

# AUDIO MODULE

## Notes for Mario:

A fairly accurate transcription of the Mario theme tune if I may say so myself! We only need to adjust the speed.

- ⇒ For simplicity purposes regarding the project, my module generates C, E, G, A, F, D. These are the most common notes and make up to about 90% of the transcript I wrote down below. Referenced Nintendo documentation on original Mario.

^E ^E ^E  
^C ^E ^G G

^C G E  
A B Bb A  
G ^E ^G ^A  
^F ^G ^E ^C ^D B  
^C G E  
A B Bb A  
G ^E ^G ^A  
^F ^G ^E ^C ^D B

^G ^F# ^F ^D ^E  
G A ^C  
A ^C ^D  
^G ^F# ^F ^D ^E  
\*C \*C \*C  
^G ^F# ^F ^D ^E  
G A ^C  
A ^C ^D  
^D# ^D ^C

^C ^C ^C  
^C ^D ^E ^C A G  
^C ^C ^C  
^C ^D ^E  
^C ^C ^C  
^C ^D ^E ^C A G  
^E ^E ^E  
^C ^E ^G  
G

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^C G E  
A B Bb A  
G ^E ^G ^A  
^F ^G ^E ^C ^D B  
^C G E  
A B Bb A  
G ^E ^G ^A  
^F ^G ^E ^C ^D B

^E-^C G  
G A ^F ^F A  
B ^A ^A ^A ^G ^F  
^E ^C A G  
^E-^C G  
G A ^F ^F A  
B ^F ^F ^F ^E ^D ^C  
G E C

^C G E  
A B A  
G# Bb G#  
G-F#-G

➤ As can be found in the module, the frequencies are as follows:

C (Middle C, C4):	261.63 Hz
D (D4):	293.66 Hz
E (E4):	329.63 Hz
F (F4):	349.23 Hz
G (G4):	392.00 Hz
A (A4):	440.00 Hz

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## BREAKDOWN:

The octave is divided into 12 logarithmically equal steps, each step being a semitone. This division means that the frequency ratio between any two adjacent notes (like C and C#, or E and F) is the twelfth root of two ( $2^{1/12}$ ), approximately 1.05946. This system allows for consistent intervals across keys, which is essential for the flexibility in modulation and transposition in modern music composition and performance.

### Calculating frequencies:

To calculate the frequencies of the other notes from the reference pitch A4 = 440 Hz, you use the formula:  $\text{Frequency of Note} = 440 \times 2^{(n/12)}$  where  $n$  is the number of semitones away from A4. If  $n$  is positive, the note is higher than A4; if  $n$  is negative, the note is lower.

For example:

**C4 (Middle C)** is 9 semitones below A4. Hence its frequency is:  
 $440 \times 2^{-(9/12)} \approx 261.63 \text{ Hz}$

**D4** is 7 semitones below A4, so:  $440 \times 2^{-(7/12)} \approx 293.66 \text{ Hz}$

**E4** is 5 semitones below A4, so:  $440 \times 2^{-(5/12)} \approx 329.63 \text{ Hz}$

**F4** is 4 semitones below A4, so:  $440 \times 2^{-(4/12)} \approx 349.23 \text{ Hz}$

**G4** is 2 semitones below A4, so:  $440 \times 2^{-(2/12)} \approx 392.00 \text{ Hz}$

**Bo**