HMIN103 Données du Web

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Slides collected from J. Cheney, S. Abiteboul, I. Manolescu, P. Senellart, P. Genevès, D. Florescu and the W3C

Organisation des TD/TP

Début des TD/TP (6.07,6.08 dans la limite des places +6.10)

Groupe I- AIGLE 6.07

Groupe 2 – DECOL 6.08

- Vendredi + Jeudi (mais, à partir du 10 octobre ©)
- Jeudi après-midi (avant la toussaints)
 - Pour les inscrits à HMINI2IM => 2 séances au vendredi
- Jeudi matin (après la toussaints)
 - Pour les inscrits à HMINIIO => 2 séances au vendredi
- Pas de TD/TP ni CM le 3 (jeudi) et 4 (vendredi) octobre, ni le 26 (jeudi) sept.
- CM 8h à partir de la semaine prochaine (27 sept.)

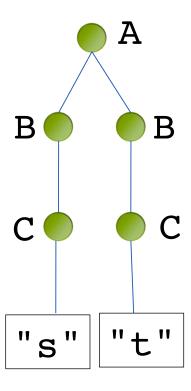
Rappels du dernier cours

- XML
 - Motivations pour l'introduction du standard
 - Données arborescentes
 - Éléments et attributs
- DTDs
 - Déclarations (ex. HTML : https://www.w3.org/TR/html401/sgml/dtd.html)
 - Intégrité des données : ID / IDRef

```
<C>
   <C id="p4" friend="p4">Alice</C>
   <C id="p1" friend="p2">Bob</C>
   <C id="p2" friend="p0">Alice</C>
</C>
              <!DOCTYPE C [ <!ELEMENT C (C*)>
              <!ATTLIST id ID CDATA IMPLIED>
              <!ATTLIST C friend IDREF CDATA> |>
```

```
<! DOCTYPE A [
     <! ELEMENT A (B,B) >
     <! ELEMENT B (C) >
     <! ELEMENT C (#PCDATA) >
     ]>
```

```
<! DOCTYPE A [
     <! ELEMENT A (B,B) >
     <! ELEMENT B (C) >
     <! ELEMENT C (#PCDATA) >
     ]>
```



```
<! DOCTYPE B [

<! ELEMENT B (A,C)

<! ELEMENT C (D)

<! ELEMENT A (D)

<! ELEMENT C (#PCDATA) >

<! ELEMENT D (#PCDATA) >

]>
```

```
<! DOCTYPE C [

(! ELEMENT C (C*) )

]>
```

```
<! DOCTYPE EMPTY [

<! ELEMENT EMPTY EMPTY >

]>
```

```
<! DOCTYPE EMPTY [
 <! ELEMENT EMPTY EMPTY >
                                   EMPTY
]>
<! DOCTYPE empty [
                                    empty
 <! ELEMENT empty EMPTY >
]>
```

```
<! DOCTYPE C [

<! ELEMENT C (B* | (C, C, C)) >
]>
```

```
<! DOCTYPE C [

<! ELEMENT C (B* | (C, C, C, C)) >

]>
```

```
<! DOCTYPE C [

<! ELEMENT C (C,EMPTY)? >
]>
```

```
<! DOCTYPE C [

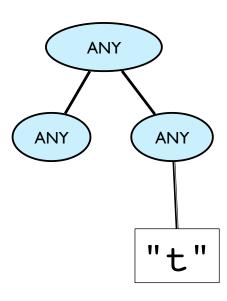
<! ELEMENT C (C,EMPTY)? >

c

]>
```

```
<!DOCTYPE ANY [
<!ELEMENT ANY ANY>
]>
```

```
<!DOCTYPE ANY [
<!ELEMENT ANY ANY>
]>
```

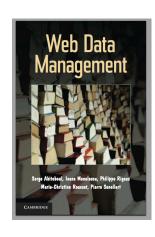


DTDs and Regular Tree Grammars

(fun with regular expressions)

Readings

- Web Data Management Abiteboul & al.
- [WDM-XML] Chapter : Data-model
 - http://webdam.inria.fr//Jorge/files/wdm-datamodel.pdf
- [WDM-DTD] Chapter : Schemas (only section 3)
 - http://webdam.inria.fr//Jorge/files/wdm-typing.pdf



Schemas for XML Data

- Many schema languages/formalisms have been proposeed
 - DTD (XML 1.0)
 - XML Schema (W3C)
 - Relax/NG (OASIS), DSD, Schematron, ...
 - Regular expression types (XDuce, XQuery)
- Every XML schema language is based on regular expressions and grammars.
 - This illustrates an important use of theory in real applications.

