

No. _____
 Date _____

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- Numerical, by manual counting
 Categorical, sort into different colors
 Continuous, measured its weight each
- Divide the number of blue over total nips; yes, blue have low chance of being sort.
- Zero, yes it is possible
- Manual counting

2.

Nips 1

+B $\frac{1}{12}$

-B $\frac{11}{12}$

Nips 2

+B $\frac{1}{12}$

-B $\frac{11}{12}$

Data	Fr	%
yellow	4	$\frac{4}{12}$
violet	3	$\frac{3}{12}$
orange	2	$\frac{2}{12}$
red	2	$\frac{2}{12}$
blue	1	$\frac{1}{12}$

Data	Fr	%
yellow	5	$\frac{5}{12}$
violet	2	$\frac{2}{12}$
orange	2	$\frac{2}{12}$
red	2	$\frac{2}{12}$
blue	1	$\frac{1}{12}$

$$= 1 \times C_1 \left(\frac{1}{12}\right) \left(\frac{11}{12}\right)^n$$

$$= 0.9899 \text{ or } 98.99\%$$

- In every 12 pieces of nips, there is a likelihood that one of it is color blue.
- By the number of blue nips from first pack.
- Without replacement
- No, there's dust already in the nips.

4. I assume they only use primary colors and color red is in between of yellow and blue. In order to produce a solid violet it needs more blue. Unlike orange that only needs little red to blend accurately. The nips then are sorted and mix in a pouch. The machine only use time to measure its weight. With even time to pour the nips they are all well-weight.

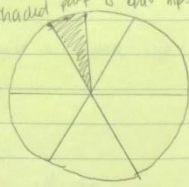
- Yes, the blue nips production are less in color in contact with other colors.
- No, it is well proportioned instead, the red act as mix ingredient. the number of nips are pour in by time. They are distributed by automation.
- From $\frac{1}{12}$, the percentage must be around 8% or less than 10% of the production.

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5. 0 Most of the yellow appear more drawing more than 39% or $\frac{1}{3}$ of the nips

0 The blue has very low value

shaded part is due nips



The non-shaded
are non-blue