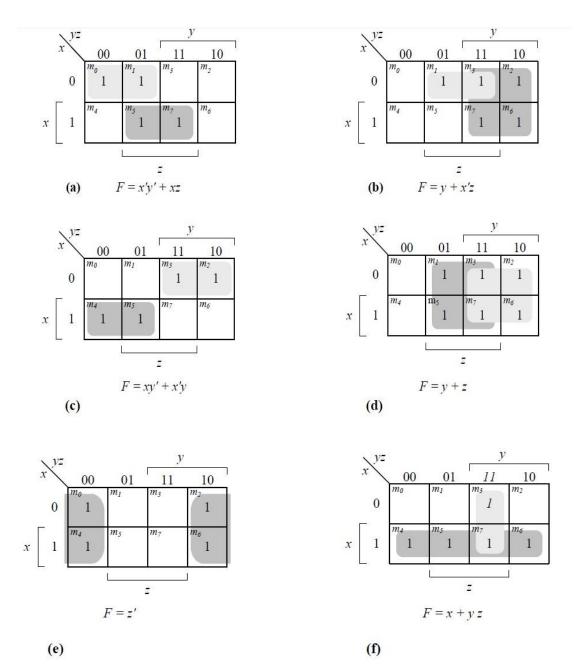
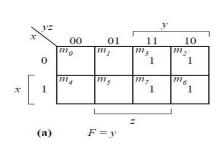
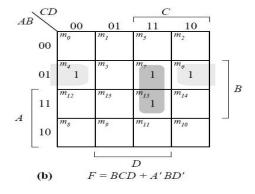
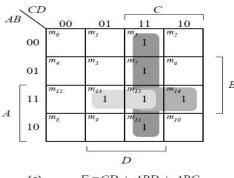
## ITI1500A Devoir # 3 SOLUTIONS

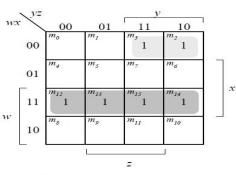
# 3.2



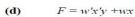


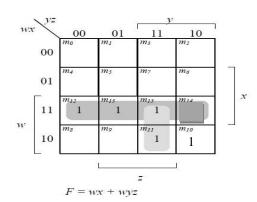


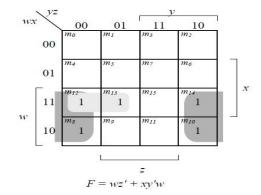




(c)	F = CD + ABD + ABC

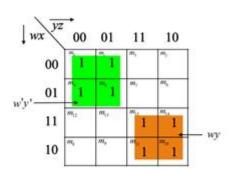


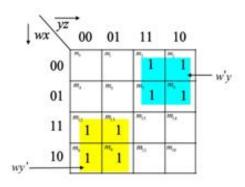




(e)

(f)



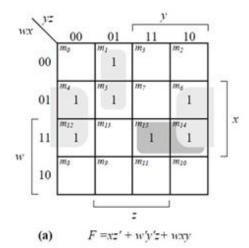


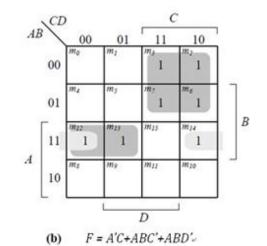
$$F(w,x,y,z) = wy + w'y'$$

$$F(w,x,y,z) = w'y + wy'$$

g()

h()





01

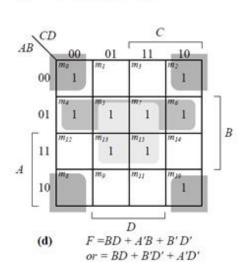
00

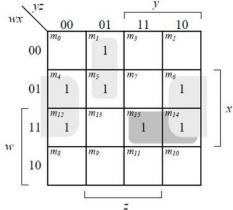
(b)

C

	V					
113	1	00	01	11	10	
	00	mo	1	m <sub>3</sub>	m <sub>2</sub>	
	01	m <sub>4</sub>	m <sub>3</sub>	m <sub>7</sub>	m <sub>o</sub> 1	1
	11	m <sub>12</sub>	m <sub>13</sub>	m <sub>25</sub>	m <sub>14</sub>	3
HE:	10	$m_{\delta}$	m <sub>s</sub> 1	m <sub>11</sub>	m <sub>10</sub>	-

(c)





(a) 
$$F = xz' + w'y'z + wxy$$

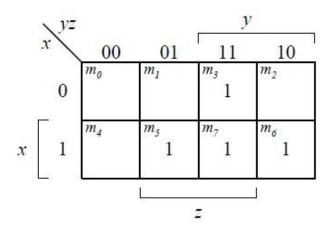
	1	m <sub>3</sub>	<i>m</i> <sub>2</sub>		00	) ""	mı	1	1
	m <sub>5</sub>	$m_7$	m <sub>6</sub>		01	$m_4$	$m_5$	$m_7$ 1	m <sub>6</sub>
	m <sub>13</sub>	m <sub>15</sub>	m <sub>14</sub>	x	11	m <sub>12</sub>	m <sub>13</sub>	m <sub>15</sub>	m <sub>14</sub>
	$m_9$	$m_{11}$	m <sub>10</sub>		A 10	$m_{\mathcal{S}}$	$m_{g}$	m <sub>11</sub>	m <sub>10</sub>
		z		J	L			D	
I	$7 = \chi z'$	w'y'z	+ wxy		(b	) F	= A'C+	ABC'+A	lBD′₊