Regular Tree Grammars

A DTD defines a (possibly infinite) set of regular XML trees.

<!ELEMENT bib book+> <!ELEMENT book EMPTY> bib bib bib book book book book book book bib bib book book book book book book book book book

Plan

Grammars

Validation

Determinism

Grammars (context-free)

Sets of rules used to specify a formal language (of words).

$$S \rightarrow PQ$$
 $P \rightarrow aP \mid a$ $Q \rightarrow b$

Grammars (context-free)

Sets of rules used to specify a formal language (of words).

$$S \rightarrow PQ$$
 $P \rightarrow aP \mid a$ $Q \rightarrow b$

$$0 \rightarrow b$$

ab

aab

aaab

aaaab

Grammars (context-free)

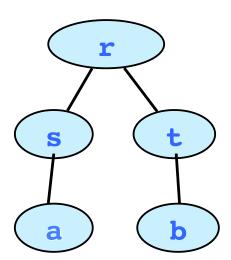
Sets of rules used to specify a formal language (of words).

Tree Grammars

Sets of rules used to specify a formal language of trees.

$$S \rightarrow r[PQ]$$

$$S \rightarrow r[PQ]$$
 $P \rightarrow s[a]$ $Q \rightarrow t[b]$



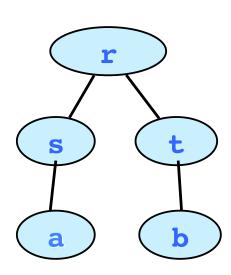
Tree Grammars

Sets of rules used to specify a formal language of trees.

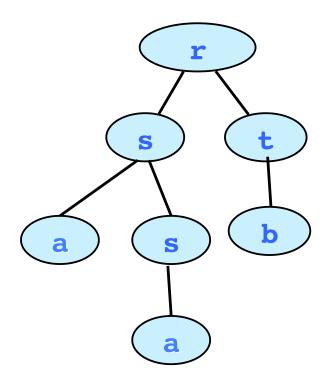
$$S \rightarrow r[PQ]$$

$$S \rightarrow r[PQ]$$
 $P \rightarrow s[aP|a]$ $Q \rightarrow t[b]$

$$Q \rightarrow t[b]$$



Vertical recursion

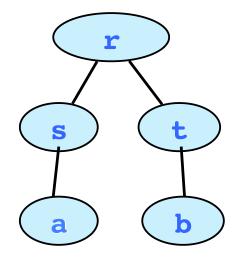


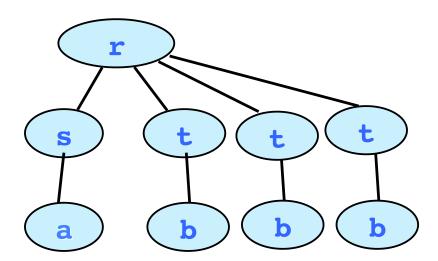
Tree Grammars

Sets of rules used to specify a formal language of trees.

$$S \rightarrow r[PQ]$$

$$S \rightarrow r[PQ]$$
 $P \rightarrow s[a]$ $Q \rightarrow t[b], Q | t[b]$





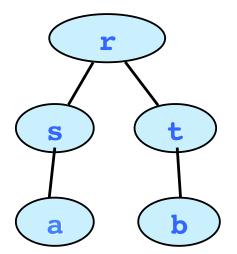
Horizontal recursion

Regular Tree Grammars

Sets of rules used to specify a formal regular language of trees.

$$S \rightarrow r[P,Q]$$

$$S \rightarrow r[P,Q]$$
 $P \rightarrow s[aP|a]$ $Q \rightarrow t[b],Q|t[b]$



Forbid certains uses of horizontal recursion

$$Q \rightarrow t[b], Q$$
 OK

$$Q \rightarrow Q, t[b], Q$$
 NO

(analogous to the definition of regular word grammars)

Regular Tree Grammars

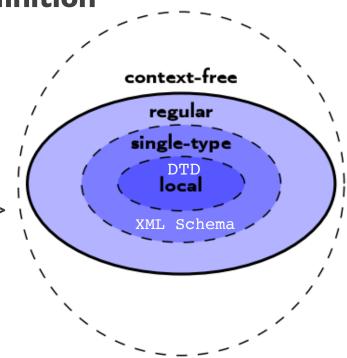
DTD are a subclass of regular tree-grammars called "local":

any element has at most one definition

<!ELEMENT root child*>

<!ELEMENT child (#PCDATA)>

<!ELEMENT child EMPTY>



Why Regular Tree Grammars?

