Case Studies for BB and WB Testing

Week 11

First Case:

Insertion Sort

Code to test: Insertion Sort

```
void insertionSort()
         int i, j, v;
         int smallest; // boolean variable
        for (i=2; i<=n; i++) {
                                                       // condition C1
            v=a[i]; j=i; smallest=0;
            while (a[j-1] > v \&\& !smallest) {
                                                       // condition C2
                  a[j] = a[j-1]; j=j-1;
                  if (j \le 1)
                                                       // condition C3
5
                    smallest=1;
6
                  a[j]=v;
```

Test by: BB Testing

• Apply ...

category-partition

method !!!

Steps of Category Partition

- i. Specify input categories
- ii. Divide categories into equivalence classes
- iii. Determine test cases
- iv. Generate test cases for the test frames into executable form (using a tool), combination into *test suites*.
- v. Store the testware into a *test database*.
- vi. Apply test!...
 - i. Test the unit by the test cases determined & generated in (iii)&(iv),
 - ii. refine conflicting choices,
 - iii. maintain test database (using a tool).

I. Specify Input Categories

• Input Categories

- A. Size of array
- B. Types of elements
- C. Max. element value
- D. Min. element value
- E. Position of max. element
- F. Position of min. element

II. Divide Categories into ECs

A. Size of array

• a negatif value, 0, 1, 3, 101, 100000

(6 cases)

B. Types of elements

• integer, non-integer (float, char, invalid)

(4 cases)

C. Max. and Min. element value

• large neg., -1, typical, 1, large pos.

(5 cases each)

D. Position of Max. and Min. element

• at start, in the middle, at end, out of bounds (4 cases each)

Questions for further study...

Number of exhaustive combinatory test cases?

```
6*4*4*5*5*4*4 = 9600 cases (too many test cases)
```

What you should do in case the number of exhaustive combinatory test cases is infeasible!

Use <u>optimizing</u> (i.e., cover each NV class by a test case, and each other equivalence class by at least one test case) and <u>extending</u> (i.e., cover each parameter in a test case, in the set of pairs, triplets, etc) principles

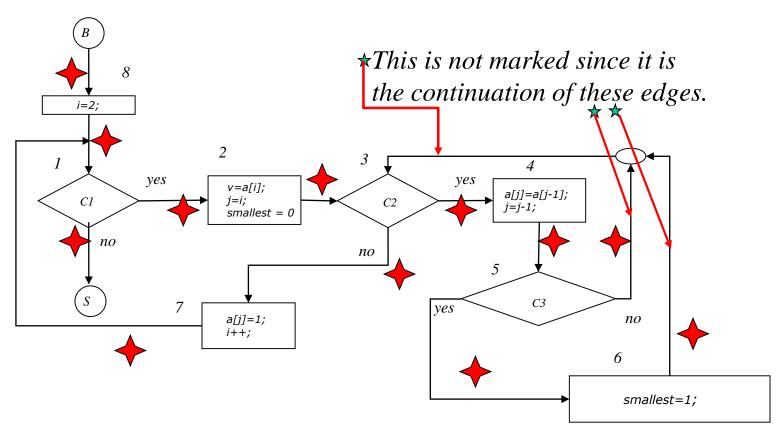
Two test case examples?

```
(101, integer, -5820, 7101, 2, 47); (3, float, 0, 100, 2, 3);
```

Test by: WB Testing

- 1. Draw control flow graph of the unit ...
- 2. Compute cyclomatic complexity (CC)
- 3. Determine independent paths (IPs)
- 4. *Decide* on the *coverage* (statement,
- branch, condition, multi-condition or
- path)
- 5. Prepare the test cases regarding coverage

Control Flow Graph



Red stars symbolize the connections encountered for while computing the cyclomatic complexity. B and S nodes are not numbered but are included in the calculation of CC. (i.e., #nodes=8+2=10)

Cyclomatic Complexity

$$CC = 12 - 10 + 2 = 4$$
of edges # of nodes

Independent Paths

```
8 1
8 1 2 3 7 1
8 1 2 3 4 5 3 7 1
8 1 2 3 4 5 6 3 7 1
```

Second Case:

Topological Sort

Code to test: Topological Sort

```
Void Toposort ()
Queue Q; int ctr=0; Vertex v,w;
Q=createQueue(NumVertex);
                                                        (1)
for each vertex v
                                                        (2)
      if (indegree[v] == 0) enqueue(v,Q);
                                                       (3)(4)
while (!IsEmpty(Q)) {
                                                        (5)
      v=dequeue(Q); topnum[v]=++ctr;
                                                        (6)
     for each w adjacent to v
                                                       (8)(9)
       if (--indegree[w] == 0) enqueue(w,Q);
if (ctr!= NumVertex) report error ('graph cyclic!') (10)(11)
                                                       (12)
free queue;
```

I. Specify Input Categories

• Input Categories

- A. Number of nodes in the graph
- B. Number of edges
- C. Types of connectedness
- D. Type of graph (graph topologies)

A.

