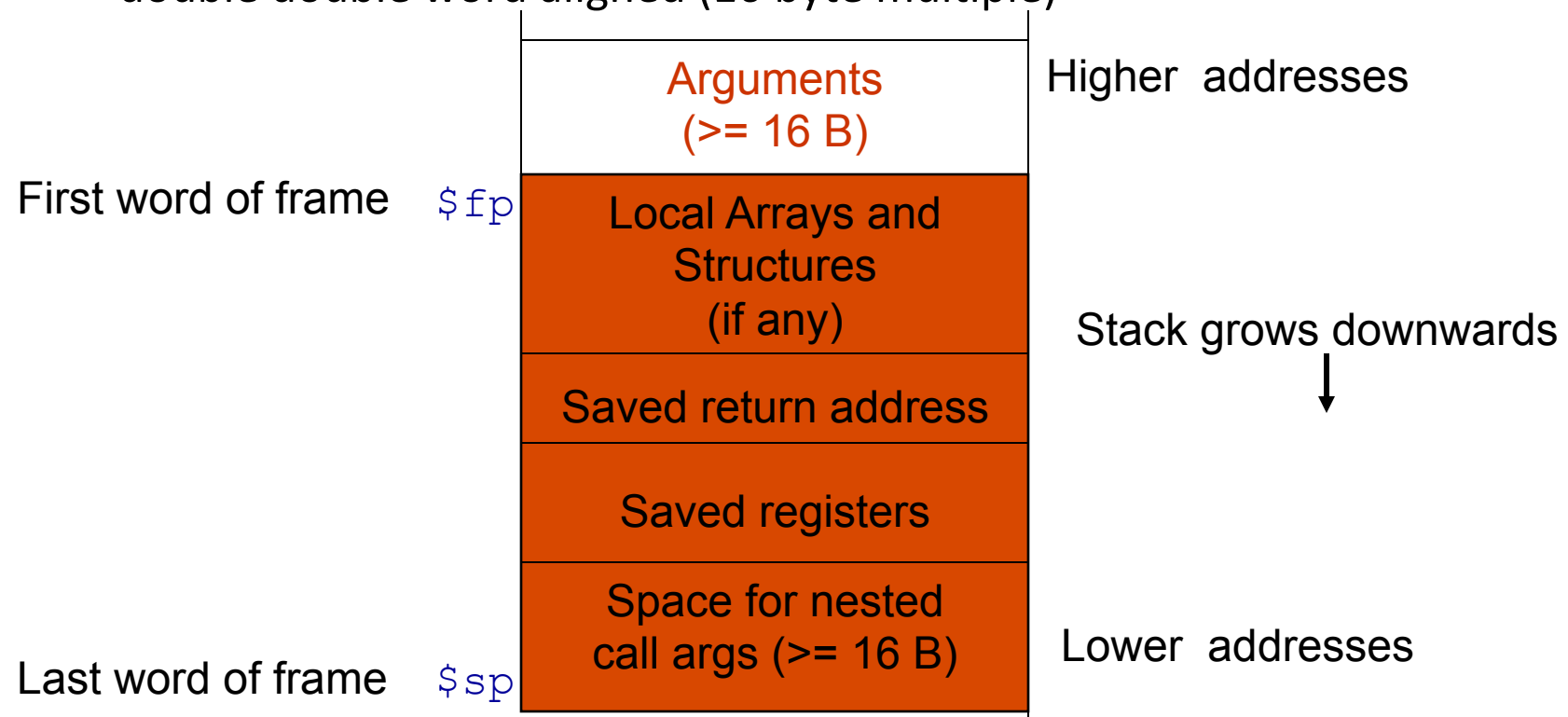
- Each procedure creates an activation record on stack





Procedure Activation Record (Frame) -SGI/GCC Compiler

- Each procedure creates an activation record on the stack
 - At least 32 bytes by convention to allow for \$a0-\$a3, \$ra, \$fp and be double double word aligned (16 byte multiple)





Register Assignments Calling Convention

0	\$zero	Zero constant (0)	16	\$s0	Temporaries: callee saved
1	\$at	Reserved for assembler	...		
2	\$v0	Expression results	23	\$s7	
3	\$v1		24	\$t8	Temporary (cont'd)
4	\$a0	Arguments	25	\$t9	
5	\$a1		26	\$k0	Reserved for OS kernel
6	\$a2		27	\$k1	
7	\$a3		28	\$gp	Pointer to global area
8	\$t0	Temporaries: caller saved	29	\$sp	Stack Pointer
...			30	\$fp	Frame Pointer
15	\$t7		31	\$ra	Return address



