

hw6_1

March 31, 2023

```
[27]: import numpy as np
import csv
import matplotlib.pyplot as plt
from sklearn.svm import SVC
from plotSVMBoundaries import plotSVMBoundaries
```

```
[9]: def getdata(fname):
    data = np.empty([0,2])
    label = []
    with open(fname, mode='r') as file:
        # reading the CSV file
        csvFile = csv.reader(file)

        # displaying the contents of the CSV file
        for lines in csvFile:
            data = np.row_stack((data, [float(lines[0]), float(lines[1])]))
            if(float(lines[2]) == 1):
                label.append(1.)
            else:
                label.append(-1.)
    label = np.array(label)
    return (data, label)
```

```
[10]: xdata1_train, ydata1_train = getdata("dataset1_train.csv")
xdata1_test, ydata1_test = getdata("dataset1_test.csv")

xdata3_train, ydata3_train = getdata("dataset3_train.csv")
xdata3_test, ydata3_test = getdata("dataset3_test.csv")
```

- (a) Use the Linear Kernel and try different values of slack variable parameter C . What is the meaning of parameter C and how will it impact your classification? Set $C = 0.01$ and $C = 1$. Report the above items and also provide the support vectors in the plots for each value of C . Discuss your results and explain the performance and the differences for the different values of C .

```
[56]: model1_a_1 = SVC(C=0.01, kernel='linear')
model1_a_1.fit(xdata1_train, ydata1_train)
```

```

train1_acc = model1_a_1.score(xdata1_train, ydata1_train)
test1_acc = model1_a_1.score(xdata1_test, ydata1_test)
print('train acc = {}, test acc = {}'.format(train1_acc, test1_acc))
print('weight vector w = ', model1_a_1.coef_)
print('offset w0 =', model1_a_1.intercept_)

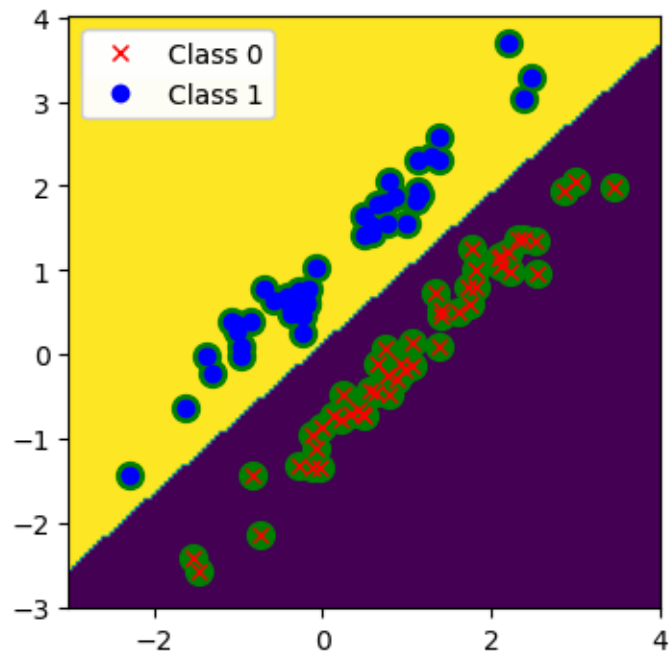
plotSVMBoundaries(xdata1_train, ydata1_train, model1_a_1, support_vectors =
    ↪model1_a_1.support_vectors_)
plotSVMBoundaries(xdata1_test, ydata1_test, model1_a_1)

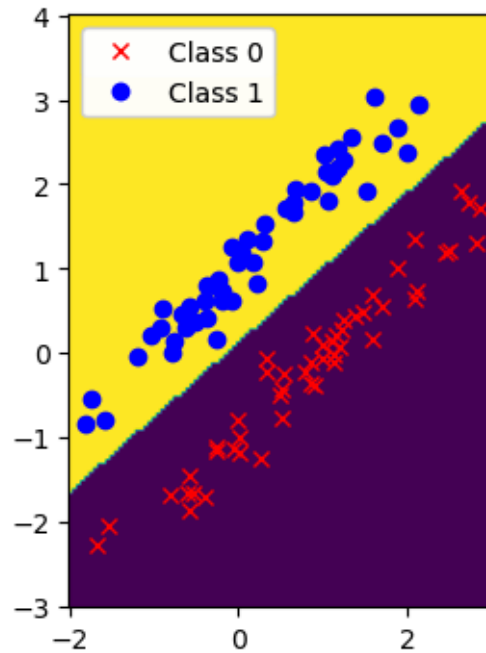
```

```

train acc = 1.0, test acc = 1.0
weight vector w = [[-0.47617753  0.53480959]]
offset w0 = [-0.06369157]

