Inter-annotator Agreement vs. System Performance (F1 measure)

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1 Introduction

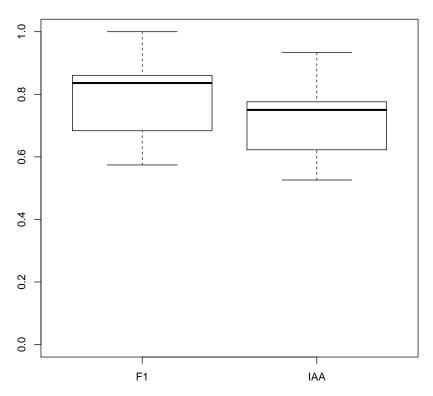
Abstract

To classify texts in natural language processing, we compute the agreement between annotators: do annotators classify texts the same? It is often thought that the agreement between annotators is the upper limit on system performance: if humans cannot agree with each other about the classification more than some percentage of the time, then we do not expect a computer to do any better. We trace the logical positivist roots of the motivation for measuring inter-annotator agreement, trace the origins of the widely-held belief about the relationship between inter-annotator agreement and system performance, and present data on 6 systems that suggests that inter-annotator agreement is not in fact an upper bound, with evidence from the biomedical and general domains. Further, we found a significantly positive correlation between inter-annotator agreement and system performance.

2 IAA < System Performance (F1 measure mostly)

```
#basic distributional aspects
labels1 <- c(rep("IAA", 20), rep("F1", 20))
iaa.and.f1_F1GthanIAA <- c(iaa_F1GthanIAA, system_F1GthanIAA)
boxplot(iaa.and.f1_F1GthanIAA~labels1, ylim=c(0, 1.0), main="Agreement and F-measure ranges"</pre>
```

Agreement and F-measure ranges



```
#summary statistics
summary(iaa_F1GthanIAA)

## Min. 1st Qu. Median Mean 3rd Qu. Max.

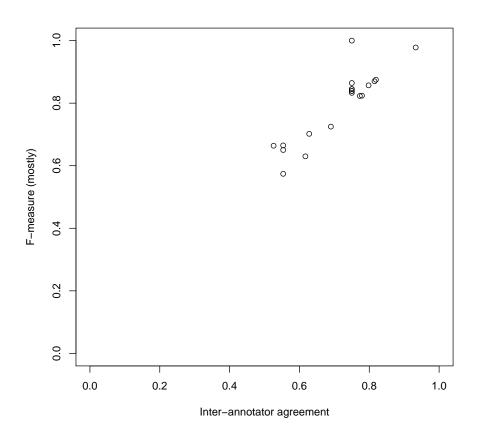
## 0.5260 0.6252 0.7500 0.7144 0.7745 0.9330

summary(system_F1GthanIAA)

## Min. 1st Qu. Median Mean 3rd Qu. Max.

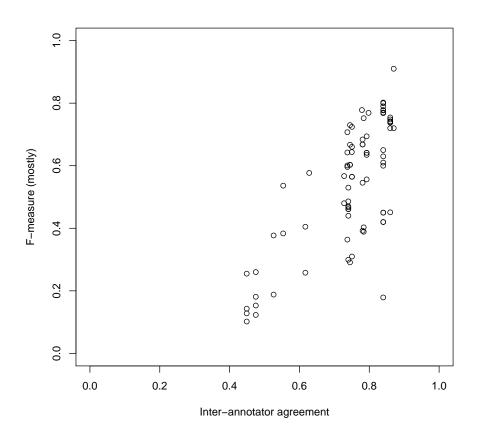
## 0.5741 0.6927 0.8360 0.7951 0.8588 1.0000
```

```
\#Shapiro-Wilk\ normality\ test
#null hypothesis = the data is normally distributed (p >0.05)
#or not if p<0.05
shapiro.test(iaa_F1GthanIAA) #not normally distributed
##
##
   Shapiro-Wilk normality test
##
## data: iaa_F1GthanIAA
## W = 0.90252, p-value = 0.046
shapiro.test(system_F1GthanIAA) #normally distributed
##
##
   Shapiro-Wilk normality test
##
## data: system_F1GthanIAA
## W = 0.92209, p-value = 0.1087
#plot of IAA vs F measure
plot(iaa_F1GthanIAA, system_F1GthanIAA,
     xlim=c(0,1.0), ylim=c(0,1.0),
     xlab="Inter-annotator agreement",
    ylab="F-measure (mostly)")
```

