

# discrate\_ds1

April 6, 2018

## 1 discrate\_ds1

*This notebook describes results of first run of **Discrate**, a 2AFC task that pitches reward rate against immediacy. In each trial, rats chose freely between two choice ports with different pre- and post-choice delays. Reward probability is 0.5, iid across trials.*

```
In [1]: import os
import re

import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import matplotlib as mp
import scipy.io as sio
import scipy as sp
import statsmodels.api as sm
from IPython.display import display, HTML

from tasks import discrate
```

```
/Users/thiago/Programs/anaconda2/envs/tasksuite/lib/python3.6/site-packages/statsmodels/compat
from pandas.core import datetools
```

Load single sessions (Bpod .mat files stored in same repository as this notebook) and build pandas dataframes with session summary (**dataSumm**) and single trial (**dataSing**) data:

```
In [2]: path_ds1 = 'datasets/discrate_ds1/'
listSubj = next(os.walk(path_ds1))[1]
listSubj.sort()
listSess = [[]]*len(listSubj)
dataSumm = discrate.multisess()
dataSing = [[]]*len(listSubj)
indSubj = []
indDate = []

listDs = open(os.path.join('datasets', 'discrate_ds1.txt'), 'w')
```

```

for iSubj in range(len(listSubj)) :
    subj = listSubj[iSubj]
    listSess[iSubj] = os.listdir(os.path.join(path_ds1,subj))
    listSess[iSubj].sort()
    dataSing[iSubj] = [[]]*len(listSess[iSubj])
    dates = [[]]*len(listSess[iSubj])

    for iSess in range(len(listSess[iSubj])) :
        sessName = listSess[iSubj][iSess]
        date = re.split('_',listSess[iSubj][iSess])
        dates[iSess] = date[2]
        fname = os.path.join(path_ds1,subj,sessName)
        listDs.write(fname + '\n')
        mysess = sio.loadmat(fname, squeeze_me=True)
        parsed = discrate.parser(mysess)
        parsed.parse()
        dataSumm.append(parsed)
        dataSing[iSubj][iSess] = parsed.parsedData
        indSubj.append(listSubj[iSubj])
        indDate.append(date[2])

listDs.close()
dataSumm.summary['subject'] = indSubj
dataSumm.summary['date'] = indDate

/Users/thiago/Documents/TaskSuite/tasks/discrate.py:167: RuntimeWarning: divide by zero encountered in log
    logOdds = np.log(pLeft/(1-pLeft))
/Users/thiago/Documents/TaskSuite/tasks/discrate.py:167: RuntimeWarning: divide by zero encountered in log
    logOdds = np.log(pLeft/(1-pLeft))

