

EP2

Štefan Slavkovský

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Rock and Ruck

Central-finite-curve is experiencing outbreak of interdimensional trumpetic plague (highly infectious variant of bubonic plague). Trumpetic plague is really dangerous because it can spread between neighboring dimensions (dimension that are close on central-finite-curve) without portal gun. There is no good test for trumpetic plague, so Ricks can not risk being in neighboring dimensions.

Two Ricks: Rock and Ruck need to travel across dimension to acquire Kalaxian Crystals for their 'research'. Ricks can of course teleport between any two dimensions using portal-gun. They can not be in neighboring dimensions, because they could get infected. Rock and Ruck are busy doing more important work, so they tasked you to decide if their travel is possible.

They give you map of their local central-finite-curve describing which dimensions are neighboring. Their local central-finite-curve has n dimensions. They also give you q queries of starting and ending dimensions.

Map consists of:

- first line: n m , where $2 \leq n \leq 10^6$, $0 \leq m \leq 10^6$
- m lines: i j , meaning dimensions $0 \leq i < n$ and $0 \leq j < n$ are neighboring (dimensions are numbered from 0)
- one line: q , where $0 < q \leq 10^6$
- q lines: a_0 b_0 a_k b_k , where $0 \leq a_0, b_0, a_k, b_k < n$

For each of q lines output 'YES'/'NO'.

You need to output 'YES' if there exists sequence:

$$\{a_0, b_0\} \rightarrow \cdots \rightarrow \{a_i, b_i\} \rightarrow \{a_{i+1}, b_{i+1}\} \rightarrow \cdots \rightarrow \{a_k, b_k\}$$

Such that $(\forall i < k)(|\{a_i, b_i\} \cap \{a_{i+1}, b_{i+1}\}| = 1)$, meaning that only one Rick goes through portal at once.

Also $(\forall i \leq k)(a_i, b_i)$ must not be neighboring nor same dimension, so that Rick can not infect each other.

You can assume that starting and final positions are not neighboring. Note that we do **not** care in what particular dimension do Ricks arrive. Rock can arrive to a_k and Ruck to b_k , or Rock to b_k and Ruck to a_k . (There is harder version of problem where destination can not be swapped.)

8 15

0 2

0	5
4	2

1	3
1	4

$$\begin{array}{cc} 2 & 3 \\ 2 & 5 \end{array}$$
$$\begin{array}{cc} 2 & 0 \\ 2 & 7 \end{array}$$

3 7

5 6

2 4

2 4 1 6

$$\begin{array}{cccc} 2 & 4 & 0 & 6 \\ 3 & 3 & 4 & 5 \end{array}$$

3	6	7	0
2	5	1	6

$$\begin{array}{cccc} 5 & 7 & 6 & 3 \\ 0 & 7 & 6 & 1 \end{array}$$

4	5	6	7
0	7	6	4

 0.70 ± 0.04

YES

YES

YES

YES

YES
YESYES
YES

YES

7	16		
0	2		
0	3		
0	4		
0	5		
0	6		
1	2		
1	3		
1	4		
1	5		
1	6		
2	3		
2	4		
2	5		
2	6		
3	6		
4	6		
9			
0	1	1	0
0	1	3	4
0	1	4	5
0	1	5	6
0	1	6	5
1	0	3	5
3	4	5	6
4	3	6	5
4	5	5	6

YES
NO
NO
NO
NO
NO
YES
YES
YES