

assign2

AI24BTECH11018 - Sreya

1. The points $(-a, -b)$, $(0, 0)$, (a, b) and (a^2, ab) (1979)
 - a) Collinear
 - b) Vertices of a parallelogram
 - c) Vertices of a rectangle
 - d) None of these
2. The point $(4, 1)$ undergoes the following three transformations successively. (1980)
 - a) Reflection about the line $y = x$.
 - b) Translation through a distance 2 units along the positive direction of x-axis.
 - c) Rotation through an angle $\frac{\pi}{4}$ about the origin in the counter clockwise direction.

Then the final position of the point is given by the coordinates.

 - a) $(\frac{1}{\sqrt{2}}, \frac{7}{\sqrt{2}})$
 - b) $(-\sqrt{2}, 7\sqrt{2})$
 - c) $(\sqrt{2}, 7\sqrt{2})$
 - d) $(-\frac{1}{\sqrt{2}}, \frac{7}{\sqrt{2}})$
3. The straight lines $x + y = 0$, $3x + y - 4 = 0$, $x + 3y - 4 = 0$ form a triangle which is (1983 – 1Mark)
 - a) isosceles
 - b) equilateral
 - c) right angled
 - d) none of these
4. if $P=(1, 0)$, $Q=(-1, 0)$ and $R=(2, 0)$ are three given points, then the locus of point S satisfying the relation $SQ^2 + SR^2 = 2SP^2$, is (1988 – 2Marks)
 - a) a straight parallel to x-axis
 - b) a circle passing through the origin
 - c) a circle with the center at the origin
 - d) a straight line parallel to y-axis
- 5 Line L has intercepts a and b on the coordinate axes. When the axes are rotated through a given angle, keeping the origin fixed, line L has intercepts p and q then (1990 – 5Marks)
 - a) $a^2 + b^2 = p^2 + q^2$
 - b) $\frac{1}{a^2} + \frac{1}{b^2} = \frac{1}{p^2} + \frac{1}{q^2}$
 - c) $a^2 + p^2 = b^2 + q^2$
 - d) $\frac{1}{a^2} + \frac{1}{p^2} = \frac{1}{b^2} + \frac{1}{q^2}$
6. If the sum of distances of a point from two perpendicular lines in a plane is 1, then its locus is (1992 – 2Marks)
 - a) square
 - b) straight line
 - c) circle
 - d) two intersecting lines
7. The locus of a variable point whose distance from $(-2, 0)$ is $\frac{2}{3}$ times its distance from the line $x = -\frac{9}{2}$ is (1994)

- a) ellipse
b) hyperbola
c) parabola
d) none of these
8. The equations to a pair of opposite sides of parallelogram are $x^2 - 5x + 6 = 0$ and $y^2 - 6y + 5 = 0$, the equations to its diagonals are (1994)
a) $x + 4y = 13, y = 4x - 7$
b) $4x + y = 13, y = 4x - 7$
c) $4x + y = 13, 4y = x - 7$
d) $y - 4x = 13, y + 4x = 7$
9. The orthocenter of the triangle formed by the lines $xy = 0$ and $x + y = 1$ is (1995S)
a) $\left(\frac{1}{2}, \frac{1}{2}\right)$
b) $\left(\frac{1}{3}, \frac{1}{3}\right)$
c) $(0, 0)$
d) $\left(\frac{1}{4}, \frac{1}{4}\right)$
10. Let PQR be a right angled triangle, right at P(2, 1). If the equation of the line QR is $2x + y = 3$, then the equation representing the pair of lines PQ and PR is (1990 – 2Marks)
a) $3x^2 - 3y^2 + 8xy + 20x + 10y + 25 = 0$
b) $3x^2 - 3y^2 + 8xy - 20x - 10y + 25 = 0$
c) $3x^2 - 3y^2 + 8xy + 10x + 15y + 20 = 0$
d) $3x^2 - 3y^2 - 8xy - 10x - 15y - 20 = 0$
11. If x_1, x_2, x_3 as well as y_1, y_2, y_3 , are in G.P with the same common ratio then the points $(x_1, y_1), (x_2, y_2)$ and (x_3, y_3) . (1999 – 2Marks)
a) lie on a straight line
b) lie on ellipse
c) lie on circle
d) are vertices of a triangle
12. Let PS be the median of the triangle with vertices P(2, 2), Q(6, -1) and R(7, 3). The equation of the line passing through (1, -1) and parallel to PS is (2000S)
a) $2x - 9y - 7 = 0$
b) $2x - 9y - 11 = 0$
c) $2x + 9y - 11 = 0$
d) $2x + 9y + 7 = 0$
13. The incentre of the triangle with vertices $(1, \sqrt{3}), (0, 0)$ and $(2, 0)$ is (2000S)
a) $\left(1, \frac{\sqrt{3}}{2}\right)$
b) $\left(\frac{2}{3}, \frac{1}{\sqrt{3}}\right)$
c) $\left(\frac{2}{3}, \frac{\sqrt{3}}{2}\right)$
d) $\left(1, \frac{1}{\sqrt{3}}\right)$
14. the number of integer values of m, for which the x-coordinate of the point of intersection of the lines $3x + 4y = 9$ and $y = mx + 1$ is also an integer, is (2001S)
a) 2
b) 0
c) 4
d) 1
15. Area of the parallelogram formed by the lines $y = mx, y = mx + 1, y = nx$ and $y = nx + 1$ equals (2001S)

- a) $\frac{|m+n|}{(m-n)^2}$
- b) $\frac{2}{|m+n|}$
- c) $\frac{1}{|m+n|}$
- d) $\frac{1}{|m-n|}$

16. Let $0 < \alpha < \frac{\pi}{2}$ be fixed angle. if

$P = (\cos \theta, \sin \theta)$ and $Q = (\cos(\alpha - \theta), \sin(\alpha - \theta))$, then Q is obtained from P by (2002S)

- a) clockwise rotation around origin through an angle α
- b) anticlockwise rotation around the origin through an angle α
- c) reflection in the line through origin with the slope $\tan \alpha$
- d) reflection in the line through origin with slope $\tan\left(\frac{\alpha}{2}\right)$

17. Let $P = (-1, 0)$, $Q = (0, 0)$ and $R = (3, \sqrt{3})$ be three points. Then the equation of the bisector of the angle PQR is (2002S)

- a) $\frac{\sqrt{3}}{2}x + y = 0$
- b) $x + \sqrt{3}y = 0$
- c) $\sqrt{3} + y = 0$
- d) $x + \frac{\sqrt{3}}{2}y = 0$

18. A straight line through the origin O meets the parallel lines $4x + 2y = 9$ and $2x + y + 6 = 0$ at points P and Q respectively. Then the point O divides the segment PQ in the ratio (2002S)

- a) 1 : 2
- b) 3 : 4
- c) 2 : 1
- d) 4 : 3