Pair Programming Equitable Participation & Honesty Affidavit

We the undersigned promise that we have in good faith attempted to follow the principles of pair programming. Although we were free to discuss ideas with others, the implementation is our own. We have shared a common workspace and taken turns at the keyboard for the majority of the work that we are submitting. Furthermore, any non programming portions of the assignment were done independently. We recognize that should this not be the case, we will be subject to penalties as outlined in the course syllabus.

Jinqi Cheng 4/14/2020

Pair Programmer 1 (print & sign your name, then date it)

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Pair Programmer 2 (print & sign your name, then date it)

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Part 1

Question 1: Show what happens to the variable domains when forward-checking is employed after each of the first two decisions:

- a. CA is assigned B.
- b. AZ is assigned O.

	CA	NV	UT	AZ	СО	NM	TX
Initial Domains	RBYO	RBYO	RBYO	RBYO	RBYO	RBYO	RBYO
		D.V. O.	5546	D.V.O.	5 5 V 6	5576	D D V O
CA is assigned B	B	RYO	RBYO	RYO	RBYO	RBYO	RBYO
AZ is assigned O	B	RY	RBY	0	RBY	RBY	RBYO

- a. NV and AZ remove 'B' in their domains.
- b. NV, UT, and NM remove 'O' in their domains

Question 2: Using maintaining arc consistency instead of forward checking.

	CA	NV	UT	AZ	СО	NM	TX
Initial Domains	RBYO						
CA is assigned B	B	RYO	RBYO	RYO	RBYO	RBYO	RBYO
AZ is assigned O	B	RY	RBY	0	RBY	RBY	RBYO

- a. Check (CA, NV) \rightarrow (CA, AZ) \rightarrow (AZ, NM) \rightarrow (AZ, CO) \rightarrow (AZ, UT) \rightarrow (AZ, NV) \rightarrow (NV, UT) \rightarrow (NV, AZ): NV and AZ remove 'B' in their domains.
- b. Check (AZ, NV) \rightarrow (AZ, UT) \rightarrow (AZ, CO) \rightarrow (AZ, NM) \rightarrow (NV, UT) \rightarrow (UT, CO) \rightarrow (CO, NM) \rightarrow (NM, CO) \rightarrow (NM,TX): NV, UT, CO, and NM remove 'O' in their domains

Question 3: Show how the conflict sets would be updated for these two moves if we were using conflict-directed backjumping.

{}← Conflict set ; ()← Assigned

Conflict set	CA	NV	UT	AZ	СО	NM	TX
Initial set							
CA is assigned B	B	{ CA= B }		{ CA= B }			
AZ is assigned O	B	{ CA= B, AZ=O }	{ AZ=O }	0	{ AZ=O }	{ AZ=O }	

Question 4: Suppose students have the following set of simplified constraints:

- i. Students cannot be enrolled in overlapping courses.
- ii. Students cannot enroll in classes on days that they work.
- iii. A student may not enroll in a course that does not have space.
- a. Write a specification for this constraint satisfaction problem.

Variables:

Divide a student's timetable into four parts.

- 1. MW 14:00 $^{-15:15} \rightarrow S_iMW1$ (A period, 14:00 to 15:15, of Student i on Monday and Wednesday)
- 2. MW 15:00 $^{\sim}$ 16:15 \rightarrow S_iMW2 (A period, 15:00 to 16:15, of Student i on Monday and Wednesday)
- 3. TTh 14:00 $^{\sim}$ 15:30 \rightarrow S_iTTh2 (A period, 14:00 to 15:30, of Student i on Tuesday and Thursday)
- 4. TTh 18:00~19:15 → SiTTh2 (A period, 18:00 to 19:15, of Student i on Tuesday and Thursday)

One student has 4 periods, so we have i*4 variables.