Caller vs. Callee Saved Registers

Callee Saved	Caller Saved
Saved registers (\$s0-\$s7)	Temporary registers (\$t0-\$t9)
Stack/frame pointer (\$sp, \$fp, \$gp)	Argument registers (\$a0-\$a3)
Return address (\$ra)	Return values (\$v0-\$v1)

- Callee saved registers (preserved for caller)
 - Save register values on stack prior to use
 - Restore registers before return
- Caller saved registers (not preserved for caller)
 - Do what you please and expect callees to do likewise
 - Should be saved by the caller if needed after procedure call



Call and Return: the Details

■ Caller

- Save caller-saved registers $\$a0-\$a3$, $\$t0-\$t9$ as needed
- Load arguments in $\$a0-\$a3$, rest passed on stack
- Execute `jal`

■ Callee setup

1. Allocate memory for new frame ($\$sp = \$sp - \text{frame}$)
2. Save callee-saved registers $\$s0-\$s7$, $\$fp$, $\$ra$ **as needed**
3. Set frame pointer ($\$fp = \$sp + \text{frame size} - 4$)

■ Callee return

- Place return value in $\$v0$ and $\$v1$
- Restore any callee-saved registers
- Pop stack ($\$sp = \$sp + \text{frame size}$)
- Return by `jr $ra`

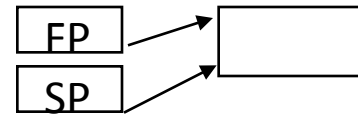
■ Caller

- Restore any caller-saved registers as needed



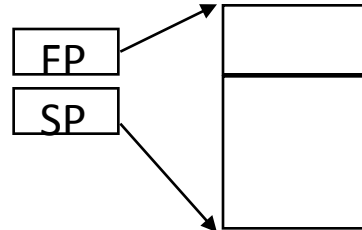
Calling Convention Steps

Before call:



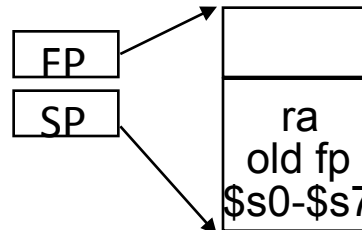
First four arguments
passed in registers

Callee
setup; step 1



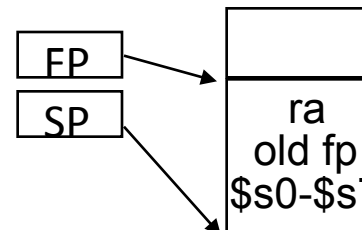
Adjust SP

Callee
setup; step 2



Save registers as needed

Callee
setup; step 3



Adjust FP



Simple Example

```
int foo(int num)          foo:
{
    return(bar(num + 1));
}

int bar(int num)
{
    return(num + 1);
}

                                addiu    $sp, $sp, -32 # push frame
                                sw        $ra, 28($sp) # Save $ra
                                sw        $fp, 24($sp) # Save $fp
                                addiu    $fp, $sp, 28 # Set new $fp
                                addiu    $a0, $a0, 1 # num + 1
                                jal       bar        # call bar
                                lw        $fp, 24($sp) # Restore $fp
                                lw        $ra, 28($sp) # Restore $ra
                                addiu    $sp, $sp, 32 # pop frame
                                jr        $ra        # return

                                bar:
                                addiu    $v0, $a0, 1 # leaf procedure
                                jr        $ra        # with no frame
```



Factorial Example

```
int fact(int n)
{
    if (n <= 1)
        return(1);
    else
        return(n*fact(n-1));
}
```

```
fact:  slti    $t0, $a0, 2      # n < 2
        beq    $t0, $zero, skip # goto skip
        ori    $v0, $zero, 1   # Return 1
        jr     $ra             # Return
skip:  addiu   $sp, $sp, -32    # $sp down 32
        sw     $ra, 28($sp)    # Save $ra
        sw     $fp, 24($sp)    # Save $fp
        addiu  $fp, $sp, 28    # Set up $fp
        sw     $a0, 20($sp)    # Save n
        addui  $a0, $a0, -1    # n - 1
        jal    fact           # Call recursive
link:  lw      $a0, 20($sp)    # Restore n
        mul    $v0, $v0, $a0   # n * fact(n-1)
        lw     $ra, 28($sp)    # Load $ra
        lw     $fp, 24($sp)    # Load $fp
        addiu  $sp, $sp, 32    # Pop stack
        jr     $ra            # Return
```