Project 1

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INTRODUCTION OF THE PROJECT

- This project investigates the Breast Cancer data frame at Wisconsin.
- The data frame has 32 columns, with 31 attributes of a tumor and 1 diagnosis of Malignant (M) or Benign (B).
- The goal of this project is to:
- 1. Build a Classification Model to classifying if a tumor is Malignant or Benign, based on their attribute.
- 2. Determine which attribute play the most important roles in diagnosing cancer.
- 3. Investigate TWO most important attributes and their correlation to each other and the diagnosis.
- We will be using 80-20 Train-Test Split, along with Polynomial Kernels training method

LOADING NECESSARY LIBRARY

The four packages we need for this projects are **tidyverse**, **dplyr**, **plotly** and **caret**. The classification model is created by mainly using the **caret** package.

```
library(tidyverse) #used for 2D plot
library(dplyr)
library(caret) # Classification and Regression Training
library(plotly) #used for 3D plot
```

LOADING AND CLEANING DATA

The first and foremost step is loading the data, We are using the **Breast Cancer Wisconsin (Diagnostic) Data Set** provided publicly on Kaggle, by UC Irvine. In this data set, we are only investigating on attributes that contributes to the diagnosis of tumors. Finally, we are cleaning if any data points are null or not.

```
# Loading data and shows their attribute.
cancer <- read.csv("data.csv")

# exclude columns id and X since they are not attributes of determining cancer
cancer <- select(cancer, -c(id, X))

# Check if data has any null values in any columns we are searching for.
sum(is.na(cancer))</pre>
```

[1] 0

```
# Summary on the data set
str(cancer)
                   569 obs. of 31 variables:
## 'data.frame':
   $ diagnosis
                                  "M" "M" "M" "M" ...
                   : chr
   $ radius_mean
                                  18 20.6 19.7 11.4 20.3 ...
##
                           : num
## $ texture mean
                           : num
                                  10.4 17.8 21.2 20.4 14.3 ...
## $ perimeter_mean
                                  122.8 132.9 130 77.6 135.1 ...
                          : num
                           : num
## $ area_mean
                                  1001 1326 1203 386 1297 ...
## $ smoothness_mean
                                  0.1184 0.0847 0.1096 0.1425 0.1003 ...
                           : num
## $ compactness_mean
                                  0.2776 0.0786 0.1599 0.2839 0.1328 ...
                          : num
## $ concavity_mean
                           : num
                                  0.3001 0.0869 0.1974 0.2414 0.198 ...
## $ concave.points_mean
                           : num
                                  0.1471 0.0702 0.1279 0.1052 0.1043 ...
## $ symmetry_mean
                           : num
                                  0.242 0.181 0.207 0.26 0.181 ...
```

0.0787 0.0567 0.06 0.0974 0.0588 ...

0.0064 0.00522 0.00615 0.00911 0.01149 ...

0.00619 0.00353 0.00457 0.00921 0.00511 ...

0.049 0.0131 0.0401 0.0746 0.0246 ...

0.0537 0.0186 0.0383 0.0566 0.0569 ...

0.0159 0.0134 0.0206 0.0187 0.0188 ...

0.03 0.0139 0.0225 0.0596 0.0176 ...

1.095 0.543 0.746 0.496 0.757 ...

0.905 0.734 0.787 1.156 0.781 ...

8.59 3.4 4.58 3.44 5.44 ...

153.4 74.1 94 27.2 94.4 ...

25.4 25 23.6 14.9 22.5 ...

17.3 23.4 25.5 26.5 16.7 ...

2019 1956 1709 568 1575 ...

184.6 158.8 152.5 98.9 152.2 ...

0.162 0.124 0.144 0.21 0.137 ...

0.666 0.187 0.424 0.866 0.205 ... 0.712 0.242 0.45 0.687 0.4 ...

0.265 0.186 0.243 0.258 0.163 ...

0.46 0.275 0.361 0.664 0.236 ...

