

Marmara University, Engineering Faculty

Engineering Economy

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LEARNING OUTCOMES

- 1. Engineering and Decision Making**
- 2. Application of Economics in Eng.**
- 3. Interest and Financial Costs**
- 4. Public Tenders and Purchasing**
- 5. Investment and R&D Costs**
- 6. Production & Start up**
- 7. Marketing and Sales**
- 8. Taxation in Turkey**

Why Engineering Economy is Important?

- ❖ Engineers design and create
- ❖ Designing involves economic decisions
- ❖ Engineers must be able to incorporate economic analysis into their creative efforts
- ❖ Often engineers must select and implement from multiple alternatives
- ❖ Understanding and applying time value of money, economic equivalence, and cost estimation are vital for engineers
- ❖ **ENGINEERS MUST OBTAIN THE MAXIMUM OUTPUT WITH MINIMUM INPUT**

Engineering Economy

- **Engineering Economy involves**
 - **Formulating**
 - **Estimating**
 - **Evaluating**
expected economic outcomes of alternatives
designed to accomplish a defined purpose
- **Easy-to-use math techniques simplify the evaluation**

General Steps for Decision Making Processes

- 1. Understand the problem – define objectives**
- 2. Collect relevant information**
- 3. Define the set of feasible alternatives**
- 4. Identify the criteria for decision making**
- 5. Evaluate the alternatives and apply sensitivity analysis**
- 6. Select the “best” alternative**
- 7. Implement the alternative and monitor results**

Interest and Interest Rate

❑ **Interest** – the manifestation of the time value of money

- Fee that one pays to use someone else's money
- Difference between an ending amount of money and a beginning amount of money

➤ **Interest = amount owed now – principal(anapara)**

❑ **Interest rate** – Interest paid over a time period expressed as a percentage of principal



$$\text{Interest rate (\%)} = \frac{\text{interest accrued per time unit}}{\text{principal}} \times 100\%$$

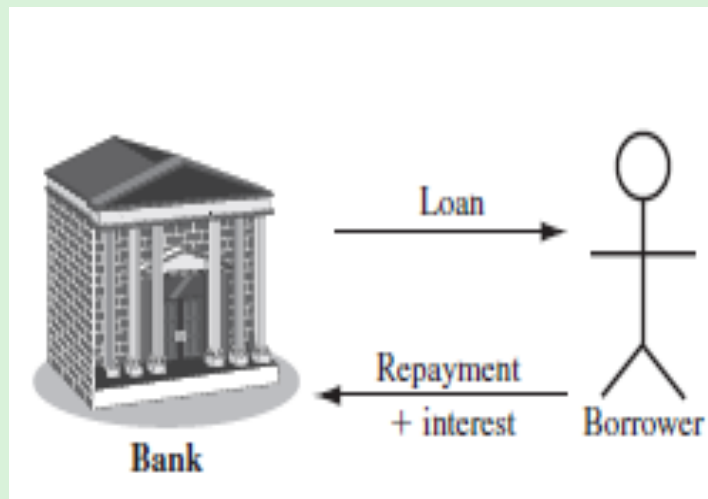
Rate of Return

- ❑ Interest earned over a period of time is expressed as a percentage of the original amount (principal)

$$\text{Rate of return (\%)} = \frac{\text{interest accrued per time unit}}{\text{original amount}} \times 100\%$$

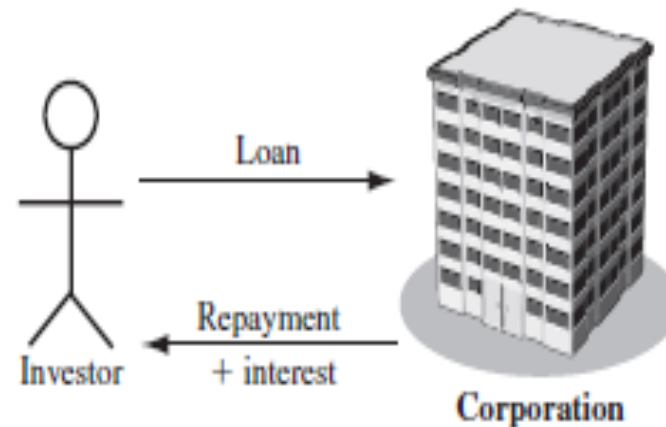
- ❖ Borrower's perspective – interest rate paid
- ❖ Lender's or investor's perspective – rate of return earned

Interest paid



Interest rate

Interest earned



Rate of return

Commonly used Symbols

t = time, usually in periods such as years or months

P = value or amount of money at a time t
designated as present or time 0

F = value or amount of money at some future
time, such as at $t = n$ periods in the future

A = series of consecutive, equal, end-of-period
amounts of money

n = number of interest periods; years, months

i = interest rate or rate of return per time period;
percent per year or month

Cash Flows: Terms

- ❑ **Cash Inflows** – Revenues (**R**), receipts, incomes, savings generated by projects and activities that **flow in**. **Plus sign used**
- ❑ **Cash Outflows** – Disbursements (**D**), costs, expenses, taxes caused by projects and activities that **flow out**. **Minus sign used**
- ❑ **Net Cash Flow (**NCF**)** for each time period:
 $NCF = \text{cash inflows} - \text{cash outflows} = R - D$
- ❑ **End-of-period assumption:**
Funds flow at the end of a given interest period