For example,

 $Variables = \{S_1MW1, S_1MW2, S_1TTh1, S_1TTh2, S_2MW1, S_2MW2, S_2TTh1, S_2TTh2, ...\}$

Domain:

Four Courses, C₁, C₂, C₃ and C₄. One Empty, E, and a Work, W.

 C_1 : A course whose Tutorial is 1 E: The period is free.

C₂: A course whose Tutorial is 2 W: Students work either days.

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C<sub>3</sub>: A course whose Tutorial is 3
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C₄: A course whose Tutorial is 4

For example,

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S_1MW1 = W means S_1 works either Monday or Wednesday.
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S_2MW1 = C_1 means S_2 take a course C_1.
```

Constraints:

- 1. MW1 and MW2 cannot take course simultaneously. If MW1 = C_1 , the other must be E.
- 2. TTh1 and TTh2 cannot take course simultaneously. If TTh1 = C₁, the other must be E
- 3. If MW_x is W then the other must be W as well. \rightarrow MW1 = W \leftrightarrow MW2 = W
- 4. If TTh_x is W then the other must be W as well. \rightarrow TTh1 = W \leftrightarrow TTh2 = W
- 5. The number of C_x cannot be more than 30. E.g. Cannot be more than 30 students taking C₁.
- b. Show how encapsulation could be used to create a binarize the constraint between multiple students the enrollment limit.
- i. Students cannot be enrolled in overlapping courses. & ii. Students cannot enroll in classes on days that they work.

Combine MW1 and WM2 into a set and TTh1 and TTh2 into a set. The elements in a set cannot be two C_i or more. Also, if an element is W, the other must be W too.

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E.g. U_{i,ii} = [\{S_1MW1 = C1, S_1MW2 = C2\}, \{S_1MW1 = C1, S_1MW2 = E\}, \{S_1TTh1 = C3, S_1TTh2 = W\}, \{S_1TTh1 = E, S_1TTh2 = C4\}, ...]
\{S_1MW1 = C1, S_1MW2 = C2\} = False
\{S_1MW1 = C1, S_1MW2 = E\} = True
\{S_1TTh1 = C3, S_1TTh2 = W\} = False
\{S_1TTh1 = W, S_1TTh2 = W\} = True
\{S_1TTh1 = E, S_1TTh2 = W\} = False
\{S_1TTh1 = E, S_1TTh2 = C4\} = True
```

iii. A student may not enroll in a course that does not have space:

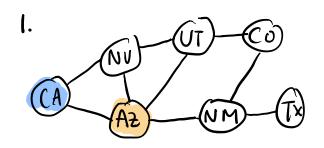
We can combine all S_xMW1 to be a set and count how many C1. If the number of C1 is larger than 30 then it conflicts. Following this rule, we can combine different MW and TTh to be sets respectively.

E.g. $U_{iii} = [\{S_1 = C1, S_2 = C1, S_3 = C1, S_4 = E, S_5 = E, ..., S_i = W, ..., S_j = C1, ...\}, \{S_1 = C2, S_2 = C2, S_3 = C2, S_4 = E, S_5 = E, ..., S_i = W, ..., S_j = C2, ...\}, \{S_1 = C3, S_2 = C3, S_3 = C3, S_4 = E, S_5 = E, ..., S_i = W, ..., S_j = C3, ...\}, \{S_1 = C4, S_2 = C4, S_3 = C4, S_4 = E, S_5 = E, ..., S_i = W, ..., S_j = C4, S_3 = C4, S_4 = E, S_5 = E, ..., S_i = W, ..., S_j = C4, ...].$

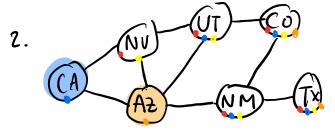
If $\{S_1 = C1, S_2 = C1, S_3 = C1, S_4 = E, S_5 = E, S_5$