MODIFYING THE DATA SET

No null Value, we are good to process

\$ fractal_dimension_mean : num

\$ fractal_dimension_se : num

\$ fractal dimension worst: num 0.1189 0.089 0.0876 0.173 0.0768 ...

\$ radius_se

\$ area_se

\$ texture_se

\$ perimeter_se

\$ smoothness se

\$ concavity se

\$ symmetry_se

\$ radius_worst

\$ texture_worst

\$ area_worst

\$ perimeter_worst

\$ smoothness_worst

\$ concavity_worst

\$ symmetry_worst

\$ compactness_worst

\$ concave.points_worst

\$ compactness_se

\$ concave.points_se

Since the **diagnosis** stores the value as **M** and **B**, we are changing these values into **1** and **0** respectively.

```
diagnosis = recode_factor(cancer$diagnosis, 'M' = '1', 'B' = '0')
cancer$diagnosis = diagnosis

# Data frame after being modified
head(cancer)
```

```
diagnosis radius_mean texture_mean perimeter_mean area_mean smoothness_mean
## 1
             1
                     17.99
                                  10.38
                                                122.80
                                                           1001.0
                                                                          0.11840
## 2
             1
                     20.57
                                  17.77
                                                132.90
                                                          1326.0
                                                                          0.08474
## 3
                     19.69
                                  21.25
                                                130.00
                                                          1203.0
                                                                          0.10960
             1
```

##	4	1 11.42	20.38	3 77.	58 386.1	0.14250	
##		1 20.29				0.10030	
##		1 12.45				0.12780	
##	_	compactness_mean concavity_mean concave.points_mean symmetry_mean					
##	1						
##	2	0.07864	0.0869			812	
##		0.15990	0.1974			069	
##		0.28390	0.2414			597	
##	5	0.13280	0.1980			809	
##	6	0.17000	0.1578			087	
##		fractal_dimension_mea		texture se per			
##	1	0.0787	_	0.9053	8.589 153.		
##	2	0.0566		0.7339	3.398 74.		
##	3	0.0599		0.7869	4.585 94.	03	
##	4	0.0974		1.1560	3.445 27.	23	
##	5	0.0588		0.7813	5.438 94.	44	
##	6	0.0761		0.8902	2.217 27.	19	
##		smoothness_se compact	ness_se conc	avity_se conca	ve.points_se sy	mmetry_se	
##	1	0.006399	0.04904	0.05373	0.01587	0.03003	
##	2	0.005225	0.01308	0.01860	0.01340	0.01389	
##	3	0.006150	0.04006	0.03832	0.02058	0.02250	
##	4	0.009110	0.07458	0.05661	0.01867	0.05963	
##	5	0.011490	0.02461	0.05688	0.01885	0.01756	
##	6	0.007510	0.03345	0.03672	0.01137	0.02165	
##		<pre>fractal_dimension_se</pre>	radius_worst	texture_worst	perimeter_wors	t area_worst	
##	1	0.006193	25.38	17.33	184.6	0 2019.0	
##	2	0.003532	24.99	23.41	158.8	0 1956.0	
##	3	0.004571	23.57	25.53	152.5	0 1709.0	
##	4	0.009208	14.91	26.50	98.8	7 567.7	
##	5	0.005115	22.54	16.67			
##	6	0.005082	15.47	23.75			
##		smoothness_worst compactness_worst concavity_worst concave.points_worst					
##		0.1622	0.6656			0.2654	
##		0.1238	0.1866			0.1860	
##		0.1444	0.4245			0.2430	
##		0.2098	0.8663			0.2575	
##		0.1374	0.2050			0.1625	
##	6	0.1791 0.5249			355	0.1741	
##		symmetry_worst fractal_dimension_worst					
##		0.4601		11890			
##		0.2750 0.089					
##		0.3613 0.087					
##				17300			
##		0.2364		07678			
##	6	0.3985	0.1	12440			

