

부록 실습문제 해답

실습문제 해답 2.1

- 1.7
- 2.10
- 3, 2,5000
- 4. 17
- 5, 7,8154
- 6, 4, 1955
- 7. 12.9600
- 8.5
- 9. 2.2361
- 10. -1

실습문제 해답 2.2

- 1. test is a valid name.
- 2. Test is a valid name, but is a different variable from test.
- 3. if is not allowed. It is a reserved keyword.
- 4. my-book is not allowed because it contains a hyphen.
- 5. my book is a valid name
- 6. Thisisoneverylongnamebutisitstillallowed? is not allowed because it includes a question mark. Even without the question mark, it is not a good idea.
- 7. 1stgroup is not allowed because it starts with a number.

- 8. group one is a valid name.
- 9. zzaAbc is a valid name, although it's not a very good one because it combines uppercase and lowercase letters and is not meaningful.
- 10. z34wAwy%12# is not valid because it includes the percent and pound signs.
- 11. sin is a valid name, but a poor choice since it is also a function name.
- 12. log is a valid name, but a poor choice since it is also a function name.

실습문제 해답 2.3

- 1.6
- 2, 72
- 3. 16
- 4. 13
- 5.48
- 6. 38.5
- 7, 4096
- 8. 2.4179×10^{24}
- 9, 245
- 10, 2187
- 11, 1
- 12, 7,5
- 13. 41.6667
- 14. 25.5
- 15, 135

실습문제 해답 2.4

1.
$$a = [2.35.89]$$

$$0.7457 - 0.4646 0.4121$$

$$3. a + 3$$

$$4. b = [5.2 \ 3.14 \ 2]$$

```
ans =
      7,5000 8,9400 11,0000
6. a.* b
  ans =
      11,9600 18,2120 18,0000
7. a.^2
  ans =
       5,2900 33,6400 81,0000
8. c = 0.10 \text{ or}
  c = [0:10]
9. d = 0.2.10 or
  d = [0:2:10]
10. linspace(10, 20, 6)
  ans =
10 12 14 16 18 20
11. logspace(1, 2, 5)
  ans =
       10,0000 17,7828 31,6228 56,2341 100,0000
```

- In the command window, type help cos help sqrt help exp
- Select Help MATLAB Help from the menu bar.
 Use the left—hand pane to navigate to either Functions Categorical List or Functions Alphabetical List
- 3. Select Help Web Resources The Mathworks Web Site

실습문제 해답 3.2

1.
$$x = -2:1:2$$

 $x = -2 -1 0 1 2$
 $abs(x)$
ans =

```
2\ 1\ 0\ 1\ 2
  sqrt(x)
  ans =
       0 \, + \, 1.4142i \; 0 \, + \, 1.0000i \; 0 \; 1.0000 \; 1.4142
2. a. sqrt(-3)
  ans =
       0 + 1.7321i
  sqrt(3)
  ans =
       1,7321
  b. nthroot(-3,2)
       ??? Error using = = > nthroot at 33
       If X is negative, N must be an odd integer.
       nthroot(3,2)
       ans =
        1,7321
  c. -3^{(1/2)}
       ans =
        -1.7321
       3^{(1/2)}
       ans =
       1,7321
3. x = -9:3:12
  _{\rm X} =
       -9 -6 -3036912
  rem(x,2)
  ans =
       -10 - 101010
4. \exp(x)
  ans =
       1.0e + 005*
  0.0000\ 0.0000\ 0.0000\ 0.0000\ 0.0002\ 0.0040\ 0.0810\ 1.6275
5 \cdot \log(x)
  ans =
       Columns 1 through 4
       2.1972 + 3.1416i \cdot 1.7918 + 3.1416i \cdot 1.0986 + 3.1416i - Inf Columns 5
       through 8
       1,0986 1,7918 2,1972 2,4849
```

```
\begin{array}{l} \log 10(x) \\ \mathrm{ans} = \\ \mathrm{Columns} \ 1 \ \mathrm{through} \ 4 \\ \mathrm{0.9542} \ + \ 1.3644 \mathrm{i} \ 0.7782 \ + \ 1.3644 \mathrm{i} \ 0.4771 \ + \ 1.3644 \mathrm{i} \ - \mathrm{Inf} \\ \mathrm{Columns} \ 5 \ \mathrm{through} \ 8 \\ \mathrm{0.4771} \ 0.7782 \ 0.9542 \ 1.0792 \\ 6. \ \mathrm{sign}(x) \\ \mathrm{ans} = \\ \mathrm{-1} \ -1 \ -1 \ 0 \ 1 \ 1 \ 1 \ 1 \\ 7. \ \mathrm{format} \ \mathrm{rat} \\ \mathrm{x/2} \\ \mathrm{ans} = \\ \mathrm{-9/2} \ -3 \ -3/2 \ 0 \ 3/2 \ 3 \ 9/2 \ 6 \end{array}
```

1. factor(322)

```
ans =
      2 7 23
2. gcd(322,6)
  ans =
      2
3. isprime(322)
  ans =
      0 Because the result of isprime is the number 0, 322 is not a prime
      number.
4. length(primes(322))
  ans =
      66
5. rats(pi)
  ans =
      355/113
6. factorial(10)
  ans =
      3628800
7. nchoosek(20,3)
  ans =
      1140
```

```
실습문제 해답 3.4
  1. theta = 3*pi;
     sin(2*theta)
     ans =
     -7.3479e - 016
  2. theta = 0:0.2*pi:2*pi;
     cos(theta)
     ans =
         Columns 1 through 7
         1.0000\ 0.8090\ 0.3090\ -0.3090\ -0.8090\ -1.0000\ -0.8090
         Columns 8 through 11
         -0.3090\ 0.3090\ 0.8090\ 1.0000
  3. asin(1)
     ans =
         1,5708 This answer is in radians.
  4. x = -1:0.2:1;
     acos(x)
     ans =
         Columns 1 through 7
         3.1416 2.4981 2.2143 1.9823 1.7722 1.5708 1.3694
         Columns 8 through 11
         1.1593 0.9273 0.6435 0
  5. \cos(45*\text{pi}/180)
     ans =
         0.7071
     \cos d(45)
     ans =
         0.7071
  6. asin(0.5)
     ans =
         0.5236 This answer is in radians. You could also find the result in
         degrees.
     asind(0.5)
     ans =
         30,0000
  7. csc(60*pi/180)
     ans =
         1.1547
```

```
or
cscd(60)
ans =
1.1547
```

```
실습문제 해답 3.5
  x = [4\ 90\ 85\ 75; 2\ 55\ 65\ 75; 3\ 78\ 82\ 79; 1\ 84\ 92\ 93];
  1 \max(x)
     ans =
         4 90 92 93
  2. [maximum, row] = max(x)
     maximum =
         4 90 92 93
     row =
         1144
  3. \max(x')
     ans =
         90 75 82 93
  4. [maximum, column]=max(x')
     maximum =
         90 75 82 93
     column =
         2 4 3 4
  5. \max(\max(x))
     ans =
```

```
실습문제 해답 3.6

x = [4 90 85 75; 2 55 65 75; 3 78 82 79;1 84 92 93];

1. mean(x)

ans =

2.5000 76.7500 81.0000 80.5000

2. median(x)

ans =
```

10 93

```
2,5000 81,0000 83,5000 77,0000
3. mean(x')
  ans =
      63,5000 49,2500 60,5000 67,5000
4. median(x')
  ans =
      80,0000 60,0000 78,5000 88,0000
5. \mod(x)
  ans =
      1 55 65 75
6. mean(mean(x))
  ans =
      60.1875
  or
  mean(x(:))
  ans =
      60.1875
```

```
실습문제 해답 3.7
  x = [4 90 85 75; 2 55 65 75; 3 78 82 79; 1 84 92 93];
  1. size(x)
     ans =
         4 4
  2. sort(x)
     ans =
         1 55 65 75
         2 78 82 75
         3 84 85 79
         4 90 92 93
  3. sort(x,'descend')
     ans =
         4 90 92 93
         3 84 85 79
         2 78 82 75
         1 55 65 75
  4. \text{ sortrows}(x)
     ans =
```

```
1 84 92 93
2 55 65 75
3 78 82 79
4 90 85 75
5. sortrows(x, -3)
ans =
12
1 84 92 93
4 90 85 75
3 78 82 79
2 55 65 75
```