```





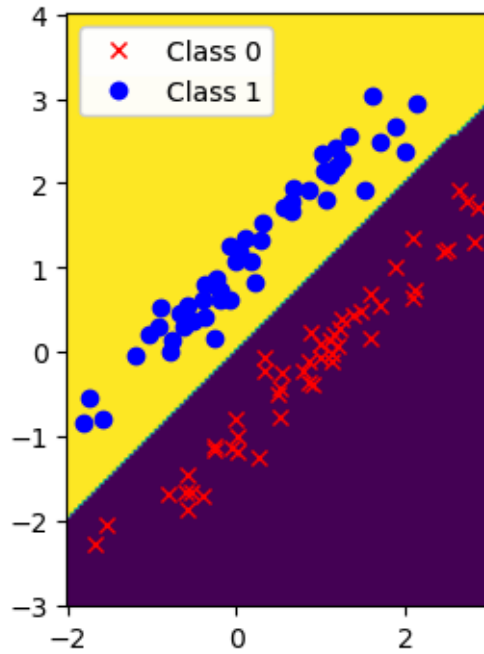
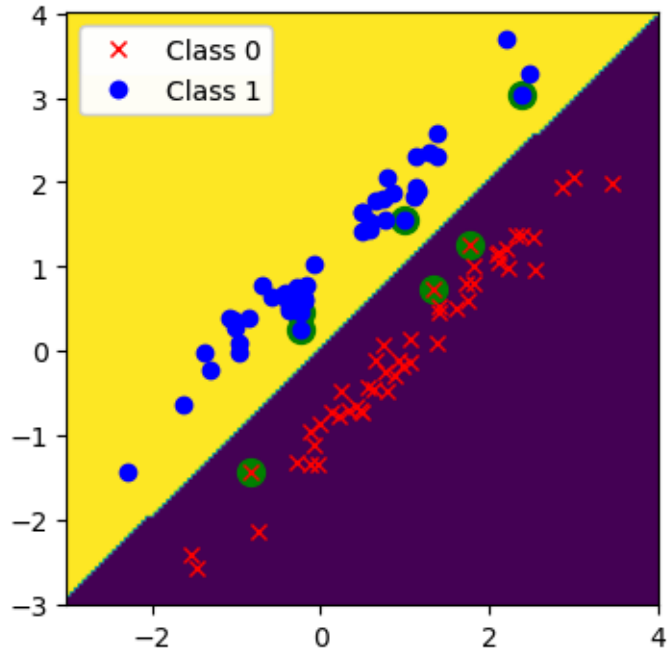
```
[57]: model1_a_2 = SVC(C=1.0, kernel='linear')
model1_a_2.fit(xdata1_train, ydata1_train)

train1_acc = model1_a_2.score(xdata1_train, ydata1_train)
test1_acc = model1_a_2.score(xdata1_test, ydata1_test)

print('train acc = {}, test acc = {}'.format(train1_acc, test1_acc))
print('weight vector w = ', model1_a_2.coef_)
print('offset w0 =', model1_a_2.intercept_)

plotSVMBoundaries(xdata1_train, ydata1_train, model1_a_2, support_vectors =
    ↪model1_a_2.support_vectors_)
plotSVMBoundaries(xdata1_test, ydata1_test, model1_a_2)
```

```
train acc = 1.0, test acc = 1.0
weight vector w = [[-1.5291679  1.54596349]]
offset w0 = [-0.04317366]
```



- (b) Use a Gaussian (RBF) Kernel with C parameter set to $C = 0.01$. Set $\gamma = 1, 3, 10, 50$. Report the above items and also show the support vectors in the training-data plots for each value of γ . Explain the linearity or nonlinearity of the decision boundary, and explain the difference in

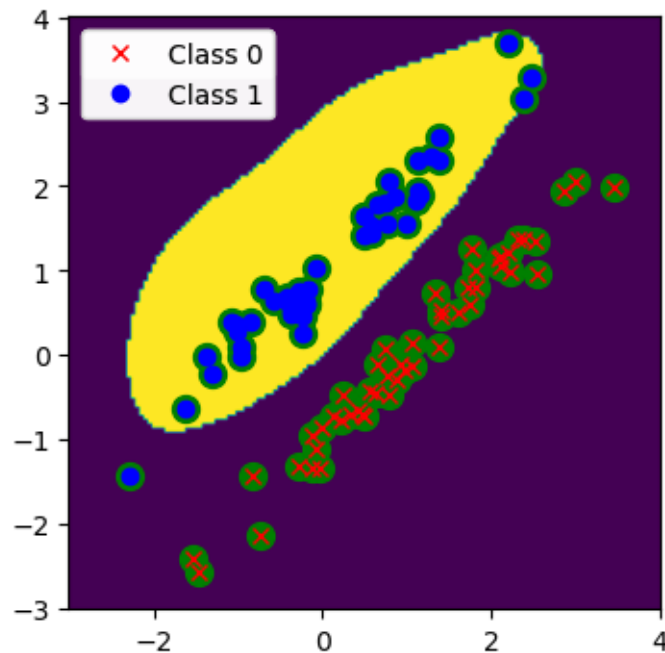
decision regions for the various values of γ . State where (if anywhere) you observe underfitting or overfitting.

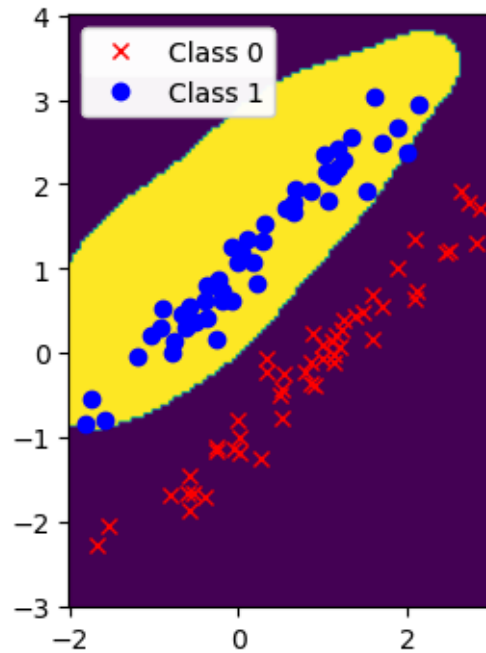
```
[58]: model1_b_1 = SVC(C=0.01, kernel='rbf', gamma = 1.0)
model1_b_1.fit(xdata1_train, ydata1_train)

train1_acc = model1_b_1.score(xdata1_train, ydata1_train)
test1_acc = model1_b_1.score(xdata1_test, ydata1_test)
print('train acc = {}, test acc = {}'.format(train1_acc, test1_acc))

plotSVMBoundaries(xdata1_train, ydata1_train, model1_b_1, support_vectors =
    ↪model1_b_1.support_vectors_)
plotSVMBoundaries(xdata1_test, ydata1_test, model1_b_1)
```