BUILDING MODEL

We are building our model by distributing our data set into 80% training set, 20% testing set, and the training set for cross validation (CV). Of course, they will be randomly distributed to make the model least biased as possible.

```
#set random seed number to get reproducible model
set.seed(13)

# Building subsets
TrainingIndex <- createDataPartition(cancer$diagnosis, p = 0.8, list = FALSE)
trainingSet <- cancer[TrainingIndex,] #80% random data points
testingSet <- cancer[-TrainingIndex,] #the rest 20%

#Check if the TrainingIndex is randomly chosen
head(TrainingIndex, 10) # looks good</pre>
```

```
Resample1
##
##
  [1,]
## [2,]
                 2
## [3,]
                 3
## [4,]
                 5
## [5,]
                 6
## [6,]
                 7
## [7,]
                 8
## [8,]
                 9
## [9,]
                10
## [10,]
                11
```

BUILDING THE MODEL USING SUPPORT VECTOR MACHINE (SVM)

In this step, we are utilizing the support vector machine algorithm with polynomial kernel. SVM helps to create a support vector classifier that separates the \mathbf{B} and \mathbf{M} values, while the polynomial kernel helps to alleviate the overlapping data points that can not be easily separated by a linear kernel.

APPLY MODEL FOR PREDICTION

We are applying **predict** function using the trained model to predict output on our subsets. In this case, we are using the **leave-one-out** method. This step helps to reduce overfitting on our model.

```
Model.training <- predict(Model,trainingSet) # Apply model to predict trainingSet
Model.testing <- predict(Model, testingSet) # Apply model to predict testingSet
Model.cv <- predict(cvModel, trainingSet) # Cross Validation
```

MODEL PERFORMANCE- Confusion Matrix and Statistics

In this step, we are checking if our training model is reliable or not, by using the confusion matrix. This will provides information such as accuracy rate, which, however, does not need to be exact for a classification model to be trustworthy.

```
# Print out confusion matrix of three models we are investigating on
trainingConfusion <- confusionMatrix(Model.training, trainingSet$diagnosis)
testConfusion <- confusionMatrix(Model.testing, testingSet$diagnosis)
cvConfusion <- confusionMatrix(Model.cv, trainingSet$diagnosis)</pre>
```

Statistic on the training data set using training model:

```
print(trainingConfusion)
```

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction 1
                    0
##
            1 164
                    0
##
              6 286
##
##
                  Accuracy : 0.9868
                    95% CI: (0.9716, 0.9952)
##
       No Information Rate: 0.6272
##
##
       P-Value [Acc > NIR] : < 2e-16
##
##
                     Kappa : 0.9717
##
##
   Mcnemar's Test P-Value: 0.04123
##
               Sensitivity: 0.9647
##
##
               Specificity: 1.0000
            Pos Pred Value : 1.0000
##
            Neg Pred Value: 0.9795
##
##
                Prevalence: 0.3728
            Detection Rate: 0.3596
##
##
      Detection Prevalence: 0.3596
##
         Balanced Accuracy: 0.9824
##
##
          'Positive' Class: 1
##
```

Statistic on the test data set using training model:

print(testConfusion)

```
## Confusion Matrix and Statistics
##
## Reference
## Prediction 1 0
## 1 39 1
```

```
0 3 70
##
##
                  Accuracy: 0.9646
##
##
                    95% CI: (0.9118, 0.9903)
##
       No Information Rate: 0.6283
##
       P-Value [Acc > NIR] : <2e-16
##
##
                     Kappa: 0.9235
##
   Mcnemar's Test P-Value: 0.6171
##
##
##
               Sensitivity: 0.9286
               Specificity: 0.9859
##
##
            Pos Pred Value: 0.9750
##
            Neg Pred Value: 0.9589
##
                Prevalence: 0.3717
##
            Detection Rate: 0.3451
##
      Detection Prevalence: 0.3540
##
         Balanced Accuracy: 0.9572
##
##
          'Positive' Class : 1
##
```

Cross-Validation on the training model

print(cvConfusion)