실습문제 해답 3.9

```
1, rand(3)

ans =

0.9501 0.4860 0.4565

0.2311 0.8913 0.0185

0.6068 0.7621 0.8214

2, randn(3)

ans =

-0.4326 0.2877 1.1892

-1.6656 -1.1465 -0.0376
```

```
0.1253\ 1.1909\ 0.3273
3. x = rand(100.5);
4. \max(x)
  ans =
       0.9811 0.9785 0.9981 0.9948 0.9962
  std(x)
  ans =
       0.2821\ 0.2796\ 0.3018\ 0.2997\ 0.2942
  var(x)
  ans =
       0.0796\ 0.0782\ 0.0911\ 0.0898\ 0.0865
  mean(x)
  ans =
       0.4823 0.5026 0.5401 0.4948 0.5111
5. x = randn(100.5);
6. max(x)
  ans =
       2.6903 2.6289 2.7316 2.4953 1.7621
  std(x)
  ans =
       0.9725\ 0.9201\ 0.9603\ 0.9367\ 0.9130
  var(x)
  ans =
       0.9458\ 0.8465\ 0.9221\ 0.8774\ 0.8335
  mean(x)
  ans =
       -0.0277\ 0.0117\ -0.0822\ 0.0974\ -0.1337
```

```
1. A = 1+i

A = 1.0000 + 1.0000i

B = 2-3i

B = 2.0000 - 3.0000i

C = 8+2i

C = 8+2i
```

```
8.0000 + 2.0000i
2. imagD = [-3.8, -16];
  realD = [2,4,6];
  D = complex(realD,imagD)
  ans =
      2.0000 - 3.0000i \ 4.0000 + 8.0000i \ 6.0000 - 16.0000i
3. abs(A)
  ans =
      1,4142
  abs(B)
  ans =
      3,6056
  abs(C)
  ans =
      8,2462
  abs(D)
  ans =
      3.6056\ 8.9443\ 17.0880
4. angle(A)
  ans =
      0.7854
  angle(B)
  ans =
      -0.9828
  angle(C)
  ans =
      0.2450
  angle(D)
  ans =
      -0.9828 \ 1.1071 \ -1.2120
5. conj(D)
  ans =
      2.0000 + 3.0000i \ 4.0000 - 8.0000i \ 6.0000 + 16.0000i
6. D'
  ans =
      2.0000 + 3.0000i
      4.0000 - 8.0000i
      6.0000 + 16.0000i
```

```
1. clock
  ans =
      1.0e+003 *
       2.0080\ 0.0050\ 0.0270\ 0.0160\ 0.0010\ 0.0220
2. date
  ans =
       27 - \text{May} - 2008
3. a. factorial(322)
       ans =
       Inf
  b. 5*10^500
       ans =
       Inf
  c. 1/5*10^500
       ans =
       Inf
  d. 0/0
       Warning: Divide by zero.
       ans =
       NaN
```

실습문제 해답 4.1

```
c = [22;17;4]
c =
 22
 17
 4
1. x1 = a(1,2)
 x1 =
 17
2. x2 = b(:3)
 x2 =
    3
    3
     6
3. x3 = b(3.1)
 x3 =
   2 4 6
4. x4 = [b(1,1), b(2,2), b(3,3)]
 _{\rm X4} =
  5 2 6
5. x5 = [a(1:3);b]
 x5 =
    12 17 3
    583
    123
     2 4 6
6. x6 = [c,b;a]
 x6 =
    22 5 8 3
    17 1 2 3
    4246
    12 17 3 6
7. x7 = b(8)
 x7 =
     3
8. x8 = b(:)
 x8 =
     5
     1
```

```
2
8
2
4
19
3
3
6
```

실습문제 해답 4.2

```
1. length = [1, 3, 5];
  width = [2,4,6,8];
  [L,W] = meshgrid(length,width);
  area = L.*W
  area =
       2 6 10
       4 12 20
       6 18 30
       8 24 40
2. \text{ radius} = 0.3.12;
  height = 10:2:20;
  [R,H] = meshgrid(radius, height);
  volume = pi*R.^2.*H
  volume =
  1.0e+003 *
       0 0.2827 1.1310 2.5447 4.5239
       0 0.3393 1.3572 3.0536 5.4287
       0\ 0.3958\ 1.5834\ 3.5626\ 6.3335
       0\ 0.4524\ 1.8096\ 4.0715\ 7.2382
       0\ 0.5089\ 2.0358\ 4.5804\ 8.1430
       0\ 0.5655\ 2.2619\ 5.0894\ 9.0478
```

```
실습문제 해답 4.3
  1. zeros(3)
     ans =
         0 0 0
         000
         0 0 0
  2. zeros(3,4)
     ans =
         0000
         0\ 0\ 0\ 0
         0000
  3. ones(3)
     ans =
         111
         111
         111
  4. ones(5,3)
     ans =
         111
         111
         111
         111
         111
  5. ones(4,6)*pi
     ans =
         3.1416\ 3.1416\ 3.1416\ 3.1416\ 3.1416\ 3.1416
         3.1416 3.1416 3.1416 3.1416 3.1416 3.1416
         3.1416 3.1416 3.1416 3.1416 3.1416 3.1416
         3.1416 3.1416 3.1416 3.1416 3.1416 3.1416
  6. x = [1,2,3];
     diag(x)
     ans =
         100
         0 2 0
         0 0 3
  7. x = magic(10)
     _{\rm X} =
         92 99 1 8 15 67 74 51 58 40
```

```
98 80 7 14 16 73 55 57 64 41
   4 81 88 20 22 54 56 63 70 47
   85 87 19 21 3 60 62 69 71 28
   86\ 93\ 25\ 29\ 61\ 68\ 75\ 52\ 34
   17 24 76 83 90 42 49 26 33 65
   23 5 82 89 91 48 30 32 39 66
   79 6 13 95 97 29 31 38 45 72
   10 12 94 96 78 35 37 44 46 53
   11 18 100 77 84 36 43 50 27 59
a. diag(x)
   ans =
    92 80 88 21 9 42 30 38 46 59
b. diag(fliplr(x))
   ans =
     40 64 63 62 61 90 89 13 12 11
c. sum(x)
   ans =
     sum(x')
   ans =
    sum(diag(x))
   ans =
    505
   sum(diag(fliplr(x)))
   ans =
```

```
1. clear, clc
  x = 0.0.1*pi.2*pi;
  y = \sin(x);
  plot(x,y)
2. title('Sinusoidal Curve')
  xlabel('x values')
  ylabel('sin(x)')
3. figure(2)
```

```
3. figure(2)
  y1 = \sin(x);
  y2 = cos(x);
  plot(x,y1,x,y2)
  title('Sine and
  Cosine Plots')
  xlabel('x values')
  ylabel('y values')
4. figure(3)
  plot(x,y1,'--r',
  x,y2,': g')
  title('Sine and Cosine
  Plots')
  xlabel('x values')
  ylabel('y values')
5. \operatorname{legend}(\sin(x)',\cos(x)')
6. axis([-1,2*pi+1,
   -1.5,1.5
7. figure(4)
  a = cos(x);
  plot(a)
  A line graph is created, with a plotted against the vector index number.
```

```
    subplot(2,1,1)
    x = -1,5:0,1:1,5;
    y = tan(x);
    plot(x,y)
    title('Tangent(x)')
    xlabel('x value')
    subplot(2,1,2)
    y = sinh(x);
    plot(x,y)
    title('Hyperbolic sine of x')
    xlabel('x value')
```

```
ylabel('y value')
6. figure(2)
  subplot(1,2,1)
  plot(x,y)
  title('Tangent(x)')
  xlabel('x value')
  ylabel('y value')
  subplot(1,2,2)
  y = sinh(x);
  plot(x,y)
  title('Hyperbolic
  sine of x')
  xlabel('x value')
  ylabel('y value')
```

```
1. theta = 0:0.01*pi:2*pi;
  r = 5*\cos(4*theta);
  polar(theta,r)
2, hold on
  r = 4*\cos(6*theta);
  polar(theta,r)
  title('Flower Power')
3. figure(2)
  r = 5 - 5*\sin(\text{theta});
  polar(theta,r)
4. figure(3)
  r = sqrt(5^2*cos(2*theta));
  polar(theta3,r)
5. figure(4)
  theta = pi/2:4/5*pi:4.8*pi;
  r = ones(1,6);
  polar(theta,r)
```

```
1. figure(1)
  x = -1:0.1:1;
  y = 5*x+3;
  subplot(2,2,1)
  plot(x,y)
  title('Rectangular Coordinates')
  ylabel('y-axis')
  grid on
  subplot(2,2,2)
  semilogx(x,y)
  title('Semilog x Coordinate System')
  grid on
  subplot(2,2,3)
  semilogy(x,y)
  title('Semilog y Coordinate System')
  ylabel('y-axis')
  xlabel('x-axis')
  grid on
  subplot(2,2,4)
  loglog(x,y)
  title('Log Plot')
  xlabel('x-axis')
  grid on
2. figure(2)
  x = -1:0.1:1;
  y = 3*x.^2;
  subplot(2,2,1)
  plot(x,y)
  title('Rectangular Coordinates')
  ylabel('y-axis')
  grid on
  subplot(2,2,2)
  semilogx(x,y)
  title('Semilog x Coordinate System')
  grid on
  subplot(2,2,3)
  semilogy(x,y)
```

```
title('Semilog y Coordinate System')
  ylabel('y-axis')
  xlabel('x-axis')
  grid on
  subplot(2,2,4)
  loglog(x,y)
  title('Log Plot')
  xlabel('x-axis')
  grid on
3. figure(3)
  x = -1:0.1:1;
  y = 12*exp(x+2);
  subplot(2,2,1)
  plot(x,y)
  title('Rectangular Coordinates')
  ylabel('y-axis')
  grid on
  subplot(2,2,2)
  semilogx(x,y)
  title('Semilog x Coordinate System')
  grid on
  subplot(2,2,3)
  semilogy(x,y)
  title('Semilog y Coordinate System')
  ylabel('y-axis')
  xlabel('x-axis')
  grid on
  subplot(2,2,4)
  loglog(x,y)
  title('Log Plot')
  xlabel('x-axis')
  grid on
4. figure(4)
  x = -1:0.01:1;
  y = 1./x;
  subplot(2,2,1)
  plot(x,y)
  title('Rectangular Coordinates')
```

```
ylabel('y-axis')
grid on
subplot(2,2,2)
semilogx(x,y)
title('Semilog x Coordinate System')
grid on
subplot(2,2,3)
semilogy(x,y)
title('Semilog y Coordinate System')
ylabel('y-axis')
xlabel('x-axis')
grid on
subplot(2,2,4)
loglog(x,y)
title('Log Plot')
xlabel('x-axis')
grid on
```

```
1. fplot(5*t^2,[-3,+3])
  title('5*t^2')
  xlabel('x-axis')
  ylabel('y-axis')
2. fplot(5*sin(t)^2 + t*cos(t)^2,[-2*pi,2*pi])
  title('5*\sin(t)^2 +
  t^*\cos(t)^2
  xlabel('x-axis')
  ylabel('y-axis')
3. fplot('t*exp(t)',[0,10])
  title('t*exp(t)')
  xlabel('x-axis')
  ylabel('y-axis')
4. fplot('log(t) + sin(t)', [0, pi])
  title(\log(t) + \sin(t))
  xlabel('x-axis')
  ylabel('y-axis')
```