train acc = 0.99, test acc = 0.99



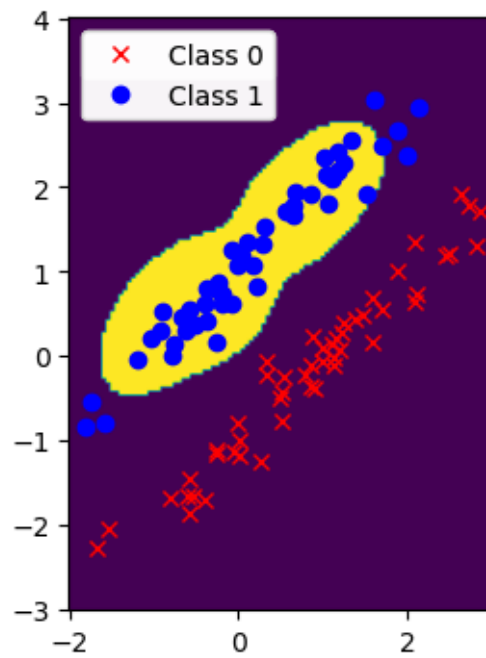
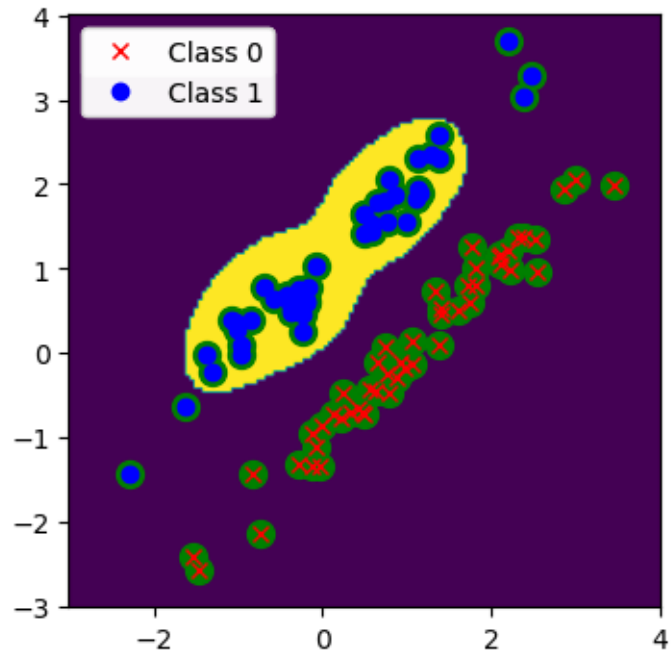


```
[59]: model1_b_2 = SVC(C=0.01, kernel='rbf', gamma = 3.0)
model1_b_2.fit(xdata1_train, ydata1_train)

train1_acc = model1_b_2.score(xdata1_train, ydata1_train)
test1_acc = model1_b_2.score(xdata1_test, ydata1_test)
print('train acc = {}, test acc = {}'.format(train1_acc, test1_acc))

plotSVMBoundaries(xdata1_train, ydata1_train, model1_b_2, support_vectors =
    ↪model1_b_2.support_vectors_)
plotSVMBoundaries(xdata1_test, ydata1_test, model1_b_2)
```

train acc = 0.95, test acc = 0.92



```
[60]: model1_b_3 = SVC(C=0.01, kernel='rbf', gamma = 10.0)
      model1_b_3.fit(xdata1_train, ydata1_train)
```

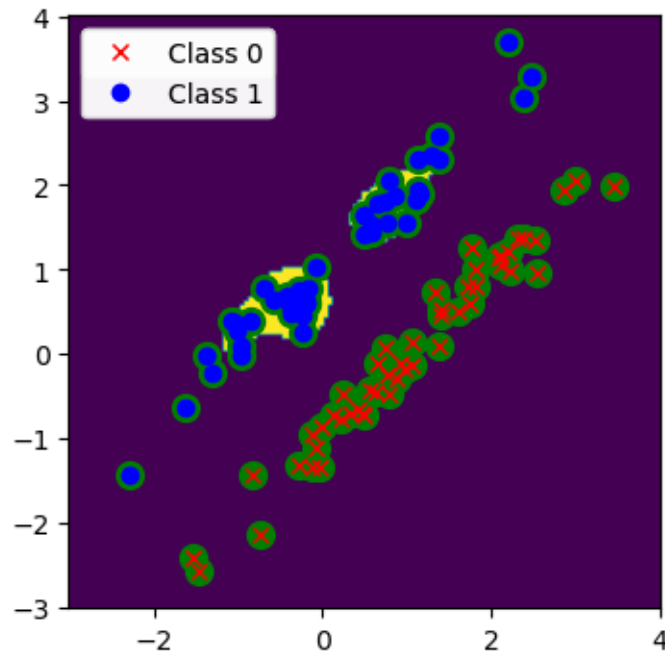
```

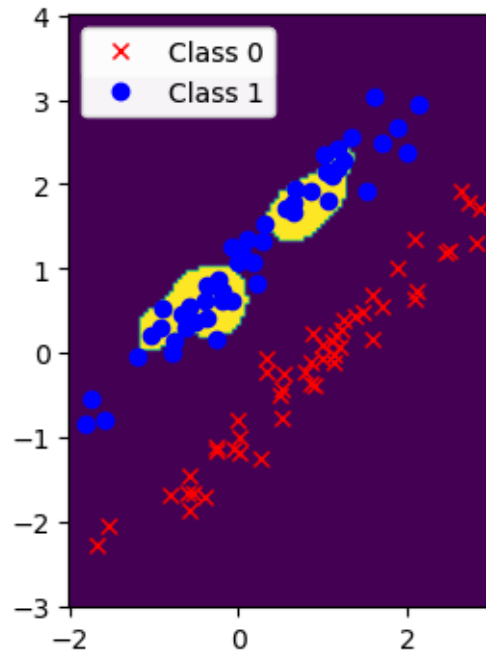
train1_acc = model1_b_3.score(xdata1_train, ydata1_train)
test1_acc = model1_b_3.score(xdata1_test, ydata1_test)
print('train acc = {}, test acc = {}'.format(train1_acc, test1_acc))

plotSVMBoundaries(xdata1_train, ydata1_train, model1_b_3, support_vectors =
    ↪model1_b_3.support_vectors_)
plotSVMBoundaries(xdata1_test, ydata1_test, model1_b_3)

