

Introduction

Preliminaries

1. Syllabus
2. Textbook - You should have a copy
3. Motivation for this class - What this class is all about
 - a. More than a programming class
 - b. It's about "Computational Thinking"
 - c. I want you to be able to:
 - Solve problems
 - Design algorithms
 - Think about efficiency
 - Translate your algorithm → Program
4. Why Python
Pascal → C++ → Java → Python

Python is:
 - Easy to use - to get started quickly
 - Not much overhead (extra typing)
 - a. Allows you focus on the problem - algorithm
 - Easy to experiment - best way to learn - INTERACTIVE MODE
 - Plenty of 3rd party modules
5. Is Python a "Real" Language - Yes
 - a. **Industrial Light and Magic** - Star Wars Episode I
 - b. **Spotify** - Data Science & Data Analysis (Pandas)
 - c. **Google** - Web Development, official server-side language
 - d. **Netflix** - Data analysis on the server side
 - e. **Instagram** - Implement its "Business Logic" & data analysis
 - f. **Dropbox** - For its desktop client
 - g. **Reddit** - Entire site relies on Python libraries
 - h. **NASA** - Real-Time systems and simulation
 - i. Etc.
6. Careers?
 - a. In 2020 there will be 1.4 million computer-science related jobs available
 - b. With only 400,000 graduates to fill those roles.

7. Python 2 vs. Python 3

- a. All software has versions
- b. Java is now on version 14
- c. Backward compatibility
- d. Python 2 and Python 3 are not compatible
- e. As of 1/1/20, for Python 2 - there will be:
 - no new bug reports
 - no fixes
 - no changes
- f. Python 2 is no longer supported
- g. Current version is Python 3.8.
 - That's what I'll be using in class
- h. You must have Python 3.7 or later for this class

Chapter 1, Miller 3rd ed., Introduction to Python

Section 1.4, Problem Solving Strategies

1. Problem Solving Rule #1 - Think Before you Code

- a. Programming: 80% Thinking - 20% Coding

Big Picture	Program Layout	Coding
Strategy	Tactics	Tools
- b. When starting a new program, worst thing you can do first → Start coding
- c. How can you possibly tell the computer how to solve a problem if you don't know how to solve it?

2. Example Problem

- a. Class of 12 students - Each shakes hand with everyone else
- b. How many handshakes are there?

Person #1 arrives	0 handshakes
Person # 2 arrives	1 handshake
Person # 3 arrives	2 handshakes
Person # 4 arrives	3 handshakes
...	
Person # 12 arrives	11 handshakes
	ADD These Up

For 12 people: $1 + 2 + \dots + 11 = 66$

In general, for X people, number of handshakes

$$1 + 2 + \dots + (X-1)$$

It is well known that

$$\sum_{i=1}^n i = \frac{n(n+1)}{2}$$

Can be easily verified, example with $n = 10$

$$\begin{array}{r}
 1 + 2 + 3 + 4 + 5 + 6 + 7 + 8 + 9 + 10 \\
 + \quad 10 \quad 9 \quad 8 \quad 7 \quad 6 \quad 5 \quad 4 \quad 3 \quad 2 \quad 1 \\
 \hline
 11 \quad 11 \quad 11 \quad 11 \quad 11 \quad 11 \quad 11 \quad 11 \quad 11 \quad 11
 \end{array}$$

Add up the sums. There are n terms, each one has value n+1

So, the sum = $n(n+1)$.

But it is twice as big, so the original sum = $n(n+1) / 2$

Back to our original problem, with 12 people

$$Handshakes = \sum_{i=1}^{11} i = \frac{(11)(12)}{2} = (11)(6) = 66$$

Much more satisfying solution.

Generalizes to any number of people.