

# Erasure Codes in Software

With applications for Online Gaming

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# Overview

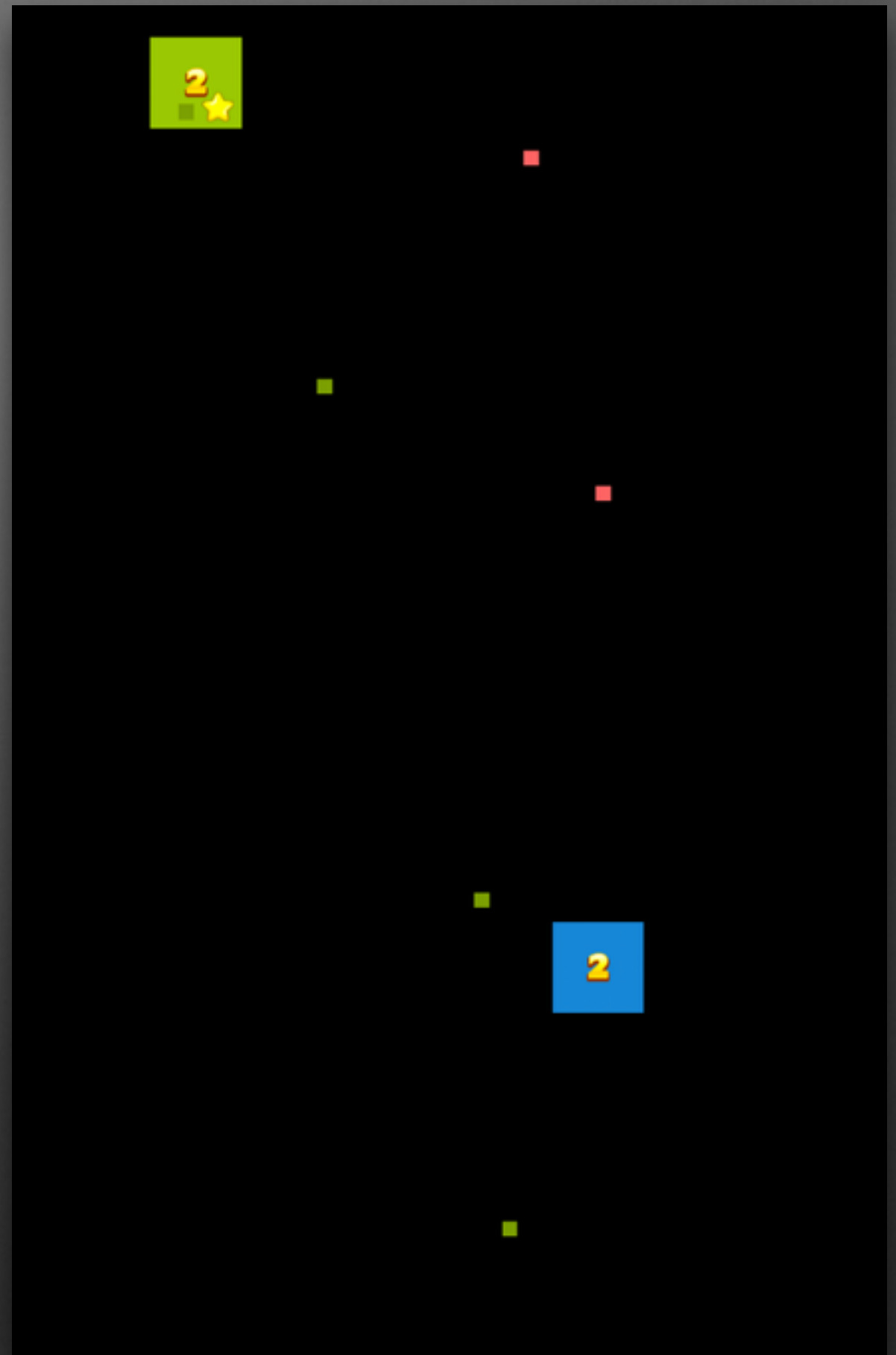
- Erasure codes in software are fast with low-overhead
- Advantages of using erasure codes in online games:
  - > 50% faster delivery over UDP than over TCP
  - > 50% less bandwidth used than naive redundancy
  - > 50% better recovery rate than parity redundancy
- Improves the experience for multiplayer mobile apps

