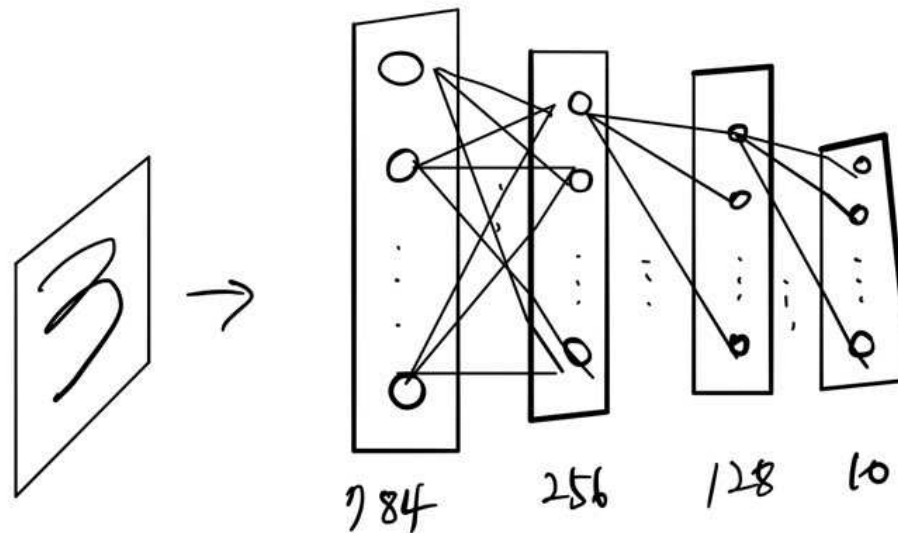


# 심층학습 [실습01] MLP-행렬곱 구현

SW융합학부 양희경

# MLP 를 행렬곱으로 구현하기

- 데이터셋: MNIST
- Multi-layered perceptron (MLP)
  - 2 hidden layers
- Forward propagation



## 1. 라이브러리 импорт

```
1 import numpy as np
2 import matplotlib.pyplot as plt
3 %matplotlib inline
4
5 import torch
6 import torchvision.datasets as dset
7 import torchvision.transforms as transforms
```

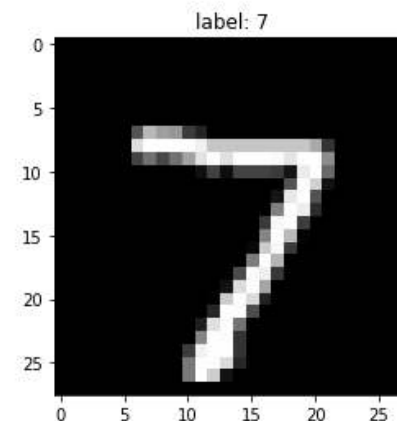
## 2. MNIST test dataset 가져오기

```
1 # "": 현재 폴더에 MNIST 있음
2 mnist_test=dset.MNIST("", train=False,transform=transforms.ToTensor(), #test 용으로 쓰겠다.
3                       target_transform=None, download=True)
```

## 3. 대략적인 데이터 형태

```
1 print "mnist_test 길이:", len(mnist_test)
2
3 # 데이터 하나 형태
4 image, label = mnist_test.__getitem__(0) # 0번째 데이터
5 print "image data 형태:", image.size()
6 print "label: ", label
7
8 # 그리기
9 img = image.numpy() # image 타입을 numpy 로 변환 (1,28,28)
10 plt.title("label: %d" %label )
11 plt.imshow(img[0], cmap='gray')
12 plt.show()
```