```

## 1.1 Response rate depends on pre- and post-reward delays

Plot figure 1:

```

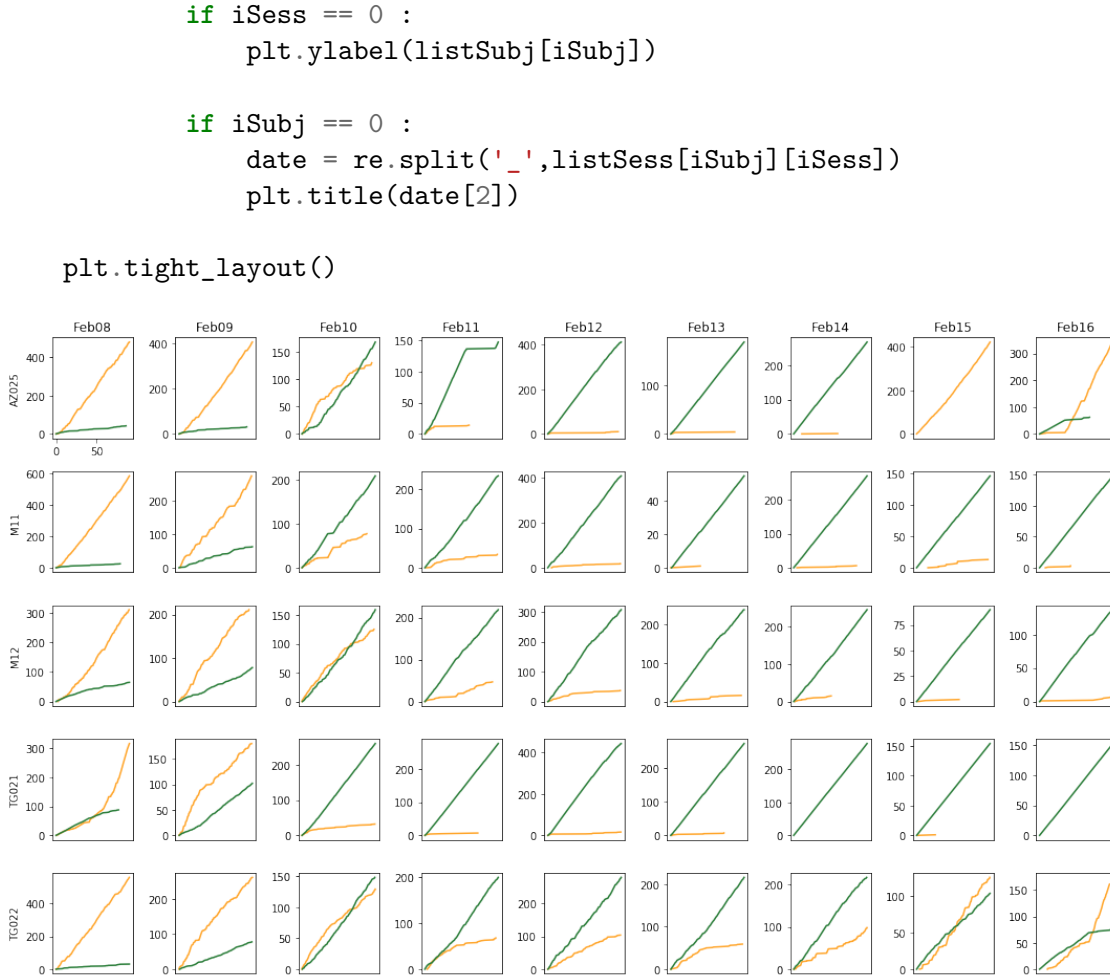
In [3]: hf, hsps = plt.subplots(len(listSubj),len(listSess[iSubj]),figsize=(15,9))

for iSubj in range(len(listSubj)) :
    for iSess in range(len(listSess[iSubj])) :
        plt.subplot(len(listSubj),len(listSess[iSubj]),1 + (iSubj*len(listSess[iSubj])))

        ndxChoL = dataSing[iSubj][iSess].ChoiceLeft.values
        ndxChoR = np.logical_not(ndxChoL)
        plt.plot(np.asarray(dataSing[iSubj][iSess].tsState0.values[ndxChoL]-dataSing[iSubj][iSess].tsState0.values[ndxChoR]))
        plt.plot(np.asarray(dataSing[iSubj][iSess].tsState0.values[ndxChoR]-dataSing[iSubj][iSess].tsState0.values[ndxChoL]))

        if (iSess > 0 or iSubj > 0) :
            plt.xticks([])

```



**Figure 1: Response rates** Cumulative sum of responses at left (yellow) and right (green) choice ports as a function of time since session start. All sessions lasted 90 min.  $n = 5$  subjects, 9 sessions each.

Display pre- and post- reward delays used in each session:

```

In [4]: pivoted = pd.pivot_table(dataSumm.summary,index=['subject','date'])
        display(pivoted.loc[:,pivoted.columns[:::-1]])

```

subject	date	preR	preL	posR	posL	pLeft	logOdds
AZ025	Feb08	2.0	2.0	32.0	2.0	0.917782	2.412586
	Feb09	2.0	4.0	32.0	2.0	0.926941	2.540617
	Feb10	2.0	8.0	16.0	2.0	0.436667	-0.254701
	Feb11	2.0	8.0	16.0	2.0	0.092025	-2.289162
	Feb12	2.0	8.0	8.0	2.0	0.026005	-3.623128
	Feb13	2.0	8.0	16.0	2.0	0.025641	-3.637586
	Feb14	2.0	4.0	16.0	2.0	0.007407	-4.897840