```

train acc = 0.88, test acc = 0.77



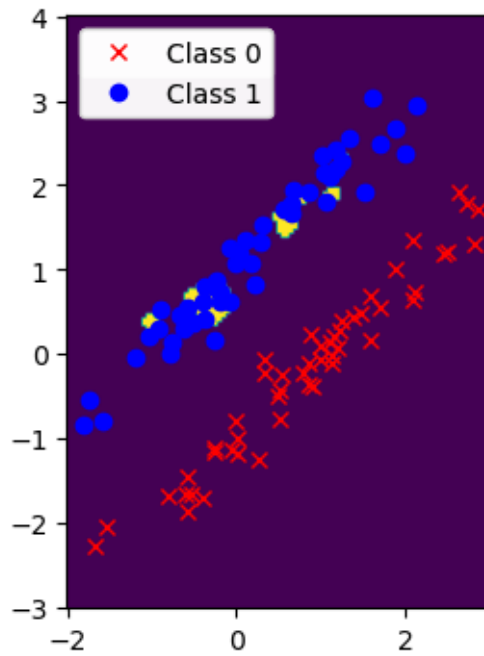
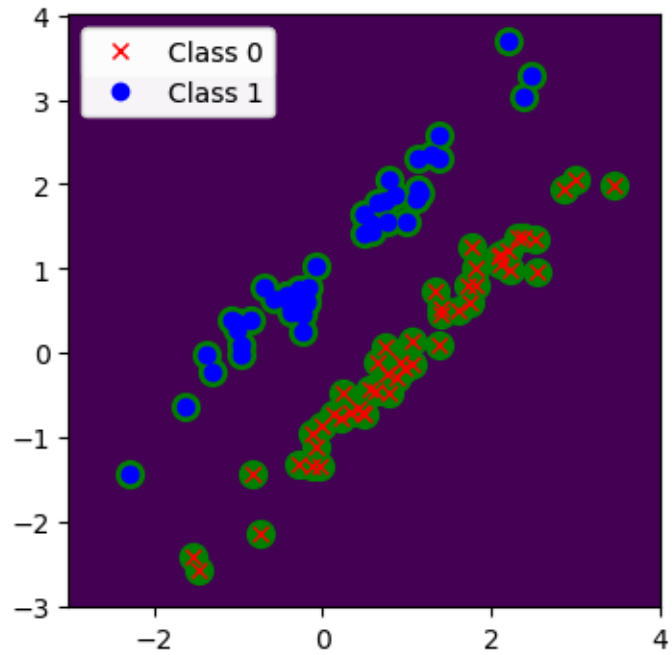


```
[61]: model1_b_4 = SVC(C=0.01, kernel='rbf', gamma = 50.0)
model1_b_4.fit(xdata1_train, ydata1_train)

train1_acc = model1_b_4.score(xdata1_train, ydata1_train)
test1_acc = model1_b_4.score(xdata1_test, ydata1_test)
print('train acc = {}, test acc = {}'.format(train1_acc, test1_acc))

plotSVMBoundaries(xdata1_train, ydata1_train, model1_b_4, support_vectors =
    ↪model1_b_4.support_vectors_)
plotSVMBoundaries(xdata1_test, ydata1_test, model1_b_4)
```

train acc = 0.79, test acc = 0.6



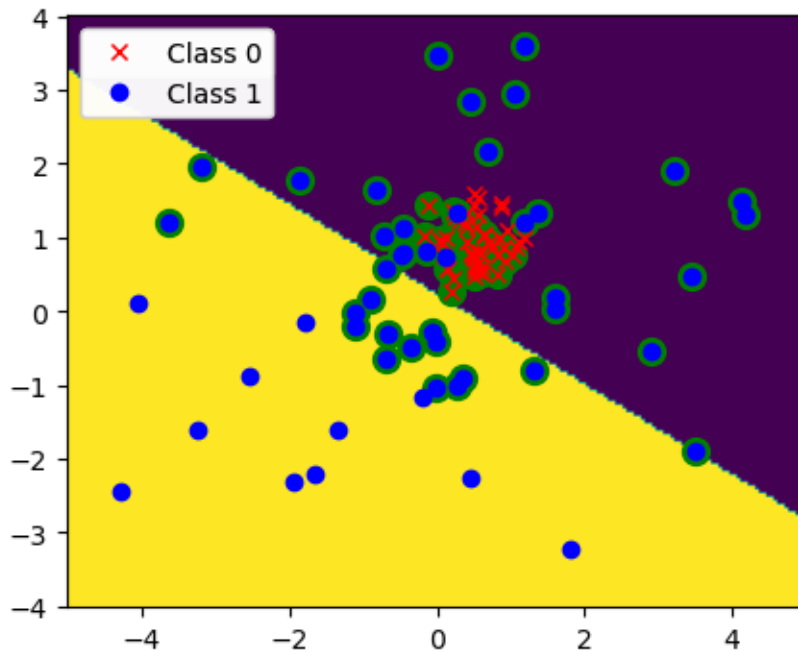
- (c) Use the Linear Kernel and try different values of slack variable parameter C . Set $C = 1$ and $C = 100$. Report the above items for each value of C . Discuss your results. You will provide 4 plots in total.

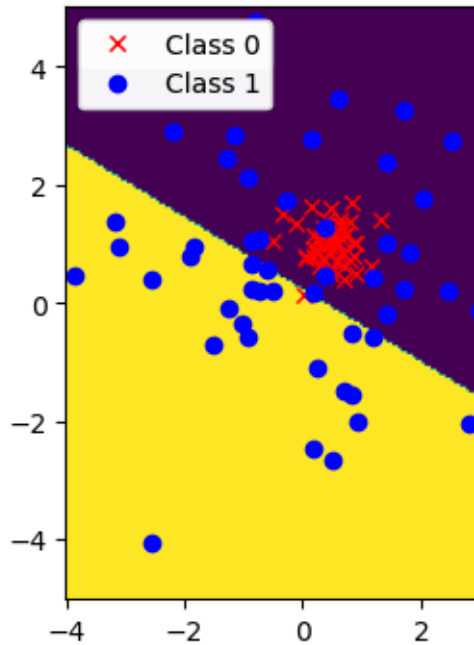
```
[73]: model2_c_1 = SVC(C=1.0, kernel='linear')
model2_c_1.fit(xdata3_train, ydata3_train)

train3_acc = model2_c_1.score(xdata3_train, ydata3_train)
test3_acc = model2_c_1.score(xdata3_test, ydata3_test)
print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))
print('weight vector w = ', model2_c_1.coef_)
print('offset w0 =', model2_c_1.intercept_)

plotSVMBoundaries(xdata3_train, ydata3_train, model2_c_1, support_vectors =
    ↪model2_c_1.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_c_1)
```

train acc = 0.76, test acc = 0.74
weight vector w = $\begin{bmatrix} -0.48069371 & -0.78654222 \end{bmatrix}$
offset w0 = 0.1697672





