

RELATIONAL FUNCTION

→ Relational database systems are expected to be equipped with a query language that assist the users to query the database instance.

Two types of Query Language :-

1) Procedural Query Language -

- = In procedural query language the user instruct the system to perform a series of operations to produce desired result.
- = Ex :- Relational Algebra (RA) → SQL.

2) Non-Procedural Query Language :-

- = User instruct the system to produce desired result, without telling the step by step process.
- = Ex :- Relational Calculus (RC) → QBE
(Query By Example)

Relational Algebra :-

- ⇒ Relational algebra is a procedural query language.
- ⇒ It gives a step-by-step process to obtain the result of the query.
- ⇒ It uses operators to perform the query.
- ⇒ Types of Relational Operation -

- Select Operation.
- Project Operation
- Union Operation
- Set Intersection
- Set difference
- Cartesian product
- Rename Operation

i) Select Operation :-

- = The select operation selects tuples that satisfy a given predicate/ condition.
- = It is denoted by sigma (σ).

= Notation : $\sigma_p(r)$

Where:

- σ is used for selection prediction.
- r is used for relation.
- p is used as a propositional logic formula which may use connectors like : AND, OR, NOT.

- ⇒ These relational can use as relational operators like $=, \neq, <, \leq, >, \geq$

Q Fetch details of student where age should greater than 18
6 P(n)

= 6 age > 18 (Student)

For example : LOAN Relation : Retrieve all details of loan where branch-name Perryridge .

Branch-name	Loan-No	Amount
Downtown	L-17	1000
Redwood	L-23	2000
Perryridge	L-15	1500
Downtown	L-14	1500
Mianus	L-13	500
Roundhill	L-11	900
Perrynide	L-16	130

Input :

6 BRANCH_NAME = "Perryridge" (LOAN)

Output :

Branch-Name	Loan-No	Amount
Perryridge	L-15	1500
Perrynide	L-16	1300

ii) Projection Operation :-

- ⇒ This operation shows the list of those attributes that we wish to appear in the result.
- ⇒ Rest of the attributes are eliminated from the table.
- ⇒ It is denoted by $\Pi_{(A_1, A_2, \dots, A_n)}(R)$
- ⇒ Notation : $\Pi_{A_1, A_2, \dots, A_n}(R)$

Q Retrieve name of student whose roll-no is 2.

Ans : $\sigma_{\text{rollno} = 2}(\text{Student})$

Output -

RollNo	Name	Age
2	B	20

⇒ $\Pi_{\text{name}}(\sigma_{\text{rollno} = 2}(\text{Student}))$

Example - Customer Relation.

RollNo	Income	Age
1	A	20
2	B	21
3	A	19

iii) UNION OPERATION :-

- = Suppose there are two relations R and S. The union operation contains all the tuples that are either in R or S or both in R and S.
- = It eliminates the duplicate tuples. It is denoted by U.
- = Notation : R.US

A union operation must hold the following condition:

- i) R and S must have the attribute of the same number.
- ii) Duplicate tuples are eliminated automatically.

Depositor Relation -

CUSTOMER_NAME	ACCOUNT_NO
Johnson	A-101
Smith	A-121
Mayes	A-321
Turner	A-176
Johnson	A-293
Jones	A-492
Lindsay	A-284

Borrower Relation -

CUSTOMER_NAME	LOAN_NO
Jones	L-17
Smith	L-23
Hayes	L-15
Jackson	L-14
Curry	L-93
Smith	L-11
Williams	L-17

Π Customer-name (Borrower) Π Customer-name (Depositor)

Customer

iv) Intersection Operation :-

- = Suppose there are two relations R and S. The set intersection operation contains all tuples that are in both R and S.
- = It is denoted by intersection \cap .
- = Notation : $R \cap S$.
- = We can use the depositor and borrower table for this operation.

v) Set Difference :-

- = Suppose there are two relations R and S. The set intersection operation contains all tuples that are in R but not in S.
- = It is denoted by intersection minus (-).
- = Notation: $R - S$
- = Example : Using the above depositor table and borrow table.

i) Cartesian Product :-

⇒ The Cartesian product is used to combine each row in one table with each row in the other table.

⇒ It is also known as a Cross product.

⇒ It is denoted by \times .

⇒ Notation : $A \times B$.

Employee:

Emp-id	Emp-name	Emp-dept
1	Smith	A
2	Harry	B
3	John	C

Department:

Dept-no	Dept-name
A	Marketing
B	Sales
C	Legal

⇒ Cartesian Product : Employee \times Department.

Emp-id	Emp-name	Emp-dept	Dept-no	Dept-name
1	Smith	A	A	Marketing
1	Smith	A	B	Sales
1	Smith	A	C	Legal
2	Harry	B	A	Marketing
2	Harry	B	B	Sales
2	Harry	B	C	Legal
3	John	C	A	Marketing
3	John	C	B	Sales
3	John	C	C	Legal

vii) RENAME OPERATION :-

⇒ The rename operation is used to rename the output relation. It is denoted by $\rho_{\theta}(P)$

⇒ Examples :

We can use the rename operation to rename Student relation to student1.