	Feb15	NaN	4.0	NaN	2.0	1.000000	inf
	Feb16	2.0	2.0	32.0	2.0	0.844828	1.694596
M11	Feb08	2.0	2.0	32.0	2.0	0.957377	3.111804
	Feb09	2.0	4.0	32.0	2.0	0.811765	1.461518
	Feb10	2.0	8.0	16.0	2.0	0.271777	-0.985625
	Feb11	2.0	8.0	16.0	2.0	0.129630	-1.904237
	Feb12	2.0	8.0	8.0	2.0	0.044393	-3.069276
	Feb13	2.0	8.0	16.0	2.0	0.034483	-3.332205
	Feb14	2.0	4.0	16.0	2.0	0.025180	-3.656209
	Feb15	2.0	4.0	32.0	2.0	0.086957	-2.351375
	Feb16	2.0	2.0	32.0	2.0	0.026144	-3.617652
M12	Feb08	2.0	2.0	32.0	2.0	0.825397	1.553348
	Feb09	2.0	4.0	32.0	2.0	0.728522	0.987138
	Feb10	2.0	8.0	16.0	2.0	0.440559	-0.238892
	Feb11	2.0	8.0	16.0	2.0	0.179104	-1.522427
	Feb12	2.0	8.0	8.0	2.0	0.109827	-2.092514
	Feb13	2.0	8.0	16.0	2.0	0.066148	-2.647426
	Feb14	2.0	4.0	16.0	2.0	0.060837	-2.736800
	Feb15	2.0	4.0	32.0	2.0	0.031915	-3.412247
	Feb16	2.0	2.0	32.0	2.0	0.061224	-2.730029
TG021	Feb08	2.0	2.0	32.0	2.0	0.781327	1.273415
	Feb09	2.0	4.0	32.0	2.0	0.637324	0.563768
	Feb10	2.0	8.0	16.0	2.0	0.112245	-2.068013
	Feb11	2.0	8.0	16.0	2.0	0.028070	-3.544576
	Feb12	2.0	8.0	8.0	2.0	0.036876	-3.262611
	Feb13	2.0	8.0	16.0	2.0	0.028470	-3.530030
	Feb14	2.0	4.0	16.0	2.0	0.003559	-5.634790
	Feb15	2.0	4.0	32.0	2.0	0.012739	-4.350278
	Feb16	2.0	NaN	32.0	NaN	0.000000	-inf
TG022	Feb08	2.0	2.0	32.0	2.0	0.945946	2.862201
	Feb09	2.0	4.0	32.0	2.0	0.769006	1.202706
	Feb10	2.0	8.0	16.0	2.0	0.465950	-0.136412
	Feb11	2.0	8.0	16.0	2.0	0.255556	-1.069198
	Feb12	2.0	8.0	8.0	2.0	0.272021	-0.984394
	Feb13	2.0	8.0	16.0	2.0	0.216606	-1.285553
	Feb14	2.0	4.0	16.0	2.0	0.312303	-0.789375
	Feb15	2.0	4.0	32.0	2.0	0.547414	0.190227
	Feb16	2.0	2.0	32.0	2.0	0.697211	0.834053