- Regular Tree Grammars are expressive enough, and computationally more easy to handle than context-free
 - To illustrate, the following problems for context-free **tree** grammars cannot be algorithmically solved:
 - determine wether a context-free grammar is actually a regular grammar
 - determine wether a context-free grammar G1 is more general than (or, "includes") a context-free grammar G2

XML VALIDATION

Document Validation

Problem: is an XML document valid with respect to a given DTD?

Validation Algorithm

- Traverse XML tree in pre-order (document order) & check:
 - . that each node is valid
 - 2. that each attribute (of a node) is valid
 - 3. the id-unicity and idref-references

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Validation Algorithm

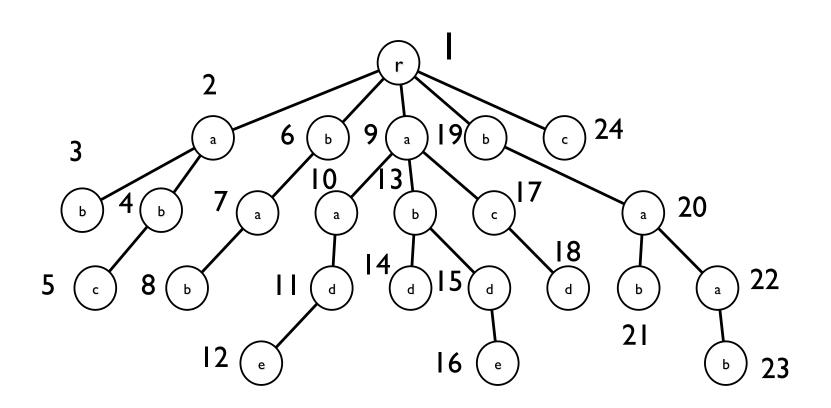
Traverse XML tree in pre-order more interesting

1. that each node is valid

2. that each attribute (of a node) is valid

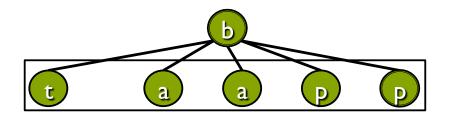
3. the id-unicity and idref-references

Pre-order Traversal



(Single Node) Validation

Problem: does the sequence of children of the node match the regular expression specified by the DTD?



Regular expressions

$$r* = r+|\epsilon|$$
 $r? = r|\epsilon|$

Example

The regular expression for a book node is

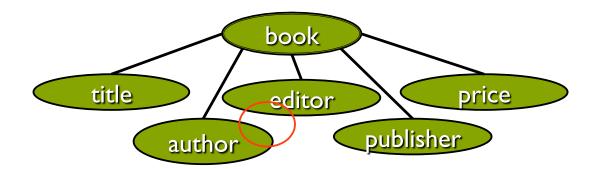
```
(title, (author+ | editor+ ), publisher, price )
```



Example

The regular expression for a book node is

```
(title, (author+ | editor+ ), publisher, price )
```



DETERMINISM

W3C Restriction

- Can we write any regular expression in a DTD?
- NO.
- Regular expressions in DTDs must be deterministic:
 - "there must be only one way to match any sequence of tags, no backtrack or look-ahead is required"
- This is equivalent to say that the automata corresponding to the regular expression is deterministic.
- This eases the validation process, and makes it doable in streaming

Example of Ambiguity

How to test Determinism?

Simplified algorithm

Ingredients: three auxiliary functions

FirstTag()

LastTag()

FollowsTag()

(1/3) FirstTag

What can be the **first** tag of a sequence matching r?

```
r_1 = (title, (author+ | editor+ ), publisher, price )

FirstTag(r_1) ? title

r_2 = (author+ | editor+ )

FirstTag(r_2) ? author, editor
```

(2/3) LastTag

What can be the **last** tag of a sequence matching r?

```
r_1 = (title, (author+ | editor+ ), publisher, price )

LastTag(r_1) ? price

r_2 = (author+ | editor+ )

LastTag(r_2) ? author, editor
```

(3/3) Follows Tag

What tag can follow x in r?

```
r_1 = (title, (author+ | editor+ ), publisher, price ) 

FollowsTag(r_1, title) ? author, editor 

r_4 = (author | editor )* 

FollowsTag(r_4, author) ? author, editor
```