Cash Flows: Estimating

- ✓ Point estimate – A single-value estimate of a cash flow element of an alternative

Cash inflow: Income = \$150,000 per month

- ✓ Range estimate – Min and max values that estimate the cash flow

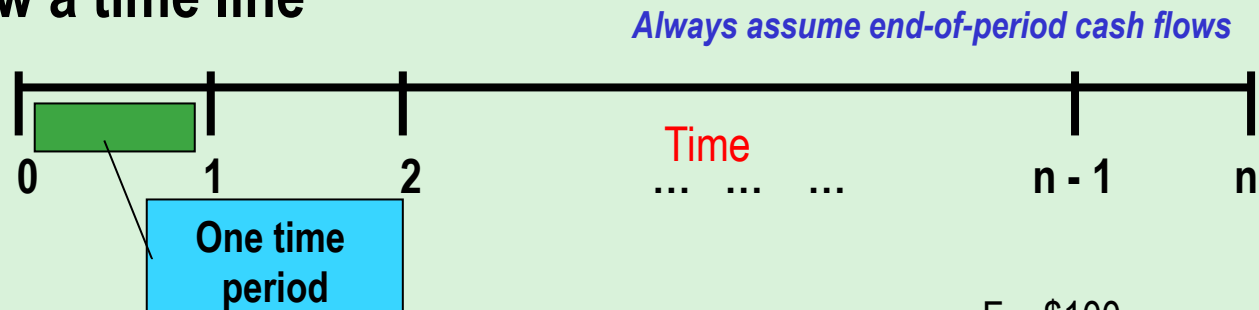
Cash outflow: Cost is between \$2.5 M and \$3.2 M

Point estimates are commonly used; however, range estimates with probabilities attached provide a better understanding of variability of economic parameters used to make decisions