If $\{S_1 = C2, S_2 = C2, S_3 = C2, S_4 = E, S_5 = E, S_5$

If $\{S_1 = C3, S_2 = C3, S_3 = C3, S_4 = E, S_5 = E, S_5$



initial domains	CA RBYO	NV RBYO	AZ RBYO	UT RB40	NM RBYO	CO RBYO	TX RBYO
After (A = B	В	RYO	RYO	RB40	rbyo	RBYO	RBYO
After AZ=0	В	RT	0	RBY	rby	RBYO	RBYO



	CA	NV	AZ	UT	NM	Co	TX
initial domains	RBYO						
After CA = B	В	R40	RYO	RB40	rbyo	RBYO	RBYO
After AZ=0	В	RY	0	RBY	rby	RBYO	RB40

After CA = B Quenc= (CA, NV) (CA, AZ), NV = RYO, AZ = RYO After AZ=0 Onene = (AZ, NV), (AZ, UT), (AZ, NM) NU=RY, UT=RBY, NM=RBY

3.	ιA	<i>V</i> 4	AZ	UT	NM	CO	TX	
After CA=B	В	{CA=B}	CA =Ę	3 Ø	ø	φ	ø	
After Az=O	В	{(A=B,AZ=0	0	{Az=0}	\$AZ=0}	Ø	ø	

4. Assume we have 2 classes: Student and Course class Student {
 Self. namc = " # Student's name
 Self. courses = [] # Student's course list
 Self. workday = [] # Days this Student work

class Course {
 Self. name = " # Course name
 Self. time = " # Start & end time of the course
 Self. day = " # day of the course
 Self. capacity = 30 # Capacity of the course
 Self. Size = 0 # Current Size of the course

CSP Specifications: X = {Student 1, Student 2,..., Student n } # instance of Student Dx = {All Student names, course lists, workdays } # instance variables of Y = {Course 1, Course 2, Course 3, Course 4} # instances of Course,

Dy = {(ourses name, time, day, capacity, size } # instance variables

c = {

for 3 student in X: # the only overlapping courses are 1 and 3 if 1 in Student courses and 3 in Student. Courses:

Ceturn False

for \exists course in Y: # in case me class is full if course. Size > course. Capacity:

(envin False

for 3 Student in X:

for a course in Y: # in case students need to work if Student workday overlaps (ourse day:

(eturn False

b. Create an encapsulated variable U cartisan product $U = X \times Y$ We can binarize the constraint by multiplying X and Y.

Hsuan-Yu Liu & Jinqi Cheng A5 Partll Source code

driver.py

```
from csp_lib.sudoku import (Sudoku, easy1, harder1)
from constraint prop import AC3
from csp_lib.backtrack_util import mrv, forward_checking, first_unassigned_variable, unordered_c
from backtrack import backtracking_search
for puzzle in [easy1, harder1]:
    s = Sudoku(puzzle) # construct a Sudoku problem
    print("---initial state---")
    s.display(s.infer_assignment())
    print("\n")
    AC3(s)
    print("---after AC3---")
    s.display(s.infer_assignment())
    print("\n")
    if not s.goal_test(s.curr_domains):
        solved = backtracking_search(s, select_unassigned_variable=mrv, inference=forward_checki
        print("---after backtracking---")
        s.display(solved)
```

