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Example 2

Problema I Pricehor
$$\nabla f$$
 g so substitute P

If $f = \frac{x}{x^2 + y^2}$, $P_1(1,1)$
 $\nabla f = \left(\frac{\partial f}{\partial x}, \frac{\partial f}{\partial y}\right)$, where:

 $\frac{\partial f}{\partial x} = \frac{-2x^4 + (x^2 + y^2)}{(x^2 + y^2)^2}$
 $\frac{\partial f}{\partial x} = \frac{-2xy}{(x^2 + y^2)^2}$
 $\frac{\partial f}{\partial x} = \left(\frac{1}{2}(x^2 + y^2 + z^2)^{-1/2} P_1(12,0,16)\right)$
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 $\frac{\partial f}{\partial x} = \left(\frac{1}{2}(x^2 + y^2 + z^2)^{-1/2$

Problema 2] encontrer du v y su valor en P [a] v = [0, Cos(xyz), Sin (xyz)], P:(2,0.5.17,0) div v= Dvi + Dv2 + Dv3 = 0 - xz Sintayz) + xy Cos(xyz) 2xy (os (xyz) / 11 div v(P) = TT/11 [6] v = [v,(y,z), v2(z,x), v3(x,y)], P: (3,1,-1) dv v = 0 + 0 + 0 = 0/n& dv v(P) = 0/n[] V= 1 [x,y,2], Porbitrario u'v + uv' $\frac{\partial v_{i}}{\partial x} = \frac{1}{(x^{2} + y^{2} + z^{2})^{3/2}} (1) - \frac{3x}{x} \frac{1}{(x^{2} + y^{2} + z^{2})^{5/2}}$ $= \frac{1}{(x^{2} + y^{2} + z^{2})^{3/2}} - \frac{3x}{(x^{2} + y^{2} + z^{2})^{5/2}}$ $= \frac{1}{(x^{2} + y^{2} + z^{2})^{3/2}} - \frac{3x}{(x^{2} + y^{2} + z^{2})^{5/2}}$ $\frac{\partial v_2}{\partial y} = \frac{1}{(x^2 + y^2 + z^2)^{3/2}} - \frac{3y^2}{(x^2 + y^2 + z^2)^{5/2}}$ $\frac{\partial v_3}{\partial z} = \frac{1}{(x^2 + y^2 + z^2)^{3/2}} - \frac{3z^2}{(x^2 + y^2 + z^2)^{5/2}}$ dir v = gru + gru + gru + gru + gru / dz div v(P)= 2 N1(x,y,z) + 2 V2(x,y,z) + 2 (x,y,z)