mnist\_test 길이: 10000  
image data 형태: torch.Size([1, 28, 28])  
label: 7



## 4. sigmoid, softmax 함수 구현

$$g(z) = \frac{1}{1+e^{-z}}$$

```
1 def sigmoid(x):
```

```
2
```

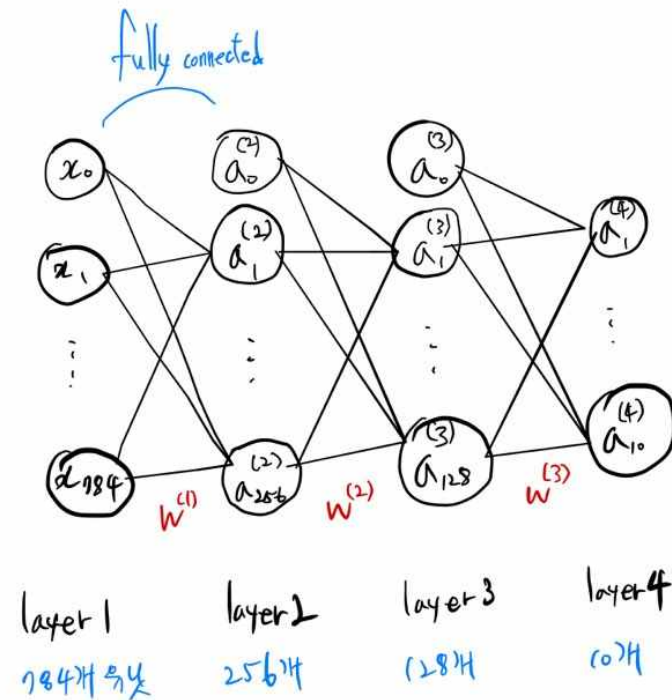
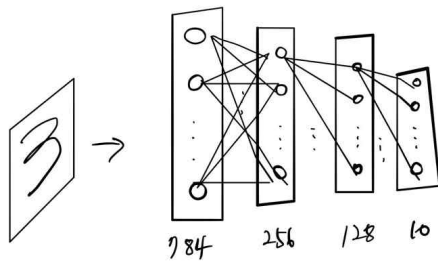
$$\text{softmax}(x)_i = \frac{e^{x_i}}{\sum_j e^{x_j}}$$

```
1 def softmax(x):
```

```
2
```

```
3
```

## 5. 모델 선언



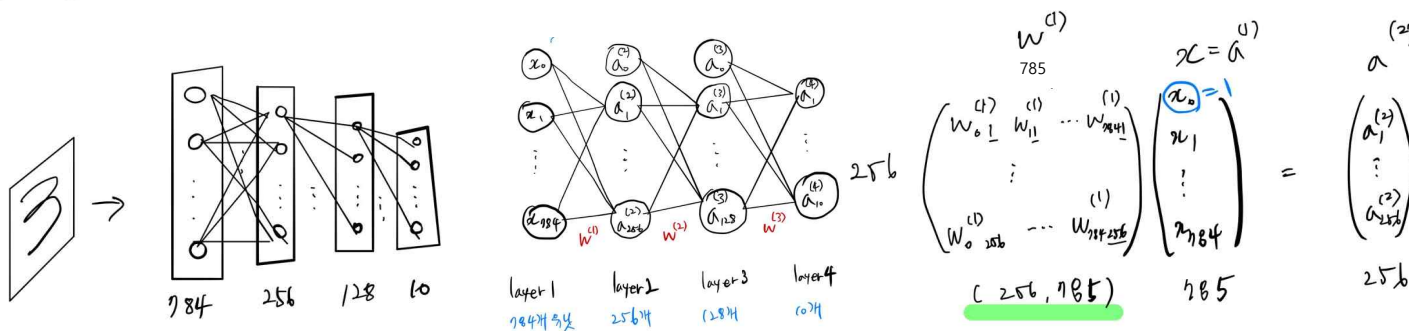
Q.  $w^{(1)}$ ,  $w^{(2)}$ ,  $w^{(3)}$  외  
행렬의 형태는?

## 5. 모델 선언

```

1 # Multi-layered perceptron
2 # # of units in each layer: 28*28 - 256 - 128 - 10
3 class MyMLP:
4     def __init__(self, n_input, n_hidden1, n_hidden2, n_output):
5         #  $W^{(1)}$ : layer1  $\rightarrow$  layer2 에 매핑되는 Weight
6         self.W1 = np.zeros((n_hidden1, n_input), dtype=np.float32) #  $W1(256, 28*28)$ 
7         self.b1 = np.zeros((n_hidden1, ), dtype=np.float32)
8
9         self.W2 = np.zeros((n_hidden2, n_hidden1), dtype=np.float32) #  $W2(128, 256)$ 
10        self.b2 = np.zeros((n_hidden2, ), dtype=np.float32)
11
12        self.W3 = np.zeros((n_output, n_hidden2), dtype=np.float32) #  $W3(10, 128)$ 
13        self.b3 = np.zeros((n_output, ), dtype=np.float32) #  $b3$ 
14
15    def __call__(self, x):
16        #  $(1, 28, 28) \rightarrow (28*28)$ 
17        x = x.reshape(-1) # 일렬로 펴기
18
19        h1 = sigmoid(np.dot(self.W1, x) + self.b1) #  $W1(256, 28*28), x(28*28), b1(256) \rightarrow h1(256)$ 
20        h2 = np.dot(self.W2, h1) + self.b2 #  $W2(128, 256), h1(256), b2(128) \rightarrow h2(128)$ 
21        out = np.dot(self.W3, h2) + self.b3 #  $W3(10, 128), h2(128), b3(10) \rightarrow out(10)$ 
22
23    return softmax(out) # (10)