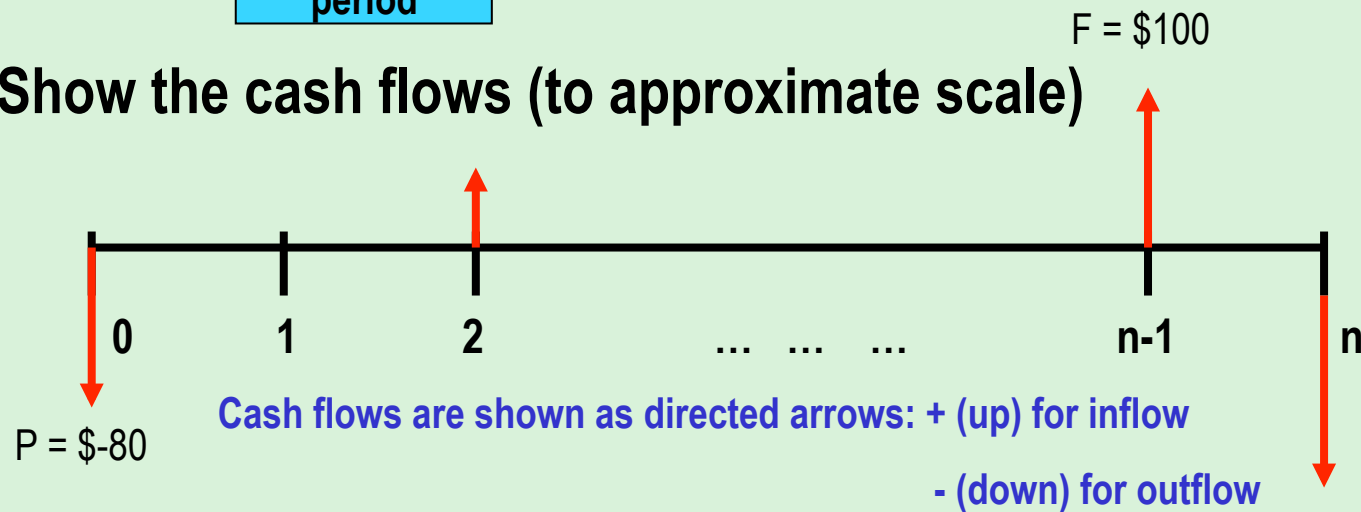
Cash Flow Diagrams

What a typical cash flow diagram might look like

Draw a time line



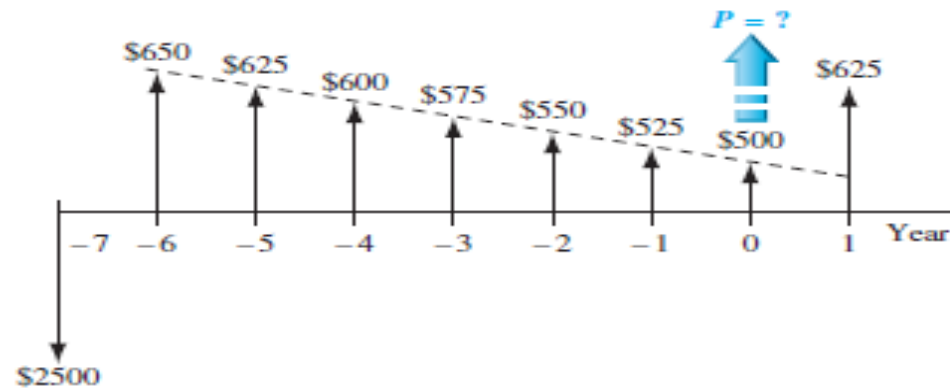
Show the cash flows (to approximate scale)



Cash Flow Diagram Example

Plot observed cash flows over last 8 years and estimated sale next year for \$150. Show present worth (P) arrow at present time, $t = 0$

End of Year	Income	Cost	Net Cash Flow
-7	\$ 0	\$2500	\$-2500
-6	750	100	650
-5	750	125	625
-4	750	150	600
-3	750	175	575
-2	750	200	550
-1	750	225	525
0	750	250	500
1	750 + 150	275	625



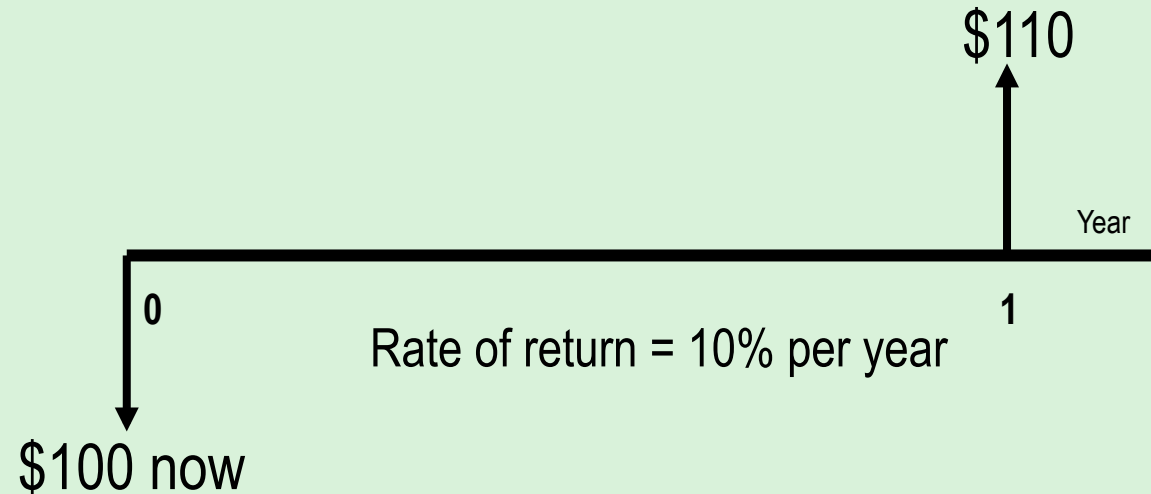
Economic Equivalence

Definition: Combination of **interest rate** (rate of return) and **time value of money** to determine different amounts of money at different points in time that are economically equivalent

How it works: Use rate i and time t in upcoming relations to move money (values of P , F and A) between time points $t = 0, 1, \dots, n$ to make them equivalent (not equal) at the rate i

Example of Equivalence

Different sums of money at different times may be equal in economic value at a given rate



\$100 now is economically equivalent to \$110 one year from now, if the \$100 is invested at a rate of 10% per year.

Simple and Compound Interest

□ Simple Interest

Interest is calculated using principal only

Interest = (principal)(number of periods)(interest rate)

$$I = Pni$$

Example: \$100,000 lent for 3 years at simple $i = 10\%$ per year. What is repayment after 3 years?

$$\text{Interest} = 100,000(3)(0.10) = \$30,000$$

$$\text{Total due} = 100,000 + 30,000 = \$130,000$$

Simple and Compound Interest

□ Compound Interest

Interest is based on principal plus all accrued interest

That is, interest compounds over time

Interest = (principal + all accrued interest) (interest rate)

Interest for time period t is

$$I_t = \left(P + \sum_{j=1}^{j=t-1} I_j \right) (i)$$

Compound Interest Example

Example: \$100,000 lent for 3 years at $i = 10\%$ per year compounded. What is repayment after 3 years?

Interest, year 1: $I_1 = 100,000(0.10) = \$10,000$

Total due, year 1: $T_1 = 100,000 + 10,000 = \$110,000$

Interest, year 2: $I_2 = 110,000(0.10) = \$11,000$

Total due, year 2: $T_2 = 110,000 + 11,000 = \$121,000$

Interest, year 3: $I_3 = 121,000(0.10) = \$12,100$

Total due, year 3: $T_3 = 121,000 + 12,100 = \$133,100$

Compounded: \$133,100	Simple: \$130,000
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