

Week 8 Review Quiz

Due May 24 at 12:30pm **Points** 7 **Questions** 7
Available until May 24 at 12:30pm **Time Limit** None

Attempt History

	Attempt	Time	Score
LATEST	Attempt 1	103 minutes	4 out of 7

⚠ Correct answers will be available on May 24 at 12:30pm.

Score for this quiz: **4** out of 7

Submitted May 24 at 10:48am

This attempt took 103 minutes.

Question 1

1 / 1 pts

Select all true statement(s) about MapReduce operations

- ☒ Map can be executed in parallel for each key/value pair
- ☐ Shuffle can be executed in parallel for each key
- ☒ Reduce can be executed in parallel for each key

Question 2

1 / 1 pts

If you want to compute distributed sum with $n^{1/5}$ machines each with $n^{4/5}$ memory like we did in class, how many rounds do you need?

☐ 1☒ 2☐ 3☐ 4☐ 5

Incorrect

Question 3**0 / 1 pts**

If you want to compute distributed sum with $n^{4/5}$ machines each with $n^{1/5}$ memory like we did in class, how many rounds do you need?

☐ 1☐ 2☐ 3☐ 4☒ 5

Incorrect

Question 4**0 / 1 pts**

I have an algorithm to solve a problem of size n which needs $O(n^2)$ machines each with $O(1)$ memory. Is this a valid MapReduce algorithm, given how we set up our definitions?

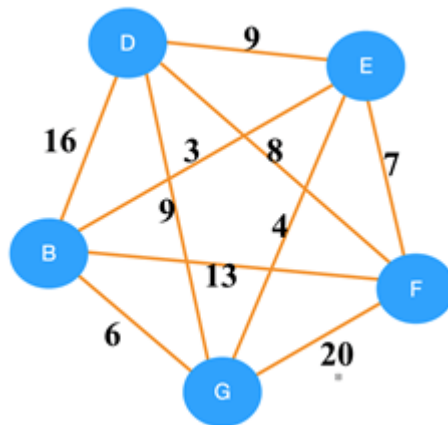
☒ Yes

☐ No

Question 5

1 / 1 pts

Which of the following edges form the minimum spanning tree Kruskal's algorithm produces for the given graph? (Weights: BD-16, DE-9, EF-7, FG-20, BG-6, BE-3, BF-13, GE-4, GD-9, DF-8)


☒ (B-E)(G-E)(E-F)(D-F)

☐ (B-E)(G-E)(E-F)(B-G)(D-F)

☐ (B-E)(G-E)(E-F)(D-E)

☐ (B-E)(G-E)(E-F)(D-F)(D-G)

Question 6

1 / 1 pts

Say you have a graph partitioned into vertices S and $V-S$, with a set F of edges between them. Which of the following is always true? Select all that are correct.

☐

The maximum-weight edge in F must **not** be in the minimum spanning tree, regardless of conditions.

☒

The minimum-weight edge in F must be in the graph's minimum spanning tree, regardless of conditions.

☒

If there is a cycle including multiple edges in F , the heaviest of those edges must **not** be in the graph's minimum spanning tree.

☐

At most one edge in F can be part of the graph's minimum spanning tree.

Incorrect

Question 7

0 / 1 pts

Say we wanted to use a reduction besides Kruskal's Algorithm in the edge distributing minimum spanning tree MapReduce. Call that Reduce algorithm A , taking some set of edges E to another set $A(E)$. Which of the following properties would it need to have for the proof of correctness we used in class to work?

☒

$A(E)$ has at most $|E|^{1-\epsilon}$ edges in it.

☐

Any edge in $A(E)$ will be in the minimum spanning tree of the original graph.



Any edge in E which is not in $A(E)$ will not be in the minimum spanning tree for the overall graph.



$A(E)$ is always a minimum spanning tree for some subset of the initial graph, but possibly only a subset of the vertices rather than the whole thing.

Quiz Score: **4** out of 7