실습문제 해답 6.1

Store these functions as separate M-files. The name of the function must be the same as the name of the M-file. You'll need to call these functions either from the command window or from a script M-file. You can't run a function M-file by itself.

```
1. function output = quadratic(x)
  output = x_.^2;
2. function output = one over(x)
  output = \exp(1/x);
3. function output = \sin x \text{ squared}(x)
  output = sin(x_.^2);
4. function result = in to ft(x)
  result = x./12;
5. function result = cal to joules(x)
  result = 4.2.*x;
6. function output = Watts_to_Btu_per_hour(x)
  output = x_*^*3.412;
7. function output = meters to miles(x)
  output = x./1000.*.6214;
8. function output = mph_to_fps(x)
  output = x.*5280/3600;
```

실습문제 해답 6.2

Store these functions as separate M-files. The name of the function must be the same as the name of the M-file.

```
% summation of x and y
  % the matrix dimensions must agree
  output = x+y;
2. function output = z2(a,b,c)
  % finds a.*b.^c
  % the matrix dimensions must agree
  output = a_*b_*^c;
3. function output = z3(w,x,y)
  % finds w.*\exp(x./y)
  % the matrix dimensions must agree
```

1. function output = z1(x,y)

```
output = w_*exp(x_*/y);
4. function output = z4(p,t)
  % finds p./sin(t)
  % the matrix dimensions must agree
  output = p_s/\sin(t);
5. function [a,b]=f5(x)
  a = cos(x);
  b = \sin(x);
6. function [a,b] = f6(x)
  a = 5.*x.^2 + 2;
  b = sqrt(5.*x.^2 + 2);
7. function [a,b] = f7(x)
  a = \exp(x);
  b = \log(x);
8. function [a,b] = f8(x,y)
  a = x + y;
  b = x - y;
9. function [a,b] = f9(x,y)
  a = y_* \exp(x);
  b = x_*exp(y);
```

실습문제 해답 7.1

```
1. b = input('Enter the length of the base of the triangle: ');
```

h = input('Enter the height of the triangle: ');

Area = 1/2*b*h

When this file runs, it generates the following interaction in the command window:

Enter the length of the base of the triangle: 5

Enter the height of the triangle: 4

Area =

10

2. r = input('Enter the radius of the cylinder:');

h = input('Enter the height of the cylinder: ');

Volume = pi*r.^2*h

When this file runs, it generates the following interaction in the command window:

Enter the radius of the cylinder: 2

```
Enter the height of the cylinder: 3
  Volume =
       37,6991
3. n = input('Enter a value of n:')
  vector = 0:n
  When this file runs, it generates the following interaction in the command
  Enter a value of n: 3
  n =
       3
  vector =
       0 1 2 3
4. a = input('Enter the starting value: ');
  b = input('Enter the ending value: ');
  c = input('Enter the vector spacing: ');
  vector = a:c:b
  When this file runs, it generates the following interaction in the command
  window:
  Enter the starting value: 0
  Enter the ending value: 6
  Enter the vector spacing: 2
  vector =
       0\ 2\ 4\ 6
```

실습문제 해답 7.2

```
1. disp('Inches to Feet Conversion Table')
```

2. disp(' Inches Feet')

3. inches = 0:10:120;

feet = inches./12;

table = [inches; feet];

fprintf(' %8.0f %8.2f \text{\text{\text{Wn',table}}}

The resulting display in the command window is

Inches to Feet Conversion Table

Inches	Feet
0	0.00
10	0.83
20	1 67

```
... ...
... ...
100 8.33
110 9.17
120 10.00
```

실습문제 해답 8.1

Use these arrays in the exercises.

```
x = [1 \ 10 \ 42 \ 6]
         5 8 78 23
         56 45 9 13
         23 22 8 9];
   y = [1 \ 2 \ 3; 4 \ 10 \ 12; 7 \ 21 \ 27];
   z = [10\ 22\ 5\ 13];
1. elements_x = find(x>10)
  elements y = find(y>10)
  elements z = find(z>10)
2. [rows_x, cols_x] = find(x>10)
  [rows y, cols y] = find(y>10)
  [rows_z, cols_z] = find(z>10)
3. x(elements x)
  y(elements_y)
  z(elements z)
4. elements x = find(x>10 \& x<40)
  elements_y = find(y>10 & y< 40)
  elements z = find(z>10 \& z<40)
5. [rows x, cols x] = find(x>10 & x<40)
  [rows_y, cols_y] = find(y>10 \& y<40)
  [rows_z, cols_z] = find(z>10 \& z<40)
6. x(elements_x)
  y(elements_y)
  z(elements z)
7. elements x = find((x>0 \& x<10) | (x>70 \& x<80))
  elements y = find((y>0 \& y<10) | (y>70 \& y<80))
  elements z = find((z>0 \& z<10) | (z>70 \& z<80))
8. length x = length(find((x>0 \& x<10) | (x>70 \& x<80)))
```

```
8. length x = length(find((x>0 \& x<10) | (x>70 \& x<80)))
  length y = length(find((y>0 \& y<10) | (y>70 \& y<80)))
  length z = length(find((z>0 \& z<10) | (z>70 \& z<80)))
```