**Table 1: Delays** Delays pre- and post- left and right choices, fraction of left choices, and log odds of choices

## 1.2 Is choice best explained by pre-, post-, or summed-delays?

```
In [5]: hf, ha = plt.subplots(4,5,sharey='all',sharex='row',figsize=(15,9))
        colors = ['xkcd:tomato','xkcd:golden','xkcd:pumpkin','xkcd:aqua blue','xkcd:dark sky blue']
        for iSubj in range(len(listSubj)) :
```

```

ndxSubj = dataSumm.summary.dropna(how='any').loc[:, 'subject'] == listSubj[iSubj]

y = dataSumm.summary.dropna(how='any').loc[ndxSubj, 'pLeft']
yLog = dataSumm.summary.dropna(how='any').loc[ndxSubj, 'logOdds']
X = dataSumm.summary.dropna(how='any')[ndxSubj]

# Model 1: Pre-reward delays
Xa = X.loc[:, ['preR']].values - X.loc[:, ['preL']]
ha[0, iSubj].scatter(Xa, y, color=colors[iSubj])
ha[0, iSubj].set_title(listSubj[iSubj])
mdl = sm.OLS(yLog, sm.add_constant(Xa)).fit()
xcont = np.linspace(Xa.min(), Xa.max(), 50)
ha[0, iSubj].plot(xcont, 1/(1+np.exp(-mdl.predict(sm.add_constant(xcont)))), color=colors[iSubj])
if iSubj == 0 :
    ha[0, iSubj].set_xlabel('$Pre_R - Pre_L$')
    ha[0, iSubj].set_ylabel('$P(left)$')

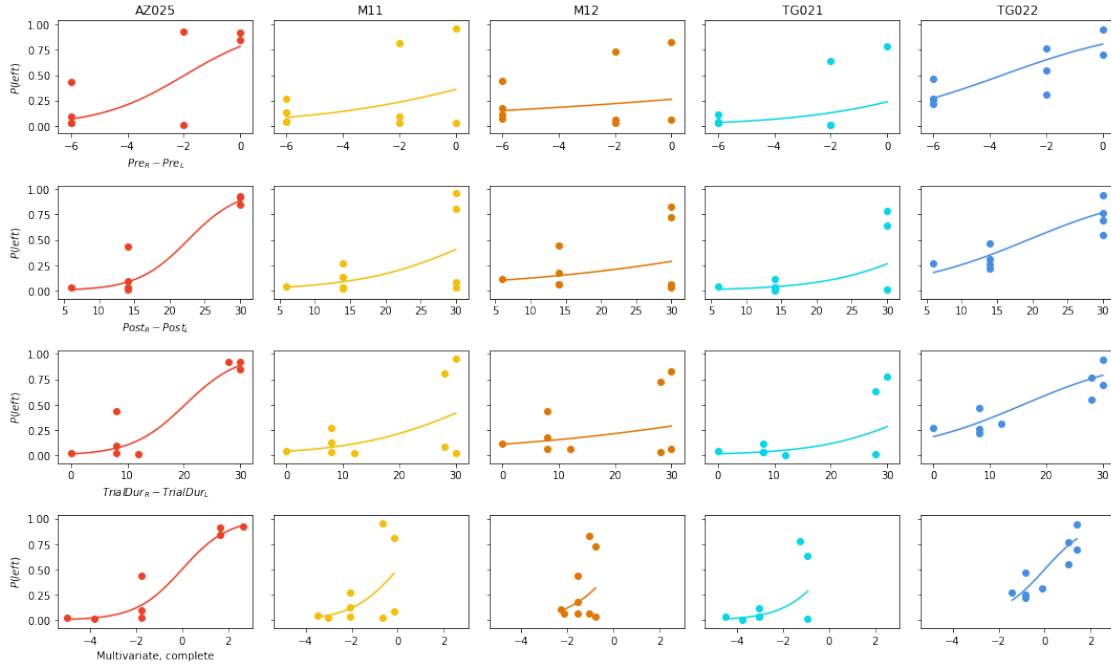
# Model 2: Post-reward delays
Xb = X.loc[:, ['posR']].values - X.loc[:, ['posL']]
ha[1, iSubj].scatter(Xb, y, color=colors[iSubj])
mdl = sm.OLS(yLog, sm.add_constant(Xb)).fit()
xcont = np.linspace(Xb.min(), Xb.max(), 50)
ha[1, iSubj].plot(xcont, 1/(1+np.exp(-mdl.predict(sm.add_constant(xcont)))), color=colors[iSubj])
if iSubj == 0 :
    ha[1, iSubj].set_xlabel('$Post_R - Post_L$')
    ha[1, iSubj].set_ylabel('$P(left)$')

# Model 3: Total trial duration
Xc = X.loc[:, ['preR', 'posR']].sum(axis=1).values - X.loc[:, ['preL', 'posL']].sum(axis=1).values
ha[2, iSubj].scatter(Xc, y, color=colors[iSubj])
mdl = sm.OLS(yLog, sm.add_constant(Xc)).fit()
xcont = np.linspace(Xc.min(), Xc.max(), 50)
ha[2, iSubj].plot(xcont, 1/(1+np.exp(-mdl.predict(sm.add_constant(xcont)))), color=colors[iSubj])
if iSubj == 0 :
    ha[2, iSubj].set_xlabel('$TrialDur_R - TrialDur_L$')
    ha[2, iSubj].set_ylabel('$P(left)$')

# Model 4: Multivariate (pre- and post- independently)
M = X.loc[:, ['preL', 'posR']].values
mdl = sm.OLS(yLog, sm.add_constant(M)).fit()
Xd = mdl.predict(sm.add_constant(M))
ha[3, iSubj].scatter(Xd, y, color=colors[iSubj])
xcont = np.linspace(Xd.min(), Xd.max(), 50)
ha[3, iSubj].plot(xcont, 1/(1+np.exp(-xcont)), color=colors[iSubj])
if iSubj == 0 :
    ha[3, iSubj].set_xlabel('Multivariate, complete')
    ha[3, iSubj].set_ylabel('$P(left)$')

