







CODE

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class TreeNode(object):
  def init (self, val=0, left=None, right=None):
    self.val = val
    self.left = left
    self.right = right
class Solution():
  def recurMaxDepth(self, root: TreeNode) -> int:
    if not root:
      return 0
    left depth = self.recurMaxDepth(root.left)
    right depth = self.recurMaxDepth(root.right)
    return max(left depth, right depth) + 1
  def iterMaxDepth(self, root: TreeNode) -> int:
    if not root:
      return 0
    stack = [(root, 1)]
    max depth = 0
    while stack:
      node, depth = stack.pop()
      if not node.left and not node.right:
         max_depth = max(max_depth, depth)
      if node.left:
        stack.append((node.left, depth + 1))
```

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if node.right:
        stack.append((node.right, depth + 1))
    return max_depth
#1
#Input: root = [3,9,20,null,null,15,7]
#Output: 3
root = TreeNode(3)
root.left = TreeNode(9)
root.right = TreeNode(20)
root.right.left = TreeNode(15)
root.right.right = TreeNode(7)
S = Solution()
# Call the maxDepth function with the root of the binary tree
recursive_depth = S.recurMaxDepth(root)
print("Maximum depth of the first binary tree using recursion: ", recursive_depth)
# Call the maxDepth function with the root of the binary tree
iterative_depth = S.iterMaxDepth(root)
print("Maximum depth of the first binary tree using iteration: ", iterative depth)
#2
#Input: root = [1,null,2]
#Output: 2
root = TreeNode(1)
root.right = TreeNode(2)
S = Solution()
# Call the maxDepth function with the root of the binary tree
recursive_depth = S.recurMaxDepth(root)
print("Maximum depth of the second binary tree using recursion: ", recursive depth)
# Call the maxDepth function with the root of the binary tree
iterative_depth = S.iterMaxDepth(root)
print("Maximum depth of the second binary tree using iteration: ", iterative_depth)
```

COMPARISON

Time Complexity of Iterative Solution: The time complexity of the iterative solution is also O(N), where N is the number of nodes in the binary tree. This is because we visit each node exactly once using a depth-first traversal with a stack.

Space Complexity of Iterative Solution: The space complexity of the iterative solution is O(M), where M is the maximum number of nodes at any level of the binary tree. In the worst case, the binary tree can be completely balanced, resulting in M = N/2 nodes at the maximum level. Therefore, the space complexity is O(N) in the worst case and O(1) in the best case.

Time Complexity of Recursive Solution: The time complexity of the recursive solution is O(N), where N is the number of nodes in the binary tree. This is because we visit each node exactly once in a depth-first manner.

Space Complexity of Recursive Solution: The space complexity of the recursive solution is O(H), where H is the height of the binary tree. In the worst case, the binary tree can be skewed, resulting in a height of N. In the best case, the binary tree can be balanced, resulting in a height of log(N). Therefore, the space complexity ranges from O(log(N)) to O(N).