실습문제 해답 8.2

```
1. function output = drink(x)
  if x > 21
      output = 'You can drink';
  else
  output = 'Wait "till you"re older';
  Test your function with the following from the command window or a
  script M-file:
  drink(22)
  drink(18)
2. function output = tall(x)
  if x > = 48
      output = 'You may ride';
  else
      output = 'You're too short';
  end
  Test your function with the following:
  tall(50)
  tall(46)
3. function output = spec(x)
  if x > 5.3 \& x < 5.5
      output = ' in spec';
  else
      output = ' out of spec';
  end
  Test your function with the following
  spec(5.6)
  spec(5.45)
  spec(5.2)
4. function output = metric spec(x)
  if x > = 5.3/2.54 \& x < = 5.5/2.54
      output = ' in spec';
```

```
else
       output = 'out of spec';
  Test your function with the following:
  metric_spec(2)
  metric spec(2.2)
  metric spec(2.4)
5. function output = flight(x)
  if x > 0 & x < 100
       output = 'first stage';
  elseif x < = 170
       output = 'second stage';
  elseif x<260
       output = 'third stage';
  else
       output = 'free flight';
  end
  Test your function with the following:
  flight(50)
  flight(110)
  flight(200)
  flight(300)
```

실습문제 해답 8.3

```
1. year = input('Enter the name of your year in school: ','s');
switch year
case 'freshman'
day = 'Monday';
case 'sophomore'
day = 'Tuesday';
case 'junior'
day = 'Wednesday';
case 'senior'
day = 'Thursday';
otherwise
day = 'I don"t know that year';
end
```

```
disp(['Your finals are on ',day])
2. disp('What year are you in school?')
  disp('Use the menu box to make your selection ')
      choice = menu('Year in School', 'freshman', 'sophomore', 'junior',
      'senior');
      switch choice
        case 1
              day = 'Monday';
        case 2
              day = Tuesday';
        case 3
              day = Wednesday';
        case 4
              day = 'Thursday';
  end
  disp(['Your finals are on ',day])
3. num = input('How many candy bars would you like?');
  switch num
      case 1
        bill = 0.75;
      case 2
        bill = 1.25;
      case 3
        bill = 1.65;
      otherwise
        bill = 1.65 + (num - 3)*0.30;
  end
  fprintf('Your bill is %5.2f ₩n', bill)
```

실습문제 해답 9.1

```
1. inches = 0:3:24;
  for k = 1:length(inches)
       feet(k) = inches(k)/12;
  end
  table = [inches', feet']
2. x = [45,23,17,34,85,33];
  count = 0;
```

```
for k = 1:length(x)
       if x(k) > 30
        count = count + 1;
       end
  end
  fprintf('There are %4.0f values greater than 30 ₩n',count)
3. num = length(find(x>30));
  fprintf('There are %4.0f values greater than 30 ₩n',num)
4. \text{ total} = 0;
  for k = 1:length(x)
       total = total + x(k);
  end
  disp('The total is: ')
  disp(total)
  sum(x)
5. for k = 1:10
  x(k) = 1/k
  end
6. for k = 1:10
  x(k) = (-1)^{k}(k+1)/k
```

실습문제 해답 9.2

```
1. inches = 0:3:24;
    k = 1;
    while k<=length(inches)
        feet(k) = inches(k)/12;
        k = k+1;
    end
    disp(' Inches Feet');
    fprintf(' %8.0f %8.2f \text{\text{Wn',[inches;feet]}})
2.    x = [ 45,23,17,34,85,33];
    k = 1;
    count = 0;
    while k< = length(x)
    if x(k)> = 30;
    count = count +1;
```

```
end
       k=k+1;
  end
  fprintf('There are %4.0f values greater than 30 \text{\text{\text{W}n',count}})
3. count = length(find(x>30))
4. k = 1;
  total = 0;
  while k < = length(x)
       total = total + x(k);
       k = k+1;
  end
  disp(total)
  sum(x)
5. k = 1;
  while(k < 10)
       x(k) = 1/k;
       k = k+1;
  end
  X
6. k = 1;
  while(k < = 10)
       x(k) = (-1)^{(k+1)/k}
       k = k+1;
  end
  Х
```

실습문제 해답 10.1

```
1. A = [1234]
  B = [12\ 20\ 15\ 7]
  dot(A,B)
2. sum(A.*B)
3. price = [0.99, 1.49, 2.50, 0.99, 1.29];
  num = [4, 3, 1, 2, 2];
  total = dot(price,num)
```

```
실습문제 해답 10.2
  1. A = [25; 29; 65];
     B = [25; 29; 65];
     % These cannot be multiplied because the number of
     % columns in A does not equal
     % the number of rows in B
  2. A = [25; 29; 65];
     B = [1 \ 3 \ 12; 5 \ 2 \ 9];
     % Since A is a 3 \times 2 matrix and B is a 2 \times 3 matrix,
     % they can be multiplied
     A*B
     %However, A*B does not equal B*A
     B*A
  3. A = [519; 722];
     B = [85; 42; 89];
     % Since A is a 2 \times 3 matrix and B is a 3 \times 2 matrix.
     % they can be multiplied
     A*B
     %However, A*B does not equal B*A
     B*A
  4. A = [198; 847; 253];
     B = [7;1;5]
     % Since A is a 3 \times 3 matrix and B is a 3 \times 1 matrix.
     % they can be multiplied
     A*B
```

실습문제 해답 10.3

```
1. a. a = magic(3)

inv(magic(3))

magic(3)^-1

b. b = magic(4)

inv(b)

b^-1

c. c = magic(5)

inv(magic(5))
```

% However, B*A won't work

```
magic(5)^{\wedge}-1
2. det(a)
  det(b)
  det(c)
3. A = [1 \ 2 \ 3; 2 \ 4 \ 6; 3 \ 6 \ 9]
  det(A)
  inv(A)
  %Notice that the three lines are just multiples of
  %each other and therefore do not represent %independent equations
```

1. A = [1,4,6; 3, 15, 24; 2, 3,4];B = single(A)C = int8(A)D = uint8(A)2. E = A + B% The result is a single-precision array 3. x = int8(1)y = int8(3) $result1 = x_1/y$ % This calculation returns the integer 0 x = int8(2)result2 = x./y% This calculation returns the integer 1; it appears % that MATLAB rounds the answer 4. intmax('int8') intmax('int16') intmax('int32') intmax('int64') intmax('uint8') intmax('uint16') intmax('uint32')

실습문제 해답 11.1

intmax('uint64') 5. intmin('int8') intmin('int16') intmin('int32') intmin('int64')

```
intmin('uint8')
intmin('uint16')
intmin('uint32')
intmin('uint64')
```

실습문제 해답 11,2

```
    name = 'Holly'
    G = double('g')
        fprintf('The decimal equivalent of the letter g is %5.0f \(\psi n', G\)
        m = 'MATLAB'
        M = char(double(m) - 32)
```

실습문제 해답 11.3

```
1. a = magic(3)

b = zeros(3)

c = ones(3)

x(:,:,1) = a

x(:,:,2) = b

x(:,:,3) = c

2. x(3,2,1)

3. x(2,3,:)

4. x(:,3,:)
```

실습문제 해답 11.4

```
mercury = 3.303e23; % kg

venus = 4.869e24; % kg

earth = 5.976e24; % kg

mars = 6.421e23; % kg

jupiter = 1.9e27; % kg

saturn = 5.69e26; % kg

uranus = 8.686e25; % kg

neptune = 1.024e26; % kg

pluto = 1.27e22 % kg

mass = [mercury, venus, earth, mars, jupiter, saturn, uranus, neptune, pluto]';

newtable = [table, space, num2str(mass)]
```