```



## 6. 모델 생성

```
1 model = MyMLP(28*28, 256, 128, 10)
```

```
1 print model.W1.shape, model.b1.shape  
2 print model.W2.shape, model.b2.shape  
3 print model.W3.shape, model.b3.shape
```

(256, 784) (256,)

(128, 256) (128,)

(10, 128) (10,)

## 7. 미리 학습된 weight 로드

```
1 weights = np.load('./nets/mlp_weight.npz')
2 model.W1 = weights['W1']
3 model.b1 = weights['b1']
4 model.W2 = weights['W2']
5 model.b2 = weights['b2']
6 model.W3 = weights['W3']
7 model.b3 = weights['b3']
8
9 print model.W1.shape, model.b1.shape
10 print model.W2.shape, model.b2.shape
11 print model.W3.shape, model.b3.shape
```

```
(256, 784) (256,)
(128, 256) (128,)
(10, 128) (10,)
```

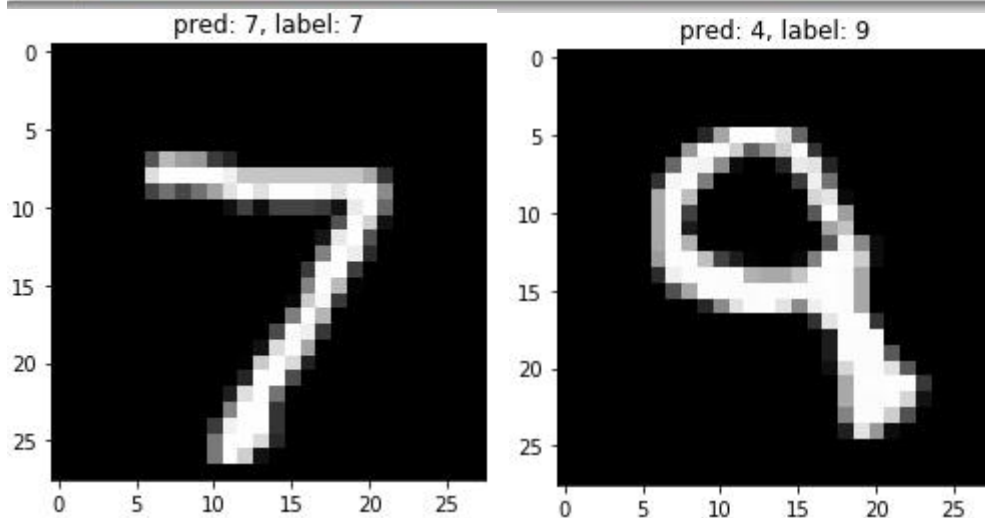


## 8. 테스트

```

1 mysum = 0
2
3 m = len(mnist_test)
4 cnt = 0
5 for i in range(m):
6     image, label = mnist_test.__getitem__(i) # 0번째 데이터
7     output = model(image)
8
9     if (i%1000==0):
10        img = image.numpy() # image 타입을 numpy로 변환 (1,28,28)
11        pred_label = np.argmax(output)
12        plt.title("pred: %d, label: %d" % (pred_label, label))
13        plt.imshow(img[0], cmap='gray')
14        plt.show()
15
16    cnt += 1
17    mysum += (np.argmax(output) == label)
18 print "정확도: %.2f" % (float(mysum) / cnt) * 100.0

```



정확도: 91.91

## 오늘의 과제

- '[실습01] MLP-행렬곱 구현' 를 실습한다.
  - Sigmoid, softmax 함수 구현 포함
  - P.3 ~ 9
- HTML 파일을 다운받아 e-campus 에 제출한다.
- 마감: e캠퍼스 참조