

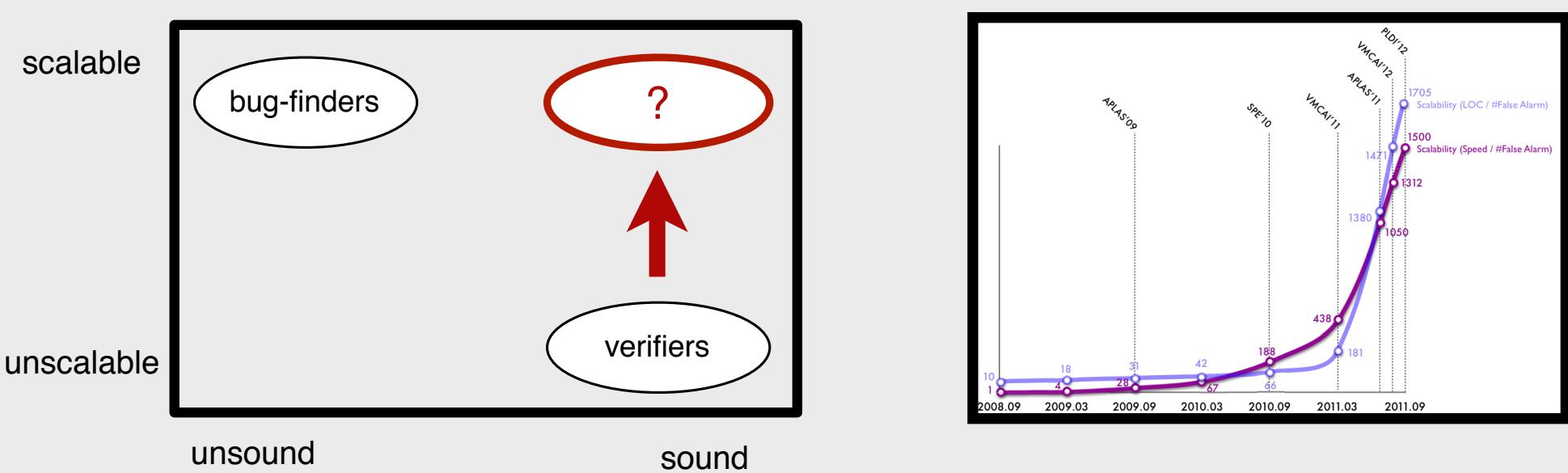
# Design and Implementation of Sparse Global Analyses for C-like Languages

Hakjoo Oh, Kihong Heo, Wonchan Lee, Woosuk Lee, Kwangkeun Yi  
Seoul National University

## 1. Motivation

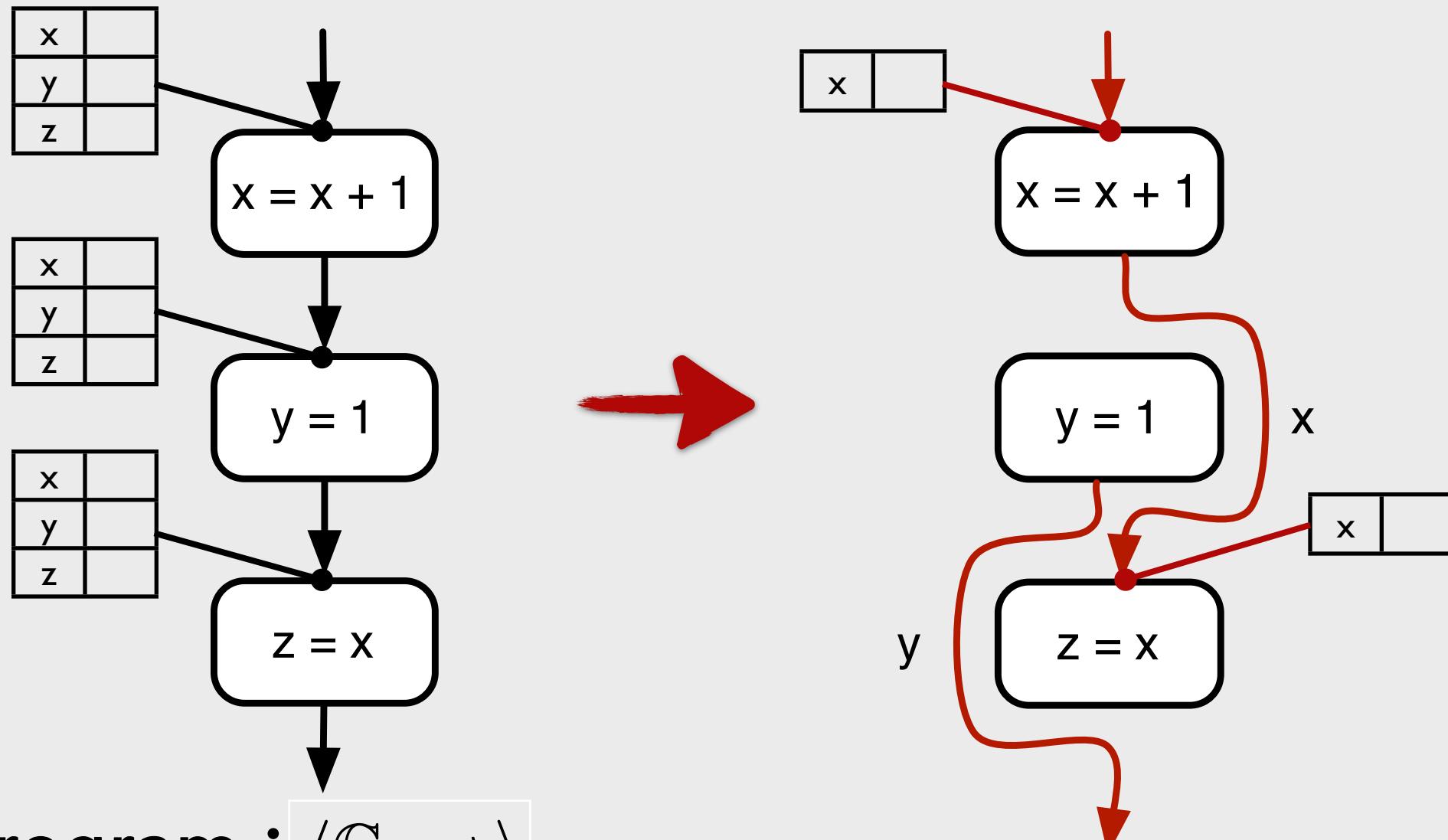
- Challenge : sound, precise, global yet scalable
-  our commercialized bug-finder
  - sound in design
  - unsound yet scalable in reality