```

plt.tight\_layout()



**Figure 2: Regression models for P(choice) n = 5 subjects, 9 sessions each. Model specifications:**

Model 1:  $\log \frac{P_L}{1-P_L} = \beta_0 + \beta_1(Pre_R - Pre_L)$

Model 2:  $\log \frac{P_L}{1-P_L} = \beta_0 + \beta_1(Post_R - Post_L)$

Model 3:  $\log \frac{P_L}{1-P_L} = \beta_0 + \beta_1(Pre_R + Post_R - Pre_L - Post_L)$

Model 4\*:  $\log \frac{P_L}{1-P_L} = \beta_0 + \beta_1 Pre_L + \beta_2 Post_R$

(\*  $Post_L$  and  $Post_R$  are constants and were thus left out)

### 1.3 Histeresis on the relation between delays and P(choice)

```
In [6]: hf, ha = plt.subplots(4,5,sharey='all',sharex='row',figsize=(15,9))
        colors = ['xkcd:tomato','xkcd:golden','xkcd:pumpkin','xkcd:aqua blue','xkcd:dark sky blue']
        for iSubj in range(len(listSubj)):
            ndxSubj = dataSumm.summary.dropna(how='any').loc[:, 'subject'] == listSubj[iSubj]

            y = dataSumm.summary.dropna(how='any').loc[ndxSubj, 'pLeft']
            yLog = dataSumm.summary.dropna(how='any').loc[ndxSubj, 'logOdds']
            X = dataSumm.summary.dropna(how='any')[ndxSubj]

            # Model 1: Pre-reward delays
            Xa = X.loc[:, ['preR']].values - X.loc[:, ['preL']]
            ha[0,iSubj].arrow(np.asscalar(Xa.iloc[0]),y.iloc[0],np.asscalar(np.diff(Xa,axis=0))
            for iSess in range(1,len(y)-1):
                ha[0,iSubj].arrow(np.asscalar(Xa.iloc[iSess]),y.iloc[iSess],np.asscalar(np.diff(Xa,axis=0))
```

```

ha[0,iSubj].scatter(Xa,y,color=colors[iSubj])
ha[0,iSubj].set_title(listSubj[iSubj])
if iSubj == 0 :
    ha[0,iSubj].set_xlabel('$Pre_R - Pre_L$')
    ha[0,iSubj].set_ylabel('$P(left)$')

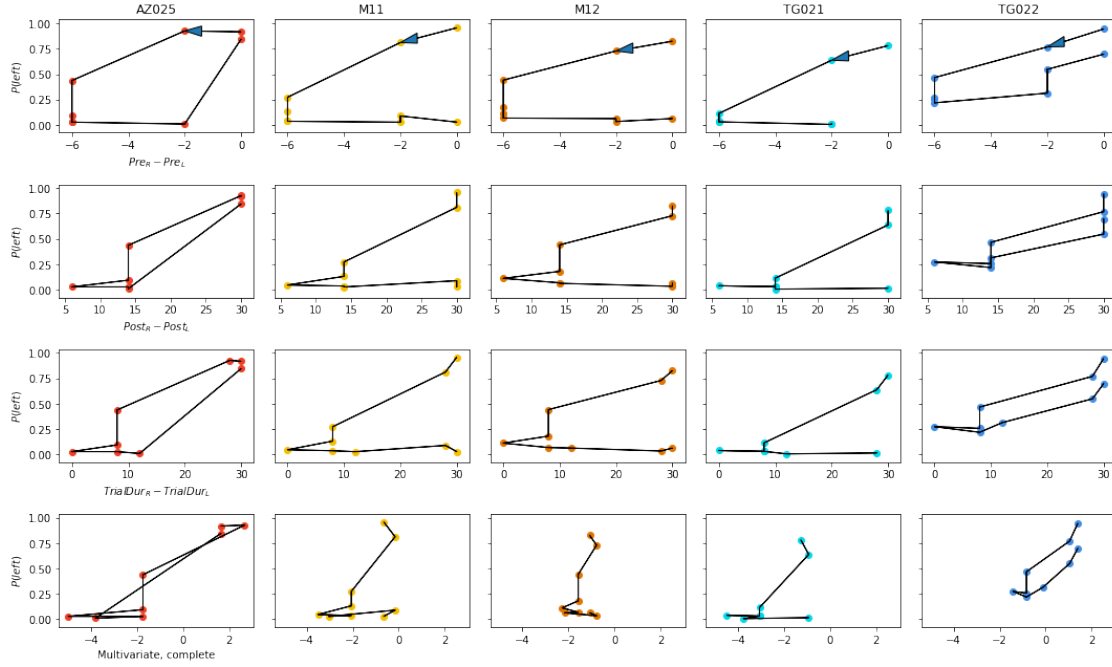