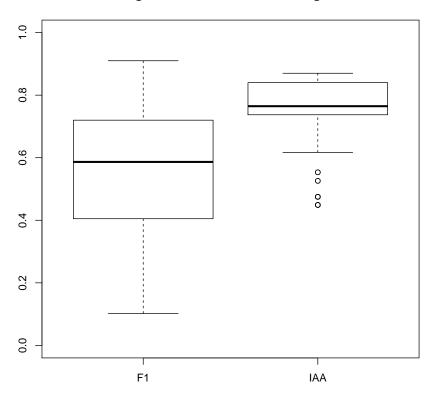


```
## S = 256.72, p-value = 8.56e-06
## alternative hypothesis: true rho is greater than 0
## sample estimates:
## rho
## 0.8069756
```

$3 \quad IAA > System Performance (F1 measure mostly)$



Agreement and F-measure ranges



```
#summary statistics
summary(IAAGThanFmeasure$IAA)

## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 0.4490 0.7373 0.7647 0.7422 0.8400 0.8700

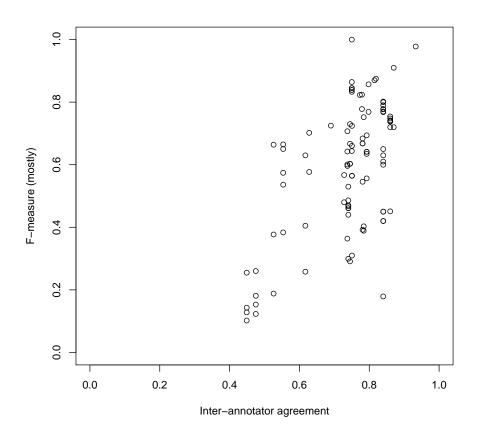
summary(IAAGThanFmeasure$System)

## Min. 1st Qu. Median Mean 3rd Qu. Max.
## 0.1020 0.4088 0.5865 0.5411 0.7168 0.9100

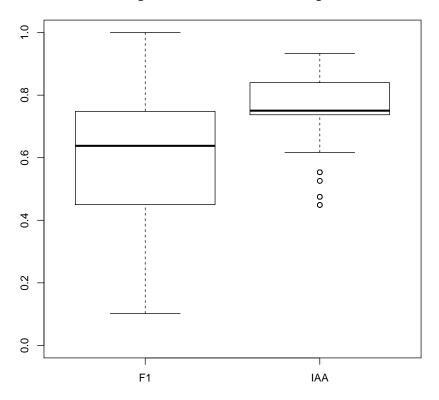
#Shapiro-Wilk normality test
#the data is normally distributed (p >0.05)
#or not if p<0.05
shapiro.test(IAAGThanFmeasure$IAA) #not normally distributed
##</pre>
```

```
Shapiro-Wilk normality test
##
## data: IAAGThanFmeasure$IAA
## W = 0.79957, p-value = 3.384e-09
shapiro.test(IAAGThanFmeasure$System) # not normally distributed
##
   Shapiro-Wilk normality test
##
##
## data: IAAGThanFmeasure$System
## W = 0.94439, p-value = 0.001425
#Spearman's correlation
cor(IAAGThanFmeasure$IAA, IAAGThanFmeasure$System,
        method ="spearman")
## [1] 0.6532331
# spearman's rank test
## positive correlation for iaa and system significant
cor.test(IAAGThanFmeasure$IAA, IAAGThanFmeasure$System,
         alternative = 'greater' , method="spearman", exact = TRUE,
         conf.level = 0.95, continuity = FALSE)
##
##
   Spearman's rank correlation rho
##
## data: IAAGThanFmeasure$IAA and IAAGThanFmeasure$System
## S = 31861, p-value = 1.449e-11
## alternative hypothesis: true rho is greater than 0
## sample estimates:
##
         rho
## 0.6532331
```

4 All Data Combined



Agreement and F-measure ranges



```
#summary statistics
summary(alldata$IAA)
##
      Min. 1st Qu. Median
                               Mean 3rd Qu.
##
   0.4490 0.7373 0.7504 0.7368 0.8400 0.9330
#Shapiro-Wilk normality test
#the data is normally distributed (p >0.05)
#or not if p<0.05
\verb| shapiro.test(alldata$IAA)| \textit{ \#not normally distributed}|
##
##
   Shapiro-Wilk normality test
##
## data: alldata$IAA
## W = 0.84755, p-value = 7.518e-09
```

```
shapiro.test(alldata$System) #not normally distributed
##
## Shapiro-Wilk normality test
##
## data: alldata$System
## W = 0.95872, p-value = 0.00289
#Spearman's correlation
cor(alldata$IAA, alldata$System, method ="spearman")
## [1] 0.5126484
# spearman's rank test
## positive correlation for iaa and system significant
cor.test(alldata$IAA, alldata$System,
        alternative = 'greater' , method="spearman", exact = TRUE,
        conf.level = 0.95, continuity = FALSE)
##
## Spearman's rank correlation rho
##
## data: alldata$IAA and alldata$System
## S = 86189, p-value = 1.81e-08
## alternative hypothesis: true rho is greater than 0
## sample estimates:
##
        rho
## 0.5126484
```