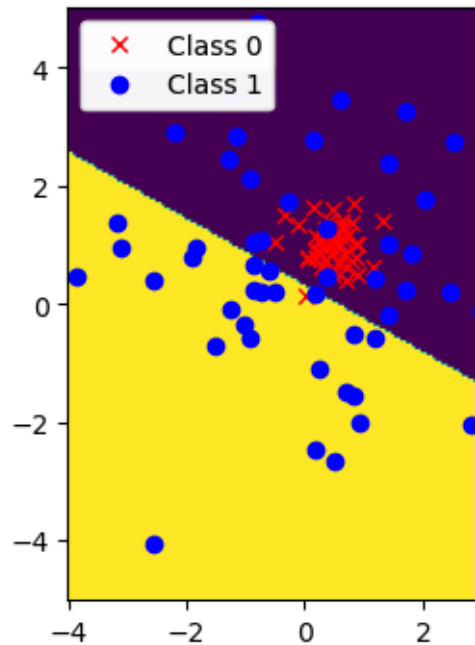
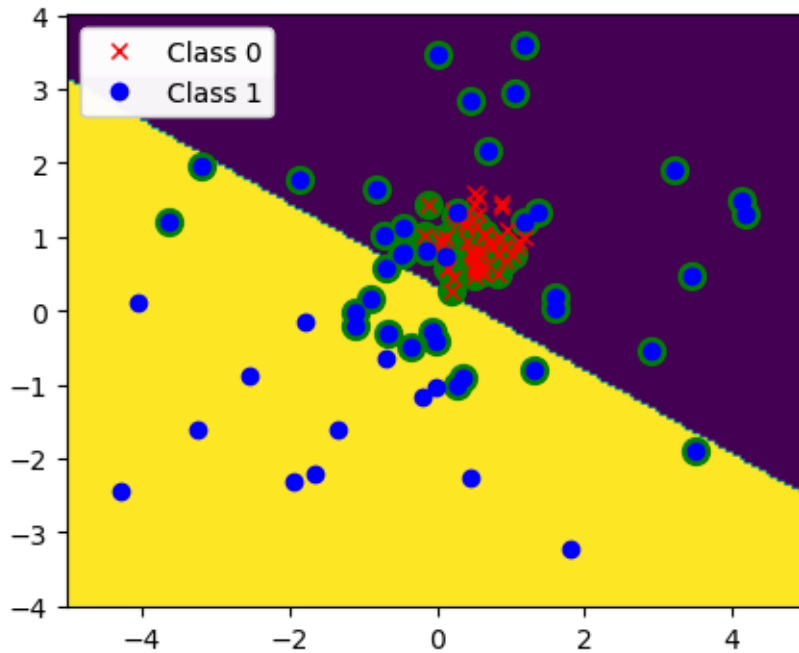
```
[72]: model2_c_2 = SVC(C=100.0, kernel='linear')
model2_c_2.fit(xdata3_train, ydata3_train)

train3_acc = model2_c_2.score(xdata3_train, ydata3_train)
test3_acc = model2_c_2.score(xdata3_test, ydata3_test)

print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))
print('weight vector w = ', model2_c_2.coef_)
print('offset w0 =', model2_c_2.intercept_)

plotSVMBoundaries(xdata3_train, ydata3_train, model2_c_2, support_vectors =
    ↪model2_c_2.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_c_2)
```

```
train acc = 0.77, test acc = 0.75
weight vector w = [[-0.49088354 -0.86901288]]
offset w0 = [0.26395834]
```



- (d) Use a Gaussian (RBF) Kernel with C parameter set to $C = 1$. Set $\gamma = 0.1, 10, 200$. Report the above items and also show the support vectors in the training-data plots for each value of γ . Explain the difference in decision regions for the different values of γ . Tip: you might want to try plots at other values of γ to help you understand its effects (no need to include

these extra plots in your solution). Do you observe any overfitting or underfitting for any of the given values of γ ? You will provide 6 plots in total.

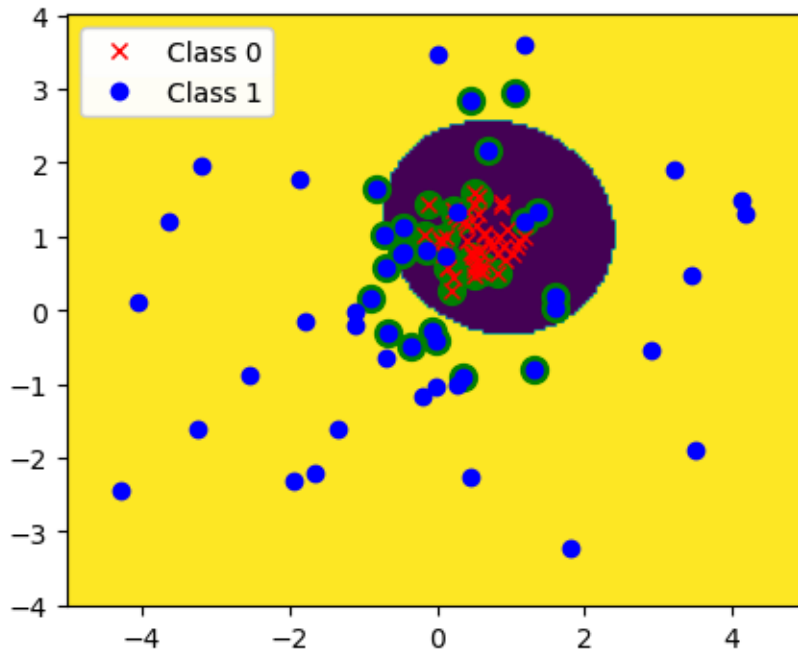
```
[66]: model2_d_1 = SVC(C=1.0, kernel='rbf', gamma = 0.1)
model2_d_1.fit(xdata3_train, ydata3_train)

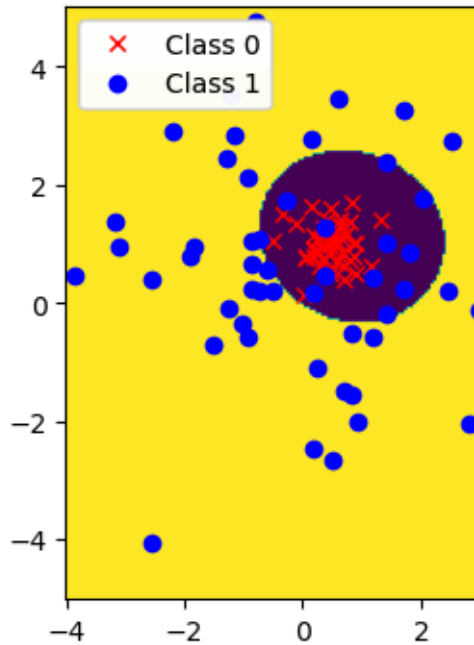
train3_acc = model2_d_1.score(xdata3_train, ydata3_train)
test3_acc = model2_d_1.score(xdata3_test, ydata3_test)

print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))

plotSVMBoundaries(xdata3_train, ydata3_train, model2_d_1, support_vectors =
    model2_d_1.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_d_1)
```

