



1) problem

short line

$$\text{area} = \text{width} \times \min(h_1, h_2)$$

$$\text{area} = (x_2 - x_1) \times \min(h_1, h_2)$$

2) brute force

3) what makes the area big? wide and tall

we want max area.

what makes the area big: (wide, tall)

max wide: $L \rightarrow R \Rightarrow$ the best possible wide
 $9 - 1 = 8$

4) we have to shrink the width by one. No choice

L or R must move inward

shrink width \Rightarrow area \uparrow

height \uparrow

Currently: $L = 1$, $R = 7$
 (short) (tall)

height is stuck at 4
 bottleneck

For elimination choice L or R inward.

more R inward: $(4, 3)$ still stuck at 4

\hookrightarrow guaranteed move \rightarrow no way to get better.

more L inward $(8, 7)$

\hookrightarrow width, maybe we find a taller line than 4

\hookrightarrow maybe better

we move L it is the bottleneck, we get rid of it

5) Just keep doing that. Always move the short one

1	8	6	2	5	4	8	3	7		Area
L							R		L is short, move L	$8 \times 1 = 8$
	L						R		R is short, move R	$7 \times 7 = 49$
							R		R is short, move R	$6 \times 3 = 18$
						R			equal, move either	$5 \times 8 = 40$
		L				R			L is short, move L	$4 \times 6 = 24$
			L			R			L is short, move L	$3 \times 2 = 6$
				L		R			L is short, move L	$2 \times 5 = 10$
					L	R			L is short, move L	$1 \times 4 = 4$
					L	R			they met stop	\emptyset

6) Why is this safe? Why we don't miss good pairs.

when we throw the short pointer - we're skipping all the pairs where that short line is one side, with a smaller width.

same short height, less width

→ less area nothing good