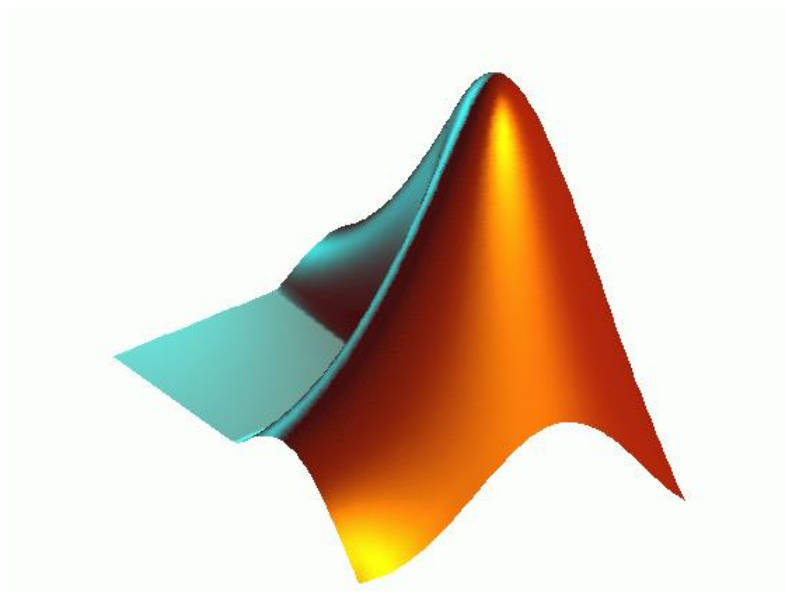


INTRODUCTION TO MATLAB

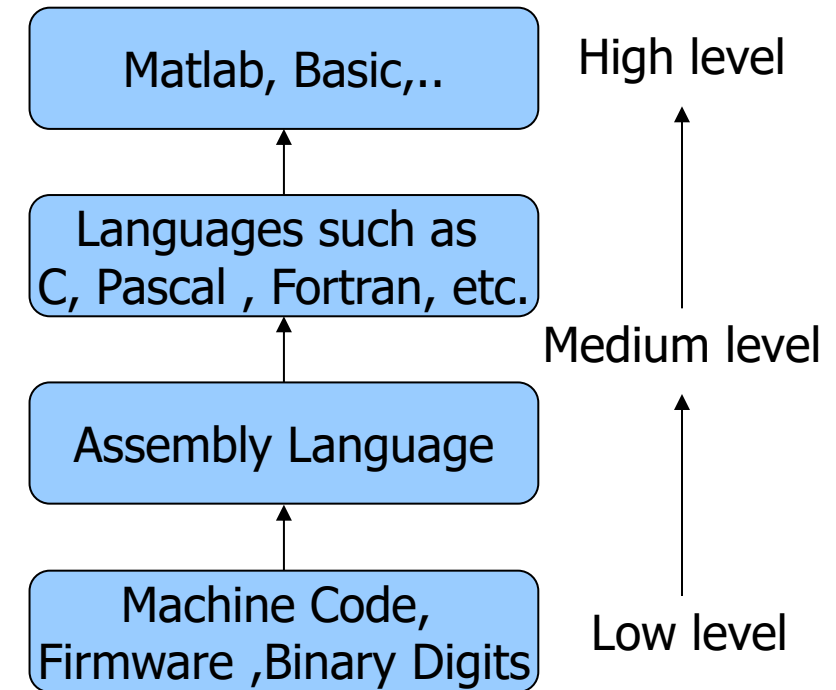
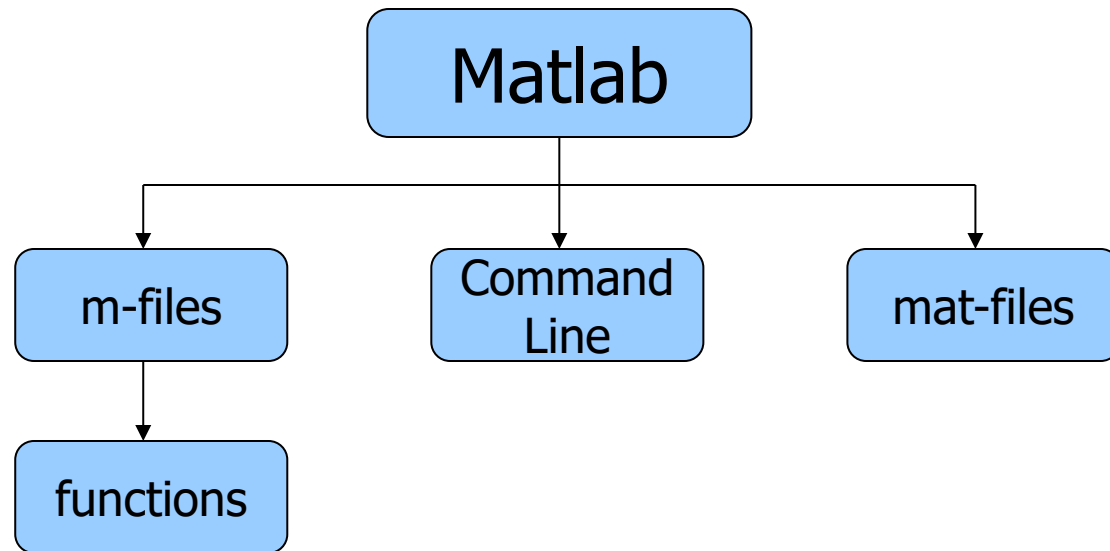


Dr. Dinh-Tan Pham

Introduction

❖ MATLAB (MATrix LABoratory)

- ✓ MATLAB is a product of The MathWorks™ Inc.
- ✓ MATLAB enables us to solve many advanced numerical problems rapidly and efficiently.



Commands

```
>>help
```

```
>>clc
```

```
>>clear
```

```
>>clear all
```

```
>>save
```

```
>>load
```

Matrix

$$\begin{bmatrix} 1,1 & 1,2 & . & 1,n \\ 2,1 & 2,2 & . & 2,n \\ 3,1 & 3,2 & . & 3,n \\ . & . & . & . \\ m,1 & m,2 & . & m,n \end{bmatrix}$$

```
>> N = 5:10:35
N =
     5    15    25    35
>> P = [1:3; 30:-10:10]
P =
     1     2     3
    30    20    10
```

```
>> x=[1 2 3]
x =
     1     2     3

>> x=[1,2,3]
x =
     1     2     3

>> x=[1
      2
      3
      4];
>> x=[1;2;3;4]
x =
     1
     2
     3
     4
```

Matrix

```
>> a=[1 2];  
>> b=[3  
      4];  
  
>> a*b  
ans =  
      11  
  
>> b*a  
ans =  
      3      6  
      4      8
```

```
>> A = [1:3;4:6;7:9]  
A =  
      1      2      3  
      4      5      6  
      7      8      9  
  
>> mean(A)  
ans =  
      4      5      6  
  
>> sum(A)  
ans =  
     12     15     18
```

```
x = zeros(1,3)  
x =  
      0      0      0  
  
x = ones(1,3)  
x =  
      1      1      1  
  
x = rand(1,3)  
x =  
 0.9501  0.2311  0.6068
```

Linear equation system

$$\begin{bmatrix} 1 & 2 & 3 \\ 5 & 1 & 4 \\ 3 & 2 & 1 \end{bmatrix} \begin{Bmatrix} x_1 \\ x_2 \\ x_3 \end{Bmatrix} = \begin{Bmatrix} -5 \\ -1 \\ 5 \end{Bmatrix}$$

```
A = [1 2 3; 5 1 4; 3 2 1]
```

```
A =
```

```
1    2    3
5    1    4
3    2    1
```

```
b = [-5; -1; 5]
```

```
b =
```

```
-5
-1
5
```

```
x = inv(A)*b
```

```
x =
```

```
2
1
-3
```

Polynomial: roots

❖ Find the roots of the polynomial

$$p_1(x) = x^4 - 10x^3 + 35x^2 - 50x + 24$$

```
p1=[1 -10 35 -50 24]      % Specify and display the coefficients of p1(x)
```

```
p1 =  
      1      -10      35      -50      24
```

```
roots_p1=roots(p1)        % Find the roots of p1(x)
```

```
roots_p1 =  
      4.0000  
      3.0000  
      2.0000  
      1.0000
```