```
## Confusion Matrix and Statistics
##
##
             Reference
## Prediction
                1
##
            1 164
                    0
               6 286
##
            0
##
##
                  Accuracy : 0.9868
                    95% CI: (0.9716, 0.9952)
##
##
       No Information Rate: 0.6272
##
       P-Value [Acc > NIR] : < 2e-16
##
                     Kappa: 0.9717
##
##
##
   Mcnemar's Test P-Value: 0.04123
##
##
               Sensitivity: 0.9647
               Specificity: 1.0000
##
##
            Pos Pred Value: 1.0000
##
            Neg Pred Value: 0.9795
##
                Prevalence: 0.3728
##
            Detection Rate: 0.3596
##
      Detection Prevalence: 0.3596
##
         Balanced Accuracy: 0.9824
##
##
          'Positive' Class: 1
##
```

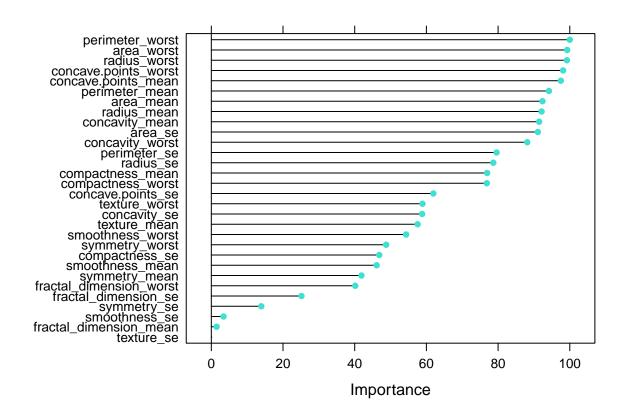
COMMENTS ON OUR CLASSIFICATION MODEL

Personally speaking, I think our model is well trained. We achieved 98% correct on training model and its cross validation. For predicting "unfed" data, we achieve 96% accuracy, which is an acceptable rate.

DETERMINING TWO IMPORTANT FEATURES FOR DIAGNOSIS

As being said in the introduction, we are trying to find two most inportant attributes that contribute to our prediction. We are using the **varImp** function, which would return a detailed comparison.

```
Importance <- varImp(Model)
plot(Importance, col = "turquoise")</pre>
```



Our model suggests that **perimeter_worst** and **area_worst** as the two most important attributes in our studying

DETERMINING perimeter_worst, area_worst AND diagnosis RELATION-SHIP

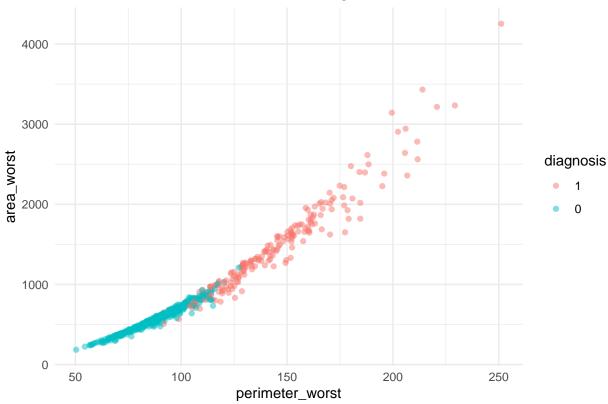
We are using **plotly** to have a better view about the distribution of tumor diagnosis base on their two important attribute.

• IN 3D view:

• In 2D view:

```
rad <- ggplot(cancer, aes(x= perimeter_worst, y = area_worst)) +
  geom_point(alpha = 1/2, aes(color = diagnosis)) +
  ggtitle(label = "Perimeter Worst, Area Worst and Diagnosis") +
  theme_minimal()
print(rad)</pre>
```

Perimeter Worst, Area Worst and Diagnosis



CONCLUSION

- It is obvious to conclude from the graph that Malignant tumor has a wider interval than Benign one. The larger values tumors are in both attribute, the more likely they are diagnosed to be Malignant
- The largest **B** tumor in both attributes, (perimeter, area) is (127.1, 1210), while the smallest **M** tumor can be as small as (85.1, 553.6).

DATA SET SOURCE

This data set is publicized online on Kaggle, and is subjected to copyrights. All rights reserved to the owners. https://www.kaggle.com/datasets/uciml/breast-cancer-wisconsin-data