# Squares Android Game

<http://dkop.us/squares.apk>

(built with the Game Closure DevKit)

See: “Realtime Multiplayer Game”  
Think: “Low-Latency”



# Game Packet Types

- **Unordered, Unreliable (UDP)**
  - Example: Time synchronization
  - Loss recovery? Not desired.
- **Ordered, Unreliable (UDP)**
  - Example: Avatar Position updates
  - Loss recovery? Just send another update!



- **Unordered, 99% Reliable (UDP)**
  - Examples: Bomb fired, Voice chat
  - *Erasure codes are useful in this case!*
- **Ordered, Reliable (TCP)**
  - Examples: Chat messages, File downloads
  - A hybrid scheme over rUDP could be used to reduce latency here. But not terribly exciting.

# Erasure Code 411

Use Redundant packets to fill in for missing packets.

- Which Original packets are protected by each Redundant packet?
- How much bandwidth for Redundant packets?
- Pick one of three dominant types of software erasure codes:
  - Parity: XOR a set of packets together, recover from single loss
  - Reed-Solomon: 100% recovery rate given enough data
  - Low Density Parity Check: Random (but >97%) recovery

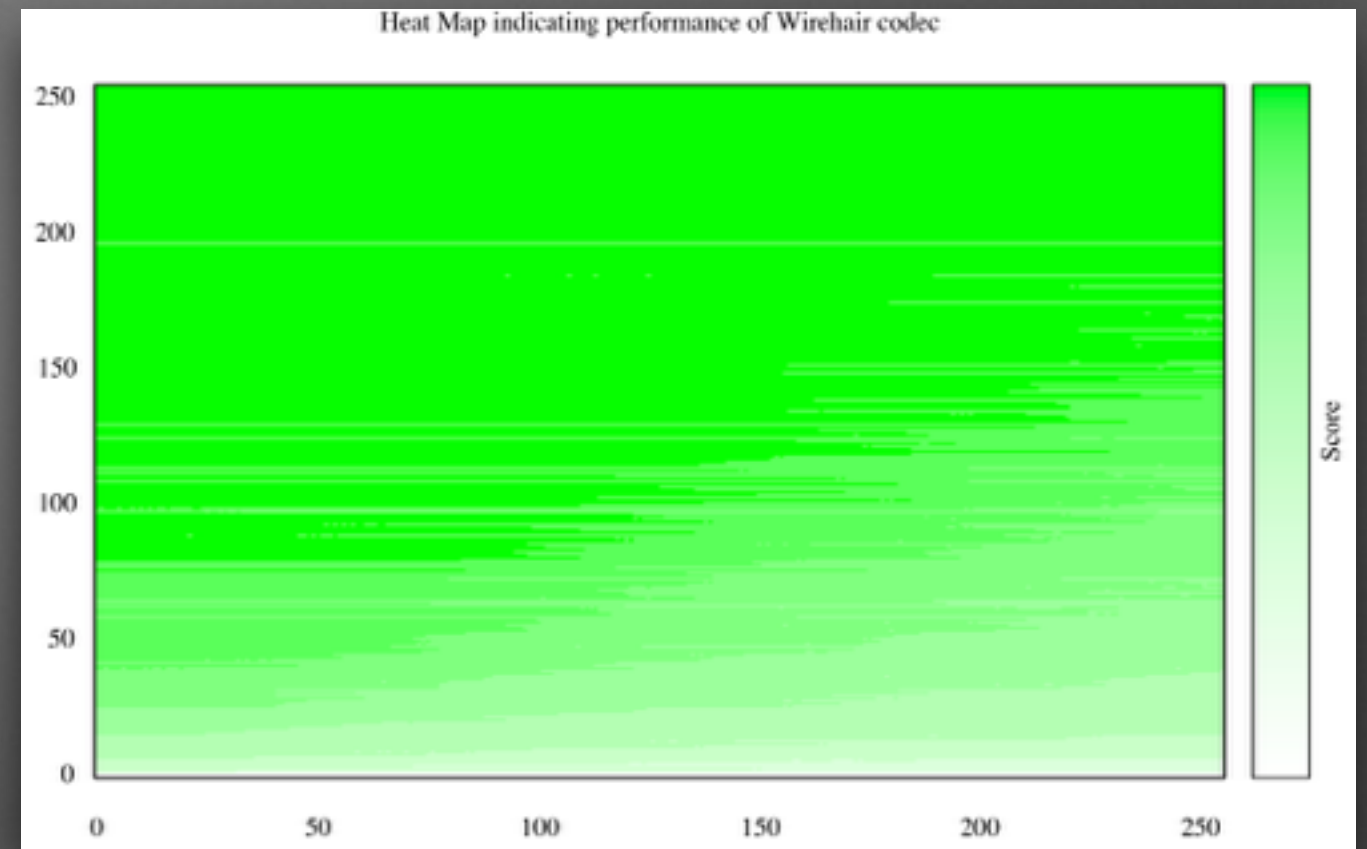
# My Open-Source Software

- “Cauchy” RS codes in C++: Longhair (new!)
  - Encodes  $>400$  MB/s ( $<40$  usec) for  $K < 30$  packets.
  - <http://github.com/catid/longhair>
- “Raptor” LDPC codes in C++: Wirehair (2 years old)
  - Encodes  $>200$  MB/s for protecting  $K > 30$  packets.
  - <http://github.com/catid/wirehair>