# Model 2: Post-reward delays
Xb = X.loc[:,['posR']].values - X.loc[:,['posL']]
for iSess in range(0,len(y)-1) :
    ha[1,iSubj].arrow(np.asscalar(Xb.iloc[iSess]),y.iloc[iSess],np.asscalar(np.diff(Xb,1).iloc[iSess]))
ha[1,iSubj].scatter(Xb,y,color=colors[iSubj])
if iSubj == 0 :
    ha[1,iSubj].set_xlabel('$Post_R - Post_L$')
    ha[1,iSubj].set_ylabel('$P(left)$')

# Model 3: Total trial duration
Xc = X.loc[:,['preR','posR']].sum(axis=1).values-X.loc[:,['preL','posL']].sum(axis=1).values
for iSess in range(0,len(y)-1) :
    ha[2,iSubj].arrow(np.asscalar(Xc[iSess]),y.iloc[iSess],np.asscalar(np.diff(Xc,1).iloc[iSess]))
ha[2,iSubj].scatter(Xc,y,color=colors[iSubj])
if iSubj == 0 :
    ha[2,iSubj].set_xlabel('$TrialDur_R - TrialDur_L$')
    ha[2,iSubj].set_ylabel('$P(left)$')

# Model 4: Multivariate (pre- and post- independently)
M = X.loc[:,['preL','posR']].values
mdl = sm.OLS(yLog,sm.add_constant(M)).fit()
Xd = mdl.predict(sm.add_constant(M))
for iSess in range(0,len(y)-1) :
    ha[3,iSubj].arrow(np.asscalar(Xd[iSess]),y.iloc[iSess],np.asscalar(np.diff(Xd,1).iloc[iSess]))
ha[3,iSubj].scatter(Xd,y,color=colors[iSubj])
if iSubj == 0 :
    ha[3,iSubj].set_xlabel('Multivariate, complete')
    ha[3,iSubj].set_ylabel('$P(left)$')

plt.tight_layout()

```



**Figure 3: Hysteresis in how delays affect  $P(\text{choice})$**  Scatter plots are identical to those in Figure 2. For top row, first session is top-right data point for all animals, as indicated by arrow. Sequence of sessions is indicated by lines connecting dots.

Hysteresis is probably explained by lack of exploration: this would be expected if animals stuck to whatever policy they had at the end of the previous session. If that's the case, the same should not be observed under **discrete\_ds2**.