Disambiguation

$$r_5$$
 = (author, title)? , author

We resolve ambiguity by enumerating the tag occurrences

$$r_5^{\#}$$
 = (author₁, title)? , author₂

FirstTag(
$$r_5^{\#}$$
) = author₁, author₂

LastTag(
$$r_5^{\#}$$
) = author₂

FollowsTag(
$$r_5^{\#}$$
, title) = author₂

Determinism Algorithm

- 1) Enumerate all the occurrences of a tag in r
- 2) Build a graph were
 - there is a node x for each tag in $(r^{\#})$, plus a source-node x_0
 - there is a directed edge (x_0,y) if y belongs to FirstTag $(r^{\#})$
- there is a directed edge (x,y) if y belongs to FollowsTag $(r^{\#},x)$
- 3) return **false** if there exists edges (x,y_i) and (x,y_j) with $i\neq j$
- 4) return true otherwise

Testing Determinism

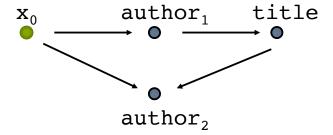
$$r_5$$
 = (author, title)? , author

$$r_5^{\#}$$
 = (author₁, title)? , author₂

FirstTag(
$$r_5^{\#}$$
) = author₁, author₂

FollowsTag $(r_5^{\#}, author_1) = title$

FollowsTag(
$$r_5^{\#}$$
, title) = author₂

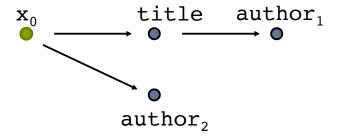


r₅ not deterministic

Testing Determinism

$$r_6$$
 = (title, author) | author

$$r_6^{\#}$$
 = (title, author₁) | author₂



FirstTag(
$$r_6^{\#}$$
) = title, author₂

r₆ deterministic

FollowsTag($r_6^{\#}$,title) = author₁

Determinism - Quiz

Are the following regular expressions deterministic?

- ((e|cb),b)*((cc|b)e,d)*
- (a,(ab|c))|(b,(a|c))

Why did we define **LastTag**(r) afterall?

It is hidden behind the definition of FollowsTag(r,x)

FirstTag()

- FirstTag(ϵ) = {}
- FirstTag(a) = { a }
- FirstTag(r|s) = firstTag(r) U firstTag(s)
- FirstTag(r^*) = firstTag(r)
- FirstTag(r, s) = firstTag(r)

FirstTag()

- FirstTag(ϵ) = {}
- FirstTag(a) = { a }
- FirstTag(r|s) = ?
- FirstTag(r^*) = ?
- FirstTag(r, s) = ?

FirstTag()

- FirstTag(ϵ) = {}
- FirstTag(a) = { a }
- FirstTag(r|s) = firstTag(r) U firstTag(s)
- FirstTag(r^*) = firstTag(r)
- FirstTag(r,s) = firstTag(r) [U firstTag(s) IF r matches ϵ]

LastTag()

- LastTag(ϵ) = ?
- LastTag(a) = ?
- LastTag($r \mid s$) = ?
- LastTag(r^*) = ?
- LastTag(r, s) = ?

LastTag()

- LastTag(\in) = {}
- LastTag(a) = { a }
- LastTag($r \mid s$) = LastTag(r) U LastTag(s)
- LastTag(r^*) = LastTag(r)
- LastTag(r,s) = LastTag(s) [U LastTag(r) IF s matches ϵ]

FollowsTag()

- FollowsTag(ϵ) = ?
- FollowsTag(a) = ?
- Follows Tag($r \mid s$) = ?
- FollowsTag(r^*) = ?
- FollowsTag(r,s) =

FollowsTag()

Definition on the structure of the regular expression

- FollowsTag(ϵ) = {}
- FollowsTag(a) = { }
- FollowsTag($r \mid s$) = FollowsTag(r) U FollowsTag(s)
- FollowsTag(r^*) = FollowsTag(r, r)
- FollowsTag(r,s) = FollowsTag(r) U FollowsTag(s)

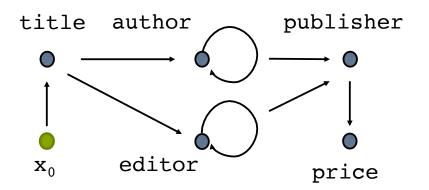
U LastTag(r) x FirstTag(s)

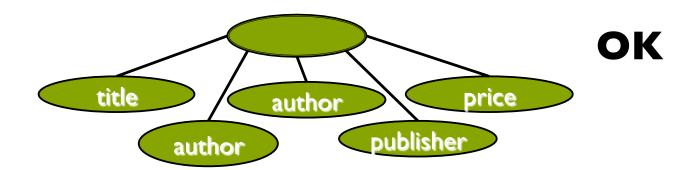
... now back to Node Validation

good news: this comes almost for free now!