실습문제 해답 12.1

%or

1. syms x a b c d

```
d = sym('d') %etc
  d =
  d
2 \cdot ex1 = x^2 - 1
  ex1 =
  x^2-1
  ex2 = (x+1)^2
  ex2 =
  (x+1)^2
  ex3 = a*x^2-1
  ex3 =
  a*x^2-1
  ex4 = a*x^2 + b*x + c
  ex4 =
  a*x^2+b*x+c
  ex5 = a*x^3 + b*x^2 + c*x + d
  ex5 =
  a^*x^3+b^*x^2+c^*x+d
  ex6 = sin(x)
  ex6 =
  sin(x)
3. EX1 = sym('X^2 - 1')
```

```
EX1 =
  X^2 - 1
  EX2 = sym('(X + 1)^2)'
  EX2 =
  (X + 1)^2
  EX3 = sym('A*X^2 - 1')
  EX3 =
  A*X ^2 - 1
  EX4 = sym('A*X ^2 + B*X + C')
  EX4 =
  A*X ^2 + B*X + C
  EX5 = sym('A*X ^3 + B*X ^2 + C*X + F')
  EX5 =
  A*X ^3 + B*X ^2 + C*X + F
  EX6 = sym('sin(X)')
  EX6 =
  sin(X)
4. eq1 = sym('x^2=1')
  eq1 =
  x^2 = 1
  eq2 = sym('(x+1)^2=0')
  eq2 =
  (x+1)^2 = 0
  eq3 = sym(' a*x^2=1 ')
  eq3 =
  a*x^2=1
  eq4 = sym('a*x^2 + b*x + c = 0')
  eq4 =
  a^*x^2 + b^*x + c = 0
  eq5 = sym('a*x^3 + b*x^2 + c*x + d = 0')
  eq5 =
  a^*x^3 + b^*x^2 + c^*x + d = 0
  eq6 = sym('sin(x) = 0')
  eq6 =
  sin(x) = 0
5. EQ1 = sym('X^2 = 1')
  EQ1 =
  X^2 = 1
```

