Answer Key Table

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Consider the vertices,

$$\mathbf{A} = \begin{pmatrix} -6 \\ -3 \end{pmatrix} \tag{1}$$

$$\mathbf{B} = \begin{pmatrix} -1 \\ 0 \end{pmatrix} \tag{2}$$

$$\mathbf{B} = \begin{pmatrix} -1\\0 \end{pmatrix} \tag{2}$$

$$\mathbf{C} = \begin{pmatrix} 3 \\ -5 \end{pmatrix} \tag{3}$$

I. VECTORS

Parameter	Value	Description
\mathbf{m}_1	$\begin{pmatrix} -1 \\ -5 \end{pmatrix}$	Direction vector of AB
\mathbf{m}_2	$\begin{pmatrix} 4 \\ -6 \end{pmatrix}$	Direction vector of BC
m ₃	$\begin{pmatrix} -1 \\ -1 \end{pmatrix}$	Direction vector of CA
Length of Side	5.1	AB
Length of Side	7.07	BC
Length of Side	4	CA
$n^{ op}$	$\begin{pmatrix} -1 & -5 \end{pmatrix}$	AB
С	26	
$n^{ op}$	(5 5)	ВС
c	-10	
$n^{ op}$	$\begin{pmatrix} -4 & 0 \end{pmatrix}$	CA
c	4	
Area	10	ABC
Angle	101.31	A
Angle	33.69	В
Angle	45	С
	TABI	LE 0

Table 1

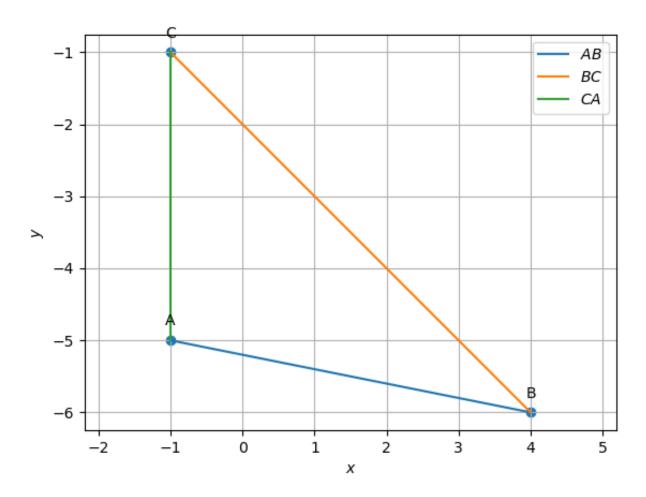


Fig. 0. Triangle ABC

II. MEDIANS

Parameter	Value	Description
Coordinates	$\begin{pmatrix} 1.5 \\ -3.5 \end{pmatrix}$	D (midpoint of AB)
Coordinates	$\begin{pmatrix} -1 \\ -3 \end{pmatrix}$	E (midpoint of BC)
Coordinates	$\begin{pmatrix} 1.5 \\ -5.5 \end{pmatrix}$	F (midpoint of CA)
$n^{ op}$	(1.5 -2.5)	AD
c	11	
$n^{ op}$	(3 5)	BE
С	-18	
$n^{ op}$	(-4.5 -2.5)	- CF
С	7	
Orthocentre (G)	((0.67) -4)	Point of intersection of BE and CF
	TAB	LE 0

TABLE 2

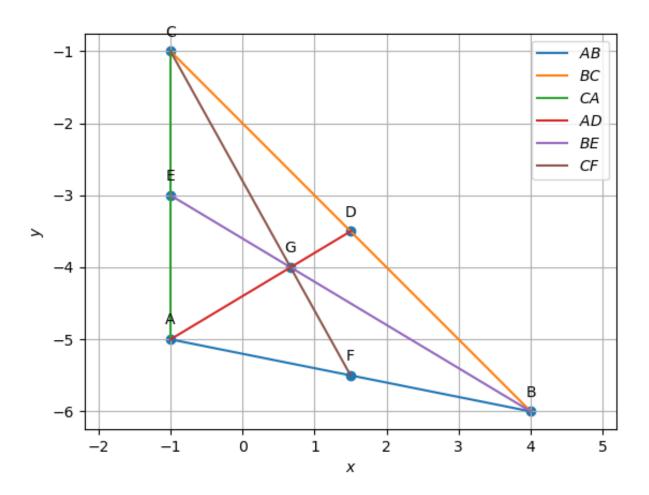


Fig. 0. Triangle ABC with medians AD, BE and CF

III. ALTITUDES

Parameter	Value	Description
n	$\begin{pmatrix} 5 \\ -5 \end{pmatrix}$	Normal Vector of AD_1
n^{\top}	(-5 5)	AD_1
c	-20	AD_1
n^{\top}	(0-4)	BE_1
c	24	DE_1
n^{T}	(5-1)	CF_1
c	-4	CF1
Orthocentre (H	(-2 -6)	Intersection of BE_1 and CF_1