train acc = 0.89, test acc = 0.89





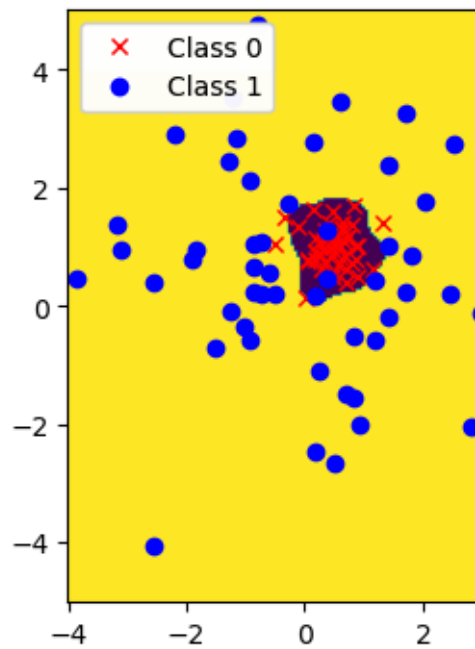
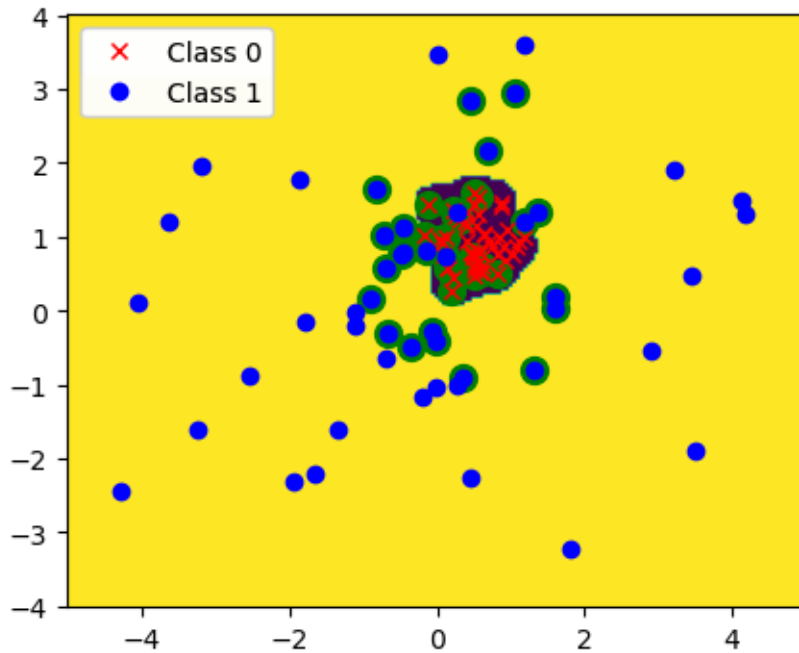
```
[67]: model2_d_2 = SVC(C=1.0, kernel='rbf', gamma = 10.0)
model2_d_2.fit(xdata3_train, ydata3_train)

train3_acc = model2_d_2.score(xdata3_train, ydata3_train)
test3_acc = model2_d_2.score(xdata3_test, ydata3_test)

print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))

plotSVMBoundaries(xdata3_train, ydata3_train, model2_d_2, support_vectors =
↳model2_d_1.support_vectors_ )
plotSVMBoundaries(xdata3_test, ydata3_test, model2_d_2)
```