- $\rho(\text{STUDENT1}, \text{STUDENT})$.

Example :

Branch (branch-name, branch-city, assets).

Customer (customer-name, customer-street, customer-city)

Account (account-no, ^(f)branch-name, balance).

Loan (loan-no, ^(f)branch-name, amount).

Depositor (customer-name, ^faccount-no)

Borrower (customer-name, ^floan-no).

Loan Table :-

Loan-no	Branch-name	Amount
L-11	Round-Hill	900
L-14	Downtown	1500
L-15	Pennybridge	1500
L-16	Pennybridge	1300
L-17	Downtown	1000
L-23	Redwood	2000

Questions :-

Q1) Find all loans made at "Perryridge" branch.

⇒ Select * from loan.

⇒ Select * from loan where branch-name = Perryridge.

↳ Branch-name = "Perryridge" (LOAN)

↳ Selection Operations.

Q2) Find all loan of over 1200.

↳ amount > 1200 (loan).

Q3) Find all tuple who have taken loans of more than 1200 made by the "Perryridge" branch.

⇒ ~~π~~ π $\{ \text{Branch-name} = \text{"Perryridge"} \text{ (LOAN)} \wedge \text{amount} > 1200 \text{ (loan)} \}$

Q4) Find all loan numbers ^{and} the amount of the loan.

⇒ ~~π~~ π $\{ \text{loan-no} = \text{amount} \}$ $\Pi_{\text{loan-number, amount (loan)}}$

Q5) Find the loan numbers for each loan of an amount greater than 1200.

↳ amount > 1200 (loan).

$\Pi_{\text{loan-no}} \{ \text{amount} > 1200 \text{ (loan)} \}.$

Q6} Find the names of all customers who have a loan, an account or both from the bank.

⇒ $\Pi \text{Customer-name(Borrower)} \cup \Pi \text{Customer-name(Depositor)}$.

Q7} Find the names of all customers who have a loan and an account of bank.

⇒ $\Pi \text{Customer-name(Borrower)} \cap \Pi \text{Customer-name(Depositor)}$

Q8} Find the names of all customers who have an account but no loan from the bank.

⇒ $\Pi \text{Customer-name(Borrower)} - \Pi \text{Customer-name(Depositor)}$.

Q9} Find the names of all customers who have a loan at the pennymridge branch.

⇒ $\Pi \text{Customer-name(Borrower)}$

$\Pi \text{Borrower}$

⇒ $\exists \text{Borrower.loan-no} = \text{loan.loan-no} (\text{borrower} \times \text{loan})$.

⇒ $\Pi \text{Customer-name} \left(\exists \text{branch-name} = "pennymridge" \left(\exists \text{borrower.loan-no} \right. \right. \\ \left. \left. = \text{loan.loan-no} (\text{borrower} \times \text{loan}) \right) \right)$.



Division Operation (\div or /) :-

The division operator in relational algebra finds all values in one table that are related to every value in another table.

Q1
The division operator in relational algebra is a binary operator used to retrieve tuple from one relation (dividend) that are associated with all or every tuples in another relation.
 ~~$R_1 \div R_2 = \text{Tuples of } R_1 \text{ associated with all tuples of } R_2$~~
 $R_1 \div R_2$ is possible if and only if $R_2 \subseteq R_1$ (R_2 is a proper subset of R_1)

$R_2 \subseteq R_1 \rightarrow R_1 \models R_2$
be present in R_1
Student (R_1)

Std name	Course taken
Tom	DBMS
John	DS
Tom	DS
Tom	CAT
John	DBMS
Amy	CN
Amy	DBMS
Amy	DS

Employee	Project
A	P1
A	P2
A	P3
B	P1
B	P2
C	P1
C	P2

Course (R_2)

Course
DBMS
DS
CN

3) The relation referenced by division operator must have attributes = All attributes of A - All attributes of B.

$R_1 \neq R_2$, yes. Because 2 attributes in Student and 1 attribute in course.

~~Report~~

Q. Finding students who are enrolled in all courses.

OPT	TOM
	Amy

$R_1 \div R_2$

Project
P1
P2
P3

Find employees who are working on all projects listed in all projects.



Q Find the names of all customers who have a loan at Perryridge branch but do not have an account of any branch of the bank.

Fundamental Operations :-

- 1) Selection Operator (σ) \rightarrow new tuple
- 2) Projection Operator (π) \rightarrow column / attribute
- 3) Union (\cup)
- 4) Set Difference (\setminus)
- 5) Cartesian Product (\times)

Branch		
Branch-Name	Branch City	Accts
Brighton	Brooklyn	700000
Downtown	B	900000
Mines	"	