

ICPC Notebook

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template

hash.sh

```
# : sh hash.sh -> -> Ctrl + D
# ..... md5 .....
g++ -dD -E -fpreprocessed - | tr -d '[:space:]' | md5sum | cut
-c 6
```

settings.sh

```
# CLion
Settings -> Build -> CMake -> Reload CMake Project
add_compile_options(-D_GLIBCXX_DEBUG)
# Caps Lock Ctrl
setxkbmap -option ctrl:nocaps
```

template.hpp

md5: 365d7f

```
#include <bits/stdc++.h>
using namespace std;
using ll = long long;
const ll INF = LLONG_MAX / 4;
#define rep(i, a, b) for(ll i = a; i < (b); i++)
#define all(a) begin(a), end(a)
ll sz(const auto& a) { return size(a); }
bool chmin(auto& a, auto b) {
    if(a <= b) return 0;
    a = b;
    return 1;
}
bool chmax(auto& a, auto b) {
    if(a >= b) return 0;
    a = b;
    return 1;
}

int main() {
    cin.tie(0)->sync_with_stdio(0);
    // your code here...
}
```

data-structure

BIT.hpp

md5: 1fe3e2

```
struct BIT {
    vector<ll> a;
    BIT(ll n) : a(n + 1) {}
    void add(ll i, ll x) { // A[i] += x
        i++;
        while(i < sz(a)) {
            a[i] += x;
            i += i & -i;
        }
    }
    ll sum(ll r) {
        ll s = 0;
        while(r) {
            s += a[r];
            r -= r & -r;
        }
        return s;
    }
    ll sum(ll l, ll r) { // sum of A[l, r)
```

```
        return sum(r) - sum(l);
    }
};

FastSet.hpp
md5: f86f47

// using u64 = uint64_t;
const u64 B = 64;
struct FastSet {
    u64 n;
    vector<vector<u64>> a;
    FastSet(u64 n_) : n(n_) {
        do a.emplace_back(n_ = (n_ + B - 1) / B);
        while(n_ > 1);
    }
    // bool operator[](ll i) const { return a[0][i / B] >> (i %
B) & 1; }
    void set(ll i) {
        for(auto& v : a) {
            v[i / B] |= 1ULL << (i % B);
            i /= B;
        }
    }
    void reset(ll i) {
        for(auto& v : a) {
            v[i / B] &= ~(1ULL << (i % B));
            if(v[i / B]) break;
            i /= B;
        }
    }
    ll next(ll i) { // i .....
        rep(h, 0, sz(a)) {
            i++;
            if(i / B >= sz(a[h])) break;
            u64 d = a[h][i / B] >> (i % B);
            if(d) {
                i += countr_zero(d);
                while(h--) i = i * B + countr_zero(a[h][i]);
                return i;
            }
            i /= B;
        }
        return n;
    }
    ll prev(ll i) { // i .....
        rep(h, 0, sz(a)) {
            i--;
            if(i < 0) break;
            u64 d = a[h][i / B] << (~i % B);
            if(d) {
                i -= countl_zero(d);
                while(h--) i = i * B + __lg(a[h][i]);
                return i;
            }
        }
        return -1;
    }
}
};
```

math

modint

BarrettReduction.hpp

md5: b61c28

```
// using u64 = uint64_t;
struct Barrett { // mod < 2^32
    u64 m, im;
    Barrett(u64 mod) : m(mod), im(-1ULL / m + 1) {}
    // input: a * b < 2^64, output: a * b % mod
    u64 mul(u64 a, u64 b) const {
        a *= b;
        u64 x = ((__uint128_t)a * im) >> 64;
        a -= x * m;
        if((ll)a < 0) a += m;
        return a;
    }
};
```