II. Divide Categories into ECs

A. Number of nodes, **n**, in the graph

• 0, 1, 2, 3, 4, 5, 20, 50, 100, 1000, 10000 (10 cases)

B. Number of edges (n: #nodes)

• 0, 1, 3, n, $n^2/4$, $n^2/2$, $3n^2/4$, n^2-1 , n^2 (10 cases)

C. Types of connectedness

- Not connected, sparsely connected,
- densely connected, fully connected (4 cases)

D. Type of graph (graph topologies)

• bus, ring, star, mesh and hybrid topologies (5 cases)

Questions for further study...

Number of exhaustive combinatory test cases?

10*10*4*5 = 2000 cases (too many test cases)

What you should do in case the number of exhaustive combinatory test cases is infeasible!

Use <u>optimizing</u> (i.e., cover each NV class by a test case, and each other equivalence class by at least one test case) and <u>extending</u> (i.e., cover each parameter in a test case, in the set of pairs, triplets, etc) principles

Optimizing/Extending principles

Optimizing principle:

- one test case for each NV equivalence class
- each equivalence class covered by at least one test case

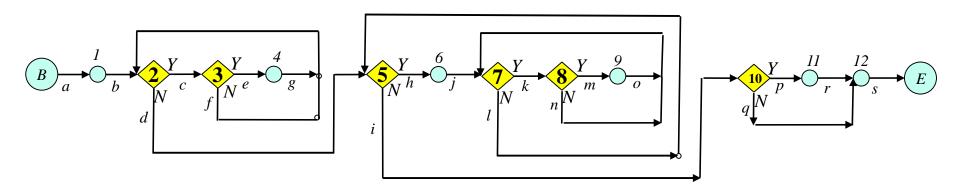
• Extending principle:

- Add combinations over the *number* of parameters
 - Use name of existing file
 - a test case with all parameters missing (0 present)
 - a test case for each individual parameter (1 present)
 - each parameter included in the set of pairs (2 present)
 - each parameter included in the set of triplets (3 present)
 - all parameters given (4 present)

Test by: WB Testing

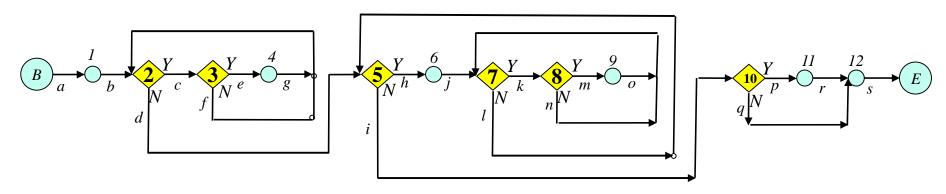
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- 2. Compute cyclomatic complexity (CC)
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- branch, condition, multi-condition or
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Control Flow Graph



- 1) N=?
- 2) E=?
- 3) CC=?
- 4) Independent Paths (IPs)?
- 5) Sample dependent paths and their dependence on what IPs?

Control Flow Graph



N=12+2=14; (12 nodes as marked and 2 from begin (B) and end (E) nodes)

 $E=|\{a,...,s\}|=19;$ CC=E-N+2=19-14+2=7;

Independent Paths:

1 \	1		F 1	10	10
1)	1	7)	LU	12

- 2) 1 2 5 10 11 12
- 3) 1 2 5 6 7 5 10 12
- 4) 1 2 5 6 7 8 7 5 10 12
- 5) 1 2 5 6 7 8 9 7 5 10 12
- 6) 1 2 3 2 5 10 12
- 7) 1 2 3 4 2 5 10 12

Some de	pendent paths	depe	endent on

- 1) 1 2 5 6 7 5 10 11 12
- 2) 1 2 5 6 7 8 7 5 10 11 12 [2,4]
- 3) 1 2 5 6 7 8 9 7 5 10 11 12 [2,5]
- 4) 1 2 3 4 2 5 6 7 8 9 7 5 10 11 12 [2,5,7]

Ex: the order you traverse the IPs to obtain path 4 is:

Start: (7) (after N5) \rightarrow (at N6) (5) (after N10) \rightarrow (at N11) (5) End.

[2,3]

Exercises!!!

- 1. Prepare test cases observing the optimizing/extending principles!!! (BB)
- 2. Draw the control flow graph and find CC!!! (WB)