$$EQ2 = \text{sym}(' (X + 1)^2 = 0 ')$$

$$EQ2 = (X + 1)^2 = 0$$

$$EQ3 = \text{sym}('A*X ^2 = 1 ')$$

$$EQ3 = A*X ^2 = 1$$

$$EQ4 = \text{sym}('A*X ^2 + B*X + C = 0 ')$$

$$EQ4 = A*X ^2 + B*X + C = 0$$

$$EQ5 = \text{sym}('A*X ^3 + B*X ^2 + C*X + F = 0 ')$$

$$EQ5 = A*X ^3 + B*X ^2 + C*X + F = 0$$

$$EQ6 = \text{sym}(' \sin(X) = 0 ')$$

$$EQ6 = \sin(X) = 0$$

```
Y2 =
  (X^2-1)/(X+1)^2
6. [NUM1,DEN1] = numden(Y1)
  NUM1 =
  (X^2-1)^*(X+1)^2
  DEN1 =
  1
  [NUM2,DEN2] = numden(Y2)
  NUM2 =
  X-1
  DEN2 =
  (X+1)
7. %numden(EQ4)
  %The numben function does not apply to equations,
  %only to expressions
8. a. factor(y1)
    ans =
    (x-1)*(x+1)^3
    expand(y1)
    ans =
    x^{\wedge}4\!+\!2^*x^{\wedge}3\!-\!2^*x\!-\!1
    collect(y1)
    ans =
    x^4+2^*x^3-2^*x-1
    simplify(y1)
    ans =
    (x^2 - 1)(x + 1)^2
  b. factor(y2)
    ans =
    (x-1)/(x+1)
    expand(y2)
    ans =
    x^2/(x^2 + 2^*x + 1) - 1/(x^2 + 2^*x + 1)
    collect(y2)
    ans =
    (x - 1)/(x + 1)
    simplify(y2)
    ans =
```

```
(x - 1)/(x + 1)
  c. factor(Y1)
    ans =
    (X-1)*(X+1)^3
    expand(Y1)
    ans =
    X^4+2^*X^3-2^*X-1
    collect(Y1)
    ans =
    X^4+2*X^3-2*X-1
    simplify(Y1)
    ans =
    (X^2 - 1)^*(X + 1)^2
  d. factor(Y2)
    ans =
    (X-1)/(X+1)
    expand(Y2)
    ans =
    X^2/(X^2 + 2^*X + 1) - 1/(X^2 + 2^*X + 1)
    collect(Y2)
    ans =
    (X - 1)/(X + 1)
    simplify(Y2)
    ans =
    (X - 1)/(X + 1)
9. factor(EX1)
  ans =
  (X-1)^*(X+1)
  expand(EX1)
  ans =
  X^{\wedge}2-1
  collect(EX1)
  ans =
  X^2-1
  simplify(EX1)
  ans =
  X^2 - 1
  factor(EQ1)
```

```
ans =
X^2 = 1
expand(EQ1)
ans =
X^2 = 1
collect(EQ1)
ans =
X^2 = 1
simplify(EQ1)
ans =
X^2 = 1
%
factor(EX2)
ans =
(X+1)^2
expand(EX2)
ans =
X^2+2^*X+1
collect(EX2)
ans =
X^2+2*X+1
simplify(EX2)
ans =
(X + 1)^2
factor(EQ2)
ans =
(X+1)^2 = 0
expand(EQ2)
ans =
X^2+2^*X+1 == 0
collect(EQ2)
ans =
X^2+2^*X+1=0
simplify(EQ2)
ans =
X = = -1
```

```
1. solve(ex1)
  ans =
  1
  -1
  solve(EX1)
  ans =
  1
  -1
  solve(eq1)
  ans =
  1
  -1
  solve(EQ1)
  ans =
  1
  -1
2. solve(ex2)
  ans =
  -1
  -1
  solve(EX2)
  ans =
  -1
  -1
  solve(eq2)
  ans =
  -1
  -1
  solve(EQ2)
  ans =
  -1
  -1
3. a. solve(ex3,x)
    ans =
    1/a^{(1/2)}
    -1/a^{(1/2)}
    solve(eq3,a)
```

```
ans =
     1/x^2
  b. solve(eq3,x)
     ans =
     1/a^{(1/2)}
     -1/a^{(1/2)}
     solve(ex3,a)
     ans =
     1/x^2
4. a. solve(EX3,'X')
     ans =
     1/A^{(1/2)}
     -1/A^{(1/2)}
     solve(EX3,'A')
     ans =
     1/X^2
  b. solve(EQ3,'X')
     ans =
     1/A^{(1/2)}
     -1/A^{(1/2)}
     solve(EQ3,'A')
     ans =
     1/X^2
5. a. solve(ex4,x)
     ans =
     -(b + (b^2 - 4*a*c)^(1/2))/(2*a)
     -(b - (b^2 - 4^*a^*c)^(1/2))/(2^*a)
     solve(ex4,a)
     ans =
     -(c + b*x)/x^2
      a. solve(eq4,x)
     ans =
     -(b + (b^2 - 4*a*c)^(1/2))/(2*a)
     -(b - (b^2 - 4^*a^*c)^(1/2))/(2^*a)
     solve(eq4,a)
     ans =
     -(c + b*x)/x^2
6. a. solve(EX4,'X')
```

```
ans =
                                   -(B + (B^2 - 4^*A^*C)^(1/2))/(2^*A)
                                    -(B - (B^2 - 4^*A^*C)^(1/2))/(2^*A)
                                  solve(EX4.'A')
                                  ans =
                                  -(C + B*X)/X^2
                b. solve(EQ4,'X')
                                  ans =
                                   -(B + (B^2 - 4^*A^*C)^(1/2))/(2^*A)
                                   -(B - (B^2 - 4^*A^*C)^(1/2))/(2^*A)
                                  solve(EQ4,'A')
                                  ans =
                                  -(C + B*X)/X^2
7. solve(ex5,x)
                ans =
                   1/6/a*(36*c*b*a-108*d*a^2-8*b^3+12*3^(1/2)*(4*c^3*a-c^2*b^2-6*b^3+12*3^2)
                   18*c*b*a*d+27*d^2*a^2+4*d*b^3)^(1/2)*a)^(1/3)-2/3*(3*c*a-b^2)/a/2
                 (36*c*b*a-
                   108*d*a^2 - 8*b^3 + 12*3^(1/2)*(4*c^3*a - c^2*b^2 - c^3*a - c^3*b^3 - c^3*a 
                 18^{\circ}c^{\circ}b^{\circ}a^{\circ}d + 27^{\circ}d^{\circ}2^{\circ}a^{\circ}2 + 4^{\circ}d^{\circ}b^{\circ}3)^{\circ}(1/2)^{\circ}a)^{\circ}(1/3) - 1/3^{\circ}b/a - 1/12/3^{\circ}b
                 a*(36*c*b*a-
                   108*d*a^2 - 8*b^3 + 12*3^(1/2)*(4*c^3*a - c^2*b^2 - c^3*a - c^3*b^3 - c^3*a 
                 18*c*b*a*d+27*d^2*a^2+4*d*b^3)^(1/2)*a)^(1/3)+1/3*(3*c*a-b^2)/a/2
                   (36*c*b*a-
                   108*d*a^2 - 8*b^3 + 12*3^(1/2)*(4*c^3*a - c^2*b^2 - c^2*b^3 - c^3*a^2 - c^2*b^3 - c^3*a^2 - c^2*b^3 - c^3*a^2 - c^
                 18^*c^*b^*a^*d + 27^*d^2a^2 + 4^*d^*b^3(1/2)^*a^{(1/3)} -
                 1/3*b/a + 1/2*i*3^{(1/2)}*(1/6/a*(36*c*b*a - 108*d*a^2 -
                 8*b^3+12*3^(1/2)*(4*c^3*ac^4)
                 2*b^{\wedge}2 - 18*c*b*a*d + 27*d^{\wedge}2*a^{\wedge}2 + 4*d*b^{\wedge}3)^{\wedge}(1/2)*a)^{\wedge}(1/3) + 2/3*(3*c*ab^{\wedge}2)^{\wedge}(1/2)*a
                 2)/a/(36*c*b*a-108*d*a^2-8*b^3+12*3^(1/2)*(4*c^3*a-c^2*b^2-12*a^2)
                 18*c*b*a*d+27*d^2*a^2+4*d*b^3)(1/2)*a)(1/3))-1/12/a*(36*c*b*a-1)
                   108*d*a^2−
                 8*b^3+12*3^(1/2)*(4*c^3*a-c^2*b^2-
                   18*c*b*a*d+27*d^2*a^2+4*d*b^3)^(1/2)*a)^(1/3)+1/3*(3*c*a-b^2)/a/
                   (36*c*b*a-
                   108^*d^*a^2 - 8^*b^3 + 12^*3^(1/2)^*(4^*c^3^*a - c^2^*b^2 - c^3)
                   18*c*b*a*d+27*d^2*a^2+4*d*b^3)(1/2)*a)(1/3)-1/3*b/a-
                   1/2*i*3^{(1/2)}*(1/6/a*(36*c*b*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*d*a^2-8*b^3+12*3^{(1/2)}*(4*c^3*a-108*a^2-8*b^3+12*5^{(1/2)}*(4*c^3*a-108*a^2-8*b^3+12*a^2-8*b^3+12*a^2-8*b^3+12*a^2-8*b^3+12*a^2-8*b^3+12*a^2-8*
```

```
c^2*b^2-
  18^*c^*b^*a^*d + 27^*d^2a^2 + 4^*d^*b^3(1/2)^*a(1/3) + 2/3^*(3^*c^*a - b^2)/a/a
   (36*c*b*a60
  108*d*a^2 - 8*b^3 + 12*3^(1/2)*(4*c^3*a - c^2*b^2 - c^3*a - c^3)
  18^*c^*b^*a^*d + 27^*d^2^*a^2 + 4^*d^*b^3)(1/2)^*a)(1/3)
  % Clearly this is too complicated to memorize
8. solve(ex6)
  ans =
  0
  solve(EX6)
  ans =
  0
  solve(eq6)
  ans =
  solve(EQ6)
  ans =
  0
```

```
1. coef = [5 6 - 3; 3 - 3 2; 2 - 4 - 12];
  result =[10; 14; 24];
  x = inv(coef)*result
  % or
  x = coef Wresult
  _{\rm X} =
       3,5314
       -1.6987
       -0.8452
2. A1 = sym('5*x + 6*y - 3*z = 10');
  A2 = \text{sym}('3*x - 3*y + 2*z = 14');
  A3 = \text{sym}('2*x - 4*y - 12*z = 24');
  A = solve(A1, A2, A3)
  A =
       x: [1x1 sym]
      y: [1x1 sym]
       z: [1x1 sym]
```

```
3. A.x
  ans =
  844/239
  A.y
  ans =
  -406/239
  A_{\cdot}z
  ans =
  -202/239
  double(A.x)
  ans =
  3,5314
  double(A,y)
  ans =
  -1.6987
  double(A.z)
  ans =
  -0.8452
4. [x,y,z] = solve(A1,A2,A3)
  _{\rm X} =
      844/239
  y =
       -406/239
  z =
       -202/239
5. A1 = sym('5.0*x + 6.0*y - 3.0*z = 10.0');
  A2 = \text{sym}(3.0^*x - 3.0^*y + 2.0^*z = 14.0');
  A3 = sym('2.0*x - 4.0*y - 12.0*z = 24.0');
  A = solve(A1, A2, A3)
  A =
      x: [1x1 sym]
      y: [1x1 sym]
      z: [1x1 sym]
  A.x
  3.5313807531380753138075313807531
  A.y
  ans =
```

```
-1.698744769874476987447699
  A.z
  ans =
  -.84518828451882845188284518828452
6. A = sym('x^2 +5^*y -3^*z^3 =15');
  B = sym('4*x + y^2 - z = 10');
  C = sym('x + y + z = 15');
  [X,Y,Z] = solve(A,B,C)
  X =
  11.560291920108418818149999909102 -
  11.183481663794727000635376340336*i
  ··· lots more numbers—
  Y =
  3.5094002752389020636845577121798 + 6.9732883324603664143501389722123*i
  · · · lots more numbers
  Z =
  -696921953473208818345576212814e-
                              1+4.2101933313343605862852373681236
  *i
  · · · lots more numbers
  double(X)
  ans =
      11.5603 -11.1835i
      10.2173 - 4.7227i
      16.8891 - 4.2178i
      16.8891 + 4.2178i
      10.2173 + 4.7227i
      11.5603 + 11.1835i
      double(Y)
  ans =
      3.5094 + 6.9733i
      1.6407 + 5.5153i
      0.8499 + 7.8114i
      0.8499 - 7.8114i
      1.6407 - 5.5153i
      3.5094 - 6.9733i
  double(Z)
  ans =
```

```
-0.0697 + 4.2102i

3.1420 - 0.7926i

-2.7390 - 3.5936i

-2.7390 + 3.5936i

3.1420 + 0.7926i

-0.0697 - 4.2102i
```