Polynomial: poly

❖ It is known that the roots of a polynomial are -1, -2, -3, -4+5j and -4-5j. Compute the coefficients of this polynomial.

```
r4=[ -1  -2  -3 -4+5j -4-5j ]
```

```
r4 =
```

```
Columns 1 through 4
```

```
-1.0000    -2.0000    -3.0000    -4.0000+ 5.0000i
```

```
Column 5
```

```
-4.0000- 5.0000i
```

```
poly_r4=poly(r4)
```

```
poly_r4 =
```

```
1    14    100    340    499    246
```

Therefore, the polynomial is

$$p_4(x) = x^5 + 14x^4 + 100x^3 + 340x^2 + 499x + 246$$

Polynomial: polyval

❖ Evaluate the polynomial at $x = -3$

$$p_5(x) = x^6 - 3x^5 + 5x^3 - 4x^2 + 3x + 2$$

```
p5=[1 -3 0 5 -4 3 2]; % These are the coefficients of the given polynomial
% The semicolon (;) after the right bracket suppresses the
% display of the row vector that contains the coefficients of p5.

%
val_minus3=polyval(p5, -3) % Evaluate p5 at x=-3; no semicolon is used here
% because we want the answer to be displayed

val_minus3 =
    1280
```

Polynomial: conv

Let

$$p_1 = x^5 - 3x^4 + 5x^2 + 7x + 9$$

and

$$p_2 = 2x^6 - 8x^4 + 4x^2 + 10x + 12$$

Compute the product $p_1 \cdot p_2$ using the **conv(a,b)** function.

```
p1=[1 -3 0 5 7 9];           % The coefficients of p1
p2=[2 0 -8 0 4 10 12];        % The coefficients of p2
p1p2=conv(p1,p2)              % Multiply p1 by p2 to compute coefficients of the product p1p2
```

```
p1p2 =
     2    -6    -8    34    18   -24   -74   -88    78   166   174   108
```

Therefore,

$$\begin{aligned} p_1 \cdot p_2 = & 2x^{11} - 6x^{10} - 8x^9 + 34x^8 + 18x^7 - 24x^6 \\ & - 74x^5 - 88x^4 + 78x^3 + 166x^2 + 174x + 108 \end{aligned}$$

Polynomial: polyder

Let

$$p_5 = 2x^6 - 8x^4 + 4x^2 + 10x + 12$$

Compute the derivative $\frac{d}{dx}p_5$ using the **polyder(p)** function.

```
p5=[2  0  -8  0  4  10  12];    % The coefficients of p5
der_p5=polyder(p5)              % Compute the coefficients of the derivative of p5

der_p5 =
    12         0    -32         0         8         10
```

Therefore,

$$\frac{d}{dx}p_5 = 12x^5 - 32x^3 + 4x^2 + 8x + 10$$

Script file

- ❖ MATLAB recognizes two types of files: script files and function files. Both types are referred to as **m-files** since both require the .m extension.
- ❖ A script file consists of two or more functions.

Function file

%File name: pwr2.m

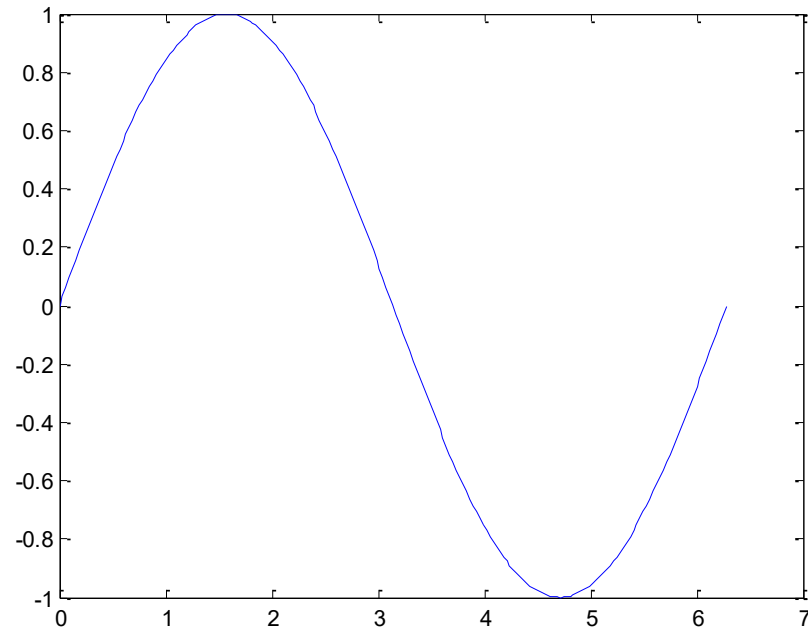
```
function y=pwr2(x)
```

```
y=x^2
```

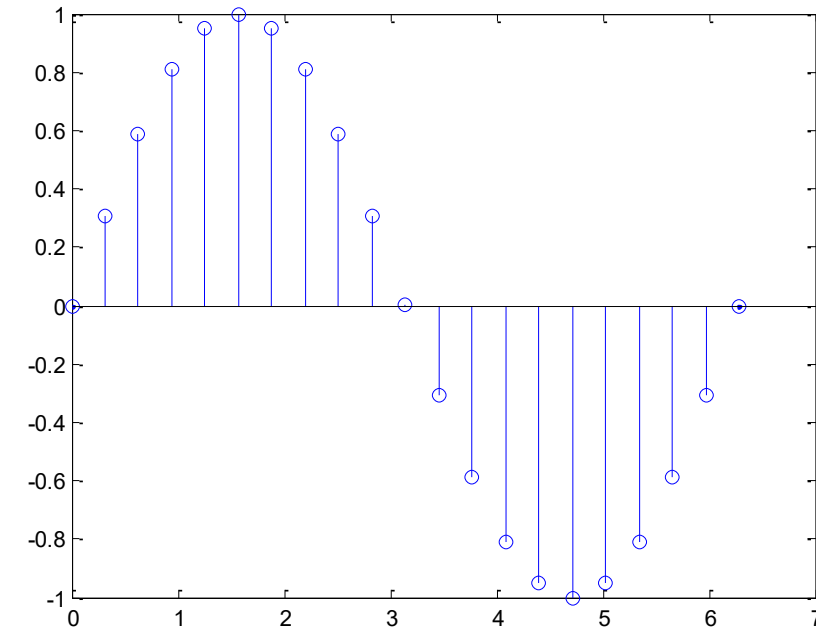
```
end
```

Visualization

```
x = 0:pi/100:2*pi;  
y = sin(x);  
plot(x,y)
```



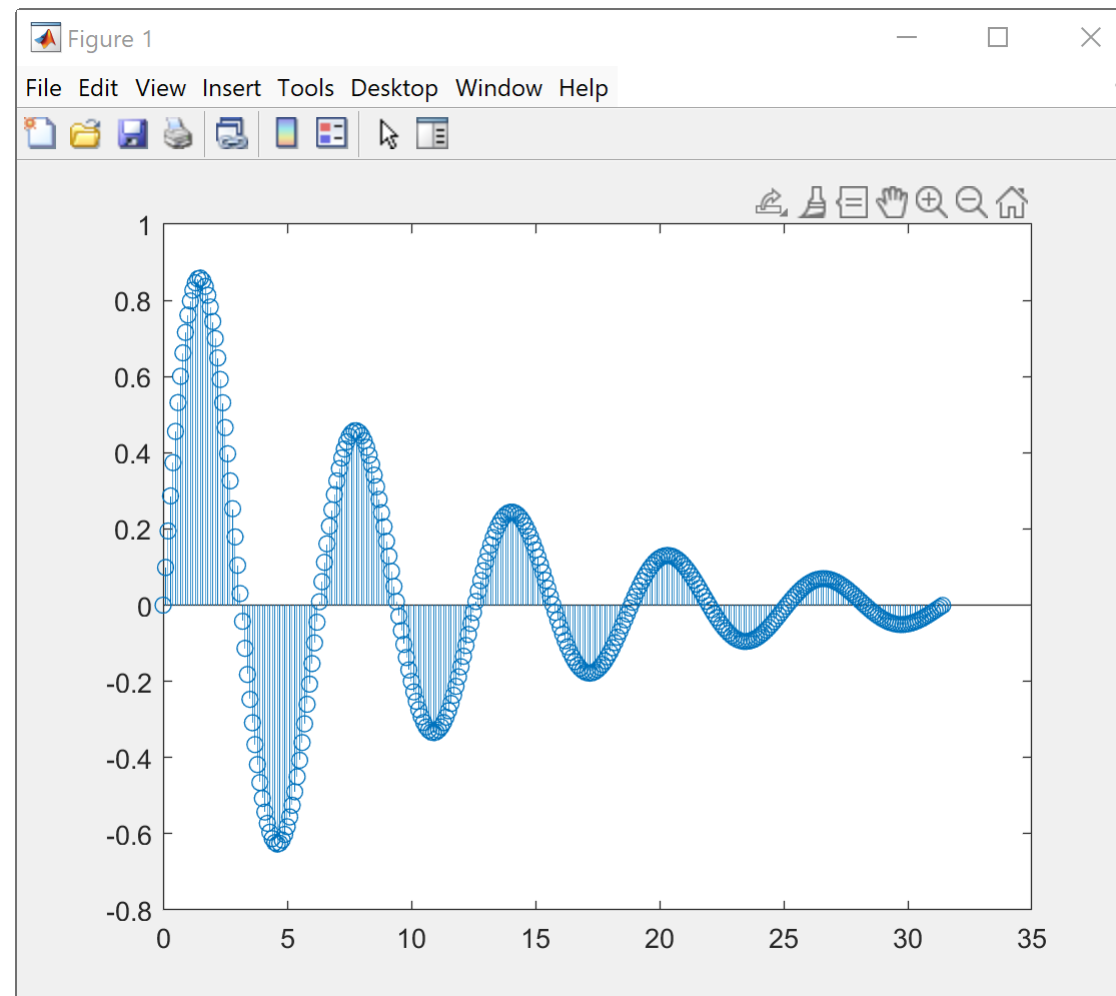
```
