

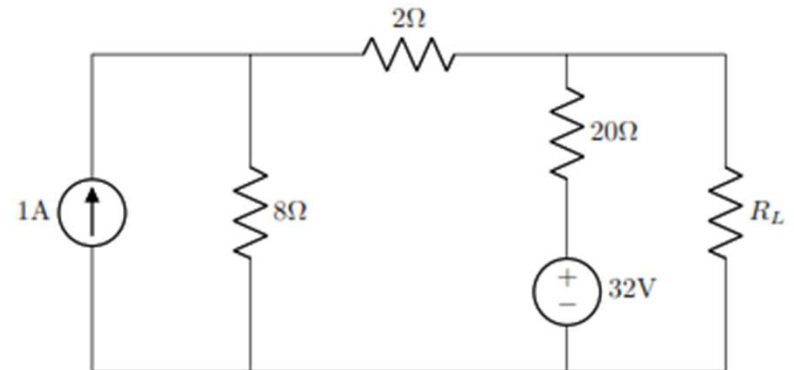
SUPERPOSITION THEOREM

(INDEPENDENT SOURCES)

The response of a network with several independent sources can be obtained as the sum of responses to sources taken one at a time as a consequence of circuit linearity.

Problem-21:

For the given circuit determine the current through $R_L = 20\ \Omega$ by using the superposition theorem.



SUPERPOSITION THEOREM

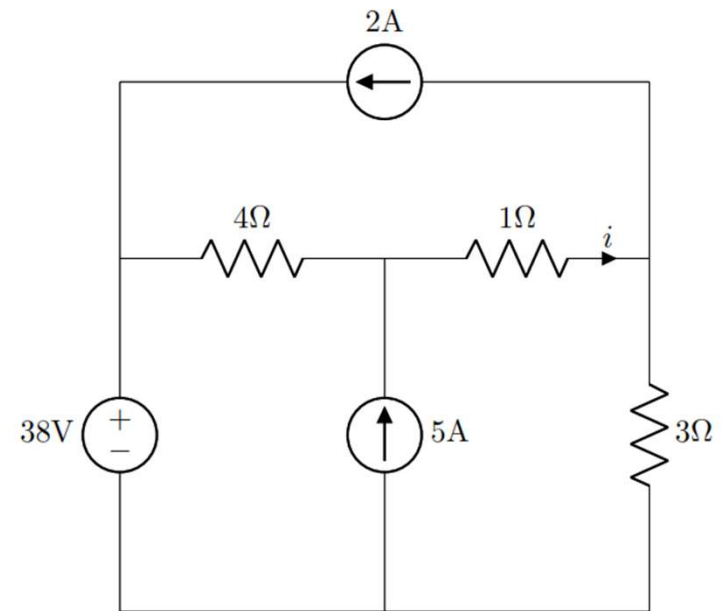
(INDEPENDENT SOURCES)

Problem:

Find the current i , flowing through the $1\ \Omega$ resistance using the superposition principle.

Ans:

$$i = 8A$$



SUPERPOSITION THEOREM

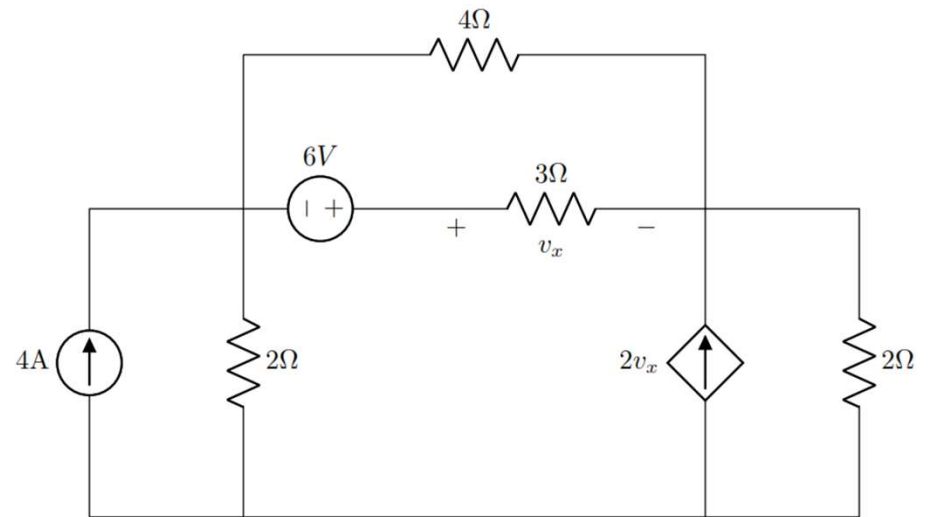
(DEPENDENT SOURCES)