train acc = 0.98, test acc = 0.94



```
[68]: model2_d_3 = SVC(C=1.0, kernel='rbf', gamma = 200.0)
      model2_d_3.fit(xdata3_train, ydata3_train)
```



```

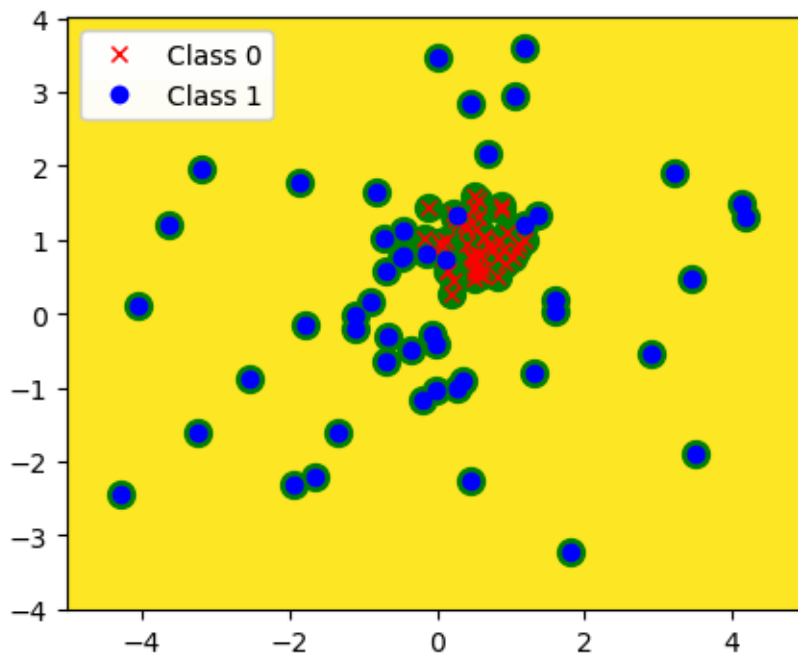
train3_acc = model2_d_3.score(xdata3_train, ydata3_train)
test3_acc = model2_d_3.score(xdata3_test, ydata3_test)

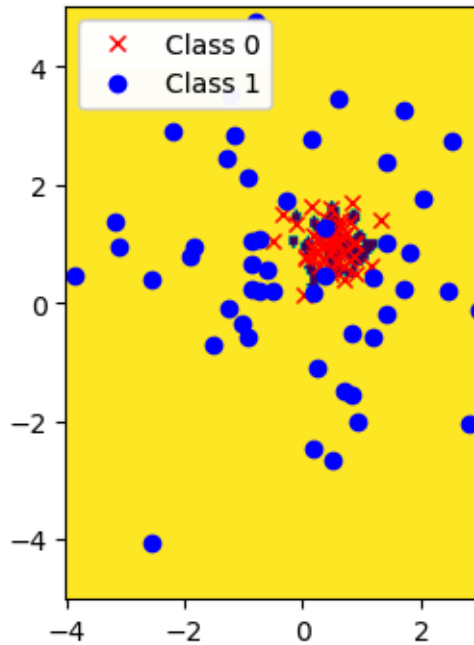
print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))

plotSVMBoundaries(xdata3_train, ydata3_train, model2_d_3, support_vectors =
    ↪model2_d_3.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_d_3)

```

train acc = 0.98, test acc = 0.77





- (e) Use a Gaussian (RBF) Kernel and pick the γ parameter from part (d) (from the 3 given values) that results in the minimum test error. Set $C = 0.01, 1, 100$. Report the above items and also provide the support vectors in the plots for each value of C . Explain your observations in the different decision boundaries and the support vectors for the different values of C . You will provide 6 plots in total.

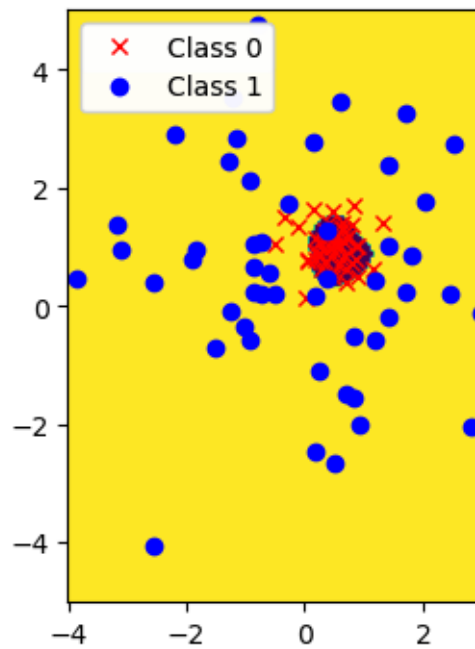
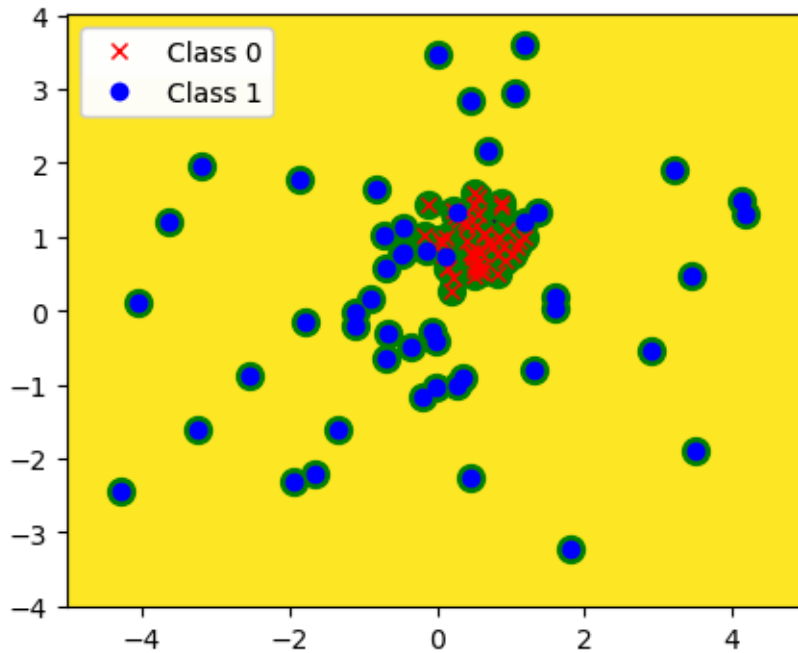
```
[74]: model2_e_1 = SVC(C=0.01, kernel='rbf', gamma = 10.0)
model2_e_1.fit(xdata3_train, ydata3_train)

train3_acc = model2_e_1.score(xdata3_train, ydata3_train)
test3_acc = model2_e_1.score(xdata3_test, ydata3_test)

print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))

plotSVMBoundaries(xdata3_train, ydata3_train, model2_e_1, support_vectors =
    ↪model2_e_1.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_e_1)
```