x = 0:pi/100:2*pi;  
y = sin(x);  
stem(x,y)
```



Visualization using **stem**

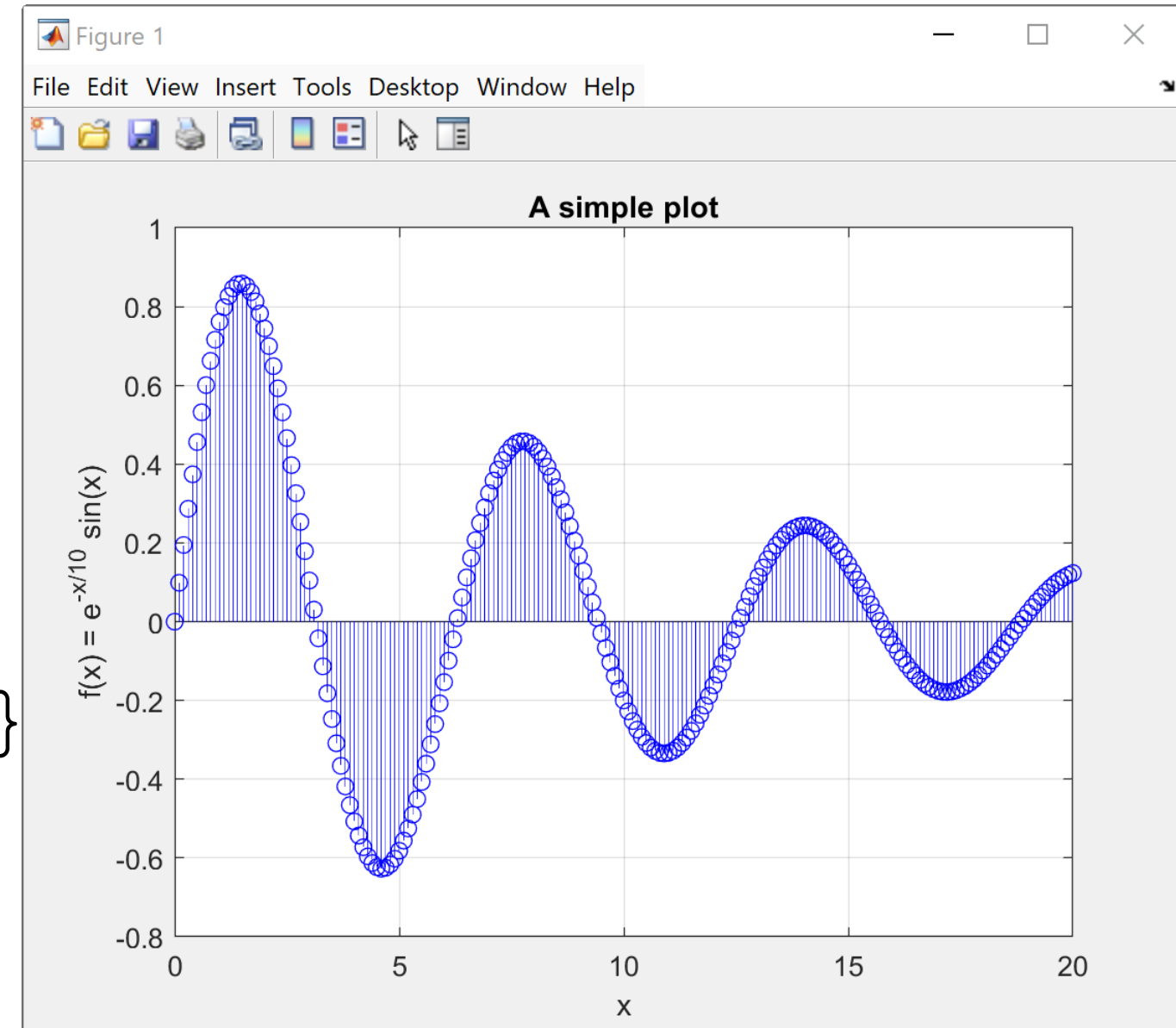
```
x=0:0.1:10*pi;
```

```
stem(x, sin(x) .* exp(-0.1*x) )
```