Problem-22:

Determine the voltage developed across the 3Ω resistance i.e., v_x using the superposition theorem.

Ans:

$$v_x = 2.727 \text{ V}$$



MAXIMUM POWER TRANSFER THEOREM

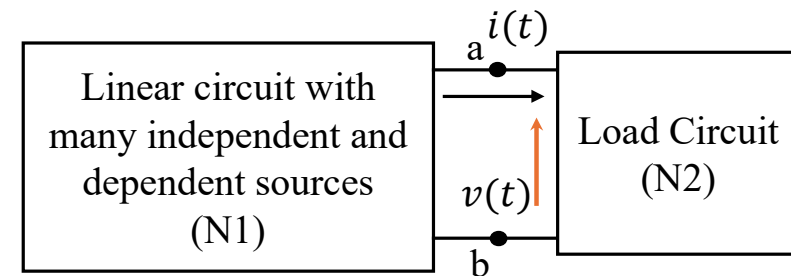
- ❖ Power delivered to the load circuit N2 by network N1 is maximum when equivalent load resistance is equal to the Thevenin's resistance of the network N1.

- ❖ Maximum power is

$$P_{max} = \frac{V_{oc}^2}{4R_L}$$

Here R_L is the equivalent load resistance of the load circuit N2

- ❖ Efficiency of the power transfer is 50%.



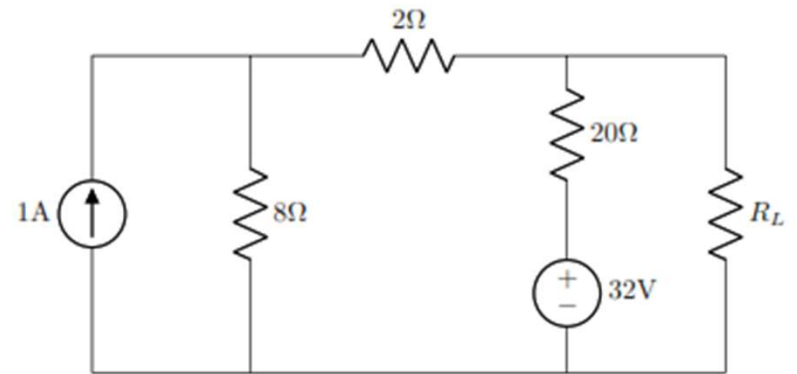
MAXIMUM POWER TRANSFER THEOREM

Problem-23:

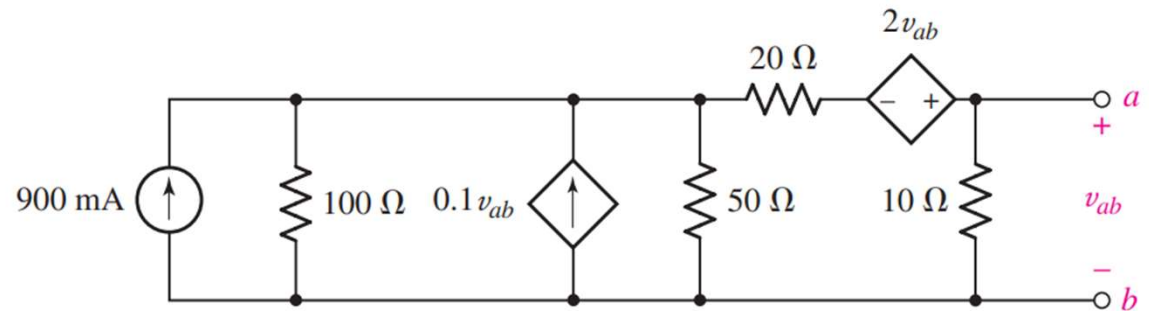
For the given circuit determine the maximum power transferred to R_L by using the Maximum Power Transfer theorem.