wx	00	00 m <sub>0</sub>	$m_1$	11  m <sub>3</sub>   1	$m_2$	
	01	$m_4$ 1	$m_5$ 1	$m_7$ 1	$m_{\delta}$ 1	
	11	m <sub>12</sub>	m <sub>13</sub>	m <sub>15</sub>	$m_{14}$	
v	10	$m_8$	$m_g$ 1	$m_{11}$ 1	$m_{10}$	

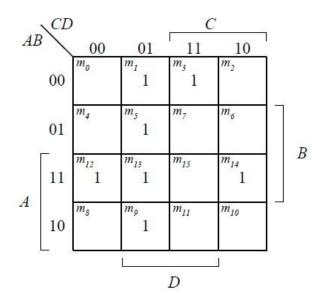
	⟨CD			(	7	
AI	3	00	01	11	10	
	00	$m_0$ 1	$m_1$	<i>m</i> <sub>3</sub>	$m_2$ 1	
	01	m <sub>4</sub>	m <sub>5</sub>	m <sub>7</sub>	$m_{\delta}$ 1	
	11	$m_{12}$	m <sub>13</sub>	m <sub>15</sub>	m <sub>14</sub>	В
A	10	m <sub>8</sub>	$m_g$	$m_{11}$	1	
	(d)	7/-	0 0000000	D + A'B - D + B'D	+ B'D' 0' + A'D'	

3.8

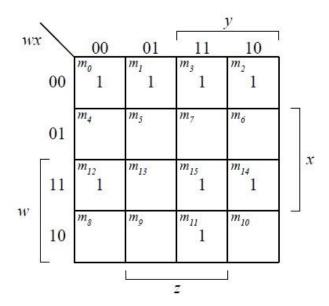
(a) 
$$F(x, y, z) = \Sigma(3, 5, 6, 7)$$



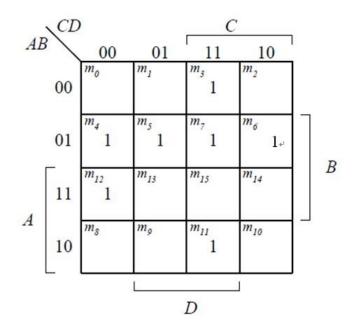
# **(b)** $F = \Sigma(1, 3, 5, 9, 12, 13, 14)$



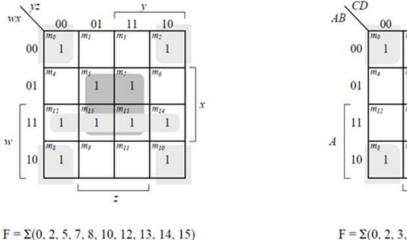
# (c) $F = \Sigma(0, 1, 2, 3, 11, 12, 14, 15)$



### (d) $F = \Sigma(3, 4, 5, 6, 7, 11, 12)$



#### 3.10



Essential: xz, x'z'

F=xz+x'z'+wx or

 $\mathbf{F}=_{\mathbf{XZ}+\mathbf{X'Z'}+\mathbf{WZ'}}$ 

(a)

 $F = \Sigma(0, 2, 3, 5, 7, 8, 10, 11, 14, 15)$ 

D

Essential: AC, B'D', A'BD€

01

10

B

F=AC+B'D'+A'BD+CD or  $\phi$  $F=AC+B'D'+A'BD+B'C\phi'$ 

**(b)** 

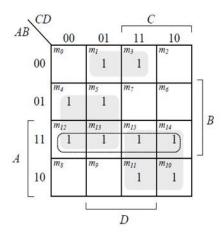
Note: dans le cours:

Essentiel: AC, B'D', A'BD, AC (groupage actuel) ou AC, B'D', A'BD, B'C (groupage différent)

ou wz', x'z', xz (groupage différent)

Essential: wx, x'z', xz (groupage actuel)

Seuls les essentiels font parties de la fonction simplifiée selon du groupage choisi



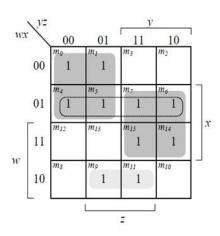
 $F = \Sigma(1, 3, 4, 5, 10, 11, 12, 13, 14, 15)$ 

Essential: AC, BC'

$$F = AC + BC' + A'B'D$$

(c)

Même principe que pour (a) et (b)

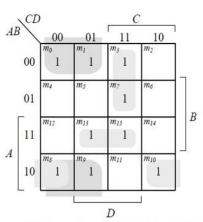


 $F = \Sigma(0, 1, 4, 5, 6, 7, 9, 11, 14, 15)$ 

Essential: w'y', xy

$$F = w'y' + xy + wx'z$$

(d)



