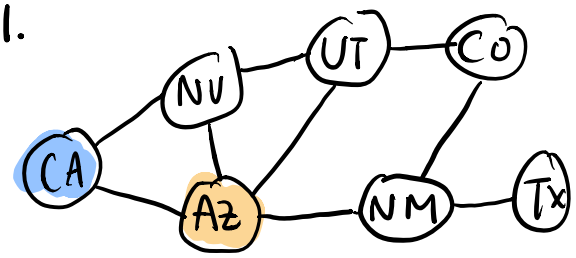
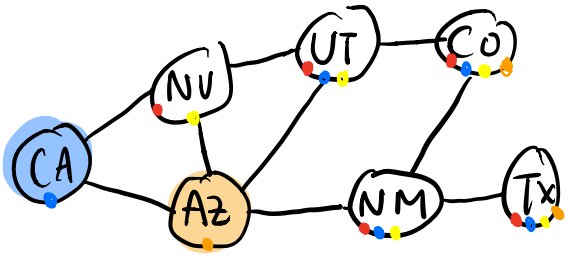
1.



	CA	NV	AZ	UT	NM	CO	TX
initial domains	RBYO	RBYO	RBYO	RBYO	RBYO	RBYO	RBYO
After CA = B	B	RYO	RYO	RBYO	RBYO	RBYO	RBYO
After AZ = O	B	RY	O	RBY	RBY	RBYO	RBYO

2.



	CA	NV	AZ	UT	NM	CO	TX
initial domains	RBYO	RBYO	RBYO	RBYO	RBYO	RBYO	RBYO
After CA = B	B	RYO	RYO	RBYO	RBYO	RBYO	RBYO
After AZ = O	B	RY	O	RBY	RBY	RBYO	RBYO

After CA = B

Queue = (CA, NV) (CA, AZ),

NV = RYO, AZ = RYO

After AZ=O

Queue = (AZ, NV), (AZ, UT), (AZ, NM)

NV = RY, UT = RBY, NM = RBY

3.

	CA	NV	AZ	UT	NM	CO	TX
After CA=B	B	{CA=B}	{CA=B}	∅	∅	∅	∅
After AZ=O	B	{CA=B, AZ=O}	O	{AZ=O}	{AZ=O}	∅	∅

4.

a. Assume we have 2 classes: Student and Course

```
class Student {
    self.name = " "    # Student's name
    self.courses = [ ]    # Student's course list
    self.workday = [ ]    # Days this student work

class Course {
    self.name = " "    # Course name
    self.time = " "    # Start & end time of the course
    self.day = " "    # day of the course
    self.capacity = 30    # Capacity of the course
    self.size = 0    # Current size of the course
```

CSP Specifications:

$X = \{Student1, Student2, \ldots, Student\ n\}$ # instances of Student

$D_X = \{$All student names, course lists, workdays$\}$ # instance variables of student

$Y = \{Course\ 1, Course\ 2, Course\ 3, Course\ 4\}$ # instances of Course, total 4.

$D_Y = \{$courses name, time, day, capacity, size$\}$ # instance variables of student

$C = \{$

```
for ∃ student in X:                    # the only overlapping courses are 1 and 3
    if 1 in student.courses and 3 in student.courses:
        return False
for ∃ course in Y:                     # in case the class is full
    if course.size > course.capacity:
        return False

for ∃ student in X:
    for ∃ course in Y:                 # in case students need to work
        if student.workday overlaps course.day:
            return False
```

b. Create an encapsulated variable U

Cartisan product $U = X \times Y$

We can binarize the constraint by multiplying X and Y.