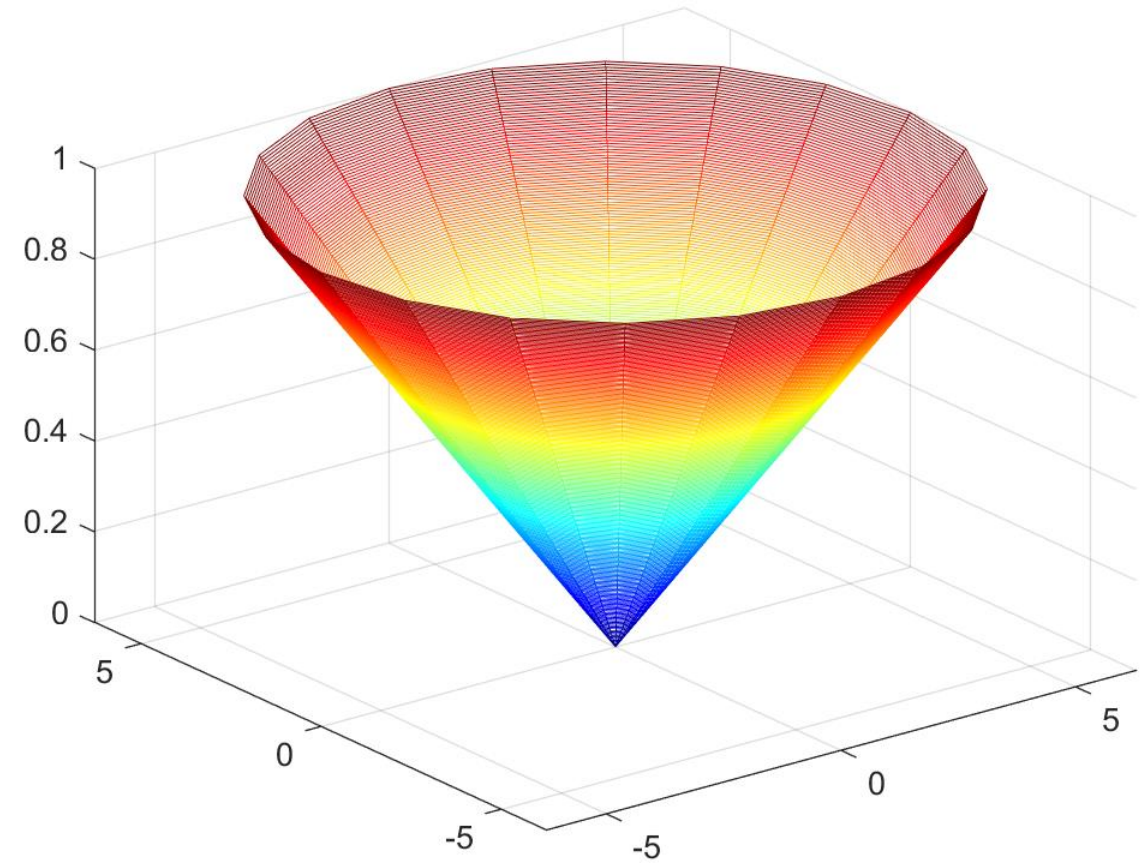
Visualization using **stem**

```
x = 0:0.1:20;  
y = exp(-x/10).*sin(x);  
stem(x,y,'Color','b')  
grid on  
xlabel('x')  
ylabel('f(x) = e^{-x/10} sin(x)')  
title('A simple plot')
```