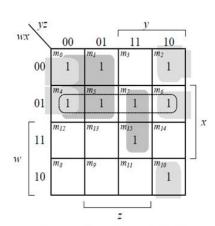
F(A, B, C, D) = S(0, 1, 3, 7, 8, 9, 10, 13, 15)

Essential: B'C', AB'D'

F=B'C'+AB'D'+A'CD+ABD

(e)

Même principe que pour (a) et (b)



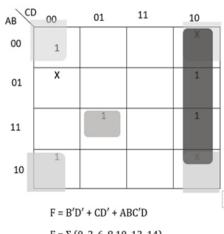
F = S(0, 1, 2, 4, 5, 6, 7, 10, 15)

Essential: w'y', xyz, x'yz' F=w'y'+xyz+x'yz'+w'z' or F= w'y'+xyz+x'yz'+w'x

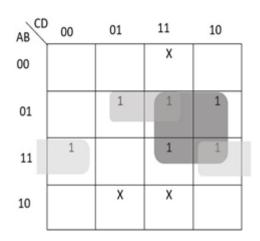
(f)

1.	VΖ			
x	00	01	11	10
	$m_0$	$m_1$	$m_3$	$m_2$
(	) 1	1	X	X
3	$m_4$	$m_5$	$m_7$	$m_6$
1	1	1	X	1
L		78(5)		1

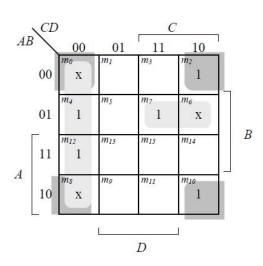
F = 1 $F = \Sigma(0,1, 2, 3, 4, 5, 6, 7)$ 



 $F = \Sigma (0, 2, 6, 8, 10, 13, 14)$ 



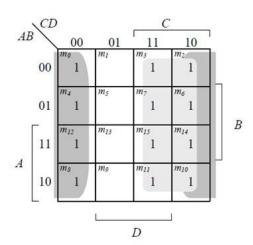
F = BC + ABD' + A'BD $F = \Sigma (5, 6, 7, 12, 14, 15)$ 

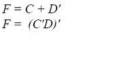


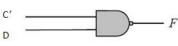
$$F = B'D' + C'D' + A'BC$$

$$F = F = \Sigma(0, 2, 4, 6, 7, 8, 10, 12)$$

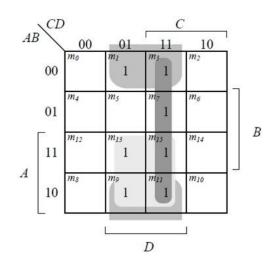
(a)

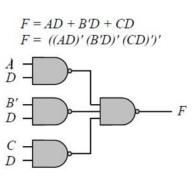




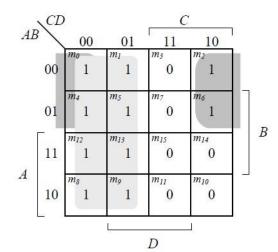


(b)





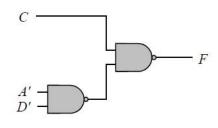
(c) 
$$F = (A' + C' + D')(A' + C')(C' + D')$$
  
 $F' = (A' + C' + D')' + (A' + C')' + (C' + D')'$   
 $F' = ACD + AC + CD$ 

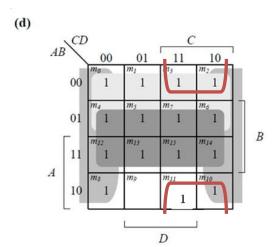


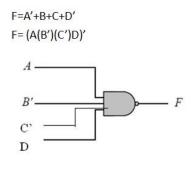
$$F = C' + A'D'$$

$$F = (C(A + D))'$$

$$F = (C(A'D')')'$$







### 3.18

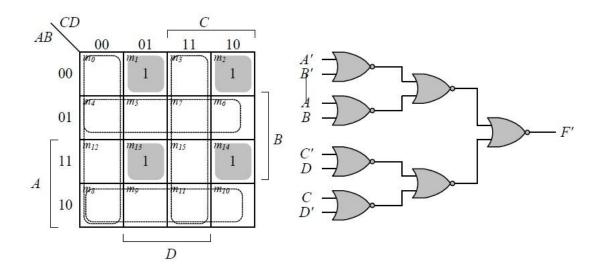
a-

$$F = (A \oplus B)'(C \oplus D) = (AB' + A'B)'(CD' + C'D)$$

$$= (AB + A'B')(CD' + C'D) = ABCD' + ABC'D + A'B'CD' + A'B'C'D$$

$$F' = (AB + A'B')' + (CD' + C'D)'$$

$$F' = ((A' + B')' + (A + B)')' + ((C' + D)' + (C + D')')'$$



$$F = (AB + A'B') (C'D + CD')$$

$$F = ((AB + A'B')')' ((C'D + CD')')'$$

$$F = ((AB)' . (A'B')')' ((C'D)' . (CD')')'$$

$$F' = (((AB)' . (A'B')')' ((C'D)' . (CD')')')'$$

