

Homework 1

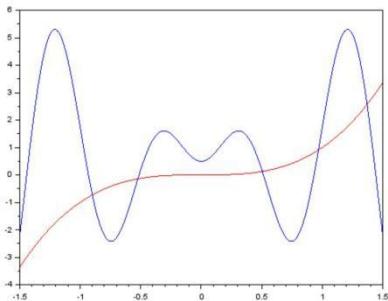
```
1.     x=1
2.     for k=1:1000
3.         y=exp(2*x)-2.5+1/(12+x)
4.         dy=2*exp(2*x)-1/(12+x)^2
5.         x=x-y/dy
6.     End
7.     disp(x,y)
```

X=0.4418065

While Y=-2.35922392733*10^-16 (sufficiently close to 0)

Homework 2

1. $x = -1.5 : 0.0001 : 1.5$
2. $y = (-1)^{12} \cdot x \cdot x \cdot x$
3. $z = 4 \cdot x \cdot \sin(0.3 \cdot (12+10) \cdot x) + 0.5$
4. $\text{plot}(x, y, 'r')$
5. $\text{plot}(x, z, 'b')$



5 intersection points \implies 5 roots

Homework 3

```
1. clear
2. Int=integrate('x^2/sqrt(12+sin(x))','x', 0, 1)
3. printf("%1.12f",Int)
```

Int=0.0936522

(before keeping significant digits 0.093652246363255)

Homework 4

```
1. clear
2. h=0.01
3. xx=0
4. yy=0
5. plot(2,2)
6. for k=1:3000
7. dFdx=2*cos(2.*xx+1.5.*yy-2)
8. dFdy=1.5*cos(2.*xx+1.5.*yy-2)+yy-2/13
9. xx=xx-h*dFdx
10. yy=yy-h*dFdy
11. plot(xx, yy, 'or', 'LineWidth',1)
12. end
13. disp('xx=',xx, 'yy=',yy, 'k=',k)
```

When k=300, xx=0.1045794 yy=0.1477719, but the adjacent values of xx and yy continue to change significantly.

When k=3000, the xx and yy keep same for at least 10 times of iteration in view of 7 digits. xx=0.0992172 yy=0.1538462

The minimum occurs at $x = 0.099217, y = 0.153846$, while the minimum value of the function is -1.011834