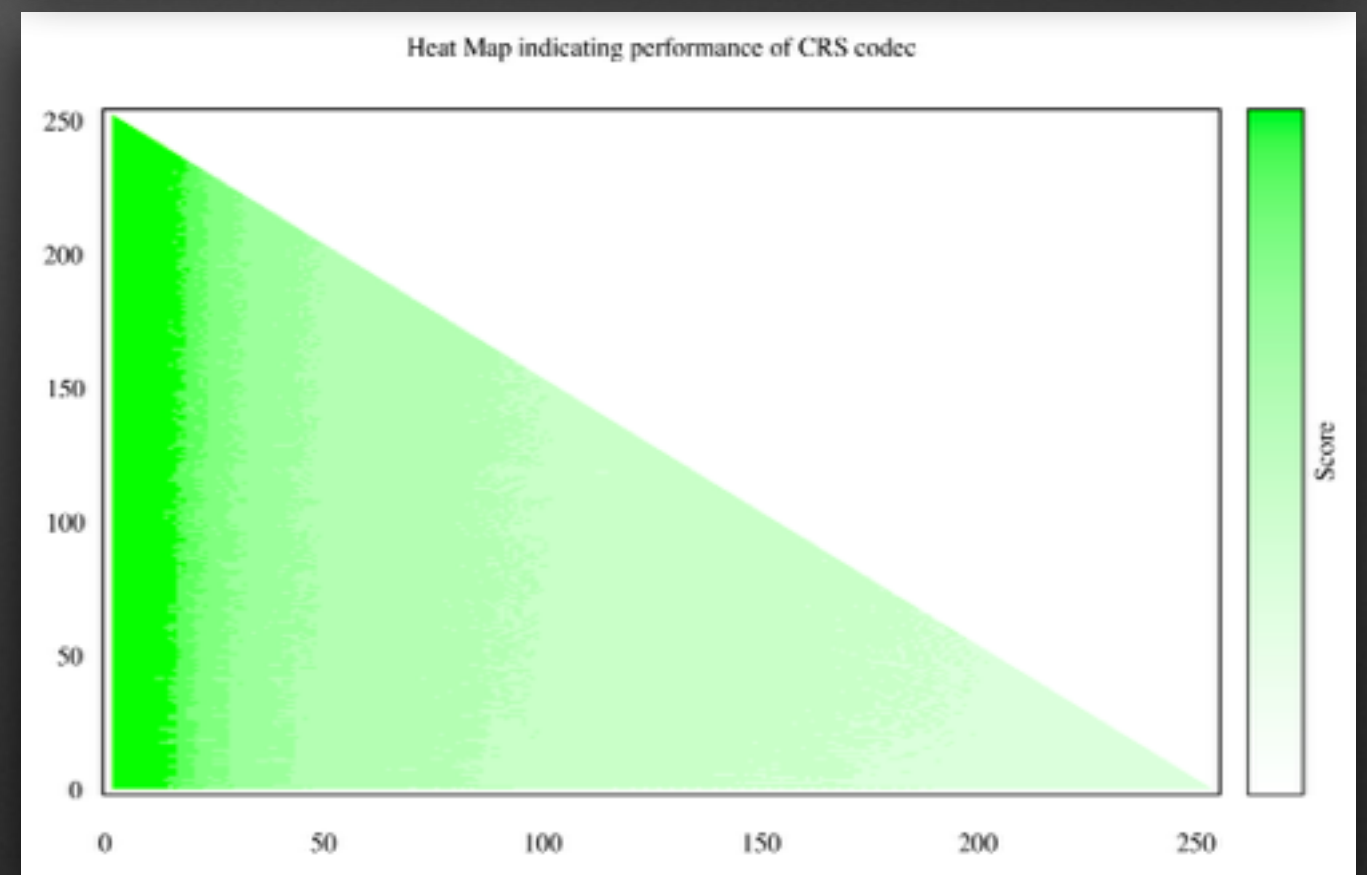


# Performance Showdown

Wirehair (files):



Longhair (streams):



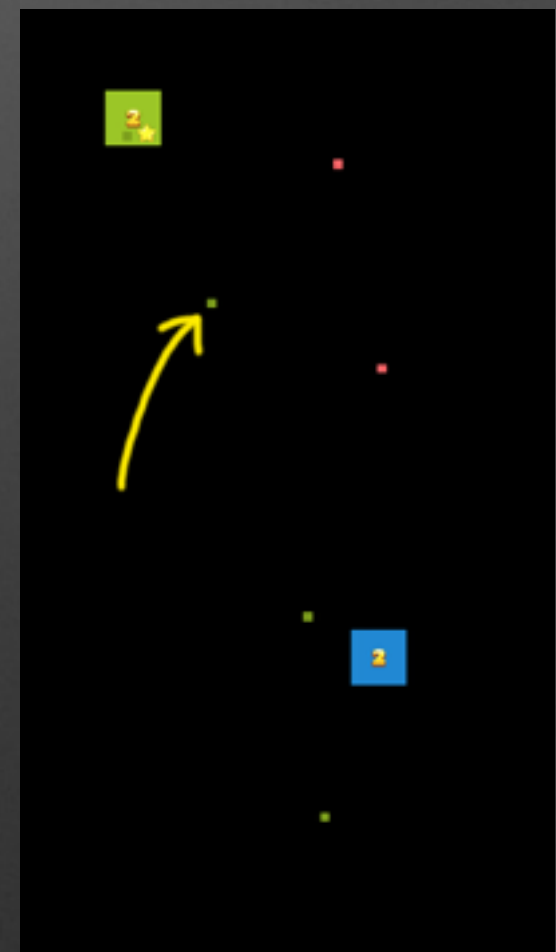


# Back to Square One

- Squares.APK sends data in three modes:
  - 0 : Unreliable, Unordered : Time synch
  - 1 : Unreliable, Ordered : Position data, JSON blobs
  - 2 : **99% Reliable, Unordered : Bomb fired!**

# > Bomb Packets <

- Low latency is essential to quickly display the bomb for everyone.
- Lost bomb packets cause severely-visible desynchronization between players.
- But 1 in 1000 is okay: Desired  $<0.1\%$  loss.
- Solution: Add redundancy, *but how?*
  - Send each bomb packet twice?
    - > Twice the bandwidth. =(
  - Low bandwidth solution: Erasure codes.



