# Homework 1

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### 1. Perform Basic Calculations in R

1.1 Use R as a calculator and show how to get answers for:

```
1.
pt_1 <- 3 * (-2)^2 + 5 * (-2) - 2
pt_1

## [1] 0
The answer to this calculation is 0.
2.
pt_2 <- sqrt(12) * (1 - (1/(3*3)) + (1/(5*(3^2))) - (1/(7*(3^3))))
pt_2

## [1] 3.137853</pre>
```

#### 1.2 Vectorized operations

The answer to this calculation is 3.1378529.

```
vec <- c((-50:50)^2)
     [1] 2500 2401 2304 2209 2116 2025 1936 1849 1764 1681 1600 1521 1444 1369
##
    [15] 1296 1225 1156 1089 1024
                                      961
                                           900
                                                841
                                                      784
                                                           729
                                                                 676
##
    [29]
          484
                441
                     400
                          361
                                324
                                      289
                                           256
                                                225
                                                      196
                                                           169
                                                                 144
                                                                      121
                                                                            100
                                                                                  81
    [43]
           64
                      36
                            25
                                 16
                                        9
                                                   1
                                                        0
                                                             1
                                                                             16
                                                                                  25
##
                                100
                                                      196
           36
                 49
                            81
                                           144
                                                169
                                                           225
                                                                 256
                                                                      289
                                                                            324
##
    [57]
                      64
                                      121
                                                                                 361
          400
                441
                     484
                          529
                                576
                                      625
                                           676
                                                729
                                                      784
                                                           841
                                                                 900
                                                                      961 1024 1089
    [85] 1156 1225 1296 1369 1444 1521 1600 1681 1764 1849 1936 2025 2116 2209
##
    [99] 2304 2401 2500
```

I have outputted the squared values of the vectors ranging from -50 to 50 above.

### 1.3 Sample vs. population standard deviation

```
1.
values <- c(27, 36, 50, -24, 9, -38) # I've created and stored a vector into values
2.
```

```
sd(values) # This function will compute and output the standard deviation of my vector, values.
## [1] 34.71599
The standard deviation of the vector, values, is 34.7159906.
population_sd <- sqrt( (1/length(values)) * sum((values - mean(values))^2)) # This is the formula for t
population_sd # This will output the calculation.
## [1] 31.69122
The population standard deviation is 31.6912186.
sample_sd <- sqrt( (1/(length(values)-1)) * sum((values - mean(values))^2)) # This is the formula for t</pre>
sample_sd # This will output the calculation.
## [1] 34.71599
The sample standard deviation is 34.7159906.
The function sd() calculates the sample standard deviation since they both match. Let's confirm this.
sd(values) == sample_sd # This will compare the numerical value of the two outputs to see if they match
## [1] TRUE
Since the output is TRUE, our first intuition (or rather, eyesight) was correct! Instead of carrying out these
tedious calculations, I could have simply Googled this question and used the answers from stackoverflow.com. :)
1.4 Vector Classes
1.
numbers \leftarrow c(-4, 5, 35, 12) # I've created a vector of the class integers/numbers.
strings <- c("James", "is", "awesome!") # I've created a vector of the class strings.
booleans <- c(F, T, F, T) # I've created a vector of the class booleans.
2.
nr <- typeof(c(numbers, strings)) # This vector stores the class of the newly created vector.
nr # This will output the class.
## [1] "character"
nb <- typeof(c(numbers, booleans)) # This vector stores the class of the newly created vector.
nb # This will output the class.
## [1] "double"
sb <- typeof(c(strings, booleans)) # This vector stores the class of the newly created vector.
sb # This will output the class.
## [1] "character"
nsb <- typeof(c(numbers, strings, booleans)) # This vector stores the class of the newly created vector
nsb # This will output the class.
```

## [1] "character"

- 1. The class of a vector of numbers and strings is character.
- 2. The class of a vector of numbers and booleans is double.
- 3. The class of a vector of strings and booleans is character.
- 4. The class of a vector of numbers, strings, and booleans is character.

3.

R probably does this so that all of the objects within a vector are of the same class so that they can all be manipulated based on the class' functionality. It makes sense for vectors that contain strings and other classes to become characters to conserve its data, while making numbers and booleans (booleans are 0 and 1) doubles, indicative of a numerical vector.

## 2. Reading in different data file types

### 2.1 Childhood Respiratory Disease

The proportion of females who smoke is 0.1226415.

m # It will output the proportion.

