```
a→ civer a sorted integer array A & ar integer K.
      Find any pair (i,j) s.t A(i) + A(j) = K & i!=j
        SC = O(1)
                                                                     Ans = (2,4)
  Bruteforce \rightarrow Vi, j check if sum = K.

TC = O(N^2) SC = O(1)
   Birary Search \rightarrow Ali] + Alj] = K \rightarrow A4j = K-Ali]

Vi, search if K-Ali] is present in A.

i!=j

TC = O(N \log(N)) SC = O(1)
  Two Pointers \rightarrow 0 1 2 3 4 5 6

A = [-5 -2 \ 1 \ 8 \ 10 \ 12 \ 15] \quad K = 11

i j
A67 + A47 = K
                                                                    A/5] + A/6] > K
                                                                     i -- OR j --
A L J + A L J = A L J + A / L J = -7 < K
                                                                          X
i++ OR j++
                                  >-5+largest Ali] < K | 15+ smallest available Ali] > K
                                   => -5 + any Ali] < K | 15 + any available Ali] > K
        -5+15=10 < K \longrightarrow i++
       -2+15=13>K \longrightarrow j--  i=0  j=N-1
       -2 + 12 = 10 < K
                                        while (i < j) of
                                            if (Ali]+Alj]==K)

return (i,j)

else if (Ali]+Alj] < K)

i+=1
       1+12=13>K
       1 + 10 = 11 = k \checkmark
```

$$TC = O(N)$$

$$SC = O(1)$$

$$2 + y = 3$$

$$3 + 2 = 6$$
else
$$j - = 0$$

$$return (-1, -1)$$

a→ civer a sorted integer array A & an integer K>0 Find any poir (i, j) s.t [AGT - ALI] = K. SC = O(1) Ans = (2,5)Bruteforce $\rightarrow TC = O(N^2)$ SC = O(I)Binary Search $\rightarrow \forall i$, search for K + A[i]. $TC = O(N \log(N))$ SC = O(i)AljJ - AliJ = 15 - (-5) = 20 > K j - - OR i + + AljJ - AliJ = 15 - 12 = 3 < K XK > 0 Alj) > Ali] ⇒ <u>j > i</u> Ali → never have any j s.t AGJ - AGJ = Klorgest element - Ali] < K

ary element - Ali] < K

$$A = \begin{bmatrix} -5 & -2 & 1 & 8 & 10 & 12 & 15 \end{bmatrix} \quad K = 11$$

$$\dot{x} \quad \dot{x} \quad \dot{x} \quad \dot{x} \quad \dot{x} \quad \dot{y} \quad$$

$$H.W \rightarrow Find the court of pairs s.t. a) $A[i] + A[j] = K$

(Sorted array) b) $A[j] - A[i] = K \vee (K > 0)$$$

Solve
$$\rightarrow$$
 wrique elements \checkmark \longrightarrow duplicate \Rightarrow frequency array

[2 3 10 15] \checkmark
[2 3 10 15] \checkmark
[2 3 10 15] \checkmark

 $\theta \rightarrow \omega$ coince are integer array of +ve elements & an integer K. where if there exist a subarray with sum = K.

$$A = \begin{bmatrix} 1 & 2 & 3 & 4 & 5 & 6 \\ 1 & 3 & 15 & 10 & 20 & 3 & 23 \end{bmatrix}$$
 $K = 33$ Ans = true $K = 43$ Ans = false

```
# suborray of array size N = \frac{N*(N+1)}{2}
                    check every subarray sun \rightarrow 7C = O(N^2) SC = O(1)
A = \begin{bmatrix} 1 & 2 & \frac{1}{3} & 4 & \frac{1}{5} & 6 \\ 1 & 3 & 15 & 10 & 20 & 3 & 23 \end{bmatrix} \quad K = \underline{33}
sorted \rightarrow P = \begin{bmatrix} 1 & 4 & \boxed{19} & 29 & 49 & \boxed{52} & 75 \end{bmatrix} \quad P(i) = P(i-1) + A(i)
TC = O(N) \quad SC = O(N)
        subarray sum (i-j) \rightarrow P[j] - P[i-1], i > 0
                                                                            O(1) use Al]
     check if any P[j] = K or any P[j] - P[i-1] = K
               Total TC = O(N)
                                                                 TC = O(N) -> 2 Pointers
       SC = O(1) without updating A

A = [1] 3 15 10 [20] 3 23]

K = 33

i - j
        j + j + j + j + k Sum k \rightarrow j++
                                                    sun > K \rightarrow i++
     A[0] cannot be in a subarray with sum = K.
    start
   Sum = 1 + 3 + 15 + 10 = 29 + 20 - 1 = 48
                                                      48-3-15 = 30 +3 = <u>33</u>
       i = 0 j = 0  Sum = A[0], //\forall i, A[i] > 0
i = j
i < = j
       while (j < N)  &
         if (sun == K) return true TC = O(N) SC = O(1)

if (sun < K) (
1 + K = 6
                  if (j == N) break
                                                          + i | sum = 0.8726
+ + + i
                 sum += A47 -
         } else {
```

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