1. eq1

```
eq1 =
  x^2 = 1
  subs(eq1,x,4)
  ans =
  16 = 1
  ex1
  ex1 =
  x^2-1
  subs(ex1,x,4)
  ans =
     15
  EQ1
  EQ1 =
  X^2 = 1
  subs(EQ1,'X',4)
  ans =
  16 = 1
  EX1
  EX1 =
  X^2 - 1
  subs(EX1,'X',4)
  ans =
     15
2. g = symfun(sym('x^2 + sin(x)*x'), sym('x'))
  g(x) =
  x*sin(x) + x^2
  g('a')
```

```
ans = a*\sin(a) + a^2

g(3)

ans = 3*\sin(3) + 9

g([1:5])

ans = [ \sin(1) + 1, 2*\sin(2) + 4, 3*\sin(3) + 9, 4*\sin(4) + 16, 5*\sin(5) + 25]
```

```
실습문제 해답 12.6
  1. ezplot(ex1)
     title('Problem 1')
     xlabel('x')
     ylabel('y')
  2. ezplot(EX1)
     title('Problem 2')
     xlabel('x')
     ylabel('y')
  3. ezplot(ex2,[-10,10])
     title('Problem 3')
     xlabel('x')
     ylabel('y')
  4. ezplot(EX2,[-10,10])
     title('Problem 4')
     xlabel('x')
     ylabel('y')
  5. Equations with only one variable have a single valid value of x; there are
     no x-y pairs.
  6. ezplot(ex6)
     title('Problem 6')
     xlabel('x')
     ylabel('y')
  7. ezplot('cos(x)')
     title('Problem 7')
     xlabel('x')
     ylabel('y')
  8. explot('x^2-y^4 = 5')
```

```
title('Problem 8')
xlabel('x')
ylabel('y')

9. ezplot('sin(x)')
hold on
ezplot('cos(x)')
hold off
title('Problem 9')
xlabel('x')
ylabel('y')

10. ezplot('sin(t)', '3*cos(t)')
axis equal
title('Problem 10')
xlabel('x')
ylabel('y')
```

```
실습문제 해답 12.7
  Z = sym(sqrt(X^2 + Y^2))
  Z =
  \sin(\operatorname{sqrt}(X^2+Y^2))
  1. ezmesh(Z)
     title('Problem 1')
     xlabel('x')
     ylabel('y')
     zlabel('z')
  2. ezmeshc(Z)
     title('Problem 2')
     xlabel('x')
     ylabel('y')
     zlabel('z')
  3. ezsurf(Z)
     title('Problem 3')
     xlabel('x')
     ylabel('y')
     zlabel('z')
  4. ezsurfc(Z)
     title('Problem 4')
```

```
xlabel('x')
   ylabel('y')
   zlabel('z')
5. ezcontour(Z)
   title('Problem 5')
   xlabel('x')
   ylabel('y')
   zlabel('z')
6. ezcontourf(Z)
   title('Problem 6')
   xlabel('x')
   ylabel('y')
   zlabel('z')
7. figure(7)
   ezpolar('x*sin(x)')
   title('Problem 7')
8. t = sym('t');
   x = t;
   y = \sin(t);
   z = \cos(t);
   ezplot3(x,y,z,[0,30])
   title('Problem 8')
   xlabel('x')
   ylabel('y')
   zlabel('z')
```

```
실습문제 해답 12.8

1. diff(sym('x^2+x+1'))
    ans =
    2*x+1
    diff(sym('sin(x)'))
    ans =
    cos(x)
    % or define x as symbolic
    x = sym('x')
    x =
    x
```

```
diff(tan(x))
  ans =
  1+\tan(x)^2
  diff(log(x))
  ans =
  1/x
2. diff(sym('a*x^2 + b*x + c'))
  ans =
  2*a*x+b
  diff(sym('x^0.5 - 3*y'))
  ans =
  .5/x^{\wedge}.5
  diff(sym(tan(x+y)))
  ans =
  1+\tan(x+y)^2
  diff(sym('3*x + 4*y - 3*x*y'))
  ans =
  3 - 3*y
3. % There are several different approaches
  diff(diff(sym('a*x^2 + b*x + c')))
  ans =
  2*a
  diff(sym('x^0.5 - 3*y').2)
  ans =
  -.25/x^{1.5}
  diff(sym(tan(x + y)), x', 2)
  ans =
  2*tan(x+y)*(1+tan(x+y)^2)
  diff(diff(sym('3*x + 4*y - 3*x*y'),'x'))
  ans =
   -3
4. diff(sym('y^2 - 1'), 'y')
  ans =
  2*v
  % or, since there is only one variable
  diff(sym('y^2 - 1'))
  ans =
  2*y
```

```
diff(sym('2*y + 3*x^2'), 'y')
  ans =
  2
  diff(sym('a*y + b*x + c*x'), 'y')
  ans =
  a
5. diff(sym('y^2-1'), 'y', 2)
  ans =
  % or, since there is only one variable
  diff(sym('y^2-1'),2)
  ans =
  diff(diff(sym('2*y + 3*x^2'), 'y'), 'y')
  ans =
  diff(sym('a*y + b*x + c*x'), 'y', 2)
  ans =
  0
```

```
1. int(sym('x^2 + x + 1'))

ans =
(x^*(2^*x^2 + 3^*x + 6))/6
% or define x as symbolic
x = sym('x')
x =
x
int(x^2 + x + 1)
ans =
(x^*(2^*x^2 + 3^*x + 6))/6
int(sin(x))
ans =
-cos(x)
int(tan(x))
```

```
ans =
  -\log(\cos(x))
  int(log(x))
  ans =
  x^*(\log(x) - 1)
2. % you don't need to specify that integration is with
  % respect to x, because it is the default
  int(sym('a*x^2 + b*x + c'))
  ans =
  (a*x^3)/3 + (b*x^2)/2 + c*x
  int(sym('x^0.5 - 3*y'))
  ans =
  int(sym(tan(x+y)))
  ans =
  -\log(\cos(x + y))
  int(sym('3*x + 4*y - 3*x*y'))
  ans =
  (3/2 - (3*y)/2)*x^2 + 4*y*x
3. int(int(x^2 + x + 1))
  ans =
  (x^2*(x^2 + 2*x + 6))/12
  int(int(sin(x)))
  ans =
  -\sin(x)
  int(int(tan(x)))
  ans =
  - (\text{polylog}(2, -\exp(x^2*i))*i)/2 - (x^*(x + \log(\exp(x^2*i) + 1)*2*i)*i)/2
  - x*log(cos(x))
  int(int(log(x)))
  ans =
  (x^2*(2*log(x) - 3))/4
  int(int(sym('a*x^2 + b*x + c')))
  ans =
  (x^2*(a^*x^2 + 2^*b^*x + 6^*c))/12
  int(int(sym('x^0.5 - 3*y')))
  ans =
```

```
int(int(sym(tan(x+y))))
  ans =
  - (\text{polylog}(2, -\exp(x^2*i + y^2*i))*i)/2
  -((x + y)^*(x + y + \log(\exp(x^*2^*i + y^*2^*i) + 1)^*2^*i)^*i)/2
  -\log(\cos(x + y))^*(x + y)
  int(int(sym('3*x + 4*y - 3*x*y')))
  ans =
  (1/2 - y/2)*x^3 + 2*y*x^2
4. int(sym('y^2-1'))
  ans =
  (y^*(y^2 - 3))/3
  int(sym('2*y+3*x^2'),'y')
  ans =
  y^*(3^*x^2 + y)
  int(sym('a*y + b*x + c*z'), 'y')
  ans =
  (a*y^2)/2 + (b*x + c*z)*y
5. int(int(sym('y^2-1')))
  ans =
  (y^2*(y^2 - 6))/12
  int(int(sym('2*y+3*x^2'),'y'),'y')
  ans =
  (v^2*(9*x^2 + 2*v))/6
  int(int(sym('a*y + b*x + c*z'), 'y'), 'y')
  ans =
  (a*y^3)/6 + ((b*x)/2 + (c*z)/2)*y^2
6. int(x^2 + x + 1,0,5)
  ans =
  355/6
  int(sin(x), 0, 5)
  ans =
  1 - \cos(5)
  int(tan(x), 0, 5)
  ans =
  NaN
  int(log(x),0,5)
  ans =
  5*\log(5) - 5
```

실습문제 해답 13.1 1. plot(x,y,'-o')title('Problem 1')

xlabel('x-data')

ylabel('y-data')

grid on

2. interp1(x,y,15)

ans =

34

3. interp1(x,y,15,'spline')

ans =

35,9547

4. interp1(y,x,80)

ans =

39,0909

5. interp1(y,x,80,'spline')

ans =

39,2238

 $6. \text{ new}_x = 10:2:100;$

 $new_y = interp1(x,y,new_x,'spline');$

figure(2)

7. plot(x,y,'o',new_x,new_y)

legend('measured data', 'spline interpolation')

title('Problem 6 and 7')

xlabel('x-data')

ylabel('y-data')

실습문제 해답 13.2

y = 10:10:100';

x = [15, 30];