train acc = 0.88, test acc = 0.86



```
[75]: model2_e_2 = SVC(C=1.0, kernel='rbf', gamma = 10.0)
      model2_e_2.fit(xdata3_train, ydata3_train)
```

```

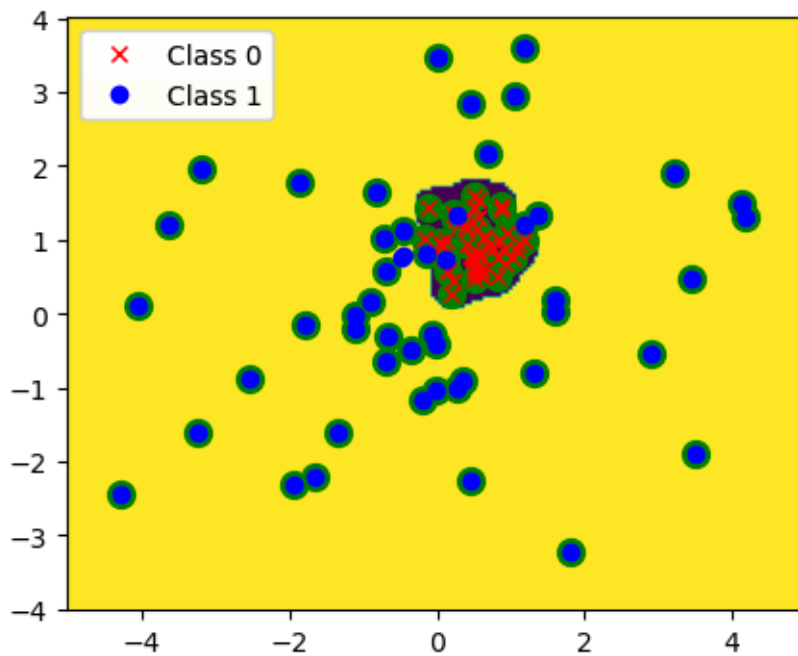
train3_acc = model2_e_2.score(xdata3_train, ydata3_train)
test3_acc = model2_e_2.score(xdata3_test, ydata3_test)

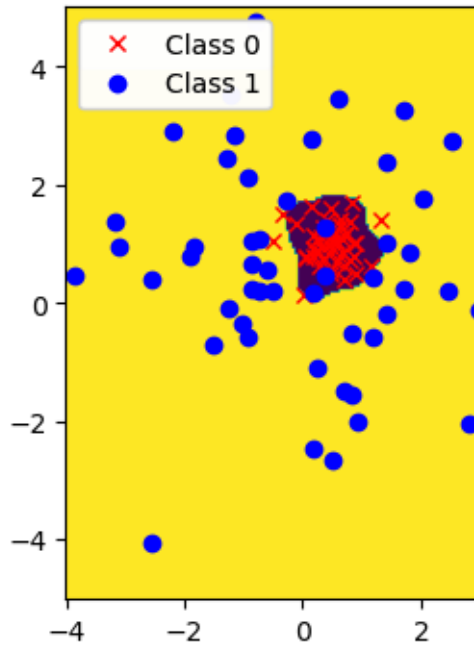
print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))

plotSVMBoundaries(xdata3_train, ydata3_train, model2_e_2, support_vectors =
    ↪model2_e_2.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_e_2)

```

train acc = 0.98, test acc = 0.94

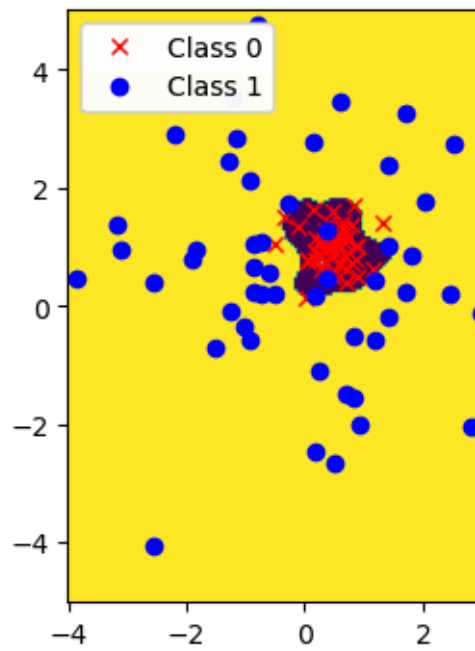
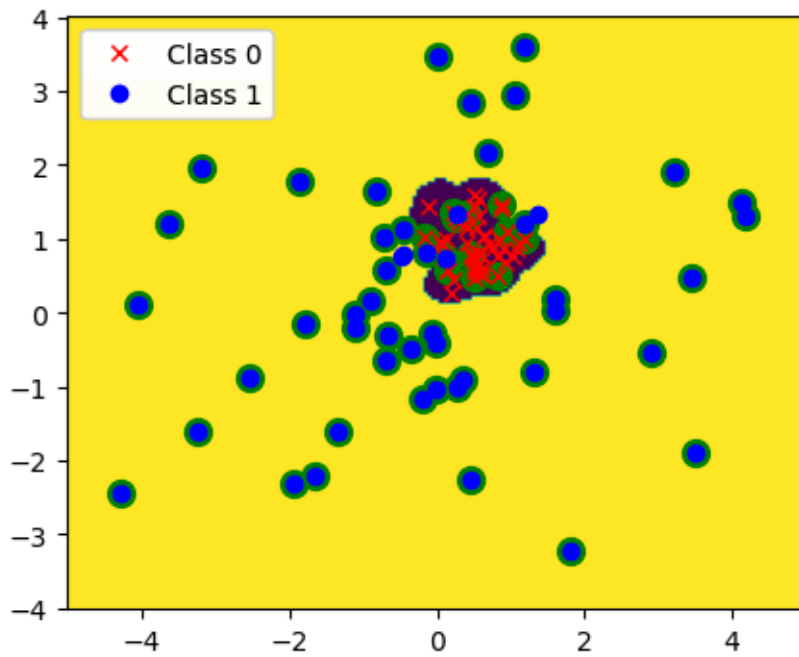




```
[76]: model2_e_3 = SVC(C=100.0, kernel='rbf', gamma = 10.0)
model2_e_3.fit(xdata3_train, ydata3_train)

train3_acc = model2_e_3.score(xdata3_train, ydata3_train)
test3_acc = model2_e_3.score(xdata3_test, ydata3_test)
print('train acc = {}, test acc = {}'.format(train3_acc, test3_acc))
plotSVMBoundaries(xdata3_train, ydata3_train, model2_e_3, support_vectors =
    ↪model2_e_3.support_vectors_)
plotSVMBoundaries(xdata3_test, ydata3_test, model2_e_3)
```

train acc = 0.98, test acc = 0.95



[]: