127,0 -> 0 1 1 1 1 1 1 1 2 (1 Byte integer Bore 2)
10000000 (1's complement)

10000001 (2'S complement)

 $\frac{010\ 000\ 001}{2\ 0\ 1} \rightarrow 2018$ $\frac{1000\ 0001}{8\ 1} \rightarrow 81_{16}$

 $\frac{10101_{2} \rightarrow 21_{10}}{21_{10} \rightarrow 00010101} = \frac{(18) \text{te integer Bare 2}}{11101010} = \frac{(15) \text{comp.}}{11101011} \rightarrow -21_{10} = \frac{(25) \text{complement}}{3}$

1110 1011 -> EB16

 $\frac{1}{5710} \rightarrow \frac{5710}{110001} (18 \text{ Byte integer Bare 2})$ $\frac{11000111}{11000111} \rightarrow \frac{5710}{7} (2' \text{s complement})$ $\frac{011}{3} \frac{000}{0} \frac{111}{7} \rightarrow \frac{3078}{7}$ $\frac{1100}{12} \frac{0111}{7} \rightarrow \frac{0716}{7}$

Ab₁₆
$$\rightarrow$$
 171₁₀

$$17110 \rightarrow 1 \stackrel{?}{0} \stackrel{?}{10} \stackrel{?}{10$$

4 Final result table;

Bar 10	Bare 2	Bare 8	Bare 16
-127	10000001	201	81
- 21	11101011	353	EB
- 57	11000111	307	C 7
-171	01010101	125	55