# Shorthair Codec

- My “Shorthair” codec uses erasure codes for streaming:
  1. Measures packet loss and estimates amount of redundancy required to reach a target loss rate (e.g. 0.1%).
  2. Interleaves sending redundant data for previous  $RTT/2$  of data while delivering latest  $RTT/2$  of data.
- Worst-case  $RTT$  delay after loss. Average case  $RTT/2$  delay.
- Low overhead: 5 bytes per packet. Uses Longhair.
- <https://github.com/catid/shorthair>



# Loss Statistics from Sequence Number Holes

- UDP packets may arrive out of order. Average packet loss rate changes.
- Sequence number ranges are tracked in bins. Track only 3 bins:

|<---delay--->|<---delay--->|<---delay--->|

|         |        |        |        |
|---------|--------|--------|--------|
| Bin 0 : | ^START | ^STOP  | ^SEND  |
| Bin 1 : |        | ^START | ^STOP  |
| Bin 2 : |        |        | ^START |

- Whenever statistics are requested, a new bin is started, the last bin is frozen, and the last-last bin is delivered.
  - **Result:** RTT and packet loss statistics are delivered periodically.

# Calculate Redundancy

- Statistically modeled just like repeated coin flips. Let  $p = P(\text{loss}) = 0.03$
- This is a Binomial random variable  $X$ . Let  $r = \text{\#redundant}$ ,  $k = \text{\#original}$

$$P(\text{Total erasure code failure}) = P(X > r), \quad X \sim \text{Binomial}(k+r, p)$$
$$\mu = E[X] = (k+r)p, \quad \sigma^2 = \text{SD}[X] = \sqrt{((k+r)p(1-p))}$$

- $X$  is approximated by  $Y \sim \text{Normal}(\mu, \sigma^2)$ 
  - Works when  $(k+r)p \geq 10$ ,  $(k+r)(1-p) \geq 10$ . Otherwise use exact calc.
- So:  $P(X > r) \approx P(Y \geq r + 0.5)$ , which is much easier to code in C:

```
u = (k+r)*p; s = sqrt(u * (1-p));  
Pr = 0.5 * erfc(INVSQRT2 * (r - u - 0.5) / s);
```

# Shorthair Protocol

- $\langle \text{SeqNo [2 bytes]} \rangle$
- $\langle \text{Out-of-Band [1 bit]} \parallel \text{CodeGroup [7 bits]} \rangle$
- OOB=1 packets stop here, but Original data also has:
  - $\langle \text{ID [1 byte]} \rangle \langle (k - 1) [1 \text{ byte}] \rangle$
  - Redundant packets ( $\text{ID} \geq k$ ) also have:
    - $\langle (m - 1) [1 \text{ byte}] \rangle \langle \text{Original Length [2 bytes]} \rangle \{ \text{data} \}$



# Shorthair Schedule

Redundant packets interleaved with originals:

|    | 56 | 57 | 58 | 59           | 60 | 61           |
|----|----|----|----|--------------|----|--------------|
| R0 | X  | X  | X  | send<br>here |    |              |
| R1 | X  | X  | X  |              |    | send<br>here |
| R2 |    |    |    | X            | X  | X            |
| R3 |    |    |    | X            | X  | X            |

# Brief Glimpse at the Future

Redundant packets interleaved with originals:

|    | 56 | 57 | 58 | 59           | 60           | 61           |
|----|----|----|----|--------------|--------------|--------------|
| R0 | X  | X  | X  | send<br>here |              |              |
| R1 |    | X  | X  | X            | send<br>here |              |
| R2 |    |    | X  | X            | X            | send<br>here |
| R3 |    |    |    | X            | X            | X            |

# Review

- Erasure codes in software are fast with low-overhead
- Advantages of using erasure codes in online games:
  - > 50% faster delivery over UDP than over TCP
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**“The future is already here.  
— It’s just not evenly distributed.”**

***-William Gibson, 2003***