## [1] 0.07738095

```
1.
crd <- read.table(file = "http://www.statsci.org/data/general/fev.txt", header = TRUE) # The file has b</pre>
2.
names(crd) # This outputs the variables in the data.
## [1] "ID"
                 "Age"
                           "FEV"
                                    "Height" "Sex"
                                                        "Smoker"
The variables in the data are ID, Age, FEV, Height, Sex, Smoker.
names(crd) <- c("id", "age", "lung_cap", "height", "sex", "smoker") # I have renamed the variables.
4.
names(crd) # I'm re-printing the variables with the new names.
## [1] "id"
                               "lung cap" "height"
                                                                   "smoker"
The re-named variables in the data are id, age, lung_cap, height, sex, smoker.
table(crd$sex, crd$smoker) # This table outputs the number of each sex who smokes and who don't smoke.
##
##
            Current Non
                  39 279
##
     Female
                  26 310
##
     Male
In order to answer the question, we will do some math.
f \leftarrow 39/(39+279) # I divided those females who smoke over the total female sample population to find th
f # It will output the proportion.
## [1] 0.1226415
```

 $m \leftarrow 26/(26+310)$  # I divided those males who smoke over the total male sample population to find the pr

The proportion of males who smoke is 0.077381. It seems that the proportion of female smokers is higher than male smokers. Let's confirm:

```
f > m # This boolean will validate our claim that females' proportion is greater than males'
```

```
## [1] TRUE
```

Since the boolean reads TRUE, we were correct in assessing that there is a higher proportion of female smokers than male smokers in our sample population.

### 2.2 Reading 'Stata', 'SAS', and 'SPSS' files

1.

```
library(haven) # I am loading the package haven into R.
```

2.

```
spss <- read_sav(file = "http://www.sjsu.edu/people/carlos.e.garcia/courses/soci104/Course-Assignments/
stata <- read_dta(file = "http://qcpages.qc.cuny.edu/~rvesselinov/statadata/WAGEPAN.DTA") # I have load
sas <- read_sas("http://biostat3.net/download/sas/colon.sas7bdat") # I have loaded the .sas7bdat data s</pre>
```

3.

1.

```
names(spss) # This will print out the variables of the spss data set.
```

```
##
   [1] "id"
                    "wrkstat"
                               "marital"
                                           "age"
                                                       "educ"
   [7] "race"
                                                       "hlth5"
                                                                  "relig"
##
                    "partyid"
                               "polviews" "hlth4"
                               "gunlaw"
## [13] "owngun"
                    "cappun"
                                           "grass"
                                                       "empathy1" "empathy2"
## [19] "empathy3" "empathy4" "empathy5" "empathy6" "empathy7"
```

As you can see, there are 23 variables in the spss data set!

2.

observations  $\leftarrow$  ncol(stata)\*nrow(stata) # I am multiplying the number of rows by the number of columns observations # This will print out the number of observations.

## [1] 44000

names(stata) # This will print out the variables of the stata data set.

```
[1] "nr"
                    "year"
                                "agric"
                                            "black"
                                                        "bus"
##
                                                                    "construc"
   [7] "ent"
                    "exper"
                                "fin"
                                                        "poorhlth" "hours"
                                            "hisp"
## [13] "manuf"
                                "min"
                    "married"
                                            "nrthcen"
                                                        "nrtheast"
                                                                    "occ1"
## [19] "occ2"
                    "occ3"
                                "occ4"
                                            "occ5"
                                                        "occ6"
                                                                    "occ7"
## [25] "occ8"
                    "occ9"
                                "per"
                                            "pro"
                                                        "pub"
                                                                    "rur"
## [31] "south"
                    "educ"
                                "tra"
                                            "trad"
                                                        "union"
                                                                    "lwage"
## [37] "d81"
                    "d82"
                                "d83"
                                            "d84"
                                                        "d85"
                                                                    "d86"
## [43] "d87"
                    "expersq"
```

As you can see, there are 44 variables in the stata data set, and 44000 observations!

4.

```
library(knitr) # I am loading the package knitr into R.
```

## Warning: package 'knitr' was built under R version 3.4.2
kable(head(sas, nrows = 6)) # I am creating a table of the first six rows of the sas data set.

sex	age	stage	$\operatorname{mmdx}$	yydx	surv_mm	surv_yy	status	subsite	year8594	agegrp	dx	exit
2	77	3	9	1977	16.5	1.5	1	2	0	3	1977-09-07	1979-01-22
2	78	1	10	1978	82.5	6.5	2	1	0	3	1978-10-07	1985-08-22
1	78	3	12	1978	1.5	0.5	1	3	0	3	1978-12-07	1979-01-22
1	76	3	10	1976	1.5	0.5	1	3	0	3	1976-10-07	1976-11-22
1	80	1	4	1980	8.5	0.5	1	3	0	3	1980-04-07	1980-12-22
2	75	1	11	1975	23.5	1.5	1	1	0	3	1975-11-07	1977 - 10 - 22

Wow, the kable function sure made our table look very pretty!