Sequence Validation

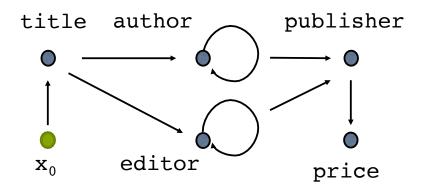
r = (title, (author+ | editor+), publisher, price)

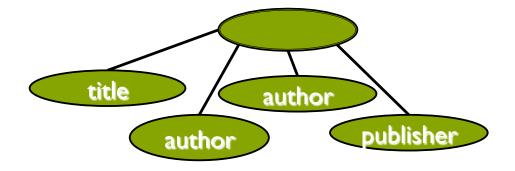




Sequence Validation

```
r = (title, (author+ | editor+ ), publisher, price )
```

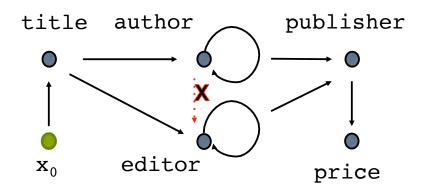




NO

Sequence Validation

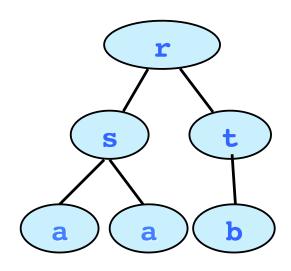
r = (title, (author+ | editor+), publisher, price)





Document Validation Algorithm

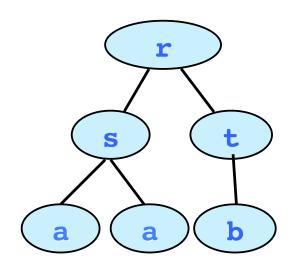
```
set last := root ; stackDTD.push(docType)
• for every node n (!= root) taken in a pre-order visit of the tree
■ if last is the parent of n //moving down parent -> child
   create new list L ; add n to L
   stackXML.push(L); stackDTD.push( typeDTD(last) )
if n is the last of its siblings  //next move up child -> parent
   stackXML.top.add(n)
   stackXML.top.isValid(stackDTD.top())
   stackXML.pop(); stackDTD.pop() //empty buffers
else
                                       //move left child -> sibling
   stackXML.top.add(n)
```



```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```

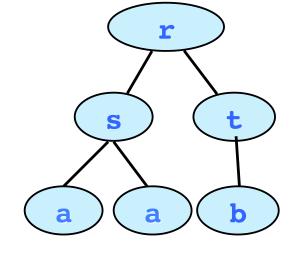
r

docType



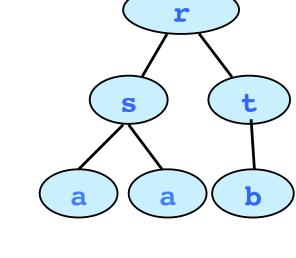
```
s (s,t)
r docType
```

```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```



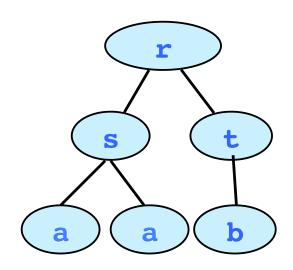
```
a (a*)
s (s,t)
r docType
```

```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```



```
a a (a*)
s (s,t)
r docType
```

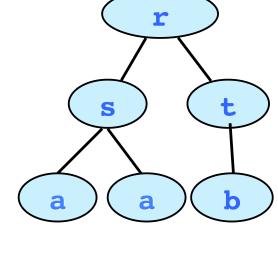
```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```



```
s t (s,t)

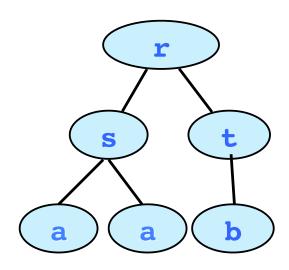
r docType
```

```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```



```
b (b?)
s t (s,t)
r docType
```

```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```



```
<!DOCTYPE r [
<!ELEMENT r (s,t)>
<!ELEMENT s (a*)>
<!ELEMENT t (b?)>
]>
```

r

docType

Research Highlights

Checking Determinism

- Quadratic algorithm [Brueggemann-Klein]
- (best) Linear algorithm [Groz, Staworko, Maneth '11]

Checking Validity

(best) Sublinear space algorithm [Konrad, Magniez 'I I]