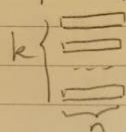
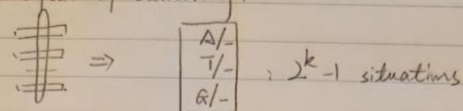


Multiple Sequence Alignment



n is the maximum length, k is how many sequences.
 $seq[a][b]$ means a th seq's b th letter.

① Since I have k seqs, with or without gap, there are $2^k - 1$ situations in one pair of searching.



implement: for t in 1 to $2^k - 1$: get rid of all gaps
 $t_{(0)} \rightarrow t_{(1)}$ and store all digits in $r[k]$

example: $t = 7$ means no gap, all are letters, when $k = 3$
 $t_{(0)} = 7 \rightarrow t_{(1)} = 111 \Rightarrow r[k] = [1, 1, 1]$

② In the slide, it use $DL[2][2]$ to represent the 'final score for 3 sequences. But since we have k seqs, we cannot create a k -dimensional array each time. My solution is to change $DL[2][2]$ from k dimensions to 1 dimension

Theory. If I have a number (decimal) 123

I can use a 3 dims array to save it $\Rightarrow DL[2][2] = [1][2][3]$

While it's also as $123 = 1 \times 10^2 + 2 \times 10^1 + 3 \times 10^0$

$\Rightarrow DL = 1 \times 10^2 + 2 \times 10^1 + 3 \times 10^0$

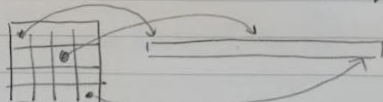
So I can also use this method. k seqs means k dims

Plus: Since I cannot use i, j, k to represent for each dim,

I use $i[0 \dots k-1]$ for k dims

$\Rightarrow DL[i[0]][i[1]][i[2]] \dots [i[k-1]]$

So $DL[i[0]] \dots [i[k-1]] = DL[i[0] \cdot 10^{k-1} + i[1] \cdot 10^{k-2} + \dots + i[k-1] \cdot 10^0]$



② Calculate score in t 's score's situation

Since $r[0 \sim k]$ represent that $r[i] = 0/1$ means
 i th seq is whether a gap or not.

for $j = 0 \sim k-1$

for $l = j+1 \sim k$

if $(r[j] = 0 \text{ and } r[l] = 1)$

$sp(i[0] \cdot n^{k-1} + \dots + i[k-1] \cdot n^0) += \text{gap}$

if $(r[j] = 1 \text{ and } r[l] = 1)$

$sp(\quad) += \text{sub}(seq[j][i[j]], seq[l][i[l]])$

if $\quad = 0$

$\quad = 0$

$\quad += \text{gap}$

if $\quad = 1$

$\quad = 0$

$\quad += \text{gap}$

plus, in $sp(i[0] \cdot n^{k-1} + \dots + i[k-1] \cdot n^0)$, if this situation is with
a gap, then if $r[j] = 0$, $i[j] \cdot n^{k-1-j}$ should be replaced
by $0 \cdot n^{k-1-j}$.

④ When working on j th and l th sequences, we should scan all patterns

for $i[j] = 0$ to $n-1$

for $i[l] = 0$ to $n-1$.

\Rightarrow In total

for $t = 1 \sim \sum_{k=1}^k$

for j in $0 \sim k-1$

for l in $j+1 \sim k$

for $i[j]$ in $0 \sim n-1$

for $i[l]$ in $0 \sim n-1$:

$D(i[0] \cdot n^{k-1} + \dots) = \min(D(i[0] \cdot n^{k-1} + \dots), \text{all the situations})$

$\min(\text{itself, situation under } t + sp(\quad))$

sp is to count as ③.