## Solving equations

Tuesday, December 29, 2020 3:35 PM

```
import numpy as np
#Consider the system of LINEAR equations
#x + y + z = 6
#2y + 5z = -4
#2x + 5y - z = 27
#This is the same as
||1111||x|| = |6|
#|25-1| |z| = |27|
#"A" "X" = "B"
#We can solve for X=A^-1 B
A = np.array([[1,1,1],[0,2,5],[2,5,-1]])
B = np.array([[6],[-4],[27]])
B = np.array([6,-4,27])
X = np.linalg.solve(A,B)
print(X)
# %%
#What about NON-LINEAR equations
import numpy as np
from scipy.optimize import fsolve
#How are the solutions?
\#x^2 + y = 5
\#x^2 + y^2 = 7
#First what is graphical solution?
import matplotlib.pyplot as plt
fig = plt.figure(1,figsize=(5,5))
delta = 0.025
x, y = np.meshgrid(
  np.arange(-4, 4.1, delta),
  np.arange(-4, 4.1, delta)
f1 = x^{**}2 + y-5
f2 = x^**2+y^**2-7
# plt.contour(x, y,x**2 + y - 5,[0])
# plt.contour(x, y,x**2 + y**2 - 7,[0])
plt.contour(x,y,f1,[0])
```

```
plt.contour(x,y,f2,[0])
plt.show()
#here is one way to return a single root
def myFunction(z):
 x = z[0]
 y = z[1]
 F = np.empty((2))
 F[0] = x**2 + y-5
 F[1] = x^**2+y^**2-7
 return F
zGuess = np.array([3,-2])
z = fsolve(myFunction,zGuess)
print(z)
# %%
#Using gekko
from gekko import GEKKO
m = GEKKO()
x,y = [m.Var(1) \text{ for i in range}(2)]
m.Equations([x**2+y==5,\]
       x^{**}2+y^{**}2==7]
m.solve(disp=False)
print(x.value,y.value)
# %%
import sympy as sym
sym.init_printing()
x,y = sym.symbols('x,y')
f = sym.Eq(x**2+y,5)
g = sym.Eq(x**2+y**2,7)
print(sym.solve([f,g],(x,y)))
```