- Goal : scaling up its sound & global version



## 2. Overview

- Key : Right Part at Right Moment**
  - Follow the data dependency, not the ctrl flow blindly



- Program :**  $\langle \mathbb{C}, \rightarrow \rangle$ 
  - $\mathbb{C}$  : set of program points
  - $\rightarrow \subseteq \mathbb{C} \times \mathbb{C}$  : control flow relation

### Abstract Semantics

$$\llbracket \hat{P} \rrbracket \in \mathbb{C} \rightarrow \hat{\mathbb{S}} = \text{fix } \hat{F} \quad \hat{F} \in (\mathbb{C} \rightarrow \hat{\mathbb{S}}) \rightarrow (\mathbb{C} \rightarrow \hat{\mathbb{S}})$$

$$\hat{\mathbb{S}} = \hat{\mathbb{L}} \rightarrow \hat{\mathbb{V}} \quad \hat{F}(\hat{X}) = \lambda c \in \mathbb{C}. \hat{f}_c(\bigcup_{c' \leftrightarrow c} \hat{X}(c'))$$

### Precision Preserving Framework

$$\hat{F}(\hat{X}) = \lambda c \in \mathbb{C}. \hat{f}_c(\bigcup_{c' \leftrightarrow c} \hat{X}(c')) \rightarrow \hat{F}(\hat{X}) = \lambda c \in \mathbb{C}. \hat{f}_c(\bigcup_{c' \rightsquigarrow_a c}^l \hat{X}(c'))$$

$$\text{fix } F = \text{fix } F_s$$

## 5. Conclusions

- A **general framework** for sparse analysis
  - data dependency
  - safe & correct def/use sets
- Scale-up of an sound & global static analyzer
  - 1.3 million LOC with interval domain
  - 0.13 million LOC with octagon domain

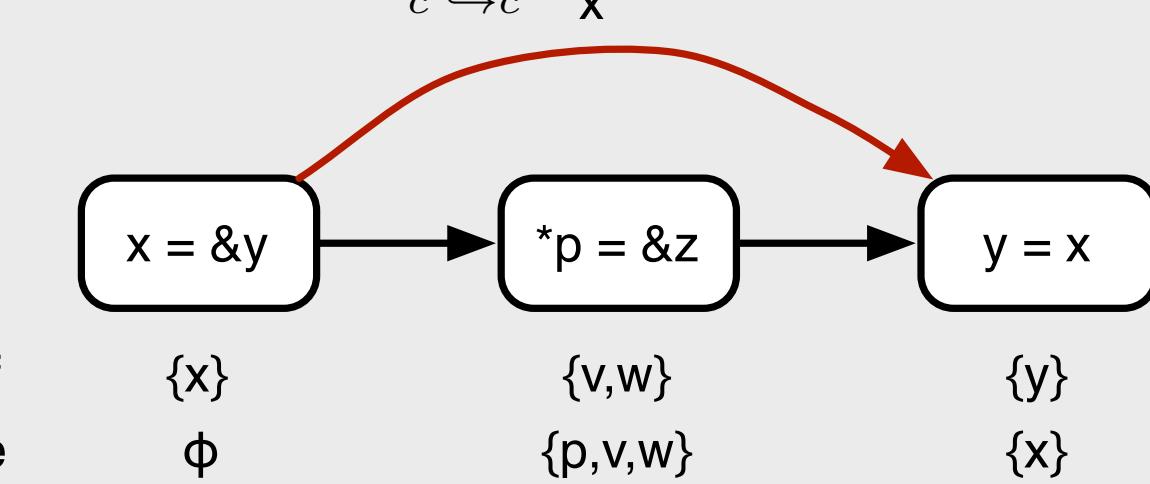
## 3. Sparse Analysis Framework

### Data Dependency

$$c_0 \xrightarrow{l} c_n \triangleq \exists c_0 \dots c_n \in \text{Path}, l \in \mathbb{L}. \\ l \in D(c_0) \cap U(c_n) \wedge \forall i \in (0, n). l \notin D(c_i)$$