# 3. Create and interpret plots

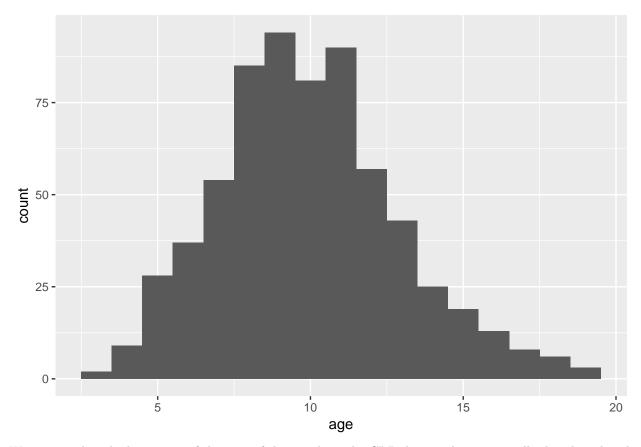
```
1.
```

```
library(ggplot2) # I am loading the package ggplot2 into R.

## Warning: package 'ggplot2' was built under R version 3.4.2
```

2.

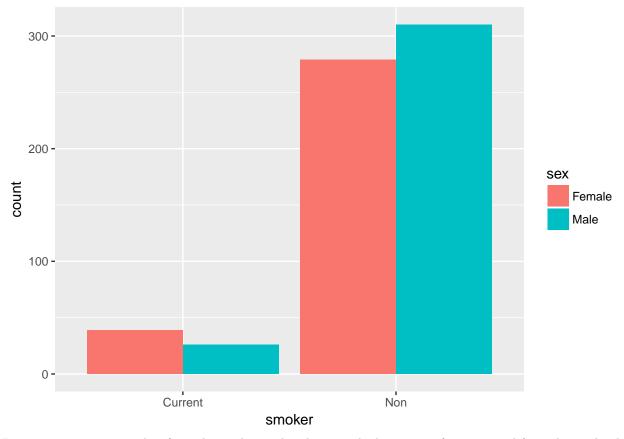
```
p <- ggplot(data = crd) # This is the first layer of ggplot2, where we read in the data p + geom_histogram(aes(x = age), binwidth = 1) # The additional layer creates the histogram.
```



We can see that the histogram of the ages of the people in the CRD data is almost normally distributed with a mean centered around 10 years old.

3.

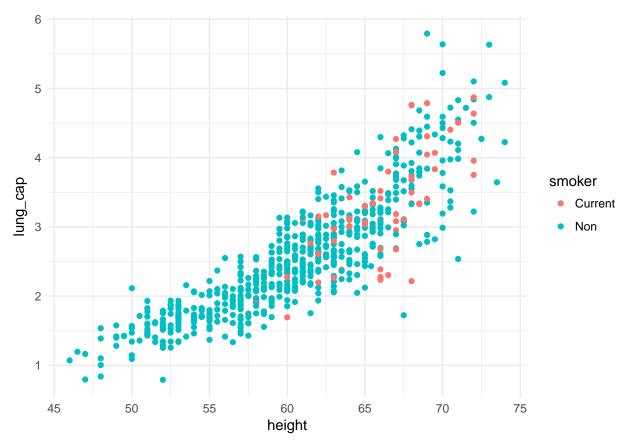
p + geom\_bar(aes(x = smoker, fill = sex), position = "dodge") # I have created a bar graph to compare s



It is interesting to note that from those who smoke, there is a higher count of women, and from those who do not smoke, there is a lower count of women, leading us to believe that women smoke more often than men, as extrapolated from this sample.

4.

```
q \leftarrow ggplot(data = crd, aes(x = height, y = lung_cap)) # This is the first layer of ggplot2, where we r q + geom_point(aes(color = smoker)) + theme_minimal() # The additional layer colors the data points bas
```



This is a very interesting graph! It shows a positive, linear, moderately strong association between height and lung capacity, with the variable of smoking not affecting lung capacity to the extent predicted. What a cool visualization!