modint.hpp

md5: ade70b

```
const ll mod = 998244353;
struct mm {
    ll x;
    mm(ll x_ = 0) : x(x_ % mod) {
        if(x < 0) x += mod;
    }
    friend mm operator+(mm a, mm b) { return a.x + b.x; }
    friend mm operator-(mm a, mm b) { return a.x - b.x; }
    friend mm operator*(mm a, mm b) { return a.x * b.x; }
    friend mm operator/(mm a, mm b) { return a * b.inv(); }
```

```
// 4 回 Alt + Shift + 実行
friend mm& operator+=(mm& a, mm b) { return a = a.x + b.x; }
friend mm& operator-=(mm& a, mm b) { return a = a.x - b.x; }
friend mm& operator*=(mm& a, mm b) { return a = a.x * b.x; }
friend mm& operator/=(mm& a, mm b) { return a = a * b.inv(); }
}

mm inv() const { return pow(mod - 2); }
mm pow(ll b) const {
    mm a = *this, c = 1;
    while(b) {
        if(b & 1) c *= a;
        a *= a;
        b >>= 1;
    }
    return c;
}
};
```

FPS

FFT.hpp

md5: 5e6cea

```
// {998244353, 3}, {754974721, 11}, {167772161, 3}, {469762049, 3}, {2130706433, 3}
mm g = 3; // 3
void fft(vector<mm>& a) {
    ll n = sz(a), lg = __lg(n);
    static auto z = [] {
        vector<mm> z(30);
        mm s = 1;
        rep(i, 2, 32) {
            z[i - 2] = s * g.pow(mod >> i);
            s *= g.inv().pow(mod >> i);
        }
        return z;
    }();
    rep(l, 0, lg) {
        ll w = 1 << (lg - l - 1);
        mm s = 1;
        rep(k, 0, 1 << l) {
            ll o = k << (lg - l);
            rep(i, o, o + w) {
                mm x = a[i], y = a[i + w] * s;
                a[i] = x + y;
                a[i + w] = x - y;
            }
            s *= z[__builtin_ctzll(~k)];
        }
    }
}
// 逆FFT
void ifft(vector<mm>& a) {
    ll n = sz(a), lg = __lg(n);
    static auto z = [] {
        vector<mm> z(30);
        mm s = 1;
        rep(i, 2, 32) { // g の逆
            z[i - 2] = s * g.inv().pow(mod >> i);
            s *= g.pow(mod >> i);
        }
        return z;
    }();
};
```

```
for(ll l = lg; l--;) { // 逆FFT
    ll w = 1 << (lg - l - 1);
    mm s = 1;
    rep(k, 0, 1 << l) {
        ll o = k << (lg - l);
        rep(i, o, o + w) {
            mm x = a[i], y = a[i + w]; // *s
            a[i] = x + y;
            a[i + w] = (x - y) * s;
        }
        s *= z[__builtin_ctzll(~k)];
    }
}
vector<mm> conv(vector<mm> a, vector<mm> b) {
    if(a.empty() || b.empty()) return {};
    size_t n_ = sz(a) + sz(b) - 1, n = bit_ceil(n_);
    // if(min(sz(a), sz(b)) <= 60)
    a.resize(n);
    b.resize(n);
    fft(a);
    fft(b);
    mm x = mm(n).inv();
    rep(i, 0, n) a[i] *= b[i] * x;
    ifft(a);
    a.resize(n_);
    return a;
}
```

- graph
- graph/tree
- flow

数学的帰納法.md

帰納法の主張	帰納法の証明
$x \neq 0$ のとき $z \neq 0$	(x, T, z)
$x \neq 0$ のとき $z \neq 0$	$z \neq 0$; (S, x, z)
$x \neq 1$ のとき $z \neq 0$	(S, x, z)
$x \neq 1$ のとき $z \neq 0$	$z \neq 0$; (x, T, z)
x, y, \dots のとき 0 のとき $z \neq 0$	$z \neq 0$; $(S, w, z), (w, x, \infty), (w, y, \infty)$
x, y, \dots のとき 1 のとき $z \neq 0$	$z \neq 0$; $(w, T, z), (x, w, \infty), (y, w, \infty)$

- string
- algorithm
- geometry