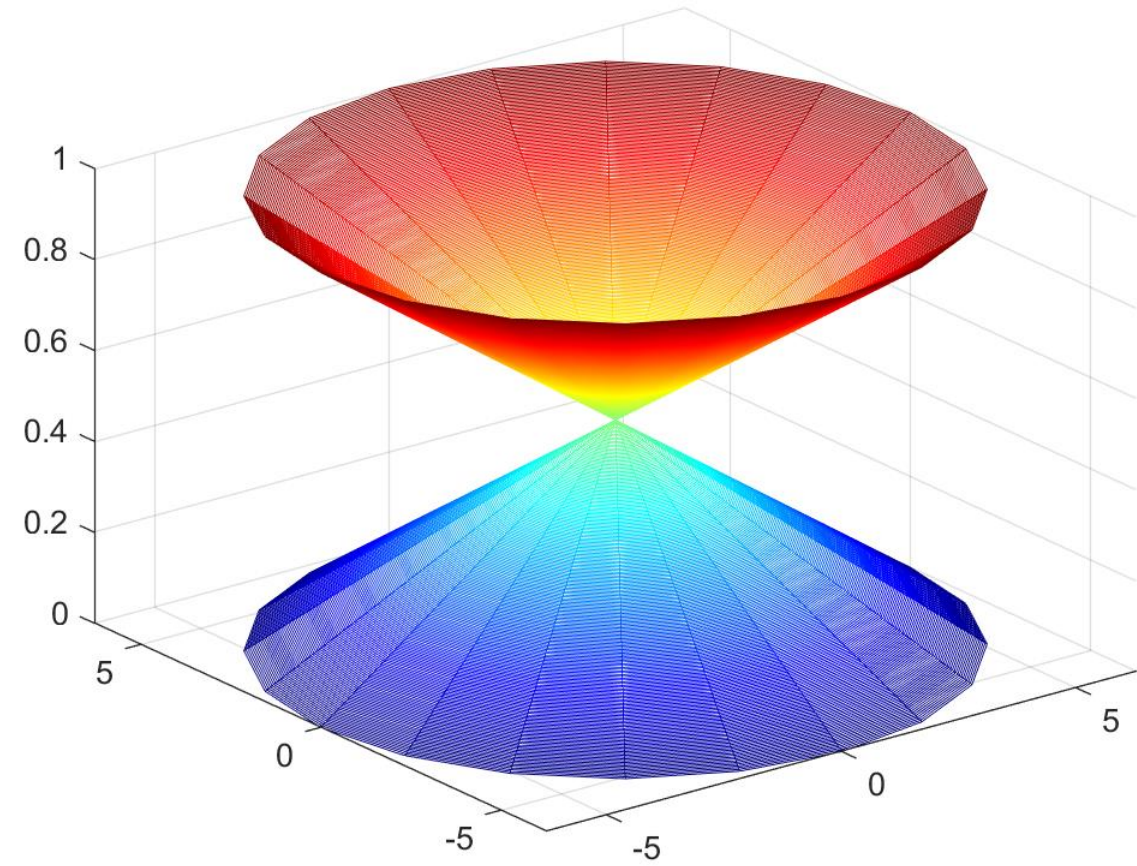
mesh

```
colormap jet  
t=0:pi/100:2*pi;  
[X Y Z]=cylinder(t);  
mesh(X,Y,Z)
```



mesh

```
colormap jet  
t=-2*pi:pi/100:2*pi;  
[X Y Z]=cylinder(t);  
mesh(X,Y,Z)
```