Ans:

$$P_L^{max} = 9.6 \text{ W}$$



EXTRA PROBLEMS



Problem-25:

Determine what value of resistance will absorb maximum power when connected across the terminal a - b .

Ans:

$$R_L = 53.3333 \, \Omega$$

EXTRA PROBLEMS

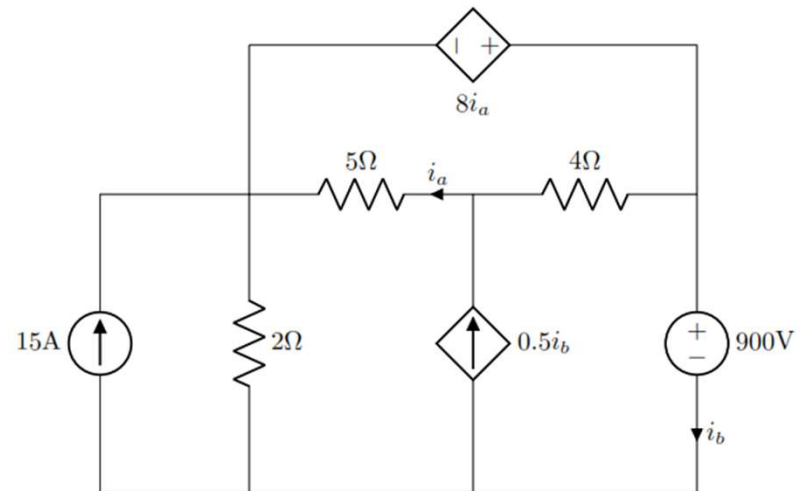
Problem-24:

Determine the values of i_a , i_b .

Ans:

$$i_a = ? A$$

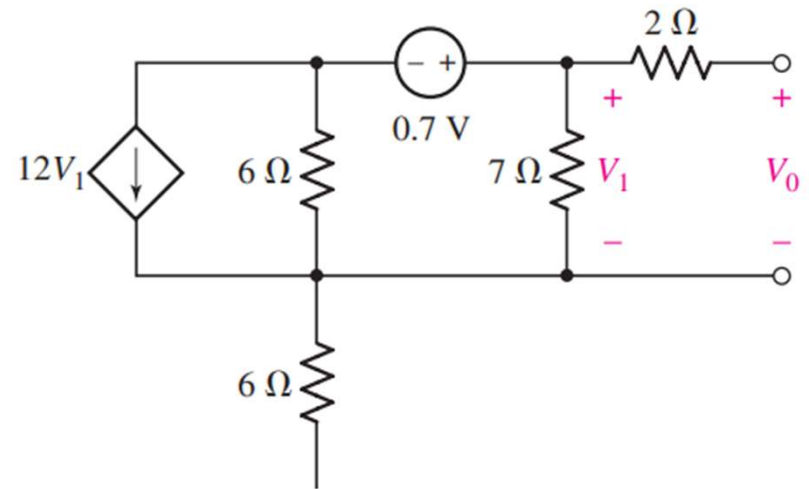
$$i_b = ? A$$



EXTRA PROBLEMS

Problem-26:

Determine the V_0 in the circuit.



Ans:

$$V_0 = 9.478\text{ mV}$$

EXTRA PROBLEMS

Problem-26:

Determine the power dissipated for

- ❖ $1\text{ k}\Omega$ resistor connected between a-b terminal.
- ❖ $10.54\text{ k}\Omega$ resistor connected between a-b terminal.

Ans:

$$P_{1k} = 5.587\text{ nW}$$

$$P_{10.54k} = 578.5\text{ pW}$$