$$D(c) \triangleq \{l \in \hat{\mathbb{L}} \mid \exists \hat{s} \subseteq \bigsqcup_{c' \leftrightarrow c} (\text{fix } \hat{F})(c'). \hat{f}_c(\hat{s})(l) \neq \hat{s}(l)\}$$

$$U(c) \triangleq \{l \in \hat{\mathbb{L}} \mid \exists \hat{s} \subseteq \bigsqcup_{c' \leftrightarrow c} (\text{fix } \hat{F})(c'). \hat{f}_c(\hat{s})|_{D(c)} \neq \hat{f}_c(\hat{s}|_{\setminus l})|_{D(c)}\}$$



### Approximated Data Dependency

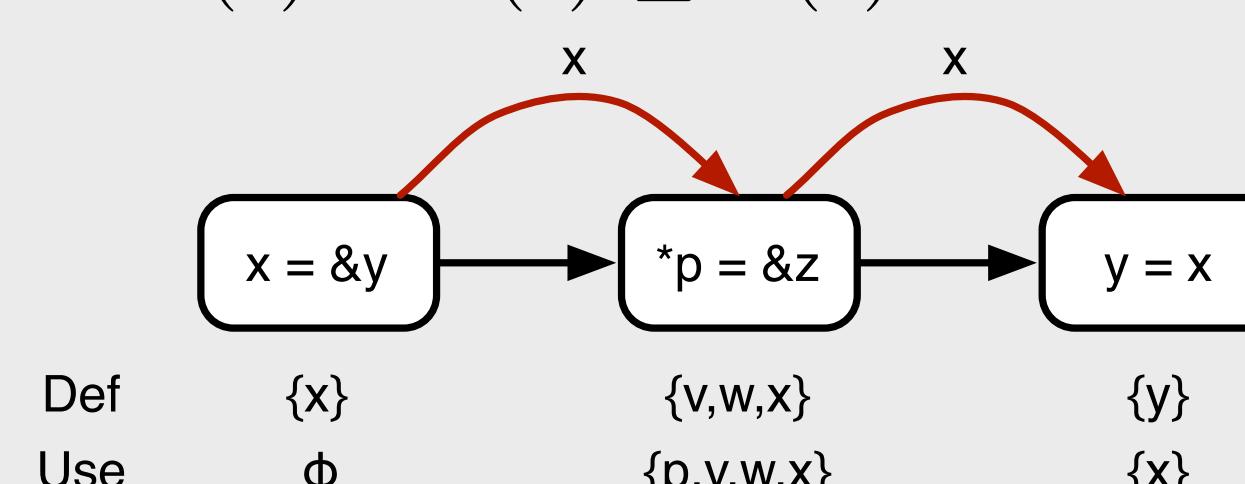
$$c_0 \xrightarrow{l} a c_n \triangleq \exists c_0 \dots c_n \in \text{Path}, l \in \mathbb{L}. \\ l \in \hat{D}(c_0) \cap \hat{U}(c_n) \wedge \forall i \in (0, n). l \notin D(c_i)$$

#### - over-approximation

$$\hat{D}(c) \supseteq D(c) \wedge \hat{U}(c) \supseteq U(c)$$

#### - spurious definitions should be included in uses

$$\hat{D}(c) - D(c) \subseteq \hat{U}(c)$$



## 4. Experiments

### Interval analysis

Program	LOC	Vanilla		Sparse		Spd↑	Mem↓
		Time	Mem	Time	Mem		
make-3.76.l	27K	24240	1391	21	114	1154x	92%
wget-1.9	35K	44092	2546	11	85	4008x	97%
screen-4.0.2	45K	∞	∞	767	303	N/A	N/A
emacs-22.l	400K	∞	∞	37,830	7795	N/A	N/A
linux-3.0	710K	∞	∞	33,618	2,0529	N/A	N/A
ghostscript-0.00	1,363K	∞	∞	14,814	6384	N/A	N/A

### Octagon analysis

Program	LOC	Vanilla		Sparse		Spd↑	Mem↓
		Time	Mem	Time	Mem		
gzip-1.2.4a	7K	2078	2832	21	269	98x	91%
bc-1.06	13K	9536	6987	55	358	173x	95%
make-3.76.l	28K	∞	∞	331	666	N/A	N/A
wget-1.9	35K	∞	∞	288	646	N/A	N/A
screen-4.02	45K	∞	∞	1,6433	9199	N/A	N/A
sendmail-8.13.6	130K	∞	∞	6,4808	2,9658	N/A	N/A