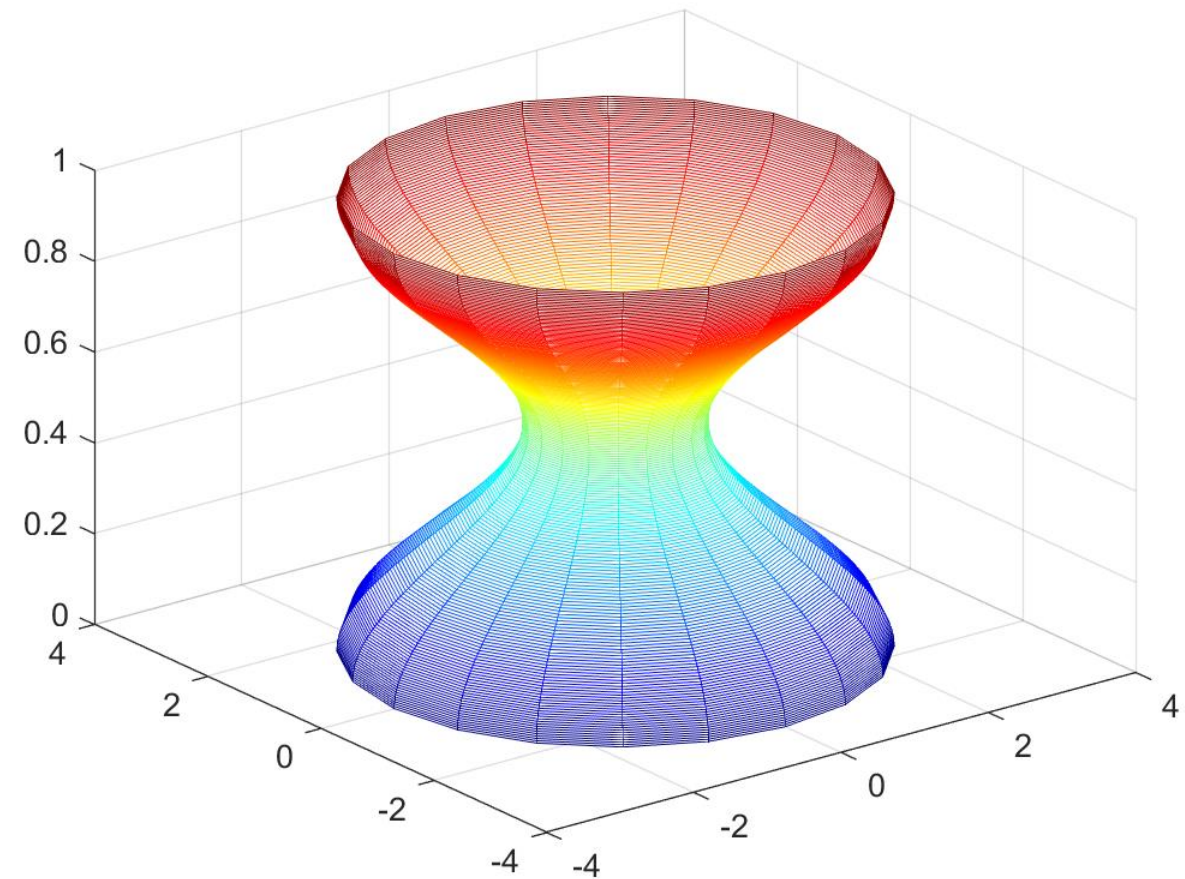
mesh

```
colormap jet
```

```
t=0:pi/100:2*pi;
```

```
[X Y Z]=cylinder(2+cos(t));
```

```
mesh(X,Y,Z)
```



mesh

```
colormap jet  
x=-50:50;  
y=-50:50;  
for a=1:101  
for b=1:101  
z(a,b)=sqrt(x(a)^2+y(b)^2);  
end  
end  
meshc(x,y,z)
```