backtrack.py

```
from csp_lib.backtrack_util import (first_unassigned_variable,
                                    unordered domain values,
                                    no inference)
def backtracking search(csp,
                        select_unassigned_variable=first_unassigned_variable,
                        order domain values=unordered domain values,
                        inference=no_inference):
    """backtracking search
   Given a constraint satisfaction problem (CSP),
    a function handle for selecting variables,
    a function handle for selecting elements of a domain,
    and a set of inferences, solve the CSP using backtrack search
   # See Figure 6.5] of your book for details
    def backtrack(assignment):
        """Attempt to backtrack search with current assignment
        Returns None if there is no solution. Otherwise, the
        csp should be in a goal state.
        raise notImplemented
        0.00
        # MRC will throw an error as all variables have been assigned.
        Thus, return solution when all variables are assigned.
        if len(assignment)==81:
            return assignment
        unassigned_var = select_unassigned_variable(assignment, csp)
        if unassigned var is not None:
            for domain in order_domain_values(unassigned_var, assignment, csp):
                removals=[]
                csp.assign(unassigned_var, domain, assignment)
                infer = inference(csp, unassigned_var, domain, assignment, removals)
                if infer:
                    assignment = backtrack(assignment)
                    if csp.goal test(assignment):
                        return assignment
                csp.unassign(unassigned_var, assignment)
                csp.restore(removals)
        return assignment
    # Call with empty assignments, variables accessed
   # through dynamic scoping (variables in outer
    # scope can be accessed in Python)
    result = backtrack({})
    assert result is None or csp.goal_test(result)
    return result
```

constraint_prop.py

```
111
Constraint propagation
def AC3(csp, queue=None, removals=None):
    """AC3 constraint propagation
   # Hints:
    # Remember that:
         csp.variables is a list of variables
         csp.neighbors[x] is the neighbors of variable x
    raise NotImplemented
   if not queue:
        variables = csp.variables
        queue = [ (var, neighbor) for var in variables for neighbor in csp.neighbors[var] ]
   while(queue):
        arc = queue.pop()
        if revise(csp, arc[0],arc[1]):
            if not csp.curr_domains[arc[0]]:
                break
            else:
                for neighbor in csp.neighbors[arc[0]]:
                  if neighbor != arc[1]:
                      queue.append((neighbor,arc[0]))
    return csp
def revise(csp, Xi, Xj):
    revised = False
    assignment = csp.infer_assignment()
    domains = csp.curr_domains[Xi]
    for d_val in domains:
        if csp.nconflicts(Xi,d_val, assignment):
            csp.prune(Xi, d_val, None)
            revised= True
    return revised
```

Output

---initial state---. . 3 | . 2 . | 6 . . 9 . . | 3 . 5 | . . 1 . . 1 | 8 . 6 | 4 . . -----. . 8 | 1 . 2 | 9 . . 7 . . | . . . | . . 8 . . 6 | 7 . 8 | 2 . . -----. . 2 | 6 . 9 | 5 . . 8 . . | 2 . 3 | . . 9 . . 5 | . 1 . | 3 . . ---after AC3---483 | 921 | 657 967 | 345 | 821 251 | 876 | 493 -----5 4 8 | 1 3 2 | 9 7 6 7 2 9 | 5 6 4 | 1 3 8 1 3 6 | 7 9 8 | 2 4 5 -----

 3
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 7
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 9

 6
 9
 5
 |
 4
 1
 7
 |
 3
 8
 2

---initial state---

4 1 7 | 3 6 9 | 8 . 5
. 3 . | . . . | . . .
. . . | 7 . . | . . .
. 2 . | . . . | . 6 .
. . . | . 8 . | 4 . .
. . . | . 1 . | . . .
. . . | 6 . 3 | . 7 .
5 . . | 2 . . | . . .

---after AC3---

4 1 7 | 3 6 9 | 8 2 5
. 3 . | . . . | . . .
. . . | 7 . . | . . .
. 2 . | . . . | . 6 .
. . . | . 8 . | 4 . .
. . . | . 1 . | . . .

. . . | 6 . 3 | . 7 . 5 . . | 2 . . |

---after backtracking---

4 1 7 | 3 6 9 | 8 2 5

6 3 2 | 1 5 8 | 9 4 7

9 5 8 | 7 2 4 | 3 1 6

8 2 5 | 4 3 7 | 1 6 9

7 9 1 | 5 8 6 | 4 3 2

3 4 6 | 9 1 2 | 7 5 8

2 8 9 | 6 4 3 | 5 7 1

5 7 3 | 2 9 1 | 6 8 4

1 6 4 | 8 7 5 | 2 9 3