7.5 HW

A factory produces plastic cell phone cases. To fit properly, each case must have a width between 53.5 and 54.5 millimeters. The quality control manager for the factory collects a random sample of 100 cases and determines that the widths are normally distributed, with a mean width of 54.2 millimeters and a standard deviation of 0.3 millimeter.

1. Determine the z-scores for 53.5 and 54.5 millimeters.

- 2. What percent of cell phone cases have widths *more than* 54.5 mm?
- 3. What percent of cell phone cases meet manufacturing specifications (between 53.5mm and 54.5mm)?
- 4. Suppose the production line is adjusted so that the mean width is decreased to 54.0 millimeters and the standard deviation remains at 0.3 millimeters. What percent of cell phone cases will meet manufacturing specifications? *hint: you'll need to find new z-scores.

5. Suppose that the mean width of the cell phone cases is 54.0 millimeters, and management would like 95% of the cases to meet manufacturing specifications. What standard deviation is required?

The wait time for a table at a particular restaurant are normally distributed, with a mean of 25 minutes. 75% percent of the parties who dine there wait less than 30 minutes for a table.
6. Use the z-score table to determine which z-score corresponds to 75% of the area under the curve <i>below</i> z.
7. Use the z-score formula to determine the standard deviation of wait times at the restaurant.
8. What percent of the parties wait <i>between</i> 15 and 30 minutes?
9. What percent of the parties wait <i>between</i> 10 and 15 minutes?
10. What percent of the parties wait less than 10 minutes or more than 30 minutes?