TABLE 0
TABLE 3

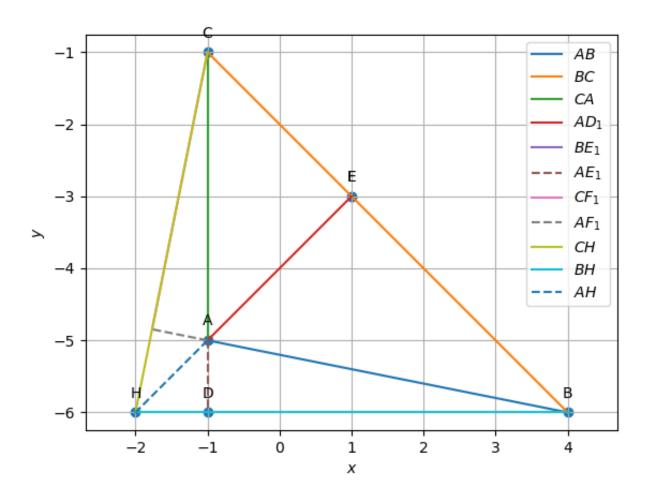


Fig. 0. Triangle ABC with altitudes AD_1 , BE_1 and CF_1

IV. PERPENDICULAR BISECTOR

Parameter	Value	Description
$n^{ op}$	(-5 1)	OF (Perpendicular Bisector of AB)
c	-13	
$n^{ op}$	(5 –5)	OD (Perpendicular Bisector of BC)
c	25	
$n^{ op}$	(0 4)	OE (Perpendicular Bisector of CA)
c	-12	OE (respendicular bisector of CA)
Circumcentre (O)	$\begin{pmatrix} 2 \\ -3 \end{pmatrix}$	Point of intersection of OE and OF
Radius	3.6	Radius of circumcircle
Angle	202.6	BOC
Angle	101.3	BAC
	TAE	BLE 0

Table 4

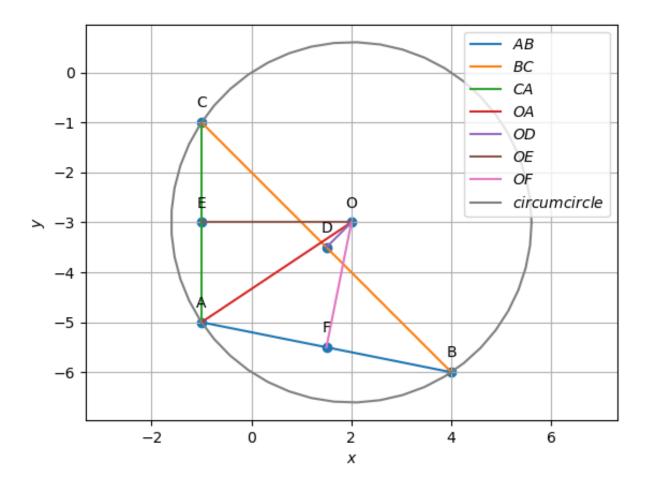


Fig. 0. circumcircle of triangle ABC with circumcentre O

V. ANGULAR BISECTOR

Parameter	Value	Description
$n^{ op}$	(0.8 -0.98)	AI (A 1 D' (CA)
С	4.1	AI (Angle Bisector of A)
$n^{ op}$	(0.9 1.69)	DI (A 1 D; (CD)
c	-6.51	BI (Angle Bisector of B)
$n^{ op}$	(-1.71 -0.71)	CI (Angle Bisector of C)
c	5.24	CI (Aligie Disector of C)
Incentre (I)	$\begin{pmatrix} 0.24 \\ -3.98 \end{pmatrix}$	Point of intersection of BI and CI
Distance	1.24	(I) from BC
Distance	1.24	(I) from AB
Distance	1.24	(I) from AC
Inradius	1.24	Radius of Incircle
\mathbf{D}_3	$\begin{pmatrix} 1.11 \\ -3.11 \end{pmatrix}$	Point of contact of incircle with BC
E ₃	$\begin{pmatrix} -0.005 \\ -5.19 \end{pmatrix}$	Point of contact of incircle with AB
F ₃	$\begin{pmatrix} -1 \\ -3.98 \end{pmatrix}$	Point of contact of incircle with AC
m	1.01	Length of AE ₃
n	4.08	Length of BD ₃
p	2.99	Length of CD_3

TABLE 0 Table 5

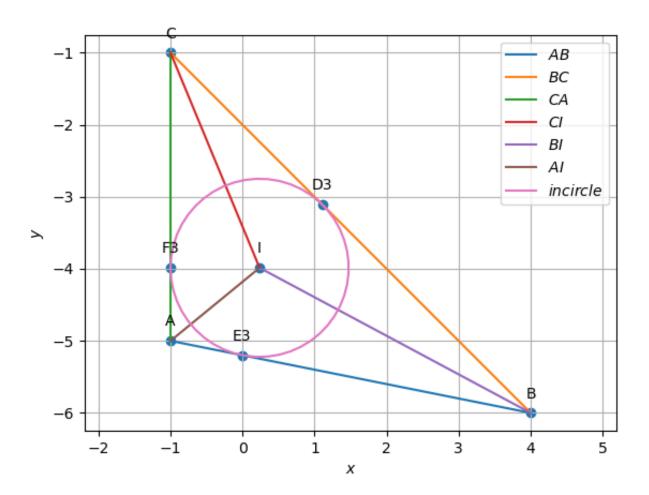


Fig. 0. incircle of triangle ABC with incentre I