 $z = [23 \ 33]$

45 55

60 70

82 92

111 121

140 150

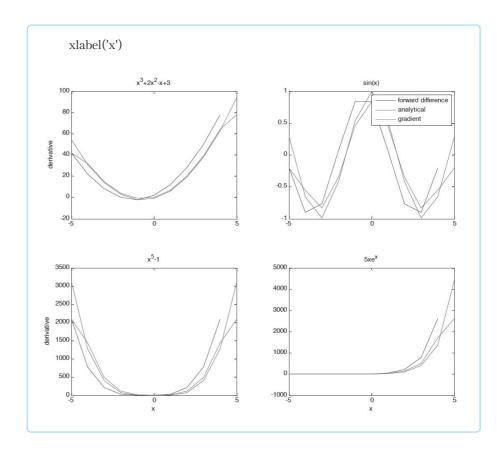
```
167 177
   198
        198
   200 210
   220 230];
1. plot(y,z,'-o')
   title('Problem 1')
   xlabel('y-data')
   ylabel('z-data')
   legend('x=15', 'x=30')
2. \text{ new}_z = \text{interp2}(x, y, z, 15, 20)
   new_z =
       45
3. \text{new}_z = \text{interp2}(x,y,z,15,20,'\text{spline'})
   new_z =
       45
4. \text{new}_z = \text{interp2}(x,y,z,[20,25],y')
   new_z =
       26.3333 29.6667
       48.3333 51.6667
       63.3333 66.6667
       85.3333 88.6667
       114.3333 117.6667
       143.3333 146.6667
       170,3333 173,6667
       198.0000 198.0000
       203.3333 206.6667
       223.3333 226.6667
```

```
x = [10:10:100];
y = [23 \ 33
45 \quad 55
60 \quad 70
82 \quad 92
111 \quad 121
140 \quad 150
167 \quad 177
```

```
198
       198
  200
       210
  220 230]';
1. coef = polyfit(x,y(1,:),1)
  coef =
      2.3224 - 3.1333
2. new x = 10:2:100;
  new_y = polyval(coef, new_x)
  new y =
      Columns 1 through 6
      20.0909\ 24.7358\ 29.3806\ 34.0255\ 38.6703\ 43.3152
      Columns 7 through 12
      47.9600 52.6048 57.2497 61.8945 66.5394 71.1842
      Columns 13 through 18
      75.8291 80.4739 85.1188 89.7636 94.4085 99.0533
      Columns 19 through 24
      103.6982 108.3430 112.9879 117.6327 122.2776 126.9224
      Columns 25 through 30
  131,5673 136,2121 140,8570 145,5018 150,1467 154,7915
      Columns 31 through 36
      159.4364\ 164.0812\ 168.7261\ 173.3709\ 178.0158\ 182.6606
      Columns 37 through 42
      187,3055 191,9503 196,5952 201,2400 205,8848 210,5297
      Columns 43 through 46
      215,1745 219,8194 224,4642 229,1091
3. figure(1)
  plot(x,y(1,:),o',new_x,new_y)
  title ('Problem 3 – Linear Regression Model – z = 15')
  xlabel('x-axis')
  ylabel('y-axis')
4. figure(2)
  coef2 = polyfit(x,y(2,:),1)
  coef2 =
      2,2921 7,5333
  new_y2 = polyval(coef2, new_x);
  plot(x,y(2,:),o',new_x,new_y2)
  title('Problem 4 – Linear Regression Model -z = 30')
  xlabel('x-axis')
  ylabel('y-axis')
```

```
-0.7682
                     -0.4161
                     -0.9900
      -0.8979
      -0.2021
                     -0.6536
         NaN
                       0,2837
b_{x} = -5:1:5;
  y2b = x.^5 - 1;
  dy_dx = diff(y2b)_diff(x);
  dy_dx_analytical2b = 5*x_4;
  table = [[dy dx2b,NaN]',dy dx analytical2b']
  table =
    2101
            3125
     781
            1280
     211
             405
      31
              80
       1
               5
       1
               0
      31
               5
     211
              80
     781
             405
    2101
            1280
    NaN
            3125
c. x = -5:1:5;
  y2c = 5*x.*exp(x);
  dy dx2c = diff(y2c) / diff(x);
  dy_dx_analytical2c=5*exp(x) + 5*x_*exp(x);
  table = [[dy_dx2c,NaN]',dy_dx_analytical2c']
  table =
     1.0e + 003*
     -0.0002
                     -0.0001
     -0.0004
                     -0.0003
                     -0.0005
     -0.0006
                     -0.0007
     -0.0005
                           0
     0.0018
                       0.0050
     0.0136
     0.0603
                       0.0272
     0.2274
                       0.1108
     0.7907
                       0.4017
     2,6184
                       1,3650
     NaN
                       4.4524
```

```
3. dy_dx31 = gradient(y1)
  dy dx31 =
       42\ 32\ 15\ 4\ -1\ 0\ 7\ 20\ 39\ 64\ 78
  dy dx3a = gradient(y2a)
  dy dx3a =
  Columns 1 through 6
       -0.2021 - 0.5500 - 0.8330 - 0.3502 0.4546 0.8415
  Columns 7 through 11
       0.4546 - 0.3502 - 0.8330 - 0.5500 - 0.2021
  dy dx3b = gradient(y2b)
  dy_dx3b =
  Columns 1 through 5
       2101 1441 496 121 16
  Columns 6 through 11
       1 16 121 496 1441 2101
  dy_dx3c = gradient(y2c)
  dy dx3c =
  1.0e + 003 *
  Columns 1 through 6
       -0.0002 -0.0003 -0.0005 -0.0005 0.0007 0.0077
  Columns 7 through 11
       0.0369 0.1438 0.5090 1.7045 2.6184
4. \text{ subplot}(2,2,1)
  plot(x',[[dy dx1,NaN]',dy dx analytical1',dy dx31'])
  title('x^3+2x^2-x+3')
  ylabel('derivative')
  subplot(2,2,2)
  plot(x',[[dy_dx2a,NaN]',dy_dx_analytical2a',dy_dx3a'])
  title(sin(x))
  legend('forward difference', 'analytical', 'gradient')
  subplot(2,2,3)
  plot(x',[[dy_dx2b,NaN]',dy_dx_analytical2b',dy_dx3b'])
  title('x^5-1')
  xlabel('x')
  ylabel('derivative')
  subplot(2,2,4)
  plot(x',[[dy_dx2c,NaN]',dy_dx_analytical2c',dy_dx3c'])
  title('5xe^x')
```



1.
$$x=linspace(-1,1,11);$$

 $y = x.^3 + 2*x.^2 - x + 3;$
 $trapz(x,y)$
ans =
7.36
 $quad('x.^3+2*x.^2-x+3',-1,1)$
ans =
7.3333
 $quadl('x.^3+2*x.^2-x+3',-1,1)$
ans =
7.3333
 $double(int(sym('x^3+2*x^2-x+3'),-1,1))$
ans =
7.3333
 $double(int(sym('x^3+2*x^2-x+3'),-1,1))$
ans =
7.3333
 $a = -1;$

```
b = 1;
  1/4*(b^4-a^4)+2/3*(b^3-a^3)-1/2*(b^2-a^2)+3*(b-a)
      7,3333
2. a. y = \sin(x);
    trapz(x,y)
    ans =
        2.7756e-17
    quad(sin(x), -1, 1)
    ans =
        0
    quadl(sin(x), -1, 1)
    ans =
        0
    double(int(sym('sin(x)'), -1, 1))
        0
    a = -1;
    b = 1;
    \cos(b) - \cos(a)
    ans =
        0
  b. y = x.^5 - 1;
     trapz(x,y)
     ans =
        -2
     quad('x.^5-1',-1,1)
     ans =
        -2
     quadl('x.^5-1',-1,1)
     ans =
        -2.0000
     double(int(sym('x^5-1'), -1, 1))
     ans =
     -2
        a = -1;
     b = 1;
     (b^6-a^6)/6-(b-a)
```

```
ans =
     -2
c. y = 5*x.*exp(x);
  trapz(x,y)
  ans =
     3,7693
  quad('5*x.*exp(x)', -1, 1)
  ans =
     3,6788
  quadl('5*x.*exp(x)', -1,1)
  ans =
     3,6788
  double(int(sym('5*x*exp(x)'), -1,1))
  ans =
     3.6788
  a = -1;
  b = 1;
  -5*(\exp(b)-\exp(a)) + 5*(b*\exp(b)-a*\